## MOSES ON PC <br> Manual, initialization, and calibration

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## MOSES on PC

- manual, initialization, and calibration
by
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## FOREWORD

The Swedish micro-to-macro simulation model, MOSES, has been developed over more than a decade. It has now been transferred from a mainframe computer into a personal computer.

This manual of Erol Taymaz documents the PC version of the MOSES model. It consists of three sections: manual, initialization, and calibration. Several improvements of the model specification have been entered. For instance the credit market module has been significantly revised. The calibration program is entirely new. It builds on a novel application of an old idea and has finally made possible systematic "estimation" of parameters in the complex model structure. Appendices contain the APL code written for the PC version.

The model and a synthetic database can now be made available for researchers, firms, and teachers.

Stockholm in May 1991
Gunnar Eliasson

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## INTRODUCTION

MOSES $^{\text {PC }}$ is the PC version of MOSES (Model Of the Swedish Economic System) which is a micro-to-macro, firm-based, econometric model of the Swedish economy. It has been transferred from the DEC-10 mainframe version of MOSES 7.3 in November 1989. The whole model is written in the programming language APL. The model with all current datasets requires less than 3 MByte memory. The current version of the model is implemented by using a Dyalog-APL interpreter with SCO Xenix Operating System V in a Toshiba T5200/100 portable PC (80386-20 microprocessor). A one-year simulation takes about 1.5-2.0 minutes depending on the experiment.

This manual describes how to run, initialize, and calibrate the model..$^{( }{ }^{\circ}$ It is intended for users who have little or no familiarity with the model. Anyone following the instructions in Section 1.2 can start up and run the model without knowing what it is all about. At this level, it is also possible to make various experiments by changing the model parameters. However, to be able to carry out experiments based on changes in the model (e.g., changes in the behavioral equations, etc.), one needs a rather deep understanding of the model and the APL code which requires a considerable effort on the part of the user.

The model consists of two parts, the simulation model itself and the initialization procedure. There are micro and macro databases for two years, i.e., starting points for the simulation, namely, 1976 and 1982. The initialization procedures take as input micro and macro databases and converts them into a form that fits the simulation model. Thus, there are two basic initial datasets with various versions for 1976 and 1982. The simulation commences the first quarter of 1977 or 1983 depending on the choice of the initial year. Since the 1976 and 1982 datasets contain

[^0]confidential firm data collected in the Planning Surveys of IUI and the Federation of Swedish Industries, a synthetic dataset for 1990 was prepared for outside use (see Section 3.3).

This manual does not describe the initialization procedure in detail. For complementary detail and explanation see MOSES Handbook (Bergholm, 1989) and MOSES Code (Albrecht et al. 1989). Note that the first part of MOSES Handbook on "How to Run the MOSES Model" is superseded by this manual for the PC version of the model. Each section of this manual is a self-contained unit. The user does not have to read previous sections in order to understand the material in any particular section.

This manual uses the following notational conventions.

* Commands that you enter are printed in boldface type.
* Variables that you define are printed in italics.
* Options are shown within [square brackets]. You may not enter those options.
* Keys to be pressed are printed in SMALL CAPS. For example, the Return key is represented by RETURN.
* Key combinations are printed in boldface and are hyphenated.

When you see a key combination, such as Ctrl-d, you are supposed to hold down the first key (CONTROL) and press the second key (d).

* System prompts are printed in courier characters.


## SECTION 1

MOSES ${ }^{\text {PC }}$ MANUAL

### 1.1 FILE SYSTEM

The MOSES ${ }^{\text {PC }}$ model consists of the following files (or, workspaces, as named in the APL programming language).

| moses | : The initial interactive part of the model. |
| :--- | :--- |
| MOSES.PC | : The main part of the model that contains the |
| model functions. |  |
| MOSES.CALIB | : File that contains functions used for |
| calibration and policy experiments. |  |
| MOSES.FUNEXP | $:$ File prepared for experiment-specific |
| functions. |  |
| MOSES.GRAPH | : File for graphics functions (charts, bar |
| charts, etc.). |  |
| MOSES.HELP | : File that contains various useful functions to |
| analyze the model, etc. |  |


| MICxx | : Micro-dataset for year $x x$. It is used by the MOSES.INIT workspace. There are currently two micro-datasets: one for 1976, the other for 1982. |
| :---: | :---: |
| MICRO.DBASE | : A data file that contains the results of all planning surveys of establishments (firms or divisions) used in the model. This file is to be updated for every year. |
| PRT | : The APL workspace that contains printing functions. (It is supplied by the Dyalog-APL interpreter.) |
| VLISTS | : A file that contains variables names to be saved at the end of the initialization procedure. It is used by the MOSES.INIT workspace. |
| R1990.10 | : The "synthetic" dataset for 1990 . This dataset is created by simulating the model version 2.0 for 8 years by using the dataset R1982.91, and the modification function MSTART900. |
| R1990.10.SERIE | : A file that contains various simulated timeseries macro-data for 1983-1989. These data were obtained by simulation to generate the R1990.10 dataset. |
| R1982. $x$ x | : The 1982 dataset. $x x$ denotes the dataset version number. There are currently six versions for this dataset, namely, $89,91,92$, 93,94 , and 98 where the second one is the default version. |
| R1976.5 | : The 1976 dataset. There is only one version for this set. |
| MxxRyyyy.yy.zz | : Default name of output files. $x x, y y y y . y y$ and |

$z z$ denote the modification version, the initial dataset version, and the time period of the experiment. For example, the results of a 10 year experiment simulated by using MSTART19 (model) modification function and R1982.89 dataset will be M19.R1982.89.10. Note that, by appropriate changes, this file can be used as an initial dataset for further experiments.
R1976.5, R1982xx, MIC76, MIC82 and MICRO.DBASE workspaces contain confidential firm data. Because of the disclosure rules, the access to those workspaces is restricted to authorized users.

### 1.2 A QUICK START

The MOSES ${ }^{\text {PC }}$ model can be used in two ways. First, the model can be installed in your computer. In this case, you need a PC with 80386 microprocessor, SCO Xenix Operating System V, Dyalog-APL interpreter, and the model itself. (The model can be used with other APL interpreters and operating systems, but it may take time to transfer the model workspaces from this system to another.) The complete model comes with the moses, MOSES.PC, MOSES.CALIB, MOSES.FUNEXP, MOSES.GRAPH, MOSES.HELP, MOSES.INTT, DATA, FUNCTI, ISTART, MSTART, PRT, R1990.10, R1990.10.SERIE, and VLISTS workspaces. ${ }^{(*)}$ Second, the PC in IUI can be accessed by, for example, using modems by another computer which is operating with the Xenix operating system.

Now, we assume that you use the Toshiba PC at the IUI, and you have a valid user account. When the PC is turned on, the following message is shown after the memory test.

```
XENIX System V
Boot
:
```

Press RETURN to continue (here, if you type DOS RETURN, you will $\log$ in into DOS operating system). After some messages about the PC's configuration, you are asked to type Ctrl-D to proceed with normal startup. (**) Type Ctrl-D, and enter time, your user name, and the password when you are asked to do so. Finally, a welcome message is shown and you will be in your home directory. Files in this directory can
*) For the installation of MOSES ${ }^{\text {PC }}$ see Appendix D.
**) Instead, you may get the following message if the system is not shutdown properly by the "shutdown" command before you turn it on.

The system was not shut down properly, and the root file
system should be cleaned.
Proceed with cleaning $(y / n)$ ?
Type $\mathbf{y}$ RETURN and wait a few seconds for cleaning the root file system.
be listed by the "list" command by typing
\# 1 RETURN
where \# is the Xenix prompt (\$ or \% may also appear. Note that the upper- and lowercase letters are considered to be different in the Xenix operating system.)

Type
\# pwd return
to see name of the current directory. If you are not in the /moses directory, type
\# cd /moses RETURN
to change it.
When you are in the /moses directory, type the following to run the model.
\# apl moses RETURN
The MOSES ${ }^{\mathrm{PC}}$ logo is shown 4 seconds and then the following menu appears on the screen:

| Experiment Mame | : |
| :---: | :---: |
| Initial Year | : 1990 v. 10 |
| Simulation Period | : 20 |
| Start Entry in | : ข¢94 |
| Average Number of New Firms | : 2 |
| Modification Version | : 0 |
| Model Version | : 2.0 |
| Modify Parameters ( $\mathrm{y} / \mathrm{n}$ )? | : $n$ |
| Start simmatiom |  |
| EXIt to Xemix |  |

Use <TAB> key to move the cursor, press <F1> key to choose any option

The cursor can be moved by pressing TAB (downward) or Shift-TAB (upward) keys. After changing default values on the menu as desired, the simulation is started by pressing F1 key when the cursor (the highlighted rectangular) is on "START SIMULATION".
"Experiment Name" defines the workspace name. If you do not enter any name here, the default name as defined in Section 1.1 is used.
"Initial Year" denotes the starting point of the simulation experiment, i.e., the initial dataset year. The simulation commences the first quarter after the "initial year". Since there are only three datasets, this variable should be either 1976, 1982 or 1990. Only the 1990 dataset which is semi-synthetic (see Section 3.4) is available for external use.

The next variable on this line shows the version of data year. For the time being, there is only one version of the 1976 dataset (version 5), six versions of the 1982 dataset (versions $89,91,92,93,94$, and 98 ), and one version of the 1990 dataset (version 10).
"Simulation Period" is the number of years that the simulation will proceed. Note that although the MIOSES ${ }^{\text {PC }}$ model is actually a quarterly model, the simulation period should be specified in years.
"Average Number of New Firms" specifies the entry feature of MOSES (the AMAXENT variable in the STARTAENT2 function). It is equal to the maximum number of new firms in each industry in each year when the average industry profitability is equal to unity. The number of new firms is a probabilistic linear function of average industry profitability. ${ }^{( }$) If you do not want to use the firm entry option, enter zero for this variable.
"Modification Version" determines which MSTART function will be used to modify the model. In the MOSES model, each experiment is carried out by making changes in the original model (changes in the behavioral
*) $\quad \mathrm{N}_{\mathrm{i}, \mathrm{t}}=\operatorname{ran}\left(\right.$ AMAXENT $\left.^{*} \mathrm{AVEPROF}_{\mathrm{i}, \mathrm{t}-1}\right)$ where N is the number of new firms, and AVEPROF is equal to average industry profitability, and subscript i and tenote industry and time (year), respectively. ran(x) draws randomly an integer number from $\{0,1, \ldots$, int(AMAXENT*AVEPROF ${ }^{\mathrm{j}}$ ) $\}$.
equations, variables, etc.) by using one of the modification functions in the MSTART workspace. This allows you to keep the model in its original form. The MSTARTxx functions where all changes connected with the specific experiment are defined modify the original model at the beginning of the simulation. If you want to make experiments with the original model, enter zero for this variable.
"Model Version" specifies the model version to be used for the experiment. As of May 1991, there are three versions of the MOSES ${ }^{\text {PC }}$ model: 1.0, 1.1, and (the default) 2.0. (For details, see Section 1.8.)
"Modify Parameters ( $\mathrm{y} / \mathrm{n}$ )?" question allows the user to change model parameters just before the experiment. Note that the parameters can also be changed by the initialization procedure and by the modification function (see Sections 1.4 and 2.2). The values entered by using this option has the highest priority (i.e., it supersedes the values specified in the modification function), and it may be convenient to use this option when various experiments are done only for different parameter values.

Pressing F1 key when the cursor is on the "Exit to Xenix" allows the user to exit form the model. To continue to use the model, the user should start by typing "apl moses" at the Xenix prompt.

When the user's answer is "y" for "Modify Parameters ( $\mathrm{y} / \mathrm{n}$ )?", a modification menu appears after some messages about loading the model, database, etc. This menu looks like as follows.

The cursor can be moved by pressing "cursor" keys. Note that all parameter names and values are not shown in the window. Therefore, the user can scroll the data using CURSOR RIGHT and CURSOR DOWN keys. The data in both fields (name and variable fields) scroll accordingly. After having changed the parameter values, press F1 key to resume simulation with modified parameter values. F10 key keeps the parameter values unchanged and start the simulation.

In a normal simulation, some messages about date, the model
version, etc., are shown on the screen right before the beginning of the simulation. Then, the simulation is started.


During simulation, the chart below is shown on the screen. On this chart, the numbers at the top-left and bottom-left corners denote the maximum and minimum values of the output, i.e., of the chart. The first line under the chart shows the model version, the active workspace name, and the period of simulation, respectively. The last two lines show the firm codes that exit from or enter to the manufacturing industries. The first number of a firm code denotes the sector where 1 is the raw materials sector, 2 intermediate goods, 3 investment goods and consumer durables, and 4 the consumption goods sector.


When the simulation is completed, a message is printed on the screen. The results of the experiment can be printed on the screen and be saved in a text file that can be accessed by Xenix and DOS operating systems, and any other DOS-based program (WordPerfect, Lotus-123, etc. () ${ }^{(*)}$.

SPRINT, PPRINT, and FPRINT functions send the output tables to the screen, printer, and a file, respectively. (These functions and other APL commands can be used at the end of the simulation when the system is in the APL's immediate execution mode. In this mode, the cursor stays at the eighth column from the left.) For example, to show all standard tables on the screen whose names are stored in the ALLREPORTS variable, type

SPRINT ALLREPORTS RETURN
When the PPRINT function is used, you are asked to type the printer's name. If the printer connected to the computer is an HP LaserJet printer, type HPLJ.

To print or to create a file of all tables, type, respectively,
PPRINT ALLLREPORTS RETURN
IFPRINT ALLLREPORTS RETURN
If you want to print only one table at a time, type
PPRRINT 'tablename' RETURN
Note that the table name should be within single quotation marks. The names of standard output tables are stored in the variable allreports. To see those names, type

## ALLIREPORTS RETURN

The graphics functions can be accessed by copying the MOSES.GRAPH workspace into the active workspace. To do this, first, type

[^1]\# doscp /XENIXpathname/file.name /dev/hd0d:/DOSpathname/filename RETURN
Note that /dev/hdOd: denotes the (first) hard disk. Notice also that normal slash ("/") is used to specify DOS path names instead of back-slash (" $\$ ") as normally used by DOS.

## )COPY MOSES.GRAPH RETURN

After copying the MOSES.GRAPH workspace, the PLOT, CHART, BARCHART, and PIECHART functions can be used. For example, to use the PIECHART function, simply type

## PIECHARTT RETURN

When the graphics functions are invoked, a full-screen input menu which is self-explanatory appears. On-line help is also available for these functions.

The whole output workspace can be saved by the APL command
)SAVE RETURN
Before saving the active workspace, its name can be changed as follows.
[]WSID - workspacename RETURN
where [] is the APL character entered by Shift-L when the keyboard is in the APL mode. (The Dyalog APL character set contains both the APL and ASCII characters, and uses the keys Ctrl-N and Ctrl-O to switch between these sets, respectively.)

This workspace can also be used, after appropriate changes, as an initial dataset for further experiment.

Finally, typing
)OFF RETURN
allows the user to exit to the operating system.

### 1.3 BASIC APL FUNCTIONS

A basic knowledge of the APL language is essential for designing and running simulation experiments on the MOSES model. Hence, some APL functions/commands are summarized in this section.

The place in the computer where the work is done is called workspace in the APL language. An APL workspace consists mainly of functions and variables. The user enters functions and variables in the workspace and can save them for future usage. The files mentioned in Section 1.1 are those APL workspaces that form the MOSES ${ }^{\text {PC }}$ model.

APLL system commands provide services or information associated with the workspace and the external environment. All system commands begin with the symbol ")", known as a right parenthesis. (Note that when the keyboard is in APL mode, ")" is entered by typing "Shift-".) System commands may be entered from the immediate execution mode. In this mode, the blinking cursor stays at the eighth column from the left on the screen. In other words, the user can enter those commands only when the simulation is completed or has stopped for any reason.

Some useful system commands are as follows.
)FNS displays the names of globally defined functions in the active (current) workspace.
)VARS displays the names of globally defined variables in the active workspace.
)SAVE saves the active workspace (in a file).
)COPY workspacename [names] brings all or selected global
objects from the workspace stored previously. If the list of [names] is excluded, all defined objects (functions and variables) are copied. Existing global objects in the active workspace with the same name as a copied object are replaced.
)OFF terminates the APL section, returning to the Xenix
shell command level with the standard prompt (normally \#, \$ or \%).
displays the contents of the state indicator in the active workspace. The state indicator identifies those operations which are suspended or pendent for each suspension. The list consists of a line for each suspended or pendent operation, beginning with the most recently suspended function. This command is very useful to locate errors when the simulation is unexpectedly halted.
)RESET cancels all suspensions recorded in the state indicator.
[]WSID is a system variable that contains the identification name of the active workspace. If a new name is assigned, that name becomes the identification name of the active workspace, provided that it is named according to Xenix (UNIX) filename conventions. For example, typing
[]WSID RETURN
will return the active workspace name. If the user types
[]WSID $\leftarrow$ 'EXPERIMENT_1' RETURN
a new workspace name, EXPERIMENT_1, will be assigned.
The environmental parameters of the APL are defined in the script /usr/bin/apl. Currently, the maximum workspace size is restricted to 6 MByte. An HP plotter (PLOTTER) and an HP laser printer (PRINTER) connected to the first parallel port are defined in this script file. If you wish to change any parameter, you must edit the script /usr/bin/apl. Note that this requires super-user privilege. (You may override the system-wide parameters by defining your own environmental parameter before invoking

APL. See Dyalog APL User Guide for details).

### 1.4 PREPARING AN EXPERIMENT

In the MOSES ${ }^{\mathrm{PC}}$ model, each experiment is carried out by means of modifications in the original model (changes in the behavioral equations, variables, etc.) using the functions in the MSTART workspace only. This allows the user to keep the model in its original form. Therefore, the user should know about the model, the APL interpreter, and APL's full-screen editor, "VIA".

A modification function, MSTARTXx, can have six types of modifications.

1) It may contain a description of the experiment which is printed at the top of all output tables. It can be defined by adding the following line into the MSTARTxx function.

DSCR $-\operatorname{DSCR}$, description'
DSCR is the MOSES variable that contains the description information.
2) It may contain commands for data storage. The model keeps track of time-series data for major industry- and economy-wide variables in various tables (see the following section for those tables). If the user would like to add more tables to this standard output, the following functions are available.

```
scale Y&R&IFIRM firmcode
scale Y}\mathbf{Y}|\mathbb{R}|\mathbb{FIRM\DeltaQ firmcode
scale Y }\triangle\mathbb{R}\triangle\mathbb{FIRM}\triangle\textrm{F}\mathrm{ firmcode
scale Y\triangleR&FIRMAFINANCE firmcode
NEW AFIRM
NEW\triangleFIRM\triangleQ
NEW }\triangleFIRIRM\triangleF
scale NEW4|IRM|FINANCE
INITIAL\triangleNEW AFIRMS
variable SAVED\triangleIN\Y tablename
variable SAVED }\triangle\mathbb{NN}\triangleQ\mathrm{ tablename
Y&R\DeltaMARKETAF
Y&R}\triangleMARKET A Q
Y&R}\DeltaINDUSITRY&F
Y&R\triangleINDUSTRY&Q
```

The first four functions are used to keep track of various firm data. scale is the scaling factor for some variables. ( 100 is used by the new firm functions.) firmcode is a number that denotes the specific firm under investigation. The first number of the firm code denotes the sector where 1 is the raw materials sector, 2 intermediate goods, 3 investment goods and consumer durables, and 4 the consumption goods sector, and the second number denotes the position of the firm in its sector. For example, 3.4 is used for the fourth firm in the investment goods sector.

The NEWAFIRM functions are identical to the previous functions, except that these functions save time-series data of all new firms. Therefore, there is no need to specify a firm code. Note that in long-run simulation experiments, the memory requirements of those tables created by the NEW $\triangle$ FIRM functions can increase considerably.

The initialanew $\Delta$ FIRMS function keeps track of data for the characteristics of new firms when they enter the industry.

The SAVED $\operatorname{IN} \triangle Y$ and SAVED $\lrcorner I N \angle Q$ functions are used to store any annual and quarterly variable, respectively, in a table whose name is defined by tablename (for more information about these functions and output tables created by them, see the following section).
 $\mathrm{Y} \wedge \mathrm{R} \perp$ INDUSTRY $\triangle \mathrm{Q}$ functions are similar to the $\mathrm{Y} \wedge \mathrm{R} \wedge \mathrm{MARKET}$, and $\mathrm{Y} \wedge \mathrm{R} \triangle$ INDUSTRY functions but they contain different market and industry data.
3) The modification functions may contain commands to modify model variables. For example, the following line changes the KSI variable from its default value, .15 , to .25 .

## KSI $\leftarrow .25$

4) The modification function may contain commands that change the MOSES functions. For this purpose, the following functions can be used.
'functionname' MODADD 'linebeginning wnewline'
'functionname' MODAIDDLAST 'newline'

## 'functionname' MODSUBST 'oldlinebeginningwnewline'

'functionname' MOD)IDEL 'oldlinebeginning'
'functionname' MODADDLINE 'newline' linenumber
In those functions, the user should use single quotation marks (') as shown above. The omega symbol, $w$, is the APL character entered by Shilt-W. functionname denotes the function that is to be modified.

The MODADD function adds a newline into the functionname after the line whose initial characters correspond to the linebeginning. In other words, only the beginning characters of the old line stands before the omega symbol, and the whole new line after this symbol. (The length of the linebeginning should be chosen such that there is no more than one line with the same linebeginning.)

The MODADDLAST function adds the newline into the functionname as the last line.

The MODSUBST function substitutes the newline for the line whose initial characters correspond to the linebeginning in the functionname.

The mODDEL function deletes the line whose initial characters correspond to the oldlinebeginning in the functionname.

It might be ambiguous what line you are referring to when too few letters are specified in the linebeginning or oldlinebeginning. Therefore, when these modification functions (MODADD, MODSUBST, and MODDEL) are used, the user should verify that the changes are made properly.

Finally, the mODADDLINE function adds the newline into the functionname as the line defined by its linenumber.
5) During the simulation of the model, a chart showing a variable defined by the user is shown on the screen. It is also possible to print some quarterly data defined by the TRACE1 (or TRACE2) function instead of this chart.

The function that prepares the chart is as follows.
'varname' 'title' ['background'] PREPAINTAGRAPH min max period
In this function, varname is the name of the variable to be plotted, title is the title of the chart (it should be less than 80 characters),
background is the name of a $22 \times 80$ text matrix that is to be shown as the background of the chart, min and max are the minimum and maximum values of the variable (i.e., the scale of the Y-axis), and period is the period of simulation in years. background can be the chart prepared during a reference simulation, and it can be used to show the progress of the current simulation compared to the reference case. You can also use the actual data for background. To do this, prepare a $22 \times 80$ text matrix that contains the chart of the actual data as specified by the min and max values, by using the PLOT function (see Appendix C).

This function is called by the RUNEXP function. If you want to use the TRACE1 (or TRACE2) function instead of this default option, the line in the RUNEXP function that calls this function should be deleted by using the MODDEL function. Note that TRACE1 and TRACE2 functions can only be used with versions 1.0 and 1.1, respectively.
6) The STOP $\triangle$ HERE function can be called in any place to stop the simulation temporarily. This function is used as follows.

## STOP $\triangle$ HIERE 'message'

where message is the message to be shown on the screen when the simulation is stopped. This function can be used for, for example, manual data entry for "interactive" simulation games, etc.

An example can be used to clarify the above-mentioned types of modification.

- MSTART99
[1] DSCR $\leftarrow$ DSCR,' A MODIFICATION EXAMPLE'
[2] KSI $\leftarrow .25$
[3] $1 \mathrm{Y} \triangle \mathrm{R} \triangle F I R M 3.16$

[5] 'YEARLY $\triangle E X P ' ~ M O D S U B S T ~ ' E X P D W \leftarrow W E X P D W \leftarrow(.8 x E X P X D W)+~$ (.2xEXPIDW)'
[6] 'RUNEXP' MODSUBS $"$ "QムQ"w"RU" "Rate of Unemployment" PREPAINTAGRAPH $010020^{\prime}$
[7] 'YEARLY CTARG ' MODADDLAST 'STOP $\triangle$ HERE "MODIFY YEARLY TARGETS" '
V

In this example, the first line adds "A MODIFICATION EXAMPLE" into the description variable, DSCR. The second line changes the KSI parameter from its default value to .25 . The third line executes the Y\&RAFIRM function that stores the time-series data for the firm 3.16. The fourth line means that a new line, MTEC - $10+$ MTEC, will be added into the HOUSEHOLDAUPDATE function after the line beginning with QC[NDUR]. The fifth line means that a new line, EXPDW - (.8xEXPXDW) + (.2xEXPIDW) will be substituted for the line beginning with EXPDW- in the yEARLY\&EXP function. In other words, this line changes the EXPDW equation in the function. The sixth line changes the on-line plot function so that the rate of unemployment variable will be plotted for 20 years. The last line stops the simulation after the yearly profit targets are set in the YEARLY 4 TARG function. The user can "manually" modify profit targets before allowing the simulation to continue. For example, the fifth firms' profit target can be modified as follows.

MHIST[5]+. 80 RETURN
$\rightarrow[1] C$ return
(The second line resumes the simulation.)
These changes in the model take place when the function UPDATEMOSES is called. That is, the MSTARTxx function is called on a line in the UPDATEMOSES function. If you wish to check that the changes in the model have been performed correctly, press once

## Ctrl-bACKSPACE

after the messages about the modification of the model. List the functions you are interested in by typing

- functionnamev RETURN
where $\nabla$ is the APL symbol entered by Shift-G. (You can also use the editor VIA, and make changes). Type
$\rightarrow[] L C$ RETURN
to continue the simulation of the model, where $\rightarrow$ and [] are APL symbols. []LC is a system constant that is equal to the number of the line where the
simulation is stopped.
All modification functions should be in the MSTART workspace. Therefore, load MSTART workspace into the active workspace when a new modification function is to be written. The full-screen function editor "VIA" can be used for writing and editing (for more information about this editor, see Dyalog-APL User Guide).


### 1.5 OUTPUT REPORTING

Standard output tables that contain various annual time-series data are prepared by the "Y $\Delta \mathrm{R} \Delta$ tablename" functions. In these functions the table header is setup and the table name for storage of data is defined, usually as "YEARLY 4 tablename". Finally a function by the name "Y $\Delta$ tablename" is called for defining and storing the data.

The variables going into a table are defined and entered into the table, "YEARLYstablename" by the function "Yatablename" each year. The variable "YEARLYstablename" is in matrix form, the first row containing the variable names stored in the table.

Currently, the following tables are standard output of the model.

| Table | name： | YEARLYAINDUSTRY』TOTAL <br> Aggregate statistics for manufacturing industry |
| :---: | :---: | :---: |
| Colon | Variable | Description |
| no | name |  |
| 1 | QTOP | Potential output level（MS）${ }^{\left({ }^{*}\right)}$ |
| 2 | TEC | Average potential labor productivity（MS） |
| 3 | L | Employment level（MS） |
| 4 | PROD | Actual labor productivity |
| 5 | DQ | Annual change in production（MS） |
| 6 | A21 | A slack variable（MS） |
| 7 | A22 | A slack variable（MS） |
| 8 | SUM | A21＋A22 |
| 9 | A23 | A slack variable（MS） |
| 10 | $\mathrm{M}^{*} \mathrm{~S}$ | Gross income（total sale＊profit margin） |
| 11 | STO | Output stock level relative to the desired level（MS） |
| 12 | DS | Annual change in sales（MS） |
| 13 | DP | Annual change in prices（MS） |
| 14 | DW | Annual change in wages（MS） |
| 15 | M | Profit margin（MS） |
| 16 | INV | Investment level |
| 17 | LTOT | Total labor force |
| 18 | RU | Rate of unemployment（MS） |
| Table | mame： | YEARLY」GNPFFIX」PROD |
|  |  | GNP accounts，supply side， 1982 prices |
| Colon | Variable | Description |
|  | name |  |
| 1 | TOT | Total GNP |
| 2 | RAW | Raw materials |
| 3 | IMED | Intermediate goods |
| 4 | INV／DUR | Investment and durable goods |
| 5 | NDUR | Non－durable（consumer）goods |
| 6 | A／F／F | Agriculture／forestry／fishery |
| 7 | ORE | Mining |
| 8 | BLD | Building and construction |
| 9 | EL | Electricity，gas，water |
| 10 | SERVICE | Services |
| 11 | WSG | Government（wage payments）（MS） |

[^2]| Table | name: | YEARLY』GNPFIX」USE <br> GNP accounts, demand side, 1982 prices |
| :---: | :---: | :---: |
| Colon <br> no | Variable name | Description |
| 1 | TOT | Total GNP |
| 2 | GTOT | Government total (WSG+PURCHG) |
| 3 | WSG | Government wage payments (MS) |
| 4 | PURCHG | Government consumption (MS) |
| 5 | HH | Household consumption |
| 6 | INV-TOT | Total gross investment |
| 7 | INV-MKT | Investment in manufacturing |
| 8 | INV-BLD | Investment in building and construction |
|  | INV-GOV | Public investment |
| 10 | CHSTO | Change in stocks (MS) |
| 11 | EXPORT | Exports (MS) |
| 12 | IMPORT | Imports (MS) |
| Table mame: |  | YEARLY ${ }^{\text {GNPCUR }}$ - USE |
|  |  | GNP accounts, demand side, current prices |
|  |  | [Same as YEARLY^GNPFIX 4 USE] |
| Table name: |  | YEARLY $\triangle$ GNPCUR $\triangle$ PROD |
|  |  | GNP accounts, supply side, current prices |
|  |  | [Same as YEARLY^GNPFIX ${ }^{\text {PRROD] }}$ |


| Table name: |  | YEARLYAFINANCE |
| :---: | :---: | :---: |
|  |  | Financial aggregates for manufacturing industry |
| Colon | Variable | Description |
| no | name |  |
| 1 | M ${ }^{\text {S }}$ | Gross income (total sale * profit margin) |
| 2 | INTPAY | Interest payments (MS) |
| 3 | DPER | Depreciation |
| 4 | TAXES | Taxes |
| 5 | DIV | Dividends |
| 6 | SUBS | Subsidies (MS) |
| 7 | CHBW | Change in borrowing (value) (MS) |
| 8 | INV | Gross investment |
| 9 | CHK2 | Change in current assets (value) (MS) |
| 10 | K1 | Value of physical assets (MS) |
| 11 | K2 | Value of current assets (MS) |
| 12 | K3-IN | Value of input inventories (K3IMED) |
| 13 | K3-OUT | Value of output inventories (K3FINISH) |
| 14 | BW | Level of borrowing (debt) (MS) |
| 15 | NW | Net worth (MS) |
| 16 | TOT | Total value |
| Table name: |  | YEARLY ${ }^{\text {GOVORNMENT }}$ |
|  |  | Variables on public finance |
| Colon | Variable | Description |
| no | name |  |
| 1 | LG | Government employment (MS) |
| 2 | WG | Wage level (MS) |
| 3 | DWG | Annual change in government wages (MS) |
| 4 | WSG | Total wage bill (MS) |
| 5 | PURCHG | Government consumption (MS) |
| 6 | TRANS | Transfer payments (MS) |
| 7 | SUBS | Subsidies (MS) |
| 8 | SPG | Total spending |
| 9 | INVG | Gross government investment (MS) |
| 10 | ITAX | Income taxes (MS) |
| 11 | WTAX | Wage tax (MS) |
| 12 | VATAX | Value added tax (MS) |
| 13 | CTAX | Corporate tax (MS) |
| 14 | INCOME | Total income |
| 15 | INTPAY | Interest payments (INTPAYG) |
| 16 | SURPLUS | Surplus (or deficit) (SURPLUSG) |


| Table name: | YEARLY BANK TRANSACTIONS |  |
| :--- | :--- | :--- |
|  |  | Variables on the bank transactions |
| Colon | Variable | Description |
| no | name |  |
| 1 | INTF | Interest payments by firms |
| 2 | INTK2 | Interest payments for current assets (paid to firms) |
| 3 | INTH | Interest payments to/from households |
| 4 | INTG | Interest payments to/from government |
| 5 | INTGFOR | Government interest payments to foreigners |
| 6 | CHBW | Change in borrowing (value) |
| 7 | CHK2 | Change in firms' current assets (value) |
| 8 | SAVH | Households' savings |
| 9 | CHDEPG | Change in government's position (MS) |
| 10 | CHDEPGF | Change in government's position (foreign accounts) |
| 11 | EXPORT | Exports (MS) |
| 12 | FASSPAY | Payments of foreign trade credits (MS) |
| 13 | IMPORT | Imports (MS) |
| 14 | FDPAY | Payments of foreign trade debts (MS) |
| 15 | CHNBW | Change in net borrowing (value) |
|  |  |  |
|  |  |  |
| Table name: |  | YEARLY 4 BANK 4 POSITION |
|  |  | Variables on the bank position |
| Colon | Variable | Description |
| no | name |  |
| 1 | BW | Total borrowing (from the bank) |
| 2 | K2 | Firms' current assets held in the bank (MS) |
| 3 | HH | Households' deposits |
| 4 | G | Government deposits |
| 5 | LIQB | Bank's holding of "liquidity" (MS) |
| 6 | LIQBFOR | Bank's holding of foreign "liquidity" (MS) |
| 7 | FASS | Foreign trade credit (MS) |
| 8 | FD | Foreign trade debts (MS) |
| 9 | FNASS | FASS-FD |
| 10 | NETFOR | Net foreign position |
| 11 | NW | Bank's net worth (NWB) |
| 12 | GFOR | Government's foreign assets (POSGFOR) |
|  |  |  |

Table name：YEARLY』COUNTRY』TOTAL
Some national statistics

| Colon | Variable |
| :--- | :--- |
| no | name |
| 1 | GNPFIX |
| 2 | GNPCUR |
| 3 | MONEY |
| 4 | VEL |
| 5 | RI |
| 6 | PRINT |
| 7 | CHLIQB |
| 8 | CHINV |
| 9 | CHDIV |
| 10 | CHKIN |
| 11 | TOT |


| Table | name： | YEARLY』PRICES Price statistics |
| :---: | :---: | :---: |
| Colon | Variable | Description |
| no | name |  |
| 1 | QPDOM 1 | Level of domestic prices of raw materials（MS） |
| 2 | QPDOM 2 | Same，intermediate goods（MS） |
| 3 | QPDOM 3 | Same，investment and durable goods（MS） |
| 4 | QPDOM 4 | Same，non－durable goods（MS） |
| 5 | QPFOR 1 | Level of foreign prices of raw materials（MS） |
| 6 | QPFOR 2 | Same，intermediate goods（MS） |
| 7 | QPFOR 3 | Same，investment and durable goods（MS） |
| 8 | QPFOR 4 | Same，non－durable goods（MS） |
| 9 | W 1 | Wages in raw materials sector |
| 10 | W 2 | Same，intermediate goods sector |
| 11 | W 3 | Same，investment and durable goods sector |
| 12 | W 4 | Same，non－durable goods sector |
| 13 | M 1 | Profit margins in raw materials sector（MS） |
| 14 | M 2 | Same，intermediate goods sector（MS） |
| 15 | M 3 | Same，investment and durable goods sector（MS） |
| 16 | M 4 | Same，non－durable goods sector（MS） |
| 17 | RR 1 | Rate of returns in raw materials sector（MS） |
| 18 | M 2 | Same，intermediate goods sector（MS） |
| 19 | M 3 | Same，investment and durable goods sector（MS） |
| 20 | M 4 | Same，non－durable goods sector（MS） |


| Table name: |  | YEARLY $\triangle$ FOREIGN」TRADE Foreign trade statistics |
| :---: | :---: | :---: |
| Colon | Variable | Description |
| no |  |  |
| 1 | X 1 | Export share in raw materials (MS) |
| 2 | X 2 | Same, intermediate goods (MS) |
| 3 | X 3 | Same, investment and durable goods (MS) |
| 4 | X 4 | Same, non-durable goods (MS) |
| 6 | X 5 | Average export share |
| 7 | IMP 1 | Export share in raw materials (MS) |
| 8 | IMP 2 | Same, intermediate goods (MS) |
| 9 | IMP 3 | Same, investment and durable goods (MS) |
| 10 | IMP 4 | Same, non-durable goods (MS) |
| 11 | IMP 5 | Average import share |
| Table name: |  | YEARLY 4 HOUSEHOLDS |
|  |  | Household statistics |
| Colon <br> no | Variable | Description |
|  | name |  |
| 1 | DDI | Annual change in disposable income (MS) |
| 2 | SP 1 | Share of raw materials consumption in disposable income |
| 3 | SP 2 | Share of intermediate goods consumption in disposable income |
| 4 | SP 3 | Share of durable goods consumption in disposable income |
| 5 | SP 4 | Share of non-durable goods consumption in disposable income |
| 6 | SP 5 | Share of A/F/F products consumption in disposable income |
| 7 | SP 6 | Share of mining consumption in disposable income |
| 8 | SP 7 | Share of oil consumption in disposable income |
| 9 | SP 8 | Share of building consumption in disposable income |
| 10 | SP 9 | Share of electricity/gas/water consumption in disposable income |
| 11 | SP 10 | Share of services consumption in disposable income |
| 12 | SAVH | Share of savings in disposable income |
| 13 | DCPI | Annual change in consumer price index |
| 14 | PURCH | Total purchasing (value) |
| 15 | SAVH | Total savings (value) |


| Table name: |  | YEARLYAMARKET1 <br> Production statistics of raw materials sector |
| :---: | :---: | :---: |
|  |  |  |
| Colon | Variable | Description |
| no name |  |  |
| 1-16 same as in YEARLYAINDUSTRY 4 TOTAL |  |  |
| 17 | QPDOM | Domestic price level (MS) |
| 18 | QPFOR | Foreign price level (MS) |
| Table name: |  | YEARLY ${ }^{\text {MARKET2 }}$ |
|  |  | Production statistics of intermediate goods sector |
|  |  | [Same as YEARLYAMARKET1] |
| Table name: |  | YEARLY $\triangle$ MARKET3 |
|  |  | Production statistics of investment and durable goods sector |
|  |  | [Same as Yearlyamarketi] |
| Table mame: |  | YEARLY 4 MARKET4 |
|  |  | Production statistics of nun-durable goods sector |
|  |  | [Same as YEARLYAMARKET1] |


| Table name: | YEARLY $\triangle$ FINANCE1 |
| :---: | :---: |
|  | Financial statistics of raw materials sector |
|  | [Same as YEARLY $\triangle$ FINANCE table] |
| Table name: | YEARLY $\triangle$ FINANCE2 |
|  | Financial statistics of intermediate goods sector |
|  | [Same as YEARLY ${ }^{\text {FINANCE table] }}$ |
| Table name: | YEARLY 4 FINANCE3 |
|  | Financial statistics of investment and durable goods sector |
|  | [Same as YEARLYAFINANCE table] |
| Table name: | YEARLY $\triangle$ FINANCE4 |
|  | Financial statistics of non-durable goods sector |
|  | [Same as YEARLYAFINANCE table] |

In Version 2.0, following tables are also prepared.

| Table name: |  | YEARLY 4 RATES |
| :---: | :---: | :---: |
|  |  | Exchange rate and interest rate data |
| Colon | Variable | Description |
| no | name |  |
| 1 | XRATE | Exchange rate (MS) |
| 2 | RI LEND | Interest rate (credits) (MS) |
| 3 | RI DEP | Interest rate (deposits) |
| 4 | RIDIFF | Interest rate differential (RI DEP/RI LEND) |
| 5 | RFUND1 | A coefficient used in the CREDIT $\triangle$ MARKET function (MS) |
| 6 | RFUND2 | A coefficient used in the CREDIT $\triangle$ MARKET function (MS) |
| Table name: |  | YEARLY 4 EXPECTATIONS |
|  |  | Data on manufacturing firms' expectations |
| Colon | Variable | Description |
| no | name |  |
| 1 | EXPDS | Expected annual change in sales (MS) |
| 2 | DS | Actual change in sales (MS) |
| 3 | HIGH S | Percentage of firms that overestimated sales growth |
| 4 | LOW S | Percentage of firms that underestimated sales growth |
| 5 | EXPDP | Expected annual change in prices (MS) |
| 6 | DP | Actual change in prices (MS) |
| 7 | HilGH P | Percentage of firms that overestimated price increase |
| 8 | LOW P | Percentage of firms that underestimated price increase |
| 9 | EXPDW | Expected annual change in wages (MS) |
| 10 | DW | Actual change in wages (MS) |
| 11 | HIGH W | Percentage of firms that overestimated wage increase |
| 12 | LOW W | Percentage of firms that underestimated wage increase |

Moreover, there are two tables called ED^NULLIFIED and ED $\triangle$ PARAMETERS. The form of these two tables are different from those of others. They contain data on the nullified firms, and the simulation parameters, respectively.

The user could add more tables to this standard (default) output by calling any one of the following functions by the MSTARTxx function.

```
Y&R&MARKET^F
Y&R&MARKET}\triangle
Y&R&INDUSTRY }\Delta\textrm{F
Y}\DeltaR\triangleINDUSTRY & Q
scale Y\triangleR\Delta|IRM firmcode
scale Y&R\DeltaFIRM\Q firmcode
scale Y&R\FIRM\F firmcode
scale Y\DeltaR&FIRMA FINANCE firmcode
NEW\triangleFIRM
NEW\triangleFIRM\triangleQ
NEW }\triangleFIRM\triangle
NEW\triangleIFIRM\triangleFINANCE
INITIAL\triangleNEWAFIRMS
variable SAVED AINAY tablename
variable SAVED \triangleIN \triangleQ tablename
```

 for each sector that contain the following variables.

| Table name | Variables in the table |
| :---: | :---: |
| YEARLY 4 MARKET 4 F | DIV (dividends) |
|  | INV (investment level) |
|  | NW (net worth) |
|  | DNW (annual change in net worth) |
|  | DBW (annual change in borrowing) |
|  | RR (rate of return) |
|  | K1 (value of physical assets) |
|  | VA (value added) |
|  | RWCIF (profitability) |
| YEARLY 4 MARKET 40 | L (employment level) |
|  | DS (annual change in sales) |
|  | DQ (annual change in production) |
|  | DW (annual change in wages) |
|  | M (profit margin) |
|  | XS (export share) |
|  | MKTSHIND (market share index) |

When one of the firm level data storage functions (Y $\wedge$ R $\triangle$ FIRM, $\mathrm{Y} \wedge \mathrm{R} \wedge$ FIRM $\wedge \mathrm{F}, \mathrm{Y} \wedge \mathrm{R} \wedge$ FIRM $\wedge \mathrm{Q}$, and $\mathrm{Y} \wedge$ R $\wedge$ FIRM $\wedge$ FINANCE) are used, a new table for each firm is created. The name of the table is formed as follows.

## YEARLY $\wedge$ functionname $\Delta c 1 \underline{X} c 2$

where functionname is the last part of the function that create the table (e.g., if the table is created by the Y $\wedge$ R $\wedge$ FIRM function, "FIRM" is the functionname and $c 1$ and $c 2$ are the integer and decimal parts of the firm code. For example, the function

100 Y $\Delta$ R $\Delta$ FIRM 4 F 3.16
will create a table for the firm 3.16 with the following name:

## YEARLYAFIRM4FA3X16

New firm functions (NEW $\Delta$ FIRM, NEW $\triangle$ FIRM $\triangle$ F, NEW $\triangle$ FIRM $\wedge$ Q, and NEW $\triangle$ FIRM\&FINANCE) activate the corresponding firm level data storage functions for all new firms. If these functions are used for long run simulations with a large number of new firms (entries), memory requirements may grow substantially. Therefore, it is recommended not to use these "NEWムFIRM" functions unless it is absolutely necessary. The variables stored in these tables at the firm-level are the same as the corresponding industry tables shown before.

The name of the table created by the initialanew 4 FIRMS is FIRMCHARC, and it contains the data about the initial characteristics of new firms.

Names of all these tables will be added to the variable, allereports. Names of those tables created by the SAVEDAINAY and SAVED $\triangle I^{\prime} \angle Q$ functions are not added to the ALLREPORTS variable.

The output tables are in the form of a $(\mathrm{T}+1) \mathrm{xV}$ matrix where T is the duration of simulation in years (i.e., the number of annual data for each variable), and $V$ the number of variables in the table. The first row contains variable names as shown above. Thus, for example, the first ten years of the QTOP series for the second sector can be shown by typing

YEARLY $\triangle$ MARKET2 $[1+\hat{2} \mathbf{2} ; \mathbf{1}]$ RETURN
where $\hat{\imath}$ is the APL indexing character entered by Shift-I.
Tables created by the SAVED $\triangle I N \angle Y$ and SAVED $\triangle I N \angle Q$ functions are in the form of a $(\mathrm{T}+1)$ element vector. The first element of the vector contains the variable name. Note that when a cross-sectional variable is saved, the elements of this vector are also in the vector form.

For example, assume that the following line is added into the MSTARTxx function to store time-series data of all firms' potential output, QTOP.

## QTOP SAVEDAINムY 'QTOPムSERIES'

The QTOP\&SERIES table will be a $\mathrm{T}+1$ element vector. Each element of this table, $Q_{t}, 1<t$, will be an $N_{t i}$ element vector where $t$ and i denote time and the number of firms at time $t$, respectively.

Three functions are available for printing the data tables: SPRINT, PPRINT, and FPRINT. SPRINT shows tables on the screen, PPRINT sends them to a printer, and FPRINT creates a text file that contains those tables.

To show any table(s) on the screen, type

## SPRINT tablename RETURN

Note that tablename should be in the form of a text vector (for a single table) or a text matrix (for many tables) whose rows contain table names. Therefore, when a single table is to be shown on the screen, the name should be in single quotation marks. For example, to show ED-PARAMETERS on the screen, type

## SPRINTI 'EDAPARAMIETERS' RETURN

To show all tables whose names are in the Alle type

## SPRINT ALLREPORTS RETURN

To show the first and sixth tables of the ALLREPORTS variable (i.e., YEARLY $\triangle$ INDUSTRY 4 TOTAL and YEARLY 4 FINANCE tables), type

SPRINT ALLREPORTS[16;] RETURN
The PPRINT and FPRINT functions are used similarly. When these two functions are used, the user is asked to supply the print width in
number of columns, a printer name (for the PPRINT function), and a file name (for the FPRINT function). (The maximum print width for the HP LaserJet printer is 91. )

| Printer names currently supported are as follows. |  |
| :--- | :--- |
| Name | Printer |
|  |  |
| STD | ASCII or standard APL printer |
| EPSON | Epson FX printers |
| HPLJ | HP LaserJet printer |
| PROPRINTER | IBM Proprinter |
| TOSHIBA | Toshiba 351P with APL font cartridge |

File names should be in accordance with the Xenix file name conventions. Recall that small and capital letters are considered different in the Xenix operating system. Therefore, if you want to use small letters, type Ctrl-O to switch the keyboard to ASCII mode. Type CtrleN to go back to the APL mode.

For those tables that are not in the form of standard tables and all other types of variables, the function FILEAOF can be used to create a copy of the variable in a text file. This function can be used as follows.

## FILLEAOF variablename RETURN

Similarly, any variable can be manually printed by using those functions in the PRT workspace. For this purpose, copy the PRT workspace into the active workspace, turn the printer on, print the variable, and turn the printer off as follows.

## )COPY PRT RETURN

)PRTONAHPLJ RETURN [for other types of printers, use the appropriate function]

## )PRT variablename RETURN

)PRTOFF RETURN
The file created by the FPRINT and FILEAOF functions is a text
(ASCII) file, and can be accessed by the Xenix text editor, "vi". This file can also be copied into any DOS-based media (hard diskette or floppy diskette) by the Xenix's "doscp" command, and can be accessed by any popular DOS-based program such as WordPerfect, $\mathrm{T}^{3}$, Lotus, etc.

The MOSES.GRAPH workspace contains various graphics functions. These graphics functions can be accessed by copying the MOSES.GRAPH workspace into the active workspace. To do this, first, type
)COPY MIOSES.GRAPH RETURN
After copying the MOSES.GRAPH workspace, the PLOT, CHART, BARCHART, and PIECHART functions can be used. For example, to use the PIECHART function, type

## PIECHART RETURN

When the graphics functions are invoked, a full-screen input menu which is self-explanatory appears. On-line help is also available for these functions. After filling out the required sections of this full-screen input menu, type F10 or RETURN key to show the chart. To go back to the menu, type RETURN or any one of the function keys.

In the menu of those charts, you can enter any valid APL expression for the X and Y values to be plotted. (Remember to press CtrlN if you want to input APL symbols.) For example, to draw a chart of total GNP in current prices, enter the following expression in any one of the data lines:

YEARLY $\triangle$ GNPCUR $\triangle$ PROD $[1+i T ; 1]$
where T is the time period. The number after the semi-colon (;) denotes the position of the variable in the table. In this case, total GNP is the first variable in the YEARLY $\wedge$ GNPCUR $\triangle$ PROD table.

The CHART, PIECHART, and BARCHART functions can also be used to plot or to print the graphics of variables. Use the $\mathbf{F 5}$ key after the expressions are filled out on the menu. You will be asked to select between a plotter and a printer. Press $\mathbf{P}$ for plotter, and $\mathbf{R}$ for printer. (The default plotter and printer are HP plotter and HP laserjet printer,
respectively, using the first parallel port. Those options can be changed by editing the script /usr/bin/apl. See Section 4 for details.) If you use a plotter, you may be asked to change the paper.

The plot function does not use graphics facilities. It is based on Dyalog-APL's full-screen applications of the []SM and []SR functions. The plot that is shown on the screen can also be saved as a $25 \times 80$ text matrix.

Another graphics function, sHowfun, shows an animated time series chart of the production functions of industries or firms. The output tables should be available for this function. This function is used as follows.

SHOWFUN 'firmcode' RETURN
For the manufacturing industry, and the raw materials, intermediate goods, capital goods, and consumer goods sectors, enter $0,1,2,3$, and 4 , respectively, for the firmcode. (Those graphics functions are explained in detail in Appendix C.)

The CHART, PIECHART, and BARCHART functions use the SCO CGI Graphics Run-Time System, and are written by modifying some graphics functions supplied in the CGIDEMO workspace of the Dyalog-APL interpreter.

The SCO Graphics ${ }^{\text {TM }}$ 1.0 Run-Time System (by The Santa Cruz Operation, Inc.) has some known bugs and omissions. A list of those problems are stated in the variable CGIBUGS which is contained in the cGidemo workspace. To read this variable, type

## )COPY CGIDEMO RETURN

CGIBIUGS RETURN
There is also another list in the "Release and Installation Notes" of the SCO Graphics ${ }^{\text {TM }}$ package. The most important problem of the Graphics Run-Time System is the fact that the computer may be locked during graphics applications without any apparent reason. Although the graphics functions are modified so that almost all sources of problems are checked by the function before using the CGI auxiliary processor, this
problem may still persist to some extent. Therefore the user is strongly recommended to save the active workspace before using the graphics functions.

If the computer is locked, turn it off, wait a few seconds, and turn it on. Since the system is not properly shut down in this case, the root file system should be cleaned before login into your account.

### 1.6 PREPARING A NEW DATASET AND ADDING FIRMS INTO EXISTING DATASETS

### 1.6.1 Preparing a new dataset

A new dataset can be generated by three methods.
First, a "synthetic" dataset can be produced by a simulation experiment. For this purpose, simulate the model by using any one of the modification functions, and use the SAVEAOUTPUT function to create the new dataset. The SAVEAOUTPUT function saves the active workspace and deletes all variables and functions which are not required in a mOSES dataset. You can use this dataset for further experiments.

Second, you can add new variables or firms into one of the datasets. If a new variable is added to the dataset, the name of the variable should be added to VARIABLE^NAMES or PARAMETER』NAMES variables in the MOSES $\triangle$ PC workspace. These variables contain the names of variables in the dataset used in some functions. If the added variable is a firm-level variable, an appropriate line should be added into NULLIFY, FIRMENTRY2, FIRMENTRY $\triangle$ PC and MERGE 4 WITH functions in the MOSES.PC workspace.

Third, a completely new dataset can be generated by using new micro and macro data. See Section 3 for this procedure.

### 1.6.2 Entering new (real) firms into existing datasets

Real firms can also be entered into the model in any year by using functions saved in the MOSES.FUNEXP workspace. Although macroconsistency is affected in this case, if the size of new firms is small relative to the economy, this may not be a serious problem. To enter new real firms, a variable called REAL\&FIRM\&DATA should be prepared. This variable can easily be prepared by using the REALADATA」ENTRY function. To do so, first load the MOSES.FUNEXP workspace by typing
) LOAD MOSES.FUNEXP RETURN
when you are in APL.(*)
Then type

## REAL $\triangle$ DATA $\triangle$ ENTIRY

This function will ask you to enter following firm data. (Enter the values in millions of SEK, and ratios as percentages. For example enter 10 for $10 \%$.)

```
YEAR
SECTOR NUMBER
DESIRED K2/SALES RATIO
VALUE OF A21
VALUE OF A22
MARKET VALUE OF PHYSICAL ASSETS
BOOK VALUE OF PHYSICAL ASSETS
VALUE OF CURRENT ASSETS
TOTAL DEBT
TOTAL INVESTMENT IN THIS YEAR
TOTAL INVESTMENT IN LAST YEAR
DOMESTIC SALES IN THIS YEAR
DOMESTIC SALES IN LAST YEAR
FOREIGN SALES IN THIS YEAR
FOREIGN SALES IN LAST YEAR
INCREASE IN PRODUCTION VOLUME THIS YEAR (PERCENT)
TOTAL WAGE BILL THIS YEAR
TOTAL WAGE BILL LAST YEAR
NUMBER OF EMPLOYEES IN THIS YEAR
NUMBER OF EMPLOYEES IN LAST YEAR
VALUE OF TOTAL INPUTS (RAW MATERIALS, SERVICES,
    ETC.) THIS YEAR
VALUE OF TOTAL INPUTS (RAW MATERIALS, SERVICES,
    ETC.) PAST YEAR
EXPECTED VALUE OF SALES IN NEXT YEAR
EXPECTED INCREASE IN PRODUCTION VOLUME IN NEXT
    YEAR (PERCENT)
EXPECTED INCREASE IN OUTPUT PRICES IN NEXT YEAR
    (PERCENT)
CURRENT INPUT INVENTORIES / SALES RATIO
DESIRED INPUT INVENTORIES / SALES RATIO
CURRENT OUTPUT INVENTORIES / SALES RATIO
DESIRED OUTPUT INVENTORIES / SALES RATIO
The REAL&DATA^ENTRY function creates the REALAFIRMADATA
```

variable if it does not exist. Otherwise, it adds new firm data into that variable. The REALAFIRMADATA variable is a $q^{*}$ f matrix where $q$ is the

[^3]number of data-elements (i.e., number of questions), and $f$ is the number of firms. In other words, each column of this variable contains data of a specific firm.

To enter any firm whose data are saved in the REALAFIRMADATA variable, copy the REALAFIRM $\triangle$ DATA variable to the dataset workspace to be changed, and type

## REALAFIRM』ENTRY columnnumbers

where columnnumbers refer to the REALAFIRMADATA variable. For example, if you type

## REALAFIRMAENTRY 125

the first, second, and fifth firms of the REALAFIRM\&DATA variable will be added to the current dataset. The REALFFIRM\&ENTRY function, after preparing the dataset, prints the firm codes of these firms and asks if you want to compare these firms with their sector averages. If you enter these firms for the first time, compare them with sector averages to check for data consistency and typing errors.

### 1.6.3 Forming new firms by mergers

New firms can be formed by merging two existing firms during a simulation experiment. For this purpose, use the MERGE $\triangle$ WITH function as follows.

## firmcodel MERGE $\triangle$ WITH firmcode 2 conv eff period

where firmcode1 and firmcode 2 are firm codes of the firms to be merged, conv is the converge factor of the new firm's TEC variable to the TEC variable of the firm that has higher technological level (if cons is equal to 1 , linear convergence, 2 quadratic converge, etc.), eff is the "efficiency" of converge in the TEC variable, and period is the time period of convergence in quarters. Unit variables are added, and fractional variables are weighted by appropriate weights to determine the new firm's variables. The TEC variable of the new firm initially is equal to the weighted average of both firms and gradually increases up to the level
eff* $\max \left(\mathrm{TEC}_{1}, \mathrm{TEC}_{2}\right)$ within period quarters by the convergence factor, conv.

This function should be used in the YEAR function before the line, YEARLYAINIT

### 1.7 ON-LINE REPORTING

During a simulation experiment, quarterly manufacturing output is displayed on the screen. This default option is allowed by the PREPAINITAGRAPH function used in the RUNEXP function. Any other variable can be displayed during the simulation by modifying the command line for this function (see Section 1.4 for editing the model functions.)

There are two alternatives to this default on-line reporting. In the first case, some basic quarterly data for each manufacturing sector (production plans, actual production, exports, etc.) can be printed on the screen. When the version 1.0 is used, this option is turned on by adding a line TRACE1 to the modification function, MSTARTxx, to execute the TRACE1 function, and to turn the graphics functions off (see Section 1.4). Use TRACE2 function to get the same on-line reporting for version 1.1. (For version 2.0, you should modify TRACE2 function appropriately.)

In the second case, an animated presentation of a firm's search for quarterly output and employment targets is shown for each quarter. You can also modify the firm's output and employment targets graphically.

This option is allowed by using TARG $\triangle$ SEARCH $\triangle$ FUNCTION instead of using TARG $\triangle$ SEARCH (versions 1.0 and 1.1) or TARG $\triangle$ SEARCH 4 PC (version 2.0) functions in the PRODPLAN function. The $\Delta F$ variable contains the firm code whose target search is to be displayed. Define the $\Delta \mathrm{F}$ variable in your modification function as follows.

## $\Delta \mathbf{F}+$ 'firmcode'

If the $\Delta \mathrm{F}$ variable is not defined, you will be asked to enter the firm code at the beginning of the simulation. (When you use this option, delete the line in RUNEXP function that invokes the PREP $\triangle$ INIT 4 GRAPH function.)

If this option is used, a chart will be displayed on the screen. The firm code, the time period for planning, the current profit target, the planned levels of output and labor, and the production function of the firm are shown on this chart. There will be explanations of the search
procedure in the top-left corner of the chart. Press RETURN key or any one of the function keys to proceed. When the search procedure is complete, a pointing hand will be shown under the planned level of labor. If you do not want to change the planned levels, press the RETURN key to proceed. If you want to change them, use the cursor keys to move the pointing hand. (Press the F10 key to increase the cursor steps, and F9 key to decrease.) The level of output and labor at the tip of the pointing finger will be simultaneously shown on the screen. Press F1 key to change the planned level of output and labor, and press the RETURN key not to change them.

## 1．8 MODEL VERSIONS

This section explains the MOSES ${ }^{\text {PC }}$ versions and compares simulation results of each version．If you are not interested in technical differences between model versions，you may want to read only the last section， ＂Comparing model versions＂．

As of May 1991，there are three versions of the MOSES ${ }^{\mathrm{PC}}$ model： 1．0，1．1，and 2．0．

## 1．8．1 Versions 1.0 and 1.1

The PC Version 1.0 is identical to the model version which was transferred from the DEC－10 mainframe computer to a PC．（The mainframe version was then called 7．2）．This version includes modifications made by PERMANENT\＆CHANGES and MOSESムVARIANTS functions（MC，285， $286{ }^{(*)}$ ）．Although the PRICE」CHANGES in the MOSES」VARIANTS function seems to be turned on in the Moses Code（MC，286），it was off in the program．

This version has been used for most of the experiments on the mainframe computers（the PRIME computer at the Stockholm School of Economics，DEC－10 in QZ Center，Stockholm，and DEC－20 in Bergen， Norway）．Since the APL interpreters installed in these computers use different initial seed numbers for the pseudo－random number generators， and，presumably，different formulas，the results of the PC computer may differ somewhat from those of the mainframe computers．However，the PRIME computer and the PC have identical pseudo－random number generators，and their results are exactly the same．

The PC Version 1.1 is similar to the Version 1.0 but it also includes the changes made by the PRICE」CHANGES function in the
＊）References are either to＂The MOSES Technical Specification Code＂or＂The MOSES APL Program Code＂in Albrecht et al．（MOSES Code，Stockholm：IUI 1989）， pp．147－220 and 245－354，respectively．
mosesavariants function. Note that since permanentachanges and mOSESAVARIANTS functions are explained in detail in the IUI Research Report No. 36, MOSES Code, 1989, the modifications of these functions were incorporated into the PC model to reduce simulation time. Thus, the program does not execute these functions at the beginning of each simulation. ${ }^{*}$ )

### 1.8.2 Version 2.0

Using the model, a number of "bugs" have been found in this specification. Version 2.0 rectifies those problems. The most important changes in version 2.0 involve the price mechanism, credit market, labor market, and entry/exit functions.

The modifications in the Version 2.0 are as follows.

### 1.8.2.1 Changes in price specifications

Price adjustment specifications are considerably changed in Version 2.0. During the autumn of 1986 the domestic price mechanism in MOSES was reprogrammed to appropriately account for the price and size of imports (MC, 228). However, some of the specifications related to prices were not modified in these changes. Before explaining new changes, basic price variables need to be explained.

QPFOR is foreign prices (before trade margins). QPDOM is the consumer price of goods supplied by domestic producers. It includes the value added tax (VAT). PT is the average price of domestic goods. In other words,

PT $=\left(\mathrm{QPDOM}^{*}(1-\mathrm{IMP})\right)+\left(\left(\mathrm{QPFOR}^{*} \mathrm{IMP}\right) /(1-\mathrm{TXVA} 2)\right)$,
where IMP is the import share, and TXVA2 is the VAT including trade margins. (The VAT for producers, TXVA1, is set to zero.)

A firms's average price is the weighted average of its domestic and foreign sales.

[^4]```
\(\mathrm{QP}=\left(\mathrm{QPDOM}[\mathrm{MARKET}]^{*}(1-\mathrm{TXVA} 2)^{*}(1-\mathrm{X})\right)+\left(\mathrm{X}^{*} \mathrm{QPFOR}[\right.\) MARKET \(\left.]\right)\)
```

Now, the changes can be summarized as follows.

1) As specified in Line 238 of the VERSION20 function ${ }^{(*)}$, the new FINALQPQSQMAPC function uses average domestic prices, PT, for input goods in the calculation of net sales and value added (see Lines 8 and 9 of the FINALQPQSQMAPC function). The previous function, FINALOPQSQM (MC, 330), uses domestic prices of domestic producers, QPDOM.
2) The new QUARTERLY $\triangle$ EXP $\lrcorner$ PC function uses average domestic prices in the calculation of expected input prices (see Lines 14-16 of the QUARTERLY $\triangle$ EXP $\Delta P C$ function). The previous function, QUARTERLY $\triangle E X P$ (MC, 312), uses QPDOM.
3) The new DOMESTIC $\triangle M A R K E T\lrcorner P C$ function uses a number of new ...PC functions instead of ...NEWP functions.
4) The MARKET $\triangle E N T R A N C E \angle P C$ function limits the difference between preliminary prices, QPRELPDOM, and last quarter's prices.
5) The MARKET $\triangle$ CONFRONT $\Delta P C$ function changes government spending specification. In the previous specification of the MARKET $\triangle$ CONFRONTANEWP function (MC, 324), government spending is kept equal to government wage payments. In this case, the share of government expenditures in current GNP declines sharply. In the new specification, government spending plus government wage payments increase at the quarterly rate of DPURCHG, corrected by the ratio (tax income - deficit) / tax income.
6) The ADJUST $\triangle$ PRICES $\triangleleft$ PC function makes adjustments to domestic prices as a function of excess demand. The previous ADJUSTAPRICES $\wedge$ NEWP function (MC, 326) makes adjustments to domestic prices a fixed amount if there is an excess demand (or supply).
7) The COMPUTE $\triangle$ IMPORTS $\triangle$ PC function calculates the share of imports, IMP. The previous COMPUTE $\operatorname{IMPORTS} \wedge$ NEWP function does not

[^5]change the IMP variable, and it remains as a "desired" share of imports. This causes problems in the calculation of domestic prices since the IMP variable is used as the weight for foreign prices.
8) The DOMESTIC $\triangle$ RESULT $\triangle P C$ function changes the QDPDOM equation. In the DOMESTICARESULTANEWP function, this equation computes erroneous domestic prices. (In that formulation, the average prices could be higher or lower than its components.)
9) Line 243 of the VERSION20 function defines the AGGPROF variable which is used in the determination of interest rate.
10) Line 244 values input goods inventories at the average domestic prices. The previous function uses domestic producers' domestic prices (MC, 331).
11) Line 245 changes QVATAX $A$ IMP definition so that customs duties ("the value added tax" for foreign goods) are included in government income.
12) Line 246 values the input goods purchases of the external sectors at average domestic prices. The previous function uses only domestic producers' domestic prices (MC, 328).
13) Line 247 uses average domestic prices in the calculation of the rate of change in capital goods prices. The previous function uses domestic producers' domestic prices for this purpose (MC, 331).

### 1.8.2.2 Credit market changes

There are some significant modifications made in Version 2.0 regarding the determination of interest rates. Lines $110-150$ of the VERSION20 function modify the code and set new parameters used in the new specifications. In the previous versions (MC, 188), the change in the interest rate was determined as QCHRI $=$ LAMDA1 * (QDEMFUNDQSUPFUND)/OSUPFUND where LAMDA1 is a constant. This specification is problematic on two counts. First, the change in interest rate depends only on the level of current excess demand. Second, the interest rate is the only
variable that is used to adjust demand and supply of funds. The major changes in interest rate specification in the CREDIT\&MARKETAPC function are as follows.

1) The "desired" change in the interest rate is determined by the excess demand for funds, and the level of net debt to banks. This new specification takes into consideration the fact that an increase in the rate of interest will also increase the supply of funds. Then the actual change in the interest rate is found by a smoothing function that puts a limit on the quarterly change in the rate of interest.
2) The difference between lending and borrowing rates (IDIFF) is endogenous in the new specification. It increases when there is excess demand for funds.
3) The coefficients that determine the credit supply as a the proportion of the bank's liquid assets (RFUND1 and RFUND2) are also endogenous in the new specification. If, for example, there is excess supply of funds in the last three quarters and the average rate of return in the industry is somewhat higher than the current rate of interest, then the bank tightens the credit supply by increasing RFUND1 and/or RFUND2.

Government spending and monetary policy are found to be critical for the interest rate determination. Therefore, a number of changes have also been made in government accounting by using a new function, GOVERNMENT $\triangle A C C O U N T I N G \triangle P C$. In the previous specification, GOVERNMENTAACCOUNTING, (MC, 332) the change in the government's position in the bank is defined as income + (new) money supply spending. New money supply then is equal to the money stock (total deposits in the bank including government's deposits) times the quarterly change in current GNP. In other words, it is intended to make new money supply proportional to current GNP. However, the money stock also grows endogenously by households' and firms' deposits and the newly issued money makes the money stock grow exponentially.

In the new government accounting, the rules that govern money
supply are rather complicated. First, the "estimated" money supply is found as reserve money times quarterly growth in current GNP. Then, if government income is higher than spending, i.e., if there is a surplus, the money supply is reduced by the amount of surplus, because the government surplus has the same effect as money supply. The "estimated" change in the government position in the bank is found by using this level of money supply. There are limits to the share of government's borrowing from the bank, and the share of government in total deposits. Within these limits, the final level of change in the government's position in the bank is determined. The actual money supply is then determined by the difference between the change in the government's position in the bank and its surplus. This specification, hence, takes into consideration funds available in the bank. If the government has a high share in total debts, it tends to print money. Otherwise, it tends to use bank resources instead of printing more money.

### 1.8.2.3 Labor market changes

The following changes have been made in the labor market functions. Line 72 of the VERSION20 function changes the required change in the labor force specification in the LABOR $\quad$ SEARCHAINPUT function (MC, 321). In the previous specification, a firm that experienced a negative change in its profit margin determines its labor force requirement according to the optimum use of its labor force. This, however, implies an inconsistency between the firms' production planning and its labor search procedures. This special treatment of firms with declining profit margins has been eliminated in the new specification

Line 76 changes the firms' probability to be attacked in the labor market. In the previous specification (MC, 321), the probability to be attacked depended only on the relative size of each firm. In the new specification, it also depends on firms' relative wage rate. Those firms that pay lower wages are more likely to be attacked in the labor market.

Lines 167-174 put a limit on maximum changes in the wage rate. It
is determined by the expected net prices and profit margin targets.
20. Lines 210-216 allow workers to quit their jobs depending on their current wage rate, and the unemployment rate (see the QUITS function).

### 1.8.2.4 Changes in entry/exit functions

Lines 84-91 of the VERSION20 function add new specifications for nullified firms. In the previous versions, nullified firms simply "evaporate" after leaving their labor unemployed. In this version, the capital equipment, and input and output inventories of nullified firms are sold in the markets, debts to the bank are paid, and remaining income, if positive, is paid to the households.

Lines 92-108 add some specifications for new firms. In the previous versions, new firms come from nowhere. Nobody pays for their initial capital equipment and inventories. In the new version, they raise their capital from households. They buy new capital equipment and input goods inventories in the first quarter, and start production in the second quarter. At the first quarter, they do not carry any debt from banks.

In accordance with this new specification, the borrowing specification in the INVFIN function has also been modified. In the previous case (MC, 182, 331), a firm with zero borrowing never wanted to borrow! Moreover, the money allocated for new investments was a residual fund from the total quarterly cash flow. In the new specification, firms determine their cash requirements (for new investments, current assets, etc.), and their desired borrowing is the difference between net cash flows and requirements.

### 1.8.2.5 Other changes

1) Line 9 specifies the number of real firms in the model by the variable N॰REAL॰FIRMS. This variable is used in the AVG」TOP function.
2) A new table (YEARLY EXPECTATIONS) that stores information about firms' expectations is created in Line 13 of the VERSION20 function (see function code below). There are 12 columns in the

YEARLYAEXPECTATIONS variable. The first column of this variable contains the (weighted) average of the expected growth in sales, the second column the (weighted) average of the actual growth in sales, the third column the percentage of firms that overestimated sales growth, and the fourth column the percentage of firms that underestimated sales growth. Column 5-8 and 9-12 similarly contains information on expected changes in prices and wages, respectively.
3) Lines 19-24 prepare new exogenous foreign prices for the 1982 datasets. Lines 28-41 change some parameters that seem to produce better long-term results. These parameters and foreign prices were used in MSTART functions in most of the previous experiments.
4) Line 48 modifies the SOLVE function ( $\mathrm{MC}, 316$ ) so that the planned level of employment will be equal to, or larger than 0.1 . This was used in most of the previous experiments in mSTART functions. This ensures a positive planned level of employment. (Even though we have had no problem with negative employment levels for any firm in a large number of 20 years simulations we have chosen to introduce this modification.)
5) Lines 52-56 set the MTEC values for each sector to $10 \%$ higher than the maximum TEC level in that sector for the 1976 and 1982 datasets. These changes ensure that the best available technology is better than all currently employed technologies, as implied by the definitions of these variables. However, in the initialization process of both the 1976 and the 1982 datasets, the MTEC variable was calculated as the weighted average of the TEC values (see the SECONDARY DATA function, MC, 275). Note that the technological level (labor productivity) of new investments is equal to the MTEC value (MC, 153). Thus, when the MTEC values are equal to the industry average, the technological level of better firms declines when they invest in versions 1.0 and 1.1.
6) Line 61 changes the specification of the BAD variable. In the previous specification (MC, 288), a firm is nullified when it has negative
net worth in any six quarters during a simulation experiment. The new specification nullifies those firms that have negative net worth in any six quarters in a row.
7) Lines $65-68$ introduce a new target search function (TARG $\stackrel{\text { SEARCH }}{ }$ PCC) instead of the TARG $\quad$ SEARCH function, and set new parameters used by this function. There are three major differences between these functions. First, the new function turns on the SOLVE - MONEY function that ascertains that no step in SEARCH leads to less expected profits in money terms than in the position before (MC, 159). Second, the old function nullifies those firms that cannot satisfy profit margin targets (MC, 315, line 67). However, the new function enables those firms to revise their profit margins. If their expected profit margins are higher than the revised margin which is equal to (LOW\&TARGET * targeted profit margin), then they are not nullified. Third, those firms that are on the production frontier, and that are capable of producing more at higher monetary profits, reduce their profit margin targets.

There is also another function, TARG $\operatorname{SEARCH} 4$ SHOW, which is similar to the TARG $\operatorname{sEARCH} \Delta \mathrm{PC}$ function. The only difference between these functions is that the TARGsEARCH\&SHOW function shows on the screen the planning procedure of a firm with explanatory notes. In other words, it shows graphically the planning process of a firm as specified by the model in TARG $\operatorname{SEARCH} \bullet$ PC function. The user is recommended to use this option to understand the model's planning procedures. You can also change manually the employment and output plans of that firm. (For details, see Section 1.7.)
8) Line 76 ensures that money spent for new investments is nonnegative. (Probably as a result of a typing error, a firm had a negative value in the 1982 dataset.)
9) Line 82 changes the optimum sale units in a quarter (OOPTSU) in the PLANQREVISE function. The previous specification (MC, 166) has two problems: First, it uses the тMIMSTO parameter for the adjustment of
finished goods inventories instead of the correct one, the TMSTO variable. (TMIMSTO is the adjustment parameter for input goods inventories. See MC, 165.) Second, the QOPTSU may become higher than available output goods, $\mathrm{QQ}+$ STO. The new specification simply divides available output goods into two groups, optimum sales (QOPTSU), and output stocks depending on the level of expected sales, QEXPSU, and optimum stock level adjusted by the TMSTO parameter.
10) Lines $152-165$ make the exchange rate endogenous. It is determined by the net export ratio. The value of foreign assets and liabilities are modified in accordance with exchange rate changes. Exchange rate changes also affect foreign prices via the parameter XRPEFF, which should be less than one.
11) Lines 177-186 add additional specifications for sales, wage rate, and price expectations. Sales expectations are adjusted according to new investment, and exchange rate changes. Wage rate expectations are adjusted according to new labor requirements and the level of unemployment. The expected change in any variable is constrained to be higher than $-50 \%$ and lower than $100 \%$.
12) Lines 188-192 change profit margin targeting. The LOWATARGET parameter is introduced and set to 0 (see parameter definitions below). The YEARLY 4 TARG and TARGM functions are changed so that profit margin targets are to be non-negative.
13) Lines 194-208 change the production frontier specifications. In the previous specification (MC 153, 313), any new investment has three components: one goes to increase productive capacity (QCHOTOP1), one increases the "slack" (QCHOTOP2), and the last part is "lost". The lost part of the investment is determined by the LOSS and RESMAX parameters, and the initial level of slack, RES. Therefore, for example, an average firm with initial slack of $10 \%$, wastes $5 \%$ of its new investment capacity. $81 \%$ of the new investment goes to productive capacity, and $14 \%$ to the slack variable (under current values of LOSS and RESMAX parameters). Thus, with the
new investment, the level of slack increases for all firms, and investment efficiency declines. The new specification eliminates the lost component. Moreover, the INVEFF variable is redefined in physical terms, and is allowed to increase quarterly by the factor QDINVEFF.
14) Lines 217-229 introduce a new function, OBSOLETE K. This new function makes part of capital equipment obsolete. Firms may eliminate the portion of their capital equipment that is not likely to be used in the future. However, the obsolescence of capital equipment does not affect the slope of the production function (see the OBSOLETE K function).
15) Line 233 changes the household spending function so that households' spending is affected by the real rate of interest. (The effect, however, is rather small. The alfa3 parameter determines its impact.)
16) Line 259 changes the BETA2 parameter to be compatible with the I-O table.
17) Lines 262-266 introduce a limit to the quarterly real growth rate.
18) Lines $269-274$ redefine the growth of public employment in relative terms and set a new variable for the exogenous growth of public employment.
19) Lines 276-285 define the investment composition parameters (OMEGAs) in real terms.

### 1.8.3 New parameters and variables introduced in Version 2.0

CHRFUND1 Change in the RFUND1 variable. Used in the CREDIT MARKET PC function.

CHRFUND2 Change in the RFUND1 variable. Used in the CREDIT MARKET PC function.

DPURCHG Quarterly increase in government expenditures (spending plus wage payments). Used in the MARKET CONFRONT PC function.

ENTRY SPECS Specifications for new firms. This is a three-element
vector. The first element defines average size of the new firms, and the second and third elements define the relative efficiency of new firms in TEC and RES variables. (For example, if the second element of the ENTRYASPECS parameter is .05 , then new firms' TEC value will be $5 \%$ higher than the average.) Used in the ENTER NEWFIRMS function.

GBRWRAT Maximum share of government in total debt. Used in the GOVERNMENT ACCOUNTING PC function.

GDEPRAT Maximum share of government in total deposits. Used in the GOVERNMENT ACCOUNTING PC function.

INTDIFF The interest rate differential between lending and borrowing. Used in the CREDIT MARKET PC function.
IOTALOW Reduction in the initial wage offer. Used in the LABOR SEARCH INPUT function.

LOW TARGET The amount of decline in profit margin target if no satisfactory plan is found. Used in the TARG SEARCH PC and TARG SEARCH SHOW functions.

LOWER MHIST The amount of decline in the firm's profit margin history. Used in the TARG SEARCH PC and TARG SEARCH SHOW functions.

MAXCHIDIFF Maximum change in the INTDIFF variable. Used in the CREDIT MARKET PC function.

MAXEXPDP Maximum annual change in expected prices. Used in the MDIFY $\triangle E X P$ function.

MAXEXPDS Maximum annual change in expected sales. Used in the MDIFY $\operatorname{EXP}$ function.

MAXEXPDW Maximum annual change in expected wages. Used in the MDIFY $\triangle$ EXP function.

MAXIDIFF Maximum level of the INTDIFF variable. Used in the CREDIT MARKET PC function.

MAXQCXRATE Maximum quarterly change in the exchange rate. Used in the BANK UPDATE function.
MAXQDSUFOR Maximum quarterly increase in volume of exports. Used in the EXPORTMARKETS function.

MAXRFUND1 Maximum level of change the RFUND1 variable. Used in the CREDIT MARKET PC function.

MAXRFUND2 Maximum level of change the RFUND2 variable. Used in the CREDIT MARKET PC function.

MAXWCOEFF Maximum wage change coefficient. Used in the TARG SEARCH PC and TARG SEARCH SHOW functions.

MINEXPDP Minimum annual change in expected prices. Used in the MDIFY $\triangle E X P$ function.

MINEXPDS Minimum annual change in expected sales. Used in the MDIFY $\triangle E X P$ function.

MINEXPDW Minimum annual change in expected wages. Used in the MDIFY $\triangle$ EXP function.

MINIDIFF Minimum level of the INTDIFF variable. Used in the CREDIT MARKET PC function.

MINRFUND1 Minimum level of change in the RFUND1 variable. Used in the CREDIT MARKET PC function.
MINRFUND2 Minimum level of change in the RFUND2 variable. Used in the CREDIT MARKET PC function.

N 4 REALAFIRMS Number of real firms. Used in the AVG」TOP function.

NEWFUND The share of household savings that can be used to finance the formation of new firms. Used in the START ENTRY PC function.

NORMRU Reference rate of unemployment. Used in the QUIT function.
OBSRATE The coefficient for obsolescence. Used in the OBSOLETE K function.

## PARAMETER $\triangle$ NAMES A vector of parameter names.

QDINVEFF A four-element vector. Each element defines the quarterly change in investment efficiency in each sector. Used in the PRODFRONT function.

QINVBLDREAL Quarterly volume of investment in building and construction.

QINVGREAL Quarterly volume of public investment.
QINVINREAL Quarterly volume of investment in nonmanufacturing sectors.

QSUFOROLD Exports volume of each sector in the last quarter. Used in the EXPORTSAMARKET function.

QUITCOEFF Quit coefficient. Used in the QuIT function.
RWEXP Weighing coefficient for internal and external wage expectations. Used in the YEARLY\&EXP function.

VARIABLE $\triangle$ NAMES A vector of model variables' names.
XRATECOEFF Exchange rate coefficient. Used in the BANK UPDATE function.

XRPEFF Exchange rate price effect coefficient. Used in the EXPORT MARKETS function.

### 1.8.4 Comparing model versions

The results of all versions are shown in Figures 1.1-1.7. Version 2.1 refers to version 2.0 with calibrated parameters. The same exogenous foreign prices were used in all experiments. The MSTART19 function was used for versions 1.0 and 1.1, and the MSTART900 function (that contains calibrated parameters) for version 2.1.

Figure 1.1 shows the level of GDP. GDP did not grow at the first ten years of the simulation in version 1.1, although it started to accelerate in the early 1990s. Other versions exhibit similar growth characteristics until the mid 1990s. Then the model economy stopped growing in version 1.0 . The second version exhibited relatively smooth growth rates (around
$3.7 \%$ per year).
Manufacturing labor productivity is shown in Figure 1.2. Versions 2 exhibited considerably higher labor productivity, especially in the second half of the simulation. This is partially a result of the specification of the MTEC variable. As shown in Figure 1.3, the labor productivity factor (the TEC variable) was much higher in versions 2 than versions 1 . Versions 1.0 and 1.1 have a very small increase in the TEC variable due to the erroneous initial level of the MTEC variable. Recall that in versions 2 , all firms increase their labor productivity factor by investment since the best practice technology embodied in investment has a higher technology factor. In versions 1, however, the labor productivity factor of the best practice technology (the MTEC variable in the model) is equal to sector averages for the initial year.

Figure 1.4 shows the "unemployment rates." All versions had a 9$10 \%$ "unemployment rate" at the end of simulations. Although these figures seem to be on the high side for Sweden, note that the "unemployment rate" in the model is calculated on the basis of hours worked. This means that decreases in working hours and increases in parttime employment are also reflected as an increase in the "unemployment rate."

The government share in current GNP is shown in Figure 1.5. It increases in version 2.1 in the 1980 s and remains almost constant aterwards. Version 2.0 has a fluctuating government share around $34 \%$. Versions 1.0 and 1.1 have almost symmetric changes. In version 1.1 it increases until 1992, then declines. The pattern is the opposite in version 1.0 where results are quite contrary to our expectations (a $5 \%$ points decline in five years in Sweden!). Note that the rate of increase in government spending is determined by the coefficient DPURCHG in versions 2.0 and 2.1. Therefore, the share of government in GNP can actually be controlled in those versions.

Figure 1.6 shows the changes in the velocity of money (current GDP
/ deposits in the bank). In versions 2, it fluctuates around 1.15 while the amplitude of fluctuations is higher for version 2.0. In versions 1, it declines almost continuously from 1.35 to .95 . This difference between versions 1 and 2 is due to changes in the GOVERNMENTA-ACCOUNTING function (see Section 1.8.2.2).

The rate of interest is shown in Figure 1.7. It was exogenously determined in versions 1.0 and 1.1. (If endogenously determined in this version, it would rapidly increase or decrease until it reaches the limits, to stay there.) Although the rate of interest increases in version 2.1 in the 1990s, it declines to $9-10 \%$ in the 2000 s (not shown in this figure).

Figure 1.1 GDP level (1982 prices)


Figure 1.2 Labor productivity in manufacturing


Figure 1.3 Average labor productivity factor (The average of the TEC variable)


Figure 1.4 Unemployment rate


Figure 1.5 Government's share in GDP (Based on current prices)


Figure 1.6 Velocity of money


Figure 1.7 Rates of interest


SECTIION 2

INITIALIZATION

### 2.1 INITIALIZATION PROCEDURE

The micro-to-macro simulation model MOSES simulates the economy quarter by quarter from a given starting year. Before one can start a simulation of the model economy, one has to initialize a large number of variables.
"Initialization" means that three kinds of variables are prepared for the model.

1) Micro and macro variables needed to start up the model (initial endogenous variables).
2) Exogenous variables for the simulation period.
3) Certain constants, some of which are parameters affecting the behavior of firms, households and market mechanisms.

The initialization program, MOSES.INT, converts raw micro and macro data to variables that are used in the model. A schematic overview of the initialization procedure is shown in Figure 2.1.

Figure 2.1 The initialization procedure


The raw macro and micro data are saved in the MACxx and MICxx workspaces, respectively, where $x x$ is the base year. There are currently two sets of data: one for 1976 (MAC76 and MIC76) and the other for 1982 (MAC82 and MIC82).The initialization program, MOSES.INTT, retrieves these workspaces, and converts them into a form that can be used by the MOSES model by using the help functions in the FUNCTI workspace and initialization modification function ISTARTyy in the ISTART workspace. The OUTPUT\&OPERATIONS function of the MOSES.INIT workspace deletes all functions and variables that are not specified in any one of the variable name lists of the VLISTS workspace. The name of the final model dataset will be R19xx.yy, where $x x$ is the dataset year, and $y y$ is the initialization modification number.

If one wants to generate a dataset for other years or other countries, the MACxx and MICxx raw datasets should be prepared. These workspaces are explained in detail in Part 2 of MOSES Handbook ${ }^{(*)}$, (Bergholm 1989: 45-213), and Chapter II of MOSES Code (Albrecht et al. 1989: 67-132). The user is referred to these publications. MOSES Handbook includes a complete initialization code and the list of macro and micro variables that are used in the MACxx and MICxx workspaces. Note, however, that there are some minor changes made for the PC version of the model as explained in Appendix E.

[^6]
### 2.2 USING THE MOSES.INIT WORKSPACE

To use the initialization program, load the MOSES.INIT workspace when you are in the Xenix operating system by typing
\# apl MOSES.INIT RETURN
or, if you are in APL already, by typing

## ) LOAD MOSES.INIT RETURN

where ")" is the right parenthesis entered by typing Shift-" when the keyboard is in the APL mode.

Then, the following menu will appear on the screen.


The cursor can be moved by pressing TAB (downward) or Shift-TAB (upward) keys. After changing default values on the menu as desired, the simulation is started by pressing F1 key when the cursor (the highlighted rectangular) is on "START INITIALIZATION".
"Macro-data" and "Micro-data" define the macro and micro-data workspaces. If you do not enter any name here, the default workspaces, MAC82 and MIC82 will be used. (The micro-datasets, MIC76 and MIC82, contain confidential firm data. Therefore, access to these workspaces is
restricted to authorized users, and these workspaces are not supplied with the MOSES model.)
"Simulation Period" is the number of years that the simulation will proceed. Note that although the MOSES ${ }^{\mathrm{PC}}$ model is actually a quarterly model, the simulation period should be specified in years. The initialization program prepares exogenous variables for the number of years as specified by this option.
"Modification Version" determines which ISTART function to be used to modify the initialization code. In the MOSES.INIT program, each initialization is carried out by making changes in the original code by using one of the modification functions in the ISTART workspace. This allows you to keep the program in its original form. The ISTARTxx functions contain modifications for specific initialization variants. ISTARTxx functions are executed at the beginning of an initialization. If you want the initialization code without any modifications, enter zero for this variable.
"Print I-O Table $(\mathrm{y} / \mathrm{n})$ ?" question allows the user to print out the I-O table of the final dataset, on the screen during the initialization procedure.

Pressing F1 key when the cursor is on the "Exit to Xenix" allows the user to exit from the model. To continue to use the model, the user should start by typing "apl MOSES.INIT" at the Xenix prompt.

The initialization takes at most a couple of minutes depending on the number of firms. During the initialization process, some variables are printed out on the screen. If you enter "y" for "Print I-O Table (y/n)?", then the I-O table of the dataset prepared by the initialization program is also printed out on the screen. Note, however, that when the I-O table is shown on the screen, the execution of the program is temporarily suspended. You have to press RETURN key to proceed.

At the end of the initialization program, the following message is shown.

INITIALIZATION COMPLETED
WORKSPACE NAME IS R19XX.YY
PLEASE DO NOT FORGET TO SAVE THE WORKSPACE

As stated in this message, the workspace is not automatically saved at the end of initialization process, and you have to save if for further use by typing
) SAVE RETURN

## SECTION 3

CALIBRATIION

### 3.1 ANALYZING MODEL'S STRUCTURE

Calibration, sensitivity, linearity

The MOSES model consists of a large number of non-linear equations that, given a set of parameters, convert a set of exogenous variables and the initial values of endogenous variables into a future series of endogenous variables (see Figure 3.1).

Figure 3.1 The simulation model


Notation: $\quad y_{0}$ : endogenous variables vector at the base year
$\mathrm{x}_{0}$ : exogenous variables vector
B: parameter vector
$y_{i}$ : endogenous variables at time $t$
$\mathbf{M}($.$) : a set of model equations$

The model, i.e., the set of equations $\mathrm{M}($.$) , is so complex that even$ those who have the complete model code cannot foresee the impact of changes in initial conditions, $\left\{y_{0}, x_{0}, B\right\}$, on output, $\left\{y_{t}\right\}$, without simulating the model. The complexity of the model may also make understanding of the dynamics of the model difficult, as well as its representation of economic relations.

Figure 3.2 MOSES.CALIB tools


The MOSES.CALIB workspace contains various functions for the analysis of the model's structure. Figure 3.2 summarizes the tools that are available in the MOSES.CALIB workspace.

The major use of the MOSES.CALIB workspace is for data fitting, i.e., to determine the values of a set of parameters ${ }^{(*)}$ that generates the best fit for a series of endogenous variables. In the calibration case, the problem is to determine the values of parameters that generate the best fit for a set of observed endogenous variables for a certain time period. In
*) There is computationally no difference between the parameters of the model and the exogenous variables. Therefore, hereafter, we use the term "parameter" in a broad sense including all variables whose values are constant during a simulation experiment.
the policy experiment case, the problem is to determine the values of some exogenous (policy) variables (for example, the quarterly increase in government spending), that come as close to a certain target variable (for example, zero unemployment rate) as you specify, provided it is feasible. Note that there is no technical difference between the calibration procedure and making policy experiments. The calibration procedure is explained in detail in the following sections.

Although there are a large number of parameters in the model, some of them exert little influence on the model's endogenous variables that are considered as "important". (Only manufacturing sectors are explicitly modeled on the basis of micro data in MOSES. Therefore, for example, the simulated growth rates of manufacturing output may be regarded more important than those of other sectors.) It is important to determine "key" parameters that have significant effects on certain endogenous variables. The "Global Random Search" option of the MOSES.CALIB program can be used for this purpose as explained in Sections 3.2 and 3.4.

Sensitivity analysis is used to examine the effects of minor changes in initial conditions and stochastic factors on simulation results. It is normally preferred to have a "robust" model which is not very sensitive to minor changes in initial conditions. Otherwise, it may be difficult to evaluate simulation results because initial variables inevitably have a noise component..$^{(*)}$ The model's sensitivity to small variations in parameters values and stochastic factors are analyzed in Section 3.4.

Finally, the MOSES.CALIB workspace allows the user to apply Zellner and Peck's (1973) relative symmetry and linearity measures (see

[^7]also Kuh, Neese and Hollinger, 1985: 110-113). Zellner-Peck measures are used
to determine the extent to which induced changes in the model's endogenous variables are symmetric and/or linear. Symmetry is of interest for its own sake while finding of linearity of near-linearity may be useful in efforts to simplify the model's structure. Also, since the effects of both relatively small and large changes are reported, we gain information on both the local and global properties of the model. (Zellner and Peck, 1973: 152, quoted by Kuh, Neese, and Hollinger, 1985: 110)

The symmetry and linearity measures are summarized in Section 3.3 and results of an experiment are presented in Section 3.6.

### 3.2 CALIBRATION PROCEDURE

Thanks to improvements in information technology, large scale micro simulation models have been increasingly used in the last decades for economic analysis and policy simulations. A major problem of such complex models is the fact that the model specification includes a large number of unknown parameters. Parameter values have to be guesstimated since it is usually not possible to get their econometric estimates due to lack of necessary data. Thus, the "calibration" of large-scale micro simulation models is a problem that needs further research. This section presents a method used for the "calibration" of the MOSES model. ${ }^{\left({ }^{*}\right)}$

Calibration is used to estimate the parameter values in a predetermined set that "minimizes" the difference between simulation results and some choosen control variables, observed for the calibration period. This "minimization" problem can be summarized as follows.

The model can be thought of as a system of equations containing an r-element parameter vector, $P$, such that a vector of initial and exogenous variables, Z , produces a v-element vector of endogenous control variables $\mathrm{Y}^{\text {s }}$ (**).

$$
\mathrm{Y}^{\mathrm{s}}=\mathrm{M}(\mathrm{P} ; \mathrm{Z})
$$

Our purpose is to estimate the parameter vector, $P$, that makes the simulated control variables as close to their real values, $\mathrm{Y}^{\mathbf{r}}$, as possible. If the standard weighted sum-of-squared-errors criterion is used, then the objective function is
*) Eliasson and Olavi (1978) formulated a calibration procedure for the model in the early stages of the development of the MOSES model. However, it could not be implemented in practice because computers available in late 1970s were not fast enough to perform the calibration work at a reasonable cost. See also Klevmarken, 1978.
${ }^{* *}$ ) Note that $\mathrm{M}($.$) is a stochastic function of \mathrm{P}$ due to some stochastic variables in the model. Hence, the $Y^{\prime}$ is distributed by mean $Y^{\text {mean }}$ and standard deviation $\sigma_{r}$ If a short time period is used for the calibration procedure, $\sigma_{y}$ can be assumed to be zero since the stochastic variances in the model have significant effects only in the long run.

$$
\min _{P \epsilon S} d(P)=\Sigma_{t \epsilon T}\left(Y_{t}^{s}-Y_{t}^{T}\right)^{\prime} W\left(Y_{t}^{s}-Y_{t}^{T}\right),
$$

where $S$ is the predetermined parameter space, $T$ the time period for calibration, and W a diagonal weighing matrix. It is assumed that the parameter set $S$ contains the global minimum in its interior.

If the model could mimic exactly the real world, and the actual values of the exogenous variables could be same as those used in the model, then the minimum distance value, $\mathrm{d}^{\min }$ would be equal to zero. Since this is not the case, $\mathrm{d}^{\text {min }}>0$.

Recall that there are many non-linear and non-smooth functions in the model. $\mathrm{M}($.$) and, consequently, \mathrm{d}(\mathrm{P})$ are very complex systems of nonlinear functions. It is very difficult, if at all possible, to find the minimum distance value by conventional optimization methods (Fletcher, 1987). The $d(\mathbb{P})$ function may have many local minima and it is typically a function with a large number of parameters (in our case, more that 60 parameters). Thus the minimum of the $\mathrm{d}(\mathrm{P})$ function can only be searched by random search methods since, as Brooks (1958) stated, the number of experiments in these methods do not depend on the number of parameters and they are not usually restricted by the nature of the distance surface. ${ }^{(*)}$

Finding the "minimum" of the distance function is only one aspect of the calibration process. The model needs to be robust in the neighborhood of the selected parameter vector $P^{c}$, i.e., small variations in parameter values should not have significant effects on system's propeties. In other words,

$$
|\mathrm{d}(\mathrm{P})-\mathrm{d}(\mathrm{P}+\delta)| \leq \epsilon,
$$

where $\delta$ is an r-element vector of variations, and $\epsilon$ a small number.
Finally, the model's long-run properties generated by the parameter

[^8]vector $\mathrm{P}^{\mathrm{c}}$ should be "reasonable". Hence we seek to establish convergence to a small region surrounding (in some sense) the candidates for the global minimum. The optimality region then is defined by
$$
S_{o}=\left\{P \mid P \in S, d(P)<d^{\min }+\epsilon\right\} \text {, where } \epsilon>0 .
$$

In other words, 1) the parameter vector $\mathrm{P}^{\mathrm{c}}$ does not need to be global minimum of the distance function but $d\left(P^{c}\right)$ should be a local minimum "close" enough to $\mathrm{d}^{\mathrm{min}} ; 2$ ) the model should be robust at the neighborhood of $d\left(\mathrm{P}^{\mathrm{c}}\right)$; and 3) the long-run properties of $\mathrm{P}^{\mathrm{c}}$ should be satisfactory. To determine the parameter vector $\mathrm{P}^{\mathrm{c}}$ a simple two-stage calibration procedure can be designed as follows.

## Stage 1. Globall search

At this stage n parameter vectors are randomly drawn from the parameter space, S , and the distance values for each parameter vector are found by simulation. The number of experiments is determined by two criteria.

1) $n \geq \log (1-s) / \log (1-b)$
where $b$ is a predetermined proportion of the parameter space that contains parameter combinations having lower distance values $\left(\mathrm{S}_{\mathrm{b}}\right)$, and s is the probability of at least one experiment choosen from the parameter sub-space $\mathrm{S}_{\mathrm{b}}$. For example, if we want to get at least one parameter vector drawn from the lowest $5 \%$ of the parameter space with $99 \%$ probability, then
$\mathrm{n} \geq \log (1-.99) / \log (1-.05) \approx 90$.
2) The cumulative distance distribution (CDD) of the sequence of experiments with randomly selected parameter vectors will converge to the population distribution as $n \rightarrow \infty$. Thus $n$ can be choosen so that additional experiments do not change the CDD to a significant extent.

By global search with n random parameter vectors, we can get
information about 1) the global minimum, 2) the shape of the distance surface, and 3) influential parameters.

There is a number of techniques, generaly based on de Haan's (1981) analysis of order statistics, for determining the confidence interval for the global minimum. (For an application of this method, see Veall, 1990.) Suppose
$\mathrm{d}^{\min }=\min \{\mathrm{d}(\mathrm{P}) \mid \mathrm{P} \in \mathrm{S}\}$
exists. Using a random sample of $P^{1}, P^{2}, \ldots P^{n}$ from a uniform distribution over $S$, a confidence interval at the $p$ significance level for $d^{\text {min }}$ (under mild conditions on $\mathrm{d}(.)^{(*)}$ ) can be constructed as follows.
$\left\{\mathrm{d}^{\mathrm{m}}, \mathrm{Y}^{1}\right\}$,
where $\mathrm{d}^{\mathrm{m}}=\left[\mathrm{Y}^{1}-\left(\mathrm{Y}^{2}-\mathrm{Y}^{1}\right) / \mathrm{p}^{-1 / \alpha}-1\right], \mathrm{Y}^{1}, \mathrm{Y}^{2}, \ldots, \mathrm{Y}^{\mathrm{n}}$ is the order statistic from $d\left(P^{1}\right), d\left(P^{2}\right), \ldots d\left(P^{n}\right)$, that is, $Y^{1} \leq Y^{2} \leq \ldots \leq Y^{n}$, $\alpha=\log (k) /\left[\log \left(Y^{k}-Y^{3}\right) /\left(\mathrm{Y}^{3}-\mathrm{Y}^{2}\right)\right]$, and k is any sequence of integer numbers depending on $n$ such that $k(n) \rightarrow \infty$ and $k(n) / n \rightarrow 0$ as $n \rightarrow \infty$. Note that $Y^{1}$ tends to $\mathrm{d}^{\text {min }}$ almost surely as $\mathrm{n} \rightarrow \infty$, and $\mathrm{d}^{\mathrm{m}}$ is a monotone decreasing function of $p$ such that $d^{m} \rightarrow-\infty$ as $p \rightarrow 1$.

This confidence interval can be used for testing the hypothesis that any given minimum is global. Since our purpose is to find a parameter vector in the optimality region only, the confidence interval can be used to assess the "closeness" of the distance value found at Stage 2 to the global minimum. ${ }^{(* *)}$

The CDD obtained in this stage gives an idea about the shape of the distance surface. A relatively smooth curve at low values may show that the model is not sensitive to small variations in parameter values (see Figures 3.3.)

Influential parameters can also be determined at this stage. Recall that parameter values are chosen randomly so that they are independently

[^9]distributed across experiments. Ignoring joint effects, we can estimate the distance values as an approximate function of each parameter separately. For example, regression analysis may be employed by using linear, quadratic and cubic functions of parameters as explanatory variables. The F-statistic of the regression may show the significance of that parameter.

## Stage 2. Local search

Local search is based on a method of random "hill-climbing" from an initial point. Direction of the next move is determined randomly. If the distance value decreases at the randomly selected direction, parameter values are changed accordingly. Otherwise, a new random direction is selected. This process is repeated until no further improvement in the distance value is obtained in a predetermined number of trials.

The algorithm we use is rather simple and can be summarized as follows.

Step 0.
Pick $\mathbb{P}^{0} \in \mathbb{S}$, set $\mathrm{k}=\mathrm{nf}=\mathrm{ns}=0$, fix $\mu_{\text {min }}, \mu_{-1}$, mf , ms , sr, si, con
k : iteration number
$\mathrm{P}^{\mathrm{k}}$ : parameter vector for $\mathrm{k}^{\text {th }}$ iteration
S: parameter space
nf : number of failures
ns : number of successes
$\mu_{\mathrm{k}}$ : "diameter" of random search space (step size). $\mathrm{P}^{\mathrm{k}}$ is the center point.
$\mu_{\text {min }}$ : minimum diameter
mf : number of failures before step size reduction ms : number of successes before step size increase sr : step size reduction factor
si : step size increase factor
con : convergence criterion

Step 1.
Set $\mu_{\mathrm{k}}=\left[\begin{array}{l}\mu_{\mathrm{k}-1} * \text { sr if } \mathrm{nf} \geq \mathrm{mf} \\ \mu_{\mathrm{k}-1} * \text { si } \text { if } \mathrm{ns} \geq \mathrm{ms} \\ \mu_{\mathrm{k}}\end{array}\right.$

Stop if $\mu_{\mathrm{k}} \leq \mu_{\text {min }}$. Set $\mathbf{P}^{\mathbf{c}}=\mathbf{P}^{\mathbf{k}}$.
Otherwise set $\mathrm{P}^{\mathbf{k}+1}=\operatorname{ran}\left(\mathrm{P}^{\mathbf{k}}+\mu_{\mathrm{k}}\right)$ where $\operatorname{ran}($.$) is a random$ vector on the "circle" defined by its center $\mathrm{P}^{k}$ and diameter $\mu_{\mathrm{k}}$.

## Step 2.



## Return to Step 1.

There are two alternatives for initial parameter vector, $\mathrm{P}^{0}: 1$ ) the parameter vector found at Stage 1 that has the lowest distance value, 2) the parameter vectors that is currently being used in the model. We prefer to use the second alternative because some of the parameters currently used may incorporate our a priori information about their values. Moreover, these parameters are known to have "reasonable" long-run properties and the model is not sensitive to small variations in these values.

If the random local search ends up with a high distance value compared to the "estimated" global minimum, repeat the search process either with a new initial parameter vector or use the same vector with longer step sizes.

Finally the long-run properties of the selected vector, $\mathrm{P}^{\mathrm{c}}$, should be tested. If it generates nonstable, chaotic results after the calibration period, we need to make another search. The sensitivity of the model is easy to check since at least nf number of experiments are done already in the
neighborhood of $\mathrm{P}^{c}$ during the local search.
We used only two parameters (the MAXDP and BETABW parameters) to visualize the search process and the shape of the distance space. By performing a complete grid search (total 122 experiments for 11 values of each parameter) the distance surface ${ }^{(*)}$ was found as in Figure 3.12. As can be seen in this figure, even with two parameters there may be many local mimima. (The global minimum is marked by a small square on the figure.) However the shape is rather smooth and mostly influenced by changes in the MAXDP parameter. The BETABW parameter seem to have less influence as also indicated by regression analysis in Section 3.4 (see Table 3.5).

The local search process which was started at the middle of the parameter space converged successfully to a local minimum which is very close to the global optimum. Note however that this may not be so in other cases since the starting point was in a relatively smooth valley in this experiment.
*) It is practically impossible to find global optimimum by grid search when the number of parameters is high. For example, if 11 values are tried for of each parameters, then $n^{11}$ experiments is needed for complete search. If it takes 10 minutes for each experiment as in the case of calibration procedure used in Section 3.4, calibration of 10 parameters takes almost 2 million years!

### 3.3 USING THE MOSES.CALIB WORKSPACE

The calibration functions are stored in the APL workspace MOSES.CALIB (for the code, see Appendix H). Before running the calibration procedure, you should create two matrix variables in the workspace DATA. The first matrix variable (the control variables matrix) contains data about the control variables, and it should be a $(t+2)^{*} n$ matrix where $t$ is the number of years, and $n$ the number of variables. The first row of the control variable matrix contains the names of control variables, and the second row contains the variable weights that are to be used in calculating the distance between the simulation results and the control variables. Note that the variable names should be the same as those used in the model. Other rows contain the observed values of control variables for each year. For example, the following matrix contains data about the rate of interest (RI), the rate of unemployment (RU), and annual industrial output growth rates (DPROD) for 1983-1986. The weights of the RI and RU variables are higher than that of the DPROD variable. Note that the sum of weights does not need to be equal to one in this matrix. Weights are recalculated by the program.

Table 3.1 Control variables matrix

| RI | RU | DPROD | - Control variable name |
| ---: | ---: | ---: | :--- |
| 2 | 2 | 1 | - Variable weight |
| .1085 | .035 | .04 | - Variable values |
| .1177 | .031 | .08 | - |
| .1385 | .028 | .02 | - |
| .1015 | .027 | .00 | - |

The second matrix variable (the parameter matrix) contains some information about parameters to be calibrated (or policy variables to be found). It is a $6^{*} \mathrm{~m}$ matrix where m denotes the number of parameters. Parameter names should be in the first row, the maximum and minimum permissible values for the parameters in the second and third rows,
respectively, the starting parameter values in the fourth row, the step size in the fifth row, and a value for the initial search direction in the sixth row. If you want to start the iterative, stepwise search upward (downward), enter a positive (negative) value for this row.

Table 3.2 Parameter matrix

| ALFABW | BETABW | CHRFUND1 | - Parameter name |
| :---: | :---: | :---: | :---: |
| . 056 | 1.35 | . 03 | - Maximum parameter value |
| . 0 | . 25 | . 0 | - Minimum parameter value |
| . 025 | . 855 | . 005 | - Starting parameter value |
| . 003 | . 055 | . 002 | - Step-size |
| 1 | 1 | 1 | - Initial search direction for iterative search (positive to increase, and negative to decrease the parameter values in the first iteration) |



After preparing these two matrix variables in the DATA workspace, ${ }^{*}$ " load the MOSES.CALIB workspace by typing

## ) LOAD MOSES.CALIIB RETURN

When the MOSES.CALIB is loaded, the MOSES-PC CALIBRATION menu will appear.
"Experiment Name" defines the workspace name. If you do not enter any name here, the default name, DELETE.ME, is used.
"Initial Year" means the starting point of the simulation experiment, i.e., the initial dataset year. The simulation commences the first quarter after the "initial year". (As of May 1, 1991, there are only two datasets. In this case this variable should be either 1976 or 1982.)

The next variable on this line shows the version of data year. For the time being, there is only one version of the 1976 dataset (version 5), and six versions of the 1982 dataset (versions $89,91,92,93,94$, and 98 ).
"Start Entry in" enables the endogenous firm entry after the first quarter of the specified time. It should be at least one year after the initial simulation period. (In other words, if you use a 1982 dataset, start entry can start ini 1984.)
"Average Number of New Firms" specifies the entry feature of MOSES (the AMAXENT variable in the STARTAENT2 function). It is equal to the maximum possible number of new firms in each industry in each year when the average industry profitability is equal to unity. The number of new firms is a probabilistic linear function of average industry profitability. If you do not want to use the firm entry option, enter zero for this variable.
"Variable Matrix" and "Parameter Matrix" are as explained above. The default variable matrix, DATA, contains observed data for five variables for 1983-1988. (The control variables in this matrix are the

[^10]interest rate, the annual growth rates of manufacturing employment, output and prices, and annual growth rates of GDP.) The default parameter matrix, PARA, is the variable used in Section 3.4. Both matrices are saved in the DATA workspace, and can be modified for a specific calibration exercise. (For these matrices, see Section 3.4.)
"Modification Number" determines which MSTART function will be used to modify the model. In the MOSES model, each experiment is carried out by making changes in the original model (changes in the behavioral equations, variables, etc.) by using one of the modification functions in the MSTART workspace. This allows you to keep the model in its original form. The MSTARTxx functions in which all changes connected with the specific experiment are defined modifies the original model at the beginning of the simulation. If you want to make experiments with the original model, enter zero for this variable.

There are three versions of the MOSES model available: 1.0, 1.1, and (the default) 2.0. (For details, see Section 1.8.)

Pressing F1 key when the cursor is on the "Exit to Xenix" allows the user to exit from the model.

When the experiment is started by pressing the F1 key when the cursor is on the "START CALIBRATION" option, the program asks some interactive questions about the search method. The first question is

```
CALIBRATION PROCEDURE
(Global random search / Local random search /
Iterative search / Seed number / Zellner's test)
```

Enter the first letter of the search method. (The default option is the global random search.) To choose the default option, press the RETURN key.

In the GLOBAL RANDOM SEARCH, the parameter values are chosen randomly by using a pseudo-random number generator within the range defined by the second and third rows of the parameter matrix (Table 3.2).

The step-size values defined in the fifth row of the parameter matrix is used in choosing parameter values, and the same parameter vector is not used twice. ${ }^{(*)}$ Therefore, if you want to obtain completely random parameter values, enter very small step sizes. If you want to perform a complete grid search for a few number of parameters, enter large step sizes.

If you choose global random search, the minimization criterion is asked:

MINIMIZE Squared / Absolute / Maximum Distance :

Enter the first letter of the distance criterion. (The default option is the squared distance.) The distance criteria are calculated as follows:

```
Squared Distance \(=\Sigma_{\mathrm{T}} \Sigma_{\mathrm{V}} \mathrm{w}_{\mathrm{v}}{ }^{*}\left(\mathrm{a}_{\mathrm{vt}}-\mathrm{s}_{\mathrm{vt}}\right)^{2}\),
Absolute Distance \(=\Sigma_{\mathrm{T}} \Sigma_{\mathrm{V}} \mathrm{w}_{\mathrm{v}}{ }^{*}\left|\mathrm{a}_{\mathrm{vt}}-\mathrm{s}_{\mathrm{vt}}\right|\),
Maximum Distance \(=\max \left(w_{v}{ }^{*}\left|a_{v t}-s_{v t}\right| ; v \in V, t \in T\right)\),
```

where $a_{v t}$ is the observed value of the $v^{t h}$ control variable at time $t$, $\mathrm{s}_{\mathrm{vt}}$ the simulated value of the same variable, $\mathrm{w}_{\mathrm{v}}$ the weight of the $\mathrm{v}^{\text {th }}$ variable, V the set of control variables, and T the time period.

Then, the program asks if you want to standardize the variables:

STANDARDIZE VARIABLES (No/Yes) :
"No" is the default option. If you enter "Yes", actual and simulated variables are standardized by the means and standard deviations of real variables before calculating the distance value. In other words, actual and

[^11]simulated variables are transformed in the following way.
$a_{v t}^{*}=\left(a_{v t}-a^{m}{ }_{v t}\right) / a_{v t}^{s}$, and
$s_{v t}^{*}=\left(s_{v t}-a^{m}{ }_{v t}\right) / a_{v t}^{s}$
where $\mathrm{a}^{\mathrm{m}}{ }_{\mathrm{vt}}$ and $\mathrm{a}_{\mathrm{vt}}$ are the mean value and the standard deviation of the control variable $a_{v}$. Standardization is advised when the control variables have different units of measure.

Then, the program asks three more questions.
MAXIMUM DEVIATION IN A YEAR (1) :
MAXIMUM ITERATION NUMBER (25) :
CHANGE THESE VALUES (NO/Yes) :

The model may generate erratic results for some parameter sets. In such a case, it is necessary to stop the simulation because, otherwise, the program may be halted. If the distance value exceeds the value of the MAXIMUM DEVIATION IN A YEAR, the program stops execution of the simulation for that parameter set. The maximum iteration number defines the number of parameter sets to be simulated. If your entries are correct, then answer No to the last question to proceed. If you want to change the values entered, answer Yes. In this case, the program will start with the question about the "calibration procedure."

The results of global random search are stored in the RESULTS and BESTTAB matrix variables. RESULTS is a $(\mathrm{n}+1)^{*}(\mathrm{p}+\mathrm{v}+2)$ matrix where n is the number of experiments, $p$ the number of parameters, and $v$ the number of control variables. The first row contains variable names. The first column shows experiment number. The next $p$ number of columns store parameter values of that experiment. Then the weighed average of the distance value, and distance values for each control variables are stored. BeStTAB is a $t^{*} v$ matrix where $t$ is the period of simulation in years. It stores the values of control variables for the experiment that have minimum (average) distance value.

If you choose LOCAL RANDOM SEARCH, the program executes a
local random search as summarized in the previous section. You will be asked to answer the following questions.
MINIMIZE Squared / Absolute /
Maximum distance
STANDARDIZE VARIABLES (No/Yes)
MAXIMUM DEVIATION IN A YEAR (1)
MAX NUMBER OF STEP REDUCTIONS (1)
:
\# FAILURES BEFORE A STEP (20)
\# SUCCESSES BEFOR \& STEP (20)
STEP SIZE REDUCTION FACTOR (.5)
STEP SIZE INCREASE FACTRO (1)
CONVERGENCE VALUE (0.01)
CHANGE THESE VALUES (No/Yes)

These variables are explained in the previous section. As in the case of global random search, results are saved in RESULTS and BESTTAB variables.

In the ITERATIVE SEARCH, the program starts with the initial parameter values as defined in the fourth row of the parameter matrix. Then the program changes the value of the first parameter by a step length which is defined in the fifth row until the "distance" increases. When the objective function cannot be decreased by changing the first parameter in either directions, or the maximum and minimum values are reached, the second parameter is changed. This stepwise procedure goes on until all parameters have been tried. You can try another iterative search by using those parameter values found in the first iteration.

The minimum number of iterations in this method is equal to $1+2 *$ number of parameters. A one year simulation takes about 90 seconds. In other words, an iteration in the calibration of the model for 1983-1988 (6 years) takes about 10 minutes. Therefore, this method is not recommended when there are many parameters to be calibrated.

When you choose the iterative search process, the following
questions will be asked.

```
MINIMIZE Squared / Absolute /
    Maximum distance
STANDARDIZE VARIABLES (No/Yes) :
CONVERGENCE VALUE (0.01) :
CHANGE THESE VALUES (No/Yes) :
```

The results of the iterative search are saved in the RESULTS variable.

If you choose the option SEED NUMBERS, the following questions will be asked.

```
MINIMIZE Squared / Absolute /
    Maximum distance
STANDARDIZE VARIABLES (No/Yes) :
MAXIMUM DEVIATION IN A YEAR (1) :
NUMBER OF EXPERIMENTS (25) :
CHANGE THESE VALUES (No/Yes) :
```

Answer these questions as explained before. In this case, n experiments will be performed with different initial seed numbers to examine the effects of stochastic effects on simulation results. Note that, in this case, the program does not use the parameter matrix you defined on the MOSES-PC CALIBRATION menu because parameter values are the same in all experiments. Experiment results are saved in the RESULTS variable.

If the option ZELLNER'S TEST is chosen, the following questions will be asked

```
NAME OF THE CONTROL VARIABLE
MAXIMUM CHANGE IN THE CONTROL VARIABLE (25%) :
NAMES OF THE TEST VARIABLES

In this option, neither control variables matrix nor parameter matrix (Tables 3.1 and 3.2) are used. (However, their names should be entered in the MOSES-PC CALIBRATION menu.) This option calculates Zellner-Peck symmetry and linearity statistics that measure the extent of departures from symmetry and linearity of test variables as a result of changes in the value of the control variable. You should enter only one variable (or parameter) name for the control variable since the program runs simulations for one variable at a time. However, you may enter as many test variables as you like since an increase in the number of test variables does not increase the number of experiments.

For the calculation of symmetry and linearity measures, the base run is obtained by running the model for the initial value of the control variable. Then four experiments are made by changing the control variable by the amount specified in the MAXIMUM CHANGE IN THE CONTROL variable. \({ }^{(*)}\) The symmetry and linearity statistics are calculated as follows (see Kuh, Neese and Hollinger, 1985: 110-113).

A deviation from the base run for a test variable \(y\) in time \(t\) is defined by
\(\delta_{t}^{\Delta}=y_{t}{ }^{\Delta}-y_{t}^{b}\)
where \(y_{t}^{b}\) is the value of \(y\) (the test variable) at time \(t\) for the base run and \(y_{t}{ }^{\wedge}\) is the value of \(y\) where the control variable was changed by \(\Delta\) units.

Deviation from symmetry is defined as
\(\boldsymbol{r}_{\mathrm{t}}=\left|\delta_{\mathrm{t}}{ }^{\Delta}+\delta_{\mathrm{t}}^{-\mathrm{A}}\right|\)
If \(y\) were perfectly symmetric with respect to changes in the control variable, \(\tau_{t}\) would be equal to zero.

The symmetry measure is the sum of deviations scaled by absolute

\footnotetext{
*) Denote the maximum change in the control variable by \(\Gamma^{\text {max }}\). Then experiments will be made by increasing the control variable \(\Gamma^{\max } \%\) and \(0.1^{*} \Gamma^{\max } \%\), and decreasing it with the same amount.
}
deviations as follows.
\(S Y M=\Sigma \tau / \Sigma\left(\left|\delta_{t}{ }^{*}\right|+\left|\delta_{t}^{-4}\right|\right) / 2\)
The symmetry measure, SYM, is constrained to be in the region \([0\), 2]. A value of SYM near zero indicates high symmetry in response to the test variable to changes in the control variable, and a larger value indicates less symmetry.

The linearity measure is defined similarly as the sum of deviation from linearity scaled by absolute deviations. Deviation from linearity is defined as follows.
\[
\theta_{t}=\delta_{t}^{10 \Delta}-10 \delta_{t}^{\Delta}
\]

Then the measure of linearity is
\(\operatorname{LIN}=\Sigma \Theta / \Sigma\left(\left|\delta_{t}{ }^{10 \Delta}\right|+\left|10 \delta_{t}{ }^{\Delta}\right|\right) / 2\)
Similarly, the linearity measure, LIN, is constrained in the region [ 0,2 ]. If the response of the test variable to changes in the control variable were perfectly linear, \(\mathrm{LIN}=0\).

The results of Zellner-Peck tests are saved in a variable called RESULTS. This is a vector variable that contains the symmetry and linearity measures for each test variables. (For the form of this variable, see Section 3.6.)

In a usual experiment, some messages about date, the model version, etc., are shown on the screen right before the beginning of the simulation. Then, the simulation is started. Depending on the method, some information about current iteration are shown on the screen.

The MOSES.CALIB workspace stores all initial variables in an external file called DELETE.CAL. If the procedure ends normally, this file is deleted from the hard disk. Since a calibration experiment can take a long time, you may want to stop the experiment to start it later. In this case, you have to untie the external file first. To do so, type
[]FUNTIE 1 RETURN
where [] is the APL character entered by Shift-L when the keyboard is in the APL mode. (If the keyboard is in the ASCII mode, type

Ctrl-N to switch back to the APL mode.) Then save the workspace and exit from the APL by typing
)SAVE RETURN
)OFF RETURN
When you want to continue the experiment, start the APL interpreter and load the experiment workspace. Then, tie the external file and continue the experiment by typing
'DIELETE.CAL' []IPTIE 1 RETURN
\(\rightarrow\) []LC RETURN
where \(\rightarrow\) is the APL character entered by Shift-].
When the simulation is not finished properly, the external file dELETE.CAL may not be deleted from the hard disk. In that case, a file tie error occurs in the SAVEADATA function. If you get the file tie error message, delete the external file DELETE.CAL and resume the simulation by typing
)DROP DIELETE.POL RETURN
\(\rightarrow\) []LC RETURN

\subsection*{3.4 PREPARATION OF THE SYNTHETIC DATABASE, R1990.10}

The synthetic database R1990.10 is prepared for external use of the model, since other datasets (R1976.5 and R1982.xx) contain confidential firm data. This dataset is prepared by running the model version 2.0 for eight years. R1982.91 is the initial dataset. Before the simulation experiment, the parameters were calibrated to get a good fit for certain exogenous variables for 1982-1988. (*) (The calibrated parameters are saved in MSTART900 function.) This section explains the calibration process of the synthetic database R1990.10.(*)

Before beginning the description of the calibration of the mOSES model, let us specify some notations. \(\mathrm{P}^{\text {max }}, \mathrm{P}^{\text {min }}\) and \(\mathrm{P}^{0}\) are the vectors of maximum, minimum, and initial parameter values, respectively. [ \(\left.\mathrm{P}^{\text {max }}, \mathrm{P}^{\min }\right]\) defines the parameter space. \(\mu_{-1}\) is the initial step size vector. There were 65 parameters to be calibrated. Rates of interest (RRI), annual growth rates of manufacturing employment, output, and prices (MEMP, MOUT, and MPRICE) and annual growth rate of GDP (GGDP) were used as control variables. \({ }^{(* *)}\) The DATA matrix is shown in Table 3.3.

To determine the cumulative distance distribution (CDD), 100 experiments were run by choosing parameters randomly within the range [ \(\mathrm{P}^{\text {max }}, \mathrm{P}^{\text {min }}\) ]. See Table 3.4 for the (inverted) PARA matrix. The CDDs for

\footnotetext{
*) The complete process described here took about 20 hours of CPU time. Since the model is installed in a PC computer and the calibration process needs almost no user interaction, it can be done in a day with almost no additional cost.
**) For the calibration process, the MSTART999 function was used to define control variables.
***) These variables were selected for calibration because of two reasons. First, in MOSES, only manufacturing sectors are modeled explicitly on the basis of micro data. Thus the model should have better results for manufacturing sectors. Second, the calibrated parameter set was prepared for a study by Carlsson and Taymaz (1991) on the role of technological progress and economic competence of manufacturing firms in economic growth.
}
the first 50 and 100 experiments are shown in Figure 3.3. There is no significant change in the frequency distributions between 50 and 100 experiments. The maximum and minimum distance values obtained in 100 experiments are .0259 and .0026 , respectively. The CDD figure reveals that the landscape defined by the distance values has a relatively flat surface. The distance value was within the range of \(.0026-.0100\) in almost \(70 \%\) of the experiments.

Table 3.3 The DATA matrix
\begin{tabular}{lclcl} 
RRI & MEMP & MOUT & MPRICE & GGDP \\
1 & 1 & 1 & 1 & 1 \\
0.109 & -0.033 & 0.052 & 0.113 & 0.024 \\
0.118 & 0.007 & 0.049 & 0.078 & 0.034 \\
0.139 & 0.001 & 0.028 & 0.056 & 0.023 \\
0.102 & -0.002 & 0 & 0.061 & 0.023 \\
0.092 & -0.001 & 0.027 & 0.037 & 0.029 \\
0.101 & -0.011 & 0.027 & 0.061 & 0.023
\end{tabular}

Table 3.4 The PARA matrix
\begin{tabular}{|c|c|c|c|c|c|}
\hline Parameter neme & Max value & Min value & Initial value & Step size & Direction \\
\hline ALFABL & 0.05625 & 0 & 0.0298 & 0.005625 & 1 \\
\hline BETABH & 1.35 & 0.25 & 0.885 & 0.11 & 1 \\
\hline CHRFUND 1 & 0.03 & 0 & 0.0183 & 0.003 & 1 \\
\hline CHRFUND2 & 0.03 & 0 & 0.0163 & 0.003 & 1 \\
\hline E1 & 0.2 & 0 & 0.1 & 0.02 & 1 \\
\hline FIP & 0.1538462 & 0 & 0.0871 & 0.01538462 & 1 \\
\hline FIS & 0.1538462 & 0 & 0.0697 & 0.01538462 & 1 \\
\hline FIW & 0.1538462 & 0 & 0.0807 & 0.01538462 & 1 \\
\hline GAMMA & 0.6 & 0 & 0.3106 & 0.06 & 1 \\
\hline GBRURAT & 1 & 0.25 & 0.68 & 0.075 & 1 \\
\hline GDEPRAT & 0.4 & 0 & 0.154 & 0.04 & 1 \\
\hline INTDIFF & 1.5 & 1 & 1.19 & 0.05 & 1 \\
\hline IOTA & 1 & 0.8 & 0.9 & 0.02 & 1 \\
\hline IOTALOW & 0.3 & 0 & 0.14 & 0.03 & 1 \\
\hline KSI & 0.3 & 0 & 0.15 & 0.03 & 1 \\
\hline LAMDA 1 & 1 & 0 & 0.588 & 0.1 & 1 \\
\hline LAMDA2 & 1 & 0 & 0.766 & 0.1 & 1 \\
\hline LONER MHIST & 1 & 0.6 & 0.77 & 0.04 & 1 \\
\hline MAXCHIDIFF & 0.01 & 0 & 0.005 & 0.001 & 1 \\
\hline MAXDP & 0.02 & 0 & 0.01 & 0.002 & 1 \\
\hline MAXIDIFF & 1 & 0.98 & 0.99 & 0.002 & 1 \\
\hline MAXQCHRI & 0.01 & 0 & 0.005 & 0.001 & 1 \\
\hline maxocxrate & 0.02 & 0 & 0.01 & 0.002 & 1 \\
\hline MAXRIDIFF & 0.1 & 0 & 0.046 & 0.01 & 1 \\
\hline MAXWCOEFF & 0.45 & 0.05 & 0.204 & 0.04 & 1 \\
\hline MINIDIFF & 0.99 & 0.61 & 0.8 & 0.038 & 1 \\
\hline MINRFUND1 & 0.17 & 0.13 & 0.15 & 0.004 & 1 \\
\hline MINRFUND2 & 0.17 & 0.13 & 0.15 & 0.004 & 1 \\
\hline NEWFUND & 0.75 & 0.25 & 0.495 & 0.05 & 1 \\
\hline NORMRU & 0.03 & 0.01 & 0.019 & 0.002 & 1 \\
\hline ObSRATE & 4 & 2 & 3.075 & 0.2 & 1 \\
\hline QUITCOEFF & 1.5 & 0.5 & 1.04 & 0.1 & 1 \\
\hline R & 0.75 & 0.25 & 0.5 & 0.05 & 1 \\
\hline RFUND1 & 0.2 & 0.17 & 0.16 & 0.003 & 1 \\
\hline RFUND2 & 0.2 & 0.17 & 0.18 & 0.003 & 1 \\
\hline RNO & 0.00914 & 0.005 & 0.00724 & 0.000414 & 1 \\
\hline RHOBOOK & 0.06112 & 0.01 & 0.03 & 0.005112 & 1 \\
\hline RLU & 0.8 & 0.4 & 0.607 & 0.04 & 1 \\
\hline RTRANS & 0.7 & 0.3 & 0.5 & 0.04 & 1 \\
\hline SKREPA & 140 & 10 & 85 & 13 & 1 \\
\hline SMP & 0.75 & 0.25 & 0.51 & 0.05 & 1 \\
\hline SMS & 0.75 & 0.25 & 0.54 & 0.05 & 1 \\
\hline SMT & 0.75 & 0.25 & 0.47 & 0.05 & 1 \\
\hline SMW & 0.75 & 0.25 & 0.43 & 0.05 & 1 \\
\hline THETA & 0.019 & 0.001 & 0.0109 & 0.0018 & 1 \\
\hline TMFASS & 0.4 & 0.1 & 0.241 & 0.03 & 1 \\
\hline TMFD & 0.28334 & 0.05 & 0.1644 & 0.023334 & 1 \\
\hline UTREF & 0.99 & 0.71 & 0.84 & 0.028 & 1 \\
\hline XRATECOEFF & 0.2 & 0 & 0.11 & 0.02 & 1 \\
\hline XRPEFF & 0.2 & 0 & 0.104 & 0.02 & 1 \\
\hline TMSTO & 1.75 & 0.25 & 0.95 & 0.15 & 1 \\
\hline TMIMSTO & 1.75 & 0.25 & 0.93 & 0.15 & 1 \\
\hline MAXCOSSUFOR & 0.1 & 0.014 & 0.015 & 0.01 & 1 \\
\hline BETA1[1] & 1.1 & 0.9 & 1.01 & 0.02 & 1 \\
\hline BETA1 [2] & 1.1 & 0.9 & 1.02 & 0.02 & 1 \\
\hline BETA1 [3] & 0.8 & 0.6 & 0.69 & 0.02 & 1 \\
\hline BETA1 [4] & 0.85 & 0.65 & 0.78 & 0.02 & 1 \\
\hline BETA1 [5] & 1 & 0.8 & 0.88 & 0.02 & 1 \\
\hline BETA1 [6] & 1.1 & 0.9 & 1.03 & 0.02 & 1 \\
\hline BETA1 [7] & 1.1 & 0.9 & 0.98 & 0.02 & 1 \\
\hline BETA1 [8] & 1 & 0.8 & 0.9 & 0.02 & 1 \\
\hline BETA1 [9] & 1.1 & 0.9 & 1.01 & 0.02 & 1 \\
\hline BETA1 [10] & 0.85 & 0.65 & 0.75 & 0.02 & 1 \\
\hline BETA1 [11] & 1.1 & 0.9 & 1 & 0.02 & 1 \\
\hline BETA1 [12] & 0.6 & 0.4 & 0.49 & 0.02 & 1 \\
\hline
\end{tabular}
\begin{tabular}{|c|c|c|c|c|c|c|}
\hline Table 3.5 & \multicolumn{6}{|r|}{Correlations between, parameters and control variables ( \(R^{2}\) )} \\
\hline Paramater Name & AVERAGE & Con RRI & ol Va MEMP & iables MOUT & MPRICE & GGDP \\
\hline ALFABW & 29.45 & 2.15 & 17.22 & 50.25 & 8.03 & 46.87 \\
\hline BETABH & 1.78 & 3.29 & 0.16 & 5.64 & 2.40 & 3.10 \\
\hline CHRFUND1 & 0.30 & 3.42 & 0.63 & 3.97 & 1.07 & 3.57 \\
\hline CHR FUND2 & 5.96 & 3.54 & 6.09 & 8.01 & 4.48 & 5.98 \\
\hline E1 & 4.91 & 5.03 & 6.73 & 2.22 & 4.40 & 1.10 \\
\hline FIP & 4.76 & 1.35 & 6.37 & 3.64 & 6.96 & 3.13 \\
\hline FIS & 0.08 & 4.39 & 0.98 & 0.90 & 0.68 & 0.74 \\
\hline FIW & 5.39 & 1.04 & 7.13 & 4.54 & 4.73 & 1.78 \\
\hline GAMMA & 1.41 & 1.17 & 3.67 & 1.24 & 0.32 & 2.96 \\
\hline GBRURAT & 0.46 & 14.72 & 1.71 & 1.91 & 3.23 & 1.77 \\
\hline GDEPRAT & 1.24 & 1.53 & 1.18 & 2.98 & 0.93 & 4.26 \\
\hline INTDIFF & 7.74 & 1.36 & 3.84 & 9.94 & 6.15 & 6.65 \\
\hline IOTA & 0.90 & 2.69 & 0.61 & 1.35 & 1.60 & 1.35 \\
\hline IOTALOW & 0.55 & 2.39 & 0.21 & 2.03 & 2.64 & 3.08 \\
\hline KSI & 1.23 & 7.09 & 0.48 & 1.57 & 0.43 & 3.39 \\
\hline LAMDA1 & 5.01 & 2.01 & 0.33 & 6.33 & 1.43 & 7.80 \\
\hline Lamdaz & 8.33 & 13.49 & 8.92 & 2.08 & 3.49 & 3.57 \\
\hline LOUER MHIST & 1.30 & 3.11 & 0.41 & 1.72 & 0.09 & 1.91 \\
\hline MAXCHIDIFF & 16.58 & 2.65 & 29.49 & 2.63 & 28.38 & 2.04 \\
\hline MAXDP & 16.36 & 4.94 & 54.15 & 3.80 & 55.09 & 8.07 \\
\hline MAXIDIFF & & & & & & \\
\hline MAXACHRI & 14.04 & 21.75 & 7.80 & 6.32 & 6.07 & 2.44 \\
\hline MAXOCXRATE & 6.36 & 1.36 & 2.85 & 4.49 & 5.59 & 3.52 \\
\hline MAXRIDIFF & 5.59 & 4.07 & 3.51 & 3.73 & 1.12 & 1.89 \\
\hline MAXUCOEFF & 5.27 & 0.74 & 9.86 & 0.26 & 7.61 & 0.78 \\
\hline MINIDIFF & 10.80 & 9.05 & 3.11 & 6.82 & 2.66 & 4.52 \\
\hline MINRFUND1 & 7.49 & 3.76 & 4.78 & 4.96 & 7.16 & 6.71 \\
\hline MINRFUND2 & 2.72 & 0.76 & 0.85 & 2.52 & 3.47 & 3.94 \\
\hline NEWFUND & 1.13 & 2.10 & 0.31 & 1.23 & 1.02 & 1.02 \\
\hline NORMRU & 1.74 & 1.30 & 1.91 & 1.95 & 1.94 & 2.91 \\
\hline OBSRATE & 1.25 & 2.23 & 2.02 & 3.45 & 1.04 & 4.68 \\
\hline QUITCOEFF & 6.03 & 4.98 & 3.36 & 2.94 & 3.51 & 1.19 \\
\hline R & 1.14 & 3.34 & 1.90 & 2.52 & 2.41 & 1.06 \\
\hline RFUND1 & & & ... & ... & ... & \\
\hline RFUND2 & & & & & & \\
\hline RHO & 1.24 & 5.23 & 1.29 & 2.14 & 1.96 & 3.78 \\
\hline RMO800K & 5.27 & 2.12 & 2.59 & 8.82 & 5.32 & 3.57 \\
\hline RLU & 5.70 & 0.73 & 1.35 & 4.88 & 4.39 & 2.80 \\
\hline RTRANS & 2.46 & 2.94 & 2.92 & 1.36 & 5.37 & 10.76 \\
\hline SKREPA & 5.06 & 3.15 & 1.83 & 1.72 & 0.71 & 2.15 \\
\hline SMP & 1.16 & 1.51 & 5.96 & 0.71 & 7.44 & 1.29 \\
\hline SMS & 2.86 & 2.34 & 1.86 & 2.45 & 0.22 & 2.86 \\
\hline SMT & 5.66 & 1.83 & 5.56 & 3.78 & 1.36 & 4.70 \\
\hline SM \({ }^{\text {H }}\) & 0.53 & 3.68 & 3.37 & 4.24 & 4.05 & 5.02 \\
\hline THETA & 3.72 & 6.21 & 0.98 & 3.02 & 0.80 & 0.46 \\
\hline TMFASS & 1.33 & 1.74 & 1.17 & 2.81 & 2.03 & 1.96 \\
\hline TMFD & 2.31 & 7.17 & 4.44 & 3.29 & 1.70 & 0.66 \\
\hline UTREF & 9.16 & 5.31 & 3.05 & 6.99 & 5.46 & 7.21 \\
\hline XRATECOEFF & 5.88 & 2.54 & 7.55 & 5.11 & 2.67 & 4.98 \\
\hline XRPEFF & 5.77 & 1.76 & 4.14 & 3.31 & 3.52 & 2.64 \\
\hline TMSTO & 3.49 & 6.23 & 8.04 & 0.59 & 4.28 & 0.77 \\
\hline TMIMSTO & 5.69 & 2.73 & 2.37 & 7.81 & 0.93 & 5.21 \\
\hline MAXCDSUFOR & 2.20 & 1.00 & 3.74 & 6.25 & 1.28 & 6.93 \\
\hline BETA1 [1] & 2.77 & 4.71 & 5.35 & 1.90 & 1.89 & 0.72 \\
\hline BETA1 [2] & 2.72 & 2.64 & 1.13 & 0.80 & 1.58 & 4.26 \\
\hline BETA1 [3] & 0.20 & 5.22 & 0.57 & 0.57 & 0.71 & 2.32 \\
\hline BETA1 [4] & 2.10 & 2.85 & 4.19 & 3.82 & 3.94 & 3.64 \\
\hline BETA1 [5] & 1.72 & 0.50 & 1.85 & 3.56 & 1.97 & 4.31 \\
\hline BETA1 [6] & 1.44 & 2.48 & 2.83 & 1.55 & 1.95 & 1.15 \\
\hline BETA1 [7] & 5.31 & 2.25 & 3.36 & 6.67 & 3.77 & 6.79 \\
\hline BETA1 [8] & 2.73 & 2.89 & 2.35 & 0.89 & 2.12 & 0.79 \\
\hline BETA1 [9] & 8.31 & 1.56 & 4.94 & 6.07 & 1.81 & 5.19 \\
\hline BETA1 [10] & 1.98 & 0.57 & 0.78 & 1.03 & 1.84 & 3.88 \\
\hline BETA1[11] & 3.22 & 0.84 & 2.37 & 1.96 & 6.51 & 1.11 \\
\hline BETA1 [12] & 3.07 & 3.49 & 2.39 & 2.38 & 0.39 & 5.81 \\
\hline
\end{tabular}

To establish the "confidence interval" for the global minimum, we used de Haan's equation with \(k=\operatorname{int}\left(n^{1 / 2}\right)=100^{1 / 2}=10\). The value of \(\alpha\) is equal to 19.4 , and the confidence interval at the \(5 \%\) significance level is \(\{.00209-0.0026\}\).

At this stage, a number of regression analyses were performed to approximate the relations between distance and parameter values. Note that parameters were chosen randomly so that they are independently distributed across experiments. Thus, we can regress the distance values as a function of each parameter separately to get unbiased estimates of the effects of parameters. First, second and third order functions, i.e., linear, quadratic, and cubic functions of parameters were used in the regression analysis. Table 3.5 shows the coefficients of determination, \(R^{2}\). (An \(R^{2}\) less than \(7.5 \%\) means that that equation is not significant at the \(5 \%\) level.)

The alfabw parameter (which is used in the investment function) has the highest coefficient of determination. It explains almost \(30 \%\) of the variation in the distance values as also shown in the following estimated regression equation.

    \(R^{2}=29.5\), Number of observations \(=100\)

It is interesting to observe the impact of parameters on various endogenous variables. For example, the MAXDP parameter that is used in the price adjustments functions has a very strong impact on the growth rate of manufacturing employment and prices. (It explaines more than \(50 \%\) of the variation in these variables.) But the changes in the MAXDP parameter have less impact on the growth rate of manufacturing output and rate of interest.

Having estimated the minimum possible distance value, a local random search was performed as shown in Figure 3.4. The solid line on this figure connects the minimum distance values found during the search
process.
The distance value for \(\mathrm{P}^{0}\) was found .00562 . Note that this distance value is very close to our confidence interval. It is within the best \(15 \%\) of the parameter space as shown in Figure 3.3. The first random search around the \(\mathrm{P}^{0}\) vector had a distance value of .00547 . Since it is less than \(\mathrm{d}\left(\mathrm{P}^{0}\right) /(1+\mathrm{con})\) where the convergence criterion, con, is \(0 \%, \mathrm{P}^{1}\) was set to that parameter vector.

The minimum distance value by the local random search, the \(\mathrm{P}^{\mathrm{c}}\) vector, was found to be .00203 at the \(73^{\text {th }}\) experiment. 60 more experiments were made around the \(\mathrm{P}^{\mathrm{c}}\) vector by decreasing the step size twice. \({ }^{(*)}\) However none of these searches produced lower distance values. Incidentally, the minimum distance value found by the local random search is lower than the confidence interval, i.e., we cannot reject, at the \(5 \%\) significance level, the hypothesis that \(\mathrm{P}^{c}\) is the global minimum. This is rather an unexpected result, because the local random search does not guarantee to find the global minimum or any point that has a distance value lower than the confidence interval.

Sensitivity of results to small variations in the parameter values is shown in Figure 3.4 The last 60 experiments that have parameter values in the neighborhood of the \(\mathrm{P}^{\mathrm{c}}\) vector have close distance values. Results appear not to be very sensitive to minor changes in parameter values. The effects of stochastic factors (the use of random number generator in labor market and firm entry functions) were tested by making 15 simulations with different initial seed numbers. Results of these experiments show that stochastic factors have a negligible effect on those control variables used in the calibration process. \({ }^{(*)}\) The long-run properties of this parameter set was checked by running the model for 20 years. Since the long-run
*) Figure 3.5 depicts how the local search proceeded for the first parameter, ALFABW. The value of ALFABW gradually declined during the first \(25-30\) experiments and then fluctuated around the "best" value that was obtained at the \(73^{\text {th }}\) experiment. Step size reductions are clearly shown on this figures.
**) All but one of experiments have a distnace value less than .0002 .
results also seem to be reasonable, we use the \(\mathrm{P}^{\mathrm{c}}\) vector as the calibration vector. (These parameter values are saved in the MSTART900 function.)

Actual and simulated values of control variables used for the calibration process are shown in Figures 3.6-3.10. Simulated results are fairly close to their actual values. The highest divergence is obtained for the growth rate of GDP although the difference between simulated and actual values has been decreasing by time. High growth rates in GDP in initial years may be partially caused by the consistency problems of the macro data. However it seems that the model adjusts itself in a short time and the simulated growth rates converge to actual values.

Simulated annual growth rates of manufacturing employment and output are slightly higher that actual values except the last two years of calibration. Thus, the simulated labor productivity index which is of particular interest to Carlsson and Taymaz's (1991) study has a very good fit as shown in Figure 3.11.

\subsection*{3.5 A POLICY EXPERIMENT}

This section explains how to make policy experiments by using the MOSES.CALIB workspace. As mentioned before, there is computationally no difference between exogenous variables and parameters in the model. By defining exogenous variables as parameters, policy experiment can be carried out.

In this example, we determine the rate of increase in government spending such that unemployment and price increases are minimized and that the rate of interest rate is forced to be close to \(10 \%\) for five years. Thus, the data variable is as follows:

Table 3.6 The data variable for policy experiment
\begin{tabular}{llc} 
& RU & DPDOM \\
2 & 2 & 1 \\
.1 & 0 & 0 \\
.1 & 0 & 0 \\
.1 & 0 & 0 \\
.1 & 0 & 0 \\
.1 & 0 & 0
\end{tabular}

Note that the weights for the unemployment and interest rates are twice that of price increases.

The rate of increase in government spending is initially \(2 \%\) per quarter in all years, and is constrained to be \(1-3 \%\) per quarter. The stepsize is chosen as \(.2 \%\). Thus, the "parameter" variable for this experiment is as follows. (DPGx variable denotes the quarterly rate of increase in government spending in year \(x\).)

Table 3.7 The parameter variable for policy experiment
\begin{tabular}{lllll} 
DPG1 & DPG2 & DPG3 & DPG4 & DPG5 \\
.03 & .03 & .03 & .03 & .03 \\
.01 & .01 & .01 & .01 & .01 \\
.02 & .02 & .02 & .02 & .02 \\
.002 & .002 & .002 & .002 & .002 \\
1 & 1 & 1 & \(i\) & 1
\end{tabular}

In this experiment, we used a iterative search and absolute distance criterion. The MSTART997 function was used to create the DPDOMU variable in simulations. Results (the RESULTS variable) are shown in Table 3.8.

In the first experiment, all "parameters" were set to their starting values. The distance value of this experiment was .200 . Then, the first "parameter" was increased to .022 . The distance value increased in this case. Thus, this "parameter" was decreased to .018 , i.e., the direction of search was changed. The distance value was .189 . Since the distance value was decreased, the program continued to decrease the first "parameter" to .016. In this case, however, the distance increase tod .194 . The program then set the value of the first "parameter" back to .018 and increased the value of the second "parameter" to .022 . The process continued in this manner. The lowest distance value was obtained in Experiment 16.

Table 3.8 Results of policy experiment
\begin{tabular}{rllllll} 
EXP MO & DPG1 & DPG2 & DPG3 & DPG4 & DPG5 & DISTANCE \\
1 & 0.02 & 0.02 & 0.02 & 0.02 & 0.02 & 0.2002543957 \\
2 & 0.022 & 0.02 & 0.02 & 0.02 & 0.02 & 0.2022882013 \\
3 & 0.018 & 0.02 & 0.02 & 0.02 & 0.02 & 0.1888736674 \\
4 & 0.016 & 0.02 & 0.02 & 0.02 & 0.02 & 0.1935819636 \\
5 & 0.018 & 0.022 & 0.02 & 0.02 & 0.02 & 0.1922877454 \\
6 & 0.018 & 0.018 & 0.02 & 0.02 & 0.02 & 0.1877501188 \\
7 & 0.018 & 0.016 & 0.02 & 0.02 & 0.02 & 0.19003538 \\
8 & 0.018 & 0.018 & 0.022 & 0.02 & 0.02 & 0.1868195915 \\
9 & 0.018 & 0.018 & 0.024 & 0.02 & 0.02 & 0.1888771772 \\
10 & 0.018 & 0.018 & 0.022 & 0.022 & 0.02 & 0.1903165364 \\
11 & 0.018 & 0.018 & 0.022 & 0.018 & 0.02 & 0.189356288 \\
12 & 0.018 & 0.018 & 0.022 & 0.02 & 0.022 & 0.1872731091 \\
13 & 0.018 & 0.018 & 0.022 & 0.02 & 0.018 & 0.1865172446 \\
14 & 0.018 & 0.018 & 0.022 & 0.02 & 0.016 & 0.185931347 \\
15 & 0.018 & 0.018 & 0.022 & 0.02 & 0.014 & 0.1856100519 \\
16 & 0.018 & 0.018 & 0.022 & 0.02 & 0.012 & 0.1853771228 \\
17 & 0.018 & 0.018 & 0.022 & 0.02 & 0.01 & 0.1854018131
\end{tabular}

\subsection*{3.6 AN EXAMPLE OF SYMMETRY AND LINEARITY MEASURES}

In this section, we made an experiment with the RTRANS parameter to examine its relationships with government surplus (SURPLUSG), manufacturing output (+/S), and wealth of households (WH). \({ }^{(*)}\) The RTRANS parameter was used to determine the level of transfer payments to households. The maximum change in the RTRANS parameter was set \(10 \%\).

To calculate symmetry and linearity measures, the program made five runs. The first run is the base run in which the current value of the RTRANS parameter was used. In the second and third runs, the value of RTRANS was decreased \(10 \%\) and \(1 \%\), respectively. In the fourth and fifth runs, the value of RTRANS was increased \(1 \%\) and \(10 \%\), respectively. The results of this experiment was saved in the RESULTS variable which is reproduced in Table 3.9.

As shown in Table 3.9, symmetry measures were calculated (by the program) for \(\pm 10 \%\) and \(\pm 1 \%\) changes in the RTRANS paramater, and linearity measures for \(-1 /-10 \%,+1 /+10 \%\) changes. Experiment results show that all test variables under consideration have very high symmetry and linearity measures, i.e., changes in the value of the RTRANS parameter does not have symmetric effects on these variables, and they are highly nonlinear. In other words, these results show that, at least for these variables and the RTRANS parameter, the model is highly nonlinear and it is very difficult to simplify it by linear approximations.

\footnotetext{
*) In other words, the control variable of this experiment is RTRANS, and test variables are SURPLUSG, (+/S), and WH. Model version 2.0 was simulated 6 years with R1982.91 database and MSTART900 modification function (calibrated parameter values). \(S\) is a vector of firms' sales. In APL language \(+/ S\) means the sum of \(S\) vector, i.e., total manufacturing sales.
}

Table 3.9 Results of symmetry and linearity tests (The RESULTS variable)
```

CONTROL VARIABLE : RTRANS
VARIABLE TESTED : SURPLUSG
Symmetry statistics
Year 10.0% 1.0%
-10.0% -1.0%
1 1.807 0.095
2 1.86 0.638
3 1.911 1.274
4 1.933 1.434
5 1.951 1.332
6 1.963 1.355
Linearity statistics
Year -10.0% 10.0%
-1.0% 1.0%
1.069 1.473
0.763 1.5
0.548 1.634
0.595 1.654
0.815 1.75
0.99 1.73
VARIABLE TESTED : (+/S)
Symmetry statistics
Year 10.0% 1.0%
-10.0% -1.0%
1 2 2
1.996 1.99
3 1.983 1.994
4 1.981 1.996
5 1.946 1.997
6 1.934 1.997
Linearity statistics
Year -10.0% 10.0%
-1.0% 1.0%
1 1.281 1.591
2 1.622 1.575
3 1.763 1.632
4 1.829 1.692
5 1.748 1.761
6 1.68 1.788

```

\section*{Table 3.9 Continued}
\begin{tabular}{|c|c|c|}
\hline \multicolumn{3}{|l|}{\multirow[t]{2}{*}{VARIABLE TESTED : WH Symmetry statistics}} \\
\hline & & \\
\hline Year & 10.0\% & 1.0\% \\
\hline & -10.0\% & -1.0\% \\
\hline 1 & 2 & 2 \\
\hline 2 & 2 & 2 \\
\hline 3 & 2 & 2 \\
\hline 4 & 2 & 2 \\
\hline 5 & 1.961 & 1.994 \\
\hline 6 & 1.952 & 1.995 \\
\hline \multicolumn{3}{|l|}{Linearity statistics} \\
\hline Year & -10.0\% & 10.0\% \\
\hline & -1.0\% & 1.0\% \\
\hline 1 & 1.007 & 1.712 \\
\hline 2 & 1.075 & 1.625 \\
\hline 3 & 1.045 & 1.602 \\
\hline 4 & 1.052 & 1.701 \\
\hline 5 & 1.094 & 1.714 \\
\hline 6 & 1.074 & 1.783 \\
\hline
\end{tabular}

Figure 3.3 Cumulative distance distributions


Figure 3.4 Local random search (Distance values)


Figure 3.5 Local random search (Trials of ALFABW parameter)


Note: Horizontal line shows the calibrated value of ALFABW parameter.

Figure 3.6 Interest rate

- SIMULATED
...... ACTUAL

Figure 3.7 Annual growth rate of manufacturing employment


Figure 3.8 Annual growth rate of manufacturing output


Figure 3.9 Annual growth rate of manufacturing prices


Figure 3.10 Annual growth rate of GDP

-_ SIMULATED
...... ACtUAL

Figure 3.11 Indices of labbor productivity im manufacturing


Figure 3.12 Distance values as a function of MAXDP and BETABW parameters


\section*{REFERENCES}

There are many papers on the MOSES model, and the studies based on the simulations of this model. The following list contains only those publications that are essential to understanding the structure of the model. Albrecht et al. (1989) contains the complete list of the model's code. The modifications to the code after the transfer of the model from the mainframe computer to a personal computer are explained in the Appendix F.

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APPENDICES

\section*{A. IN CASE OF TROUBLE}

An experiment can be halted during simulation because of the following reasons.
1) The STOP \(\triangle\) HERE function can be called by the user at any time to stop simulation, for example, for manual data entry.

This function can also be used in a number of functions to remind the user about the possible errors made in editing model functions and the modification function. For example, when two firms to be merged are not in the same industry, this function stops the execution of the model, and sends the following message:
```

**********************************
FIRMS IN THE MERGE\triangleWITH FUNCTION
ARE NOT IN THE SAME INDUSTRY
FUNCTION(S): MERGEAWITH, ...
TYPE <->[]LC> TO CONTINUE

```

At this point, you can either call the MERGEムWITH function properly and continue to simulation by typing

\section*{\(\rightarrow\) []LC RETURN}
or continue the simulation without merging two firms.
2) The ENS function is used in a number of functions to ensure i) the "logical" consistency of a model variable, and ii) the proper execution of commands.

The APL system command, the system indicator, can be used to locate the source of the problem. This command identifies those operations which are suspended or pendent for each suspension. Type

\section*{)SI RETURN}
to display the list that consists of a line for each suspended or pendent operation beginning with the most recently suspended function.

In the first case, the variable does not have the "logical", expected value. For example, in the FIRMENTRY2 function, the ENS function is used
to ensure that total labor demand of new firms does not exceed the level of unemployment since it is implicitly assumed that new firms hire their labor from the ranks of unemployed. When their demand becomes larger than the unemployment level, i.e., when the level of unemployment becomes negative after the new entries, the ENS function stops simulation and gives an error message. Since the actual level of firms' employment will be determined in the labor market, this "temporary" negative unemployment may not be considered a serious problem, and the simulation can be continued without any changes by typing
\(\rightarrow\) []LC RETURN
In the second case, the experiment is halted because of improper or impossible execution of a command. Therefore, the cause of error should be corrected before the experiment is resumed.
3) The most serious reason for the suspension of the experiment is due to errors or misspecifications in the model and the dataset. If the experiment is interrupted for some reasons, an APL event message will be shown on the screen. You can use the system indicator to locate the functions that are suspended of pendent (for the explanation of event messages, see Dyalog APL "User Guide", Section 11).

A possible source of an error is the so-called "domain error" that occurs, for example, when a number is divided by zero.

The quarterly profit margin in the FINALQPQSQM function is calculated as a fraction of quarterly net sales. Thus, if the quarterly net sales of a firm for any reason is equal to zero a domain error occurs. In this case, either the system variable that determines the division method or the definition of the variable can be changed. \({ }^{*}\) )

Although no new type of error that halts the simulation has been seen in a large number of experiments, there may still be some unknown

\footnotetext{
*) The value of the system variable []DIV determines how division by zero is to be treated. If []DIV \(=0\), division by 0 produces a domain error except that the special case of \(0 / 0\) returns 1 . If []DIV \(=1\), division by 0 returns 0 .
[]DIV may be assigned the value of 0 or 1 . The value in a clear workspace is \(0 .{ }^{\text {" }}\)
}
misspecifications in the model that reveal themselves in a specific experiment design. Such unknown misspecifications may take a long time to identify and correct since the model should be understood thoroughly for corrections.

\section*{B. FUNCTIONS IN THE MOSES.HELP WORKSPACE}

The MOSES. HELP function contains a number of functions that can be used to analyze the model. These functions and their use can be summarized as follows.

\section*{\(\mathrm{B} \leftarrow \mathrm{BACK} \triangle\) TREE A}
\(A\) is a function name, \(B\) is a vector of names that (eventually) calls the function A .

\section*{\(\mathrm{B} \leftarrow \mathrm{CLEAR} \triangle\) BLANK A}

A is a vector of names, \(B\) is the same vector of names where all blanks in names are removed.

\section*{A CORR B}

A and B are variable vectors. CORR returns the correlation coefficient and the \(t\)-value.

\section*{\(B \leftarrow F \Delta I D A\)}

A is a number less than the number of firms in the current dataset. \(B\) is the firm code of the \(A^{\text {th }}\) firm.
\[
B \leftarrow F \triangle P L A
\]

A is a firm code. B is that firm's position in micro (firm) variable in the model. (For example, if A denotes the firm \(3.12-12^{\text {th }}\) in the third sector-, and B is found to be 25 by the FAPL function, then Firm 3.12's employment level is saved in the \(25^{\text {th }}\) element of the labor vector, L.) Thus, \(\mathrm{A}=\mathrm{F} \Delta \mathrm{ID} \mathrm{F} \Delta \mathrm{PL} \mathrm{A}\).

\section*{[F] FNGREP A}
\(A\) is a string, \(F\) is a matrix of function names (each row of \(F\) is a
function name）．This function returns the names of all those functions in the F matrix that contain the string A ．If F is not specified，all functions in the active workspace are searched．

\section*{\(\mathrm{B} \leftarrow\) FOR』TREE A}

B is a function name， A is a vector of function names that are eventually called by A．（Those functions whose names are within single quotation marks cannot be found by this function．）

\section*{\(\mathrm{B} \leftarrow \mathrm{IN} \Delta\) FUNCTIONS A}
\(A\) is a function name，\(B\) is a vector of function names that are directly called by A ．

\section*{\(B \leftarrow I N \triangle V A R I A B L E S A\)}

A is a function name，B is a vector of variable names used in A．

\section*{KEEP \(\triangle\) NAMES A}

A is a vector of names．This function deletes all variables and functions in the current workspace other than those in \(\mathbf{A}\) ．

LIST
This function lists all the variables and their ranks in the active workspace．

\section*{\(B \leftarrow[F]\) NAME \(\triangle\) USED A}

A is a vector of strings（names）， F is a matrix of function names， and \(B\) is a vector of function names in \(F\) that contain any one of the strings in \(A\) ．If \(F\) is not specified，all functions in the active workspace are searched．
［F］PRINT」ALL』F A

A is a number that specifies print width (in number of columns), F is a matrix of function names (each row of \(F\) is a function name). This function prints the functions whose names are found in \(F\). If \(F\) is not specified, all functions in the current workspace are printed.
'REG' REG ' \(X_{1} \quad X_{2} \ldots X_{n}^{\prime}\)
This function is used for regression analysis. It calculates \(\mathbf{R}^{2}\), the estimated coefficients, and t -values. Note that variable names together should be within single quotation marks.

\section*{C \(\leftarrow\) A SALTER B}

This function prepares variables for a salter curve. A is the variable on the vertical axis, \(B\) is the variable whose cumulative value will be shown on the horizontal axis. C is a three-element vector whose first element contains the ordered pairs of the variable \(A\), the second element the corresponding cumulative pairs of the variable B , and the third element the vector of 0 's whose rank is equal to the rank of the first (and second) element. Use \(\mathbf{C [ 1 ]}\) and \(\mathbf{C}[2]\) to show the salter curve, and \(\mathrm{C}[3]\) to connect two or more salter curves to be shown on the same chart.

\section*{SETAMONITOR}

This function sets monitor for all functions. It is useful to determine various attributes of functions used in an experiment. To use the SET \(\triangle\) MONITOR function, copy it to the MOSES.PC workspace and call in the MSTARTxx function. At the end of a simulation, type
[]MONITOR 'functionname' RETURN
This will return a four-element vector where the first element denotes the line number, the second element the number of times the line was executed, the third element the CPU time in milliseconds, and the fourth element the elapsed time in milliseconds.
scale Y YRFIRM firmcode
scale and firmcode are defined same as in the case of the Y\&R॰FIRM function (see Section 1.5 on output reporting). This function creates a table called YEARLY\&RFIRM-firmcode. The form of this table is exactly same as those created by the Y\&R\&FIRM function, but it contains real data for that firm, if data are available in the Planning Surveys. If the firmcode belongs to a synthetic firm, an error message is shown.

\section*{C. FUNCTIONS IN THE MOSES.GRAPH WORKSPACE}

Six functions are available in the MOSES.GRAPH workspace: PLOT, CHART, BARCHART, PIECHART, SHOWFUN, and SHOWREAL. There are a number of functions in this workspace that are used by those main functions. Therefore, it is better to use this workspace after saving the original output workspace in order not to increase the size of the workspace.

These graphics functions can be accessed by copying the MOSES.GRAPH workspace into the active workspace. To do this, type

\section*{) COPY MOSES.GRAPH RETURN}

After copying the MOSES.GRAPH workspace, the graphics functions can be used. For example, to use the PIECHART, simply type

\section*{PIECHARTIT RETURN}

The PLOT function does not use the SCO Graphics \({ }^{\text {TM }}\) run-time system. It is based on Dyalog-APL's full-screen applications of the []SM and []\(S \mathbb{R}\) functions, and creates a simple plot of up to six variables. The plot that is shown on the screen can also be saved as a \(25 \times 80\) text matrix.


When the PLOT function is invoked, the following menu appears. This function creates a plot of up to five variables. Enter the name of the variables against the Y-variables. At least one of the Y-variables should be entered in the first line. All other entries in the menu are optional. To
show the plot on the screen, move the cursor on "DRAW" and press the F1 key. "SAVE" creates a text matrix of the plot in a variable defined in the "NAME" entry.

The CHART function creates a chart of up to six variables. (The number of variables that can be plotted can be increased by modifying the CHART function.) When the CHART function is invoked, the following menu appears on the screen.


You can enter any valid APL expression against the X -axis and data expressions. If you do not enter any expression against the X -axis, a line chart will be shown. In other words, the \(X\) variable will be equal to the index of the rank of the Y-variables.

Enter the chart and axes titles under the titles section. The column "Clr" defines the color of the chart (borders, chart title, etc.), axes (axes lines, labels, etc.), and data (charts). "Lst" defines line types (1 for continues line, 2 for broken line, 3 for dotted line, etc.) "Mst" defines the chart style ( 0 for no labels, 1 for line labels), grids on the horizontal ( Y axis) and vertical (X-axis) axes, and marker styles for the data. If the chart style is set to 1 , the first five characters of the data expressions are used in labels.

To get on line help, press the F1 key. If you want to show the chart on the screen, press the RETURN key. To go back to the menu, press the

RETURN key or any one of the function keys when the chart is shown on the screen. To go back to the APL interpreter, i.e., to exit from the CHART function, press the F10 key. To print the chart, press F5. When you press the F5 key, you will be asked if you want to use a plotter or a printer. Type

P RETURN, for the plotter, and
\(\mathbb{R}\) RETURN, for the printer.
The default options for the plotter and printer are the HP plotter and the HP laserjet printer using the first parallel port. If you use a different configuration, change the APL environmental parameters in the script /usr/bin/apl.

If you use a plotter, you will be asked to change the paper and press the RETURN key. Printing of the chart may take up to a few minutes depending on the complexity of the chart. You cannot use any other function during printing. Note also that the computer may be locked out without any apparent reason because of the bugs in the SCO Graphics package although several checks for possible sources of errors are included into these functions. We have had no problems so far using the \(\mathbb{H P}\) printer. Therefore, be sure to save the output file before using any one of the graphics functions.

The following menu appears on the screen when the BARCHART function is invoked.


This function is used exactly as the CHART function. The only difference is that there are no styles for markers which are not used in bar charts, and the chart style now defines a regular bar chart (enter 0 ), or a stacked bar chart (enter 1).

The PIECHART function prepares a pie chart. This function can simultaneously show at most three pie charts. When you type PIECHART, the following menu is displayed.
\begin{tabular}{|c|c|c|c|c|c|}
\hline \multicolumn{6}{|c|}{MOSES PIE CHART} \\
\hline & Expression & Cl & Sty & Exp & Lbl \\
\hline \multicolumn{6}{|l|}{} \\
\hline \multirow[t]{6}{*}{Data \(\begin{gathered}1 \\ \\ \\ \\ 3 \\ 4 \\ \\ \\ \\ \\ \\ 6\end{gathered}\)} & & 1 & 1 & 0 & 1 \\
\hline & & 1 & 2 & 0 & 1 \\
\hline & & 1 & 3 & 0 & 1 \\
\hline & & 1 & 4 & 0 & 1 \\
\hline & & 1 & 5 & 0 & 1 \\
\hline & & 1 & 6 & 0 & 1 \\
\hline
\end{tabular}

Enter the title of the chart under the "Expression" column. The name of the variable that contains the pie labels should be entered against the "Labels" line. The "Sty" column defines the interior style of each slice (enter a number between 0 and 9). The "Exp" column defines if the slice is exploded ( 0 for not, 1 for exploded). The "Lbl" column defines if the percentage shares are to be shown on the slices ( 0 for not, 1 for otherwise).

Since this function can show at most three pie charts, if the variable names of expressions entered against the data lines contain more than three variables, only the first three of them are used. The labels of slices to be displayed under the bottom of the pie chart are taken from the first five characters of the data expressions (or variable names).

The SHOWFUN graphics function shows an animated time series chart of the production functions of industries or firms. The output tables
should be available for this function, i.e., the YEARLYAINDUSTRY\&TOTAL table for the manufacturing industry, YEARLY \(\triangle\) MARKETX table for each sector, and YEARLYAFIRM\&firmcode tables for firms. This function is used as follows.

\section*{SHOWFUN 'firmcode' RETURN}

For the manufacturing industry, and the raw materials, intermediate goods, capital goods, and consumer goods sectors, enter \(0,1,2,3\), and 4, respectively, for the firmcode.

This function displays the production function for each year starting from the initial year of the simulation experiment, and shows the actual position of the firm/industry on the production function. Press the RETURN key or any one of the function keys to move from one year to the next year. For the final year, a message will be shown on the screen. The following figure shows the production function of the manufacturing industry for various years.

The SHOWREAL graphics function creates the same type of graphics as the SHOWFUN function for real firms, if their data are available in the MICRO.DBASE workspace.

\section*{D. INSTALLING MOSES ON PC}

The current PC version of the model is implemented by using a DyalogAPL interpreter with SCO Xenix Operating System V on a 386 personal computer. (Although the model can be used with a 286 PC, a 386 PC with a math-coprocessor is strongly recommended.) Xenix operating system and APL should be ready before the installation of MOSES. If you plan to use the MOSES.GRAPH functions, SCO Graphics \({ }^{\text {TM }}\) should also be installed. Note that Xenix operating systems can be used together with DOS system on the same computer and it is possible to transfer files from Xenix to DOS or vice versa.

After installing Xenix and APL(*), create a directory for the mOSES model and change the current directory as follows.
\# mkdir /moses RETURN
\# cd/moses RETURN
Recall that small and capital letters are considered different in Xenix. Then insert the mOSES diskette into first floppy drive \({ }^{(*)}\) and type

\footnotetext{
*) For the installation of Xenix and APL, see their manuals. These programs can be obtained from the following companies:

Xenix operating system and SCO Graphics package:
The Santa Cruz Operation
400 Encinal Street, P.O.Box 1900
Santa Cruz, CA 95061
USA
Tel: 1-800 6268649
The Santa Cruz Operation P.O.Box 4YN, 18 Noel Street London W1A 4YN
United Kingdom
Dylaog APL:
Dyadic Systems Limited
Park House, The High Street
Alton, Hampshire
United Kingdom
Tel: 44-42087024
\({ }^{* *}\) ) If 3.5 inch diskette drive is your second drive (drive B in DOS) then use the following command.
\# tar xvf /dev/fd1135ds18 RETURN
}

\section*{\# tar xvf /dev/fd0135ds18 RETURN}
to copy all files in the floppy diskette to /moses directory. If there are more than one diskette, repeat the last step for all diskettes. To start the MOSES program, type
\# apl moses RETURN
Information about the APL environment are stored in a text file, /usr/bin/apl. Add the following line into /usr/bin/apl file \({ }^{\left({ }^{*}\right)}\) to use APL keyboard that allows to use, for example, underlined characters by "Alt" key.

\section*{mapkey /usr/dyalog/apl.iso_2.3}

The maximum workspace size is also defined in this file. The default size is 1024 KBytes. If you want to use larger workspaces, change the line for maximum workspace size (MAXWS).

There are a number of functions in the model that requires an HP laser printer for graphics. To use these functions properly, add following two lines into /usr/bin/apl file.
```

$:\{\mathbb{R I N T I E R}=$ laserjet $\} \quad$;export RINTIER
:\{laserjet =/dev/lp0i\} ;export laserjet

```

These lines specifies an HP laser printer connected to the first parallel port. If you want to use another printer for graphics, or another port, use the appropriate definitions. (For details, see SCO Graphics \({ }^{\mathrm{TMM}}\) Installation Notes.)

The SCO Graphics \({ }^{\text {TM }}\) program is designed for computers using EGA (Enhanced Graphics Adaptor) graphics card. If your computer has a VGA (Video Graphics Array) card, you have to use VGA drive for graphics. To do so, enter the following two commands (after installing SCO Graphics \({ }^{\text {TM }}\) program) when you are in Xenix.

\footnotetext{
If you do not use regular MOSES program which is available in 3.5 inch, 1.44 KByte diskettes, use appropriate tar command for that diskette. (For details of using the tar command, see Xenix User's Guide.)
*) Use Xenix's full-screen editor, vi, to modify text files. For editing commands, see Xenix Users's Guide.
}
```


# rmi /dev/ega RETURN

# ln /dev/vga /dev/ega RETURN

```

\section*{E. DIFFERENCES BETWEEN THE PC AND \\ MAINFRAME VERSIONS}

There are a number of differences between those workspaces that were in DEC-10 and those on PC. Some of those differences are related with the APL program and machine characteristics. They can be summarized as follows.
1) The monadic \(\epsilon\) function in DEC-10 APL means "execute" whereas it means "type" in Dyalog-APL. Therefore all monadic \(\epsilon\) functions should be changed to Dyalog-APL's execute function. There is a function called FNGREP that finds a given string in all functions in the current workspace.
2) The MAXCORE command in DEC-10 APL is used to set the amount of allocated memory for the APL program. Since it is no longer necessary and does not have any meaning in Dyalog-APL, this command in all functions should be deleted.
3) In \(\mathbb{D E C}-10 \mathrm{APL}\), some negative variables have the suffix "-". They are converted to " \("\) " sign during the transfer process by the function VCR.
4) Some commands (namely, WSID and ERASE commands) should be changed to their corresponding syntax for Dyalog-APL.
5) During the transfer process, some blank spaces between single quotation marks (') have been deleted. This may create a problem in some cases (especially in the transcription functions). Those function that were affected by this problem were modified manually and the model runs without any problem so far.
6) The []PW command is used in a number of functions to set up the print width to 120 columns. Since this is not convenient for the PC, this command has been deleted form the PREPAREARUN function.

After the transfer of APL workspaces, some functions have been changed. These changes can be summarized as follows.
1) A new workspace called "moses" have been created. This workspace contains functions and variables to start a simulation. It copies all necessary functions into the current workspace. The UPDATEMOSES function in the MOSES workspace is also modified to work with this new function. The MOSES workspace was renamed MOSES.PC.
2) The results of a simulation were being saved in text matrices in the mainframe model. But this method of keeping track of data is not convenient to use when output variables are to be processed further (graphics, etc.). Therefore all transcription functions (except Y\&R\&DISTRIBUTION and quarterly data functions) in the MOSES.PC workspace have been modified so that the results of a simulation are stored in arrays in numerical form. This form of data allows us to use the results as a variable. Accordingly, PRINT 4 OUT and PRINT functions have also been changed. New functions, SPRINT, PPRINT, and FPRINT were written to send output tables to the screen, printer, and a file, respectively. Moreover, the calculation of the QTOP variable in the Y\&MARKET function has been changed to obtain comparable data with respect to those collected in the \(Y \triangle I N D U S T R Y \triangle T O T A L\) and \(Y \triangle F I R M\) functions.
3) Functions related to firm entry were considerably modified. A few lines that are used in the modification functions of the entry experiments (MSTART3x) were added into the function STARTAENTAMOD since they are required in any simulation with the entry option STARTAENT2 function was also modified to allow probabilistic firm entry. STARTAENT1 function was modified in accordance with these changes. In the FIRMENTRY2 function, the comment mark before the definition of FIRMCHARC variable that collects the data on the characteristics of new firms was removed. It has been modified to have an array structure (instead of a text matrix form, as explained before). Consequently, there is no difference between the RUNEXP and RUNENTRY functions. Thus, hereafter, all experiments (with or without the entry option) can be started with the RUNEXP function. (Additional changes have been made in version
2.0. For these changes, see the VERSION20 function in Appendix F.)
4) Some lines that were apparently experiment-specific (e.g., collection of data on some firms, etc.) were deleted in the function RUNEXP.
5) The ENS function was modified so that it stops the execution of the program when an "ERROR" message is printed. The execution of the program is proceeded by the APL command \(\rightarrow\) []LC. (In the previous form of the function, it only prints "ERROR" message on the screen.)
6) Since the "updates" are well documented, the modifications made by these update functions have been saved in the MOSES.PC workspace, and the UPDATEMOSES function is modified accordingly. Only those changes made by the PRICEs CHANGES function have not been saved.
7) The init file was renamed moses.init. The START function in this file was modified to use a menu. Those functions that copy macro and micro datasets were modified accordingly.
8) The macro and micro datasets were renamed as MACxx and MICxx , respectively, where \(x x\) is the dataset year.
9) ESTABLISHMENTS functions in the INIT workspace were divided into two functions because the PC version of APL cannot handle very long functions.
10) Data-specific variable names in the INIT workspace were changed. (IO76, IOCOEFF76, SALES76 (SALES82), HH76, and SCB82」QINV were
 respectively.)
11) The OUTPUTAOPERATIONS function in the INIT workspace was simplified considerably.
12) The random link variable, []RL, in the INIT workspace was changed to the default values of Dyalog-APL, because the mainframe and PC versions of APL may use different formulae for random-number generation.
13) A new variable, NaREALAFIRMS, is introduced in ESTABLISHMENTS functions in the INIT workspace. This variable specifies
the number of real firms in the dataset, and is used by the AVG」TOP function of the model. Accordingly, its name was added to VARIABLEGRUPP3 variable in the VLISTS workspace.
14) The RANDOMIZE function in the INIT workspace was modified so that it now allows to define of more than 100 synthetic firms. (The previous specification does not allow more than 100 synthetic firms.)

\section*{F. MOSES VERSION 2.0 FUNCTIONS}

VERSION20
MSTART900
ADJUSTPRICES PC
COMPUTE IMPORTS PC
DOMESTIC MARKET PC
DOMESTIC RESULT PC
ENTER NEWFIRMS
FINALQPQSQM PC
FIRMENTRY PC
GOVERNMENT ACCOUNTING PC
MARKET CONFRONT PC
MARKET ENTRANCE PC
MDIFY EXP
NATIONAL ACCOUNTING PPC
OBSOLETE K
QUARTERLY EXP PC
QUITS
START ENTRY PC
TARG SEARCH PC
TARG SEARCH SHOW

\section*{VERSION2O}
[0] VERSION2O;PARAM
[1] ค
[2] \(\rightarrow\) DOIF^/THISAYEAR \(\neq 7682 \diamond\) VERSION2A \(\diamond \rightarrow 0\)
[3] VERSION+'MOSES-PC 2.0'
[4]
A*************************************
[5] \(\quad\) [******** MOSES VERSION 2.0 ********
[6]
[7] \(ค\)
[8] A DEFINE THE NUMBER OF REAL FIRMS

[10] \(ค\)
[11] A NEW TABLE FOR EXPECTATIONS
[12] ค
[13] Y \(\triangle\) R \(\triangle E X P E C T A T I O N S\)
[14] ค
[15] A NEW FOREIGN PRICES !
[16] A
[17] \(\rightarrow(\) THIS \(\triangle Y E A R \neq 82) / J M P R\)
[18] \(\rightarrow\left(2 \neq \square N C^{\prime} F I R M \Delta E X O \Delta Q D P F O R^{\prime}\right) / J M P P\)
[19] FIRMAEXOAQDPFOR[ ; 12+128]+FIRMAEXOAQDPFOR[ ; 12+128]+0.01
[20] EXO \(\triangle Q D P F O R+F I R M \triangle E X O \triangle Q D P F O R\)
[21] \(] E X ' F I R M \triangle E X O Q D P F O R^{\prime}\)
[22] \(\square E X ' E X O \Delta Q D S U F O R^{\prime}\)
[23] \(A\)
[24] \(\operatorname{QPFOR}+(1 \div(1-(0.16 \times 1 \div 4))) \times(103.975104 .275104 .9875104 .3875)\)
[25] A
[26] JMPP:
[27] ค
```

28] A ********* PARAMETER CHANGES
[29] TID+0
[30] KSI +0.15
[31] NITER+3
[32] GAMMA+0.3
[33] IOTA+0.5
[34] SKREPA+75
[35] RESDOWN+0.2
[36] EXO\DeltaTXC+EXOSTXC+2
[37] RTD+1
[38] TMIMP\&7 7 7 7
[39] TMX+7 7 7 7
[40] ALFA3+ALFA4*0
[41] SAVRAT+0.005+4
[42] JMPR:
[43] A
[44] A
[45] ค
[46] A MIN LABOUR IS .1
[47] ค
[48] 'SOLVE'MODSUBST'QPLANL[I]\omegaQPLANL[I]+0.1[(Y\timesQTOP[I]+TEC[I])'
[49] A
[50] a SET mTEC VALUES
[51] A
[52] ->((THIS\triangleYEAR\not=76)ATHIS\triangleYEAR\not=82)/JMPZ
[53] MTEC[1]*1.1\timesT/(MARKET=1)/TEC
[54] MTEC[2]+1.1\timesT/(MARKET=2)/TEC
[55] MTEC[3]+1.1\times[/(MARKET=3)/TEC
[56] MTEC[4]+1.1\timesT/(MARKET=4)/TEC
[57] JMPZ
[58] A
[59] A CHANGE BAD SPEC
[60] A

```
```

[61] 'INVFIN\triangleADJUSTMENTS'MODSUBST'BAD+BAD+\omegaBAD+OГBAD+(NW<O)-NW\geqO'
[62] ค
[63] \& USE NEW TARGET SEARCH FUNCTION
[64] A
[65] 'PRODPLAN'MODSUBST'TARG\triangleSEARCHWTARG\triangleSEARCH\trianglePC'
[66] LOWER\triangleMHIST+0.8
[67] LOWATARGET+0.5
[68] PARAM+'LOWERAMHIST' 'LOW\TARGET'
[69] A
[70] A CHANGE CHL SPEC
[71] ค
[72] 'LABOUR\triangleSEARCHAINPUT'MODSUBST'CHL*\omegaCHL\&QPLANL-L'
[73] A
[74] a CHANGE tHE PROBABILITY TO BE TARGETTED IN HIT FUNCTION
[75] A
[76] 'CONFRONT'MODSUBST'SKR+\omegaSKR+(1*W*\Gamma/W) SKREPAx(\rhoW)\&+/W*\Gamma/W'
[77] ค
[78] DELAY\triangleINV + DELAY\triangleINV
[79] A
[80] A CHANGE QOPTSU SPEC
[81] A
[82] 'PLANQREVISE'MODSUBST'QOPTSU*WQOPTSU+O「QEXPSU*(QQ+STO)*QEXPSU+STO+
(OPTSTO-STO) +4\timesTMSTO'
[83] A
[84] A ADD CHANGES FOR NULLIFIED FIRMS
[85] ค
[86] 'Q\triangleEXO'MODADDLAST'NULL\triangleCURRENT+O \ NULL\triangleGOODS*4\rhoO'
[87] 'NULLIFY'MODADDLINE'NULL\triangleCURRENT+++/OUT/K2-BW' 1
[88] 'NULLIFY'MODADDLINE'NULL\triangleGOODS++4\uparrow(+fOUTfIMSTO)+OMEGAX(+/OUT/K1)\&+
/OMEGA\timesPT[MKT IN]' 2
[89] 'NULLIFY'MODADDLINE'NULL\triangleGOODS[OUT/MARKET]++OUT/STO' 3
[90] 'HOUSEHOLD\triangleUPDATE'MODADD 'WH+\omega\DeltaNULLS+(OTNULL\triangleCURRENT++/NULL\triangleGOODS*Q
PDOM[MKT]\times1-TXVA2)%NH \diamondWH++\DeltaNULLS }\diamond\mathrm{ QSAVH++\NNULLS×NH }\diamond\mathrm{ ПEX ''ANULLS'''

```
```

[91] A
[93] ค
[94] 'START\triangleENTRY'MODADDLINE'START\triangleENTRY\trianglePC MM\triangleENTRY \diamond ->0' 1
[95] 'COMPUTE\DeltaBUYING'MODADDLINE'QBUY[MKT IN;NEW\DeltaFIRMS[1;]]++\varnothing个NEW\DeltaFIRMS
[2;]\timesNEWAFIRMS[4;]' 3
[96] 'COMPUTE\DeltaBUYING'MODADD'QINVTOT+\omegaQINVTOT++++^NNEWAFIRMS[2;]\timesNEWAFIRM
S[3;]'
[97] 'HOUSEHOLD\triangleUPDATE'MODADD'WH+\omega->DOIF NRS=1 \diamondWH-+(+/\timesfNEW\DeltaFIRMS[2 5;
])+NH \diamond QSAVH-++/xfNEW\DeltaFIRMS[2 5;]'
[98] 'QUARTER'MODADD'Q\DeltaEXO\omega->DOIF NRS=2 \diamond ENTER\triangleNEWFIRMS '
[99] 'INVFIN'MODSUBST'QDESCHBW+CO「1WQDESINVP+CO「1-ELINV×UTREF-QQ*QFR1 L
)\timesK 1\timesALFABW+BETABW\timesQDPK+(QRR-RIF)+4'
[100] 'INVFIN'MODADD'QDESINVP+(O「1\omegaQDESCHBW+QDESINVP+QDESCHK2-QCASH'
[101] 'INVFIN'MODADD'QDESCHBW*(BWLQDESCHBW+QDESCHBW-(O>BW+QDESCHBW)\timesBW+
QDESCHBW '
[102] 'INVFIN'MODSUBST'QDESCHBW[THO]WQDESCHBW[THO]+REDCHBW\times(O\NW)[THO<(
QDESCHBW>(REDCHBW\timesO[NW) )/\imath\rhoL]'
[103] 'INVFIN\triangleADJUSTMENTS'MODSUBST'QINVLAG+WQINVLAG+O「(QCHBW+QCASH)\times1LQ
DESINVP+QDESINVP+QDESCHK2'
[104] NEW\DeltaFIRMS +5 1\rho1 O (c10\rhoO) (c10\rhoO) O
[105] NEWFUND*O.5
[106] ENTRY\triangleSPECS+0.5 0.05 0.05
[107] RTD\&1.25
[108] PARAM +'NEWFUND' 'ENTRY\triangleSPECS'
[109] A
[110] A ENDOG INTEREST RATE
[111] A
[112] RI\DeltaIS\triangleEXOGENOUS <0
[113] A
[114] A CHANGE GOVERNMENT ACCOUNTING AND CREDIT MARKET FUNCTIONS
[115] A
[116] 'MONETARY\triangleSECTOR'MODSUBST'CREDITWCREDIT\triangleMARKET\trianglePC'

```

159
[117] 'QUARTER'mODSUBST'GOVERNMENTMGOVERNMENTAACCOUNTINGAPC'
[118] 'RIDEPG'MODADDLAST'R+IDIFFXRI'
[119] 'RIH'MODADDLAST'R+IDIFF×RI'
[120] 'RIK2'modaddLaSt'r+IDIFFxRI'
[121] 'INVFIN'MODSUBST'QDIV+WQDIV+QTAX×((1-TXC)*TXC)LO「RTD×(QRR+4×QDPK)
trif'
[122] 'INVFIN'MODADDLAST'AGGPROF+10L.1「INTDIFFXRIFt(K1+K2+K3) AVG2 QRR+
\(4 \times\) QDPK \({ }^{\prime}\)
[123] \(A\)
[124] QPURCHG+10PO. 1×6.83E 10
[125] QSURPLUSG \({ }^{-}\)- \(3 \times\) QTTAX
[126] QCHPOSG+O
[127] BETABW+0. 8
[128] ALFABWX+1.5
[129] RTD 4.5
[130] EXOAQDINVBLD+120pO. 0075
[131] EXOAQDINVIN+12000.0089
[132] QGNPCUR+10PO.1×1.45E11
[133] INTDIFF+1.25
[134] KAPPA1+O
[135] GDEPRAT+0.2
[136] GBRWRAT+0.75
[137] MAXQCHRI +0.005
[138] IDIFF+0.92
[139] MAXIDIFF+0.99
[140] MINIDIFF+0. 8
[141] MAXCHIDIFF+0.005
[142] MINRFUND \(1+0.15\)
[143] MAXRFUND \(1+0.5\)
[144] MINRFUND2+0. 15
[145] MAXRFUND2+0.5
[146] CHRFUND1+CHRFUND2+0.015
[147] RFUND \(1+0.18 \bigcirc\) RFUND2+0. 18
```

[150] PARAM +'INTDIFF' 'GDEPRAT' 'GBRWRAT' 'MAXIDIFF' 'MINIDIFF' 'MAXCH

```
IDIFF' 'MINRFUND1' 'MAXRFUND1' 'MINRFUND2' 'MAXRFUND2' 'CHRFUND1' 'CHRFUND2
-
[151] \(ค\)
[152] A ENDOG EXCHANGE RATE
[153] \(\quad\),
[154] 'EXPORTAMARKETS'MODSUBST'QPFOR+WQPFOR+(1+QCXRATE×XRPEFF)×QPFOR×1+
QDPFOR'
[155] 'BANK \(\triangle T R A N S A C T I O N S ' M O D S U B S T ' Q C H L I Q B+\omega Q C H L I Q B+Q I N T F+Q S A V H+Q C H P O S G+\)
QIMPORT-QINTK2+QINTH+QINTG+QEXPORT \({ }^{\prime}\)
[156] A'BANK \(\triangle T R A N S A C T I O N S ' M O D A D D L A S T ' X R A T E+X R A T E+Q C X R A T E+(-X R A T E)+(X R A T E\)
COEFF×XRATE+(-MAXQCXRATE) 「MAXQCXRATEL(QIMPORT-QEXPORT)+QIMPORT+QEXPORT)+XRA
TEX1-XRATECOEFF :
[157] 'BANK \(\triangle U P D A T E ' M O D A D D L A S T ' X R A T E+X R A T E \times 1+Q C X R A T E+(-M A X Q C X R A T E)\) IMAXQC
XRATELXRATECOEFF×(QIMPORT-QEXPORT) + QIMPORT+QEXPORT'
[158] 'BANK \(\triangle\) UPDATE'MODADDLAST'FASS× \(41+\) QCXRATE \(\bigcirc F D \times+1+\) QCXRATE \(\bigcirc\) LIQBFOR
\(x+1+\) QCXRATE \({ }^{\prime}\)
[159] ค
[160] XRATE+1 \(\diamond\) QCXRATE+0
[161] A DXRATE +0
[162] XRPEFF+0.1
[163] XRATECOEFF+0.1 \(\bigcirc\) MAXQCXRATE +0.01
[164] Y \(\triangle\) R \(\triangle R A T E S\)
[165] PARAM +'XRPEFF' 'XRATECOEFF' 'MAXQCXRATE'
[166] ค
[167] a PUt A LImit for max wage change
[168] ค
[169] 'TARGASEARCH \(\triangle P C\) 'MODADDLAST'QMAXW+(QEXPW×1-MAXWCOEFF)+MAXWCOEFF×QE
\(\times P W+O \Gamma 4 \times((Q Q \div L) \Gamma(Q P L A N Q+Q P L A N L)) \times(Q P L A N L-L) \times Q E X P P N E T+Q P L A N L{ }^{\prime}\)
[170] 'TARG \(\triangle\) SEARCH \(\triangle S H O W\) 'MODADDLAST'QMAXW+(QEXPW×1-MAXWCOEFF) +MAXWCOEFFX
QEXPW+O「4×((QQ+L) \((Q P L A N Q \div Q P L A N L)) \times(Q P L A N L-L) \times Q E X P P N E T+Q P L A N L{ }^{\prime}\)
[171] 'CONFRONT'MODSUBST'->ATK WW\omega->ATK WW[I]+WW[I]+(QMAXW[I]-WW[I])LKSIX
(WW[II]\times1+GAMMA )-WW[I]'
[172] 'LABOUR\triangleSEARCH\triangleINPUT'MODSUBST'WW+\omegaWW+QW+(IOTA-IOTALOW\timesCHL>O)\timesQEXP
W-QW'
[173] MAXWCOEFF+0.25
[174] IOTA+0.9 \diamond IOTALOW+0.15
[175] PARAM +'IOTALOW' 'MAXWCOEFF' 'RWEXP'
[176] A
[177] A MODIFY EXPECTATIONS
[178] A
[179] 'YEARLY\triangleEXP'MODSUBST'EXPDW+WEXPDW+(EXPIDW\times1-RWEXP)+RWEXP\timesS AVG2 D
P'
[180] 'YEARLY\triangleEXP'MODADDLAST'MDIFY\triangleEXP'
[181] MAXEXPDP&MAXEXPDS*MAXEXPDW*1
[182] MINEXPDP+MINEXPDS+MINEXPDW+0.5
[183] PARAM <'MMAXEXPDP' 'MAXEXPDS' 'MAXEXPDW' 'MINEXPDP' 'MINEXPDS' 'MI
NEXPDW'
[184] RWEXP+0.25
[185] EXPXDS+0.09
[186] EXPXDP*0.04
[187] A
[188] A CHANGE PROFIT MARGIN TARGETING AND INITIAL PRICES
[189] A
[190] LOW\triangleTARGET+O
[191] 'YEARLY\triangleTARG'MODADD'MHIST&\omegaMHIST&MHISTTO'
[192] 'TARGM'MODADDLAST'Z*O「Z'
[ 193] ค
[194] & CHANGE PRODFRONT SPECS
[ 195] ค
[196] 'INVFIN'MODSUBST'INVEFF+WINVEFF+INVEFF'
[197] 'PRODFRONT'MODADD'MTEC+\omegaINVEFFx+1+QDINVEFF[MARKET]'
[198] 'PRODFRONT'MODSUBST'QCHQTOP1+\omegaA THIS LINE IS REPLACED.'
[199] 'PRODFRONT'MODSUBST'QCHQTOP2*WR THIS LINE IS REPLACED.'
```

[200] 'PRODFRONT 'MODSUBST'QCHQTOP + WQCHQTOP + QINV×INVEFF+OMEGA+. $\times$ PT [MKT I
$N] \times(1-T X V A 2)+1-T X V A 1 \diamond Q C H Q T O P 2+(.5 \times R E S+R E S M A X) \times Q C H Q T O P '$
[201] 'PRODFRONT 'MODSUBST'RES + WRES + (QCHQTOP2+RES×QTOP) +QTOP +QCHQTOP'
[203] $P T+(Q P D O M[M K T] \times 1-I M P[M K T])+I M P[M K T] \times Q P F O R+1-T X V A 2$
[204] PT \&QPDOM[IN] 1
[205] INVEFF+QTOP×(OMEGA+. $\times$ PT[MKT IN]×(1-TXVA2) $\div 1-T X V A 1)+K 1$
[206] QDINVEFF 4 4 OO. 0005
[207] RESMAX+0. 11
[208] PARAM +C'QDINVEFF'
[209] A
[210] A ADD QUITS
[211] A
[212] 'LUUPDATE'MODADDLINE'QUITS' 1
[213] 'LABOURAUPDATE'MODSUBST'RU*WQCHRU+*(LU*LU+LG+SUM2 L)-RU $\bigcirc$ RU*LU*L
U+LG+SUM2 L'
[214] QUITCOEFF 4
[215] NORMRU+0.02
[216] A
[217] A ADD OBSOLENCE
[218] $A$
[219] 'TARGASEARCH $\triangle P C$ 'MODADDLAST'OBSOLETEAK'
[220] 'TARGASEARCHASHOW'mODADDLAST' OBSOLETEAK'
[221] QTOPMAX+QTOP
[222] 'NULLIFY'mODADDLAST'SHRINK ''QTOPMAX'' '
[223] 'TARGASEARCH $\triangle P C$ 'MODADDLAST'QPLANQ+QPLANQLQTOPMAX $\triangle$ QPLANL QPLANLL
RFQ1 QTOPMAX'
[224] 'TARG $\triangle$ SEARCH $\triangle S H O W$ 'MODADDLAST'QPLANQ+QPLANQLQTOPMAX $\diamond$ QPLANL+QPLAN
LLRFQ1 QTOPMAX'
[225] 'PLANQREVISE'MODSUBST'QPLANQ+QPLANQLWQPLANQ+QTOPMAXLQPLANQLQFR1 L
,
[226] 'ENTERANEWFIRMS'MODADD'FIRMENTRY由QTOPMAX+QTOPMAX ( $\rho$ RELSIZE) $(-1 \uparrow Q$ TOP )LQTOP AVGATOP QTOPMAX'

```
[227] 'PRODFRONT'MODADDLAST'QTOPMAX+QCHQTOP+QTOPMAX×1-RHO'
[228] OBSRATE*3
[229] PARAM +'QUITCOEFF' 'NORMRU' 'OBSRATE'
[230] A
[231] A INTEREST SENSITIVE HOUSEHOLD SPENDING
[232] ค
[233] 'COMPUTE\triangleSPENDING'MODSUBST'SWAP+WSWAP4.05L`..05[ALFA3x(RI*4)-QDCPI
[234] ALFA3+0.5
[235] A
[236] A CHANGE PRICE ADJUSTMENTS SPECS
[237] A
[238] 'QUARTERLY\triangleRESULT'MODSUBST'FINAL\omegaFINALQPQSQM\trianglePC'
[239] 'QUARTER'MODSUBST'QUARTERLY\triangleEXPWQUARTERLY\triangleEXP\trianglePC'
〔240] 'QUARTER'MODSUBST'DOMESTICAMLDOMESTICAMARKETAPC'
[241] 'QUARTER'MODSUBST'NATIONAL\triangleA\omegaNATIONAL\triangleACCOUNTINGAPC'
[242] A 'INVFIN'MODSUBST'AGGPROF +\omegaAGGPROF+10L.1「INTDIFF\timesRIF+(K1+K2+K3) A
VG2 QRR+QDPK'
[243] 'INVFIN`MODSUBST'AGGPROF+WAGGPROF+10L.1/INTDIFF\timesRIFt(K1+K2+K3) AV
G2 QRR'
[244] 'K3\triangleIMED'MODSUBST'R+ILQR+IMSTO+. XPT[MKT IN]×1-TXVA2'
[245] 'INDIRECT\triangleTAXES'MODSUBST'QVATAX\triangleIMPWQVATAX\triangleIMP*O'
[246] 'EXTERNAL\triangleSECTORS'MODSUBST'QIMPURCHAIN+\omegaQIMPURCH\DeltaIN+(PT[MKT IN]×1
-TXVA2)+. XQBUY[MKT IN;IN]'
[247] 'INVFIN'MODSUBST'QDPK+WQDPK&(OMEGAXPT[MKT IN]&+/OMEGAXPT[MKT IN])
+.x((QDPDOM\times1-IMP)+IMP\times(QDPFOR+QCXRATExXRPEFF) QDPDOM[IN])-QCHTXVA2-QCHTXVA
1'
[248] OLDIMP+IMP[MKT]
[249] DPURCHG+0.02
[250] QPURCHG+10P1700000000
[251] MAXDP +0.01
[252] MARKETAITER*5
[253] ค
```



KT IN])×SUM2 QINVLAG'
[285] 'COMPUTEABUYING'mODADD'QINVTOT+WQINVG QINVBLD QINVIN++/•QINVGREAL
QINVBLDREAL QINVINREAL×CPT[MKT IN]×(1-TXVA2) $+(1-T X V A 1) \times P \triangle R E E '$

```
[286] A
[287] A
[288] A ADD NEW PARAMETERS
[289] ค
[290] CON:
[291] PARAM[3;1]+C(JPARAM[3;1])ABOVE\uparrowPARAM
[292] PARAMETERANAMES+\downarrowدPARAM[3;1]
[293] VARIABLEANAMES &'QINVINREAL' 'QINVBLDREAL' 'QINVGREAL' 'QSUFOROLD
' 'OlDIMP' 'PaRAmETER\DeltaNamES'
[294] A
```

MSTART900
[0] MSTART900
[1] $ค$
[2] A Calibrated parameters.
[3] A Model vesrion 2.0 is used with R1982.91 and MSTART999
[4] A for calibration. Control variables and parameter space are
[5] A defined by DATL and PARL variables respectively in DATA
[6] A workspace. AMAXENT variable should be equal to 2.
[7] A Prepared by E.Taymaz Apr11 1991.
[8] $A$
[9] MARKETAITER+3
[10] NITER+4
[11] $A L F A B W+0.0261490475$
[12] BETABW+0.9029394488
[13] CHRFUND $1+0.0193471812$
[14] CHRFUND2 +0.0141927157
[15] E $1+0.1089252605$
[16] FIP +0.0842019195

| [17] | FIS +0.072185089 |
| :---: | :---: |
| [18] | FIW+0.0879668459 |
| [19] | GAMMA +0.3006141805 |
| [20] | GBRWRAT+0.7255351373 |
| [21] | GDEPRAT +0.184362314 |
| [22] | INTDIFF+1.213976264 |
| [23] | IOTA +0.8917630875 |
| [24] | IOTALOW+0. 1399296093 |
| [25] | KSI +0. 1425520581 |
| [26] | LAMDA $1+0.5646107603$ |
| [27] | LAMDA $2+0.7566414578$ |
| [28] | LOWERAMHIST+0.760064294 |
| [29] | MAXCHIDIFF+0.0053066724 |
| [30] | MAXDP + 0.0076168657 |
| [31] | MAXIDIFF+0.9885746857 |
| [32] | MAXQCHRI +0.0044792517 |
| [33] | MAXQCXRATE +0.0104058657 |
| [34] | MAXRIDIFF+0.0491137389 |
| [35] | MAXWCOEFF+0. 215619196 |
| [36] | MINIDIFF+0.8115695092 |
| [37] | MINRFUND 1+0. 1506980568 |
| [38] | MINRFUND2+0. 1504663515 |
| [39] | NEWFUND+0.5174949139 |
| [40] | NORMRU+0.0182401716 |
| [41] | OBSRATE 3.070525545 |
| [42] | QUITCOEFF+1. 036312969 |
| [43] | R + 0.5171516728 |
| [44] | RFUND $1+0.1506980568$ |
| [45] | RFUND2+0.1823497932 |
| [46] | RHO +0.0073760815 |
| [47] | RHOBOOK +0.0308450053 |
| [48] | RLU +0.576037509 |
| [49] | RTRANS+0.5201723303 |

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[50] SKREPA+79.16787031
[51] SMP+0.5104608729
[52] SMS+0.510506079
[53] SMT+0.4708944958
[54] SMW+0.4594676663
[55] THETA+0.0112773529
[56] TMFASS+0.2410732285
[57] TMFD+0.1810916951
[58] UTREF+0.8379947406
[59] XRATECOEFF+0.1132212279
[60] XRPEFF+0.1131868332
[61] TMSTO+O.9131268107
[62] TMIMSTO*O.9195760704
[63] MAXQDSUFOR+0.0144811424
[54] B11&1.00702343
[65] B12+1.018319013
[66] B13+0.6882757419
[67] B14+0.7995462478
[68] B15+0.8799771684
[69] B16+1.012275678
[70] B17+0.9839670222
[71] B18+0.9063180729
[72] B19+1.011074046
[73] B110+0.7413158738
[74] B111+0.996439764
[75] B112+0.4714071077
[76] BETA1+B11 B12 B13 B14 B15 B16 B17 B18 B19 B110 B111 B112
```

ADJUSTAPRICESAPC
[0] ADJUSTAPRICES $\triangle P C$; $\triangle$;MAXDP2
[1] MAXDP2+MAXDP×1-IMP[MKT]
[2] $\Delta+($ (QTBUY[MKT]×1-IMP[MKT])+NULLAGOODS+SUM1 QOPTSUDOM $)-1$
[3] PT[MKT]×+1+(MAXDP2× $\Delta) \div$ MAXDP $2+\mid \Delta$

COMPUTEAIMPORTSAPC
[0] COMPUTEAIMPORTSAPC;IMPZ;QMAXTSUDOM
[1] QTBUYFOR+QTBUY×IMP IMPZ+O
[2] QTBUYDOM+QTBUY-QTBUYFOR
[3] QTBUYDOM[MKT]+QTBUYDOM[MKT]LQMAXTSUDOM+NULLAGOODS+SUM1 O「QQ+(STO-MI NSTO)-QSUFOR
[4] QTBUYFOR-ф(2 pNDURADUR)pQTBUYFOR QTBUY-QTBUYDOM+QTBUYFOR
[5] ALWAYS'QTBUYFOR $\geq 0^{\prime}$
[6] ALWAYS' O=QTBUYFOR[Z;]'
[7] R QIMPORT*(QPFOR[MKT] (1-TXVA2)×(QPDOM[IN]×1+QDPIN))+. $\times+$ /QTBUYFOR[MK
TIN; ]
[8] QIMPORT+(QPFOR[MKT] (1-TXVA2)×(1+QCXRATE×XRPEFF)×(QPDOM[IN]×1+QDPIN
))+. $x+$ /QTBUYFOR[MKT IN; ]
[9] IMP[MKTj+(+/QTBUYFOR[MKT;])+QTBUY[MKT]

DOMESTICAMARKETAPC
[0] DOMESTICAMARKETAPC;QOPTSUDOM; QPRELPDOM; INMONEYHH;QSPSAVREQ
[1] MARKETAENTRANCE $\triangle P C$
[2] HOUSEHOLDAINIT
[3] A
[4] MARKET $\triangle C O N F R O N T \triangle P C$
[5] $ค$
[6] COMPUTEAIMPORTSAPC
[7] NOTIFY ${ }^{\circ}$ QTBUY[MKT IN]=0
[8] DOMESTICARESULTAPC
[9] EXTERNAL $\triangle$ SECTORS
[10] HOUSEHOLDAUPDATE

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                                    1 6 9
[11] INDIRECTATAXES
[12] A
[13] ALWAYS'INMONEYHH=QWTAX+QITAX+QSAVH++/QSP[NDURADUR;]+.\timesNH'
[14] ALWAYS'((+/QPURCHG+QSP[MKT IN;]+.\timesNH)+(QINVG+QINVIN+QINVBLD+SUM2 Q
INVLAG)+(+/QIMPURCHAIN )+((SUM2 QIMQ )+. XQPDOM×1-TXVA2 ) )=(+/QVATAX[MKT IN])+(
+/QSDOMAIN)+QIMPORT+QTSUDOM+. x(QPDOM\times1-TXVA2)[MKT]'
DOMESTICARESULTAPC
[0] DOMESTICARESULTAPC
[1] A QDPDOM[MKT]+((PT[MKT]-IMP[MKT]\timesQPFOR[MKT]+1-TXVA2)+((1-IMP[MKT])\timesQ
PDOM[MKT]))-1
[2] QDPDOM[MKT]+((PT[MKT]-OLDIMP\timesQPFOR[MKT]+1-TXVA2)+((1-OLDIMP)\timesQPDOM[
MKT]))-1
[3] QDPDOM[IN]+(PT[IN]+QPDOM[IN])-1
[4] QPDOM+( 1+QDPDOM)\timesQPDOM
[5] PT[MKT]+(QPDOM[MKT]\times1-IMP[MKT])+(QPFOR[MKT] \IMP[MKT])+1-TXVA2
[6] A QPZ+PT[Z]\times1-TXVAZ
[7] QTSUDOM+O[QTBUYDOM[MKT]-NULLAGOODS
[8] A QSZ+QTBUYDOM[Z]\timesQPZ
[9] ALWAYS'QSZ=(1-TXVAZ)\timesNH+.\timesQSP[Z;]'
ENTERANEWFIRMS
[0] ENTER\triangleNEWFIRMS;MM;NL;NF;N;KKI;\triangleTEC;\triangleRES;RELSIZE
[1] N+一 1^\rhoNEW\DeltaFIRMS
[2] }->(N=O)/
[3] }->(0-NF++/NEW\DeltaFIRMS[2;])/
[4] KKI +O
[5] BEG:KKI +KKI+1
[6] MMM+NEWAFIRMS[1;KKI ]
[7] RELSIZE+NEW\DeltaFIRMS[2;KKI]PENTRYASPECS[1]
```

[8] $\triangle T E C+N E W \Delta F I R M S[2 ; K K I] \rho E N T R Y \Delta S P E C S[2]$
[9] $\triangle$ RES +NEW $\triangle$ FIRMS[2;KKI]pENTRY $\triangle S P E C S[3]$
[10] FIRMENTRY $\triangle P C$ NEW $\triangle F I R M S[12 ; K K I]$
[11] $\rightarrow(K K I<N) / B E G$
[12] NEWAFIRMS $41 \rho 10(\subset 10 \rho 0)(\subset 10 \rho 0) 0$
[13] $N L+L[(\rho L)-N F-2 N F]$
[14] $\rightarrow$ DOIF LU $\geq+/ \mathrm{NL} \diamond$ LU- $++/ \mathrm{NL}\rangle \rightarrow 0$
[15] $\mathrm{NL}+\mathrm{NL} \times \mathrm{LU}^{+}+/ \mathrm{NL}$
[16] LU-++/NL
[17] L[(PL)-NF-2NF]+NL
*****************************************************************************

FINALQPQSQMAPC
[0] FINALQPQSQMAPC
[1] ค
[2] QSU+QSUFOR+QSUDOM
[3] QDS+(QSFOR+QSDOM-QS)+QS
[4] QS+QSFOR+QSDOM
[5] ALWAYS ${ }^{\top} Q S>0^{\circ}$
[6] $Q D P+((Q S+Q S U)-Q P)+Q P$
[7] QP+QS+QSU
[8] $Q V A+Q V A \times 1+Q D V A+-1+(Q Q \times Q P-S H A R E \times((P T[210] \times 1-T X V A 2)+. \times I O)[M A R K E T])+Q V$

A
[9] $Q M+1-(L \times Q W) \div 4 \times Q S N E T \leftarrow Q S-Q I M Q+. \times P T[210] \times 1-T X V A 2$

FIRMENTRY $\triangle P C$
 Q;QTOP; QVA;RES;SHARE;VA;H;K 1 ;IEC;DS;DQ;INVEFE
[1] MMM+MMM[1]
[2] NUM+MMM[2]
[3] RW+RW (pRELSIZE) $\rho S$ AVGATOP RW

A21*( $\mathrm{PRELSIZE)} \mathrm{\rho O}$
[34] $D S+D S \quad D S+(Q \times D P+D Q \times P)+S$
[35] $Q S+Q S Q Q \times Q P$
A224(pRELSIZE)p(VA AVGATOP A22)
K 1B00K + K 1B00K K 1
$8 \mathrm{C}+0 \Gamma-\mathrm{K}_{2}$
K2 4 K2 O「K2
$B W+B W$ BW
QINV+QINV RELSIZE×O
QINVLAG+QINVLAG RELSIZE×0
DELAYAINV+DELAYAINV [1](NUM 3) 0
$X+X$ ( $\rho$ RELSIZE) $\rho$ S AVGATOP $X$
$P+P R+(\rho R E L S I Z E) \rho S$ AVGATOP $P$
$Q P+Q P Q P+(\rho R E L S I Z E) \rho Q S$ AVGATOP QP
$D P \& D P$ DP\& (pRELSIZE) $P S$ AVGATOP DP
$W+W W+(p R E L S I Z E) p L \quad$ AVGATOP $W$
DW•DW (pRELSIZE)pVA AVGATOP DW
QDW-QDW ( $\rho$ RELSIZE) $\rho(L \times Q W) A V G A T O P$ QDW
QW+QW (pRELSIZE)pL AVGATOP QW
A
DVA + DVA DVA+(pRELSIZE)pVA AVGATOP DVA
VA+VA VA+RELSIZEx(S AVGATOP VA)
QVA+QVA QVA+RELSIZEx(S AVGATOP QVA)
DQ4DQ DQ4DVA-DP
ค
$S+Q \times P$
$Q S+Q S Q Q \times Q P$
AMAN+( (pAMAN) $+($ PRELSIZE) O) 4 AMAN
$K 1+K 1 K 1+(\rho R E L S I Z E) \rho+/($ ONEW $\triangle$ FIRMS[3;KKI]) $\times P T[M K T I N] \times 1-T X V A 2$


SHARE+SHARE SHARE+(pRELSIZE)pS AVGATOP SHARE
$Q+Q Q+V A+P-S H A R E \times((P T[M K T I N] \times 1-T X V A 2)+. \times I O)[M M]$
$Q Q+Q Q Q Q+Q V A+Q P-S H A R E \times((P T[M K T I N] \times 1-T X V A 2)+. \times I O)[M M]$

| [37] | A |
| :---: | :---: |
| [38] | EXPDP4EXPDP (pRELSIZE)pS AVGATOP EXPDP |
| [39] | EXPDS4EXPDS (pRELSIZE) PS AVGATOP EXPDS |
| [40] | EXPDW-EXPDW (PRELSIZE) PS AVGDTOP EXPDW |
| [41] | HISTDP+HISTDP (pRELSIZE)pS AVGATOP HISTDP |
| [42] | HISTDPDEV+HISTDPDEV (pRELSIZE) PS AVGATOP HISTDPDEV |
| [43] | HISTDPDEV24HISTDPDEV2 (pRELSIZE)pS AVGATOP HISTDPDEV2 |
| [44] | HISTDS+HISTDS (pRELSIZE)pS AVGATOP HISTDS |
| [45] | HISTDSDEV+HISTDSDEV (pRELSIZE)pS AVGATOP HISTDSDEV |
| [46] | HISTDSDEV2+HISTDSDEV2 (pRELSIZE)pS AVGATOP HISTDSDEV2 |
| [47] | HISTDW+HISTDW (pRELSIZE)pS AVGATOP HISTDW |
| [48] | HISTDWDEV-HISTDWDEV ( $\rho$ RELSIZE) PS AVGATOP HISTDWDEV |
| [49] | HISTDWDEV2+HISTDWDEV2 (pRELSIZE)pS AVGATOP HISTDWDEV2 |
| [50] | A |
| [51] | CUMINV-CUMINV (pRELSIZE)po |
| [52] | CUML+CUML ( $\quad$ RELSIZE)po |
| [53] | LLASTYR+LLASTYR (pRELSIZE)p1 |
| [54] | DL + DL (pRELSIZE)po |
| [55] | DNW+DNW (pRELSIZE)po |
| [56] | NWLASTYR+NWLASTYR (pRELSIZE)p 1 |
| [57] | CUMM + CUMM ( ${ }^{\text {a }}$ ( ${ }^{\text {a }}$ |
| [58] | CUMQ + CUMQ (pRELSIZE)po |
| [59] | CUMS +CUMS (pRELSIZE)po |
| [60] | CUMSNET+CUMSNET (pRELSIZE)po |
| [61] | CUMSU+CUMSU (pRELSIZE)po |
| [62] | CUMVA+CUMVA ( $\rho$ RELSIZE) P ( |
| [63] |  |
| [64] | CUMINTPAYF+CUMINTPAYF (pRELSIZE)po |
| [65] | CUMDEPR+CUMDEPR ( $\mathrm{PRELSIIZE)} \mathrm{PO}$ |
| [66] | CUMTAXF+CUMTAXF (pRELSIZE)po |
| [67] | CUMDIV+CUMDIV (pRELSIZE)po |
| [68] | CUMSUBSF+CUMSUBSF (pRELSIZE)po |
| [69] | CUMCHBWF-CUMCHBWF (pRELSIZE)po |

[97] RSUBS $\triangle C A S H+R S U B S \triangle C A S H$ OXRELSIZE
[98] RSUBS $\triangle E X T R A+R S U B S \triangle E X T R A$ O×RELSIZE
[99] BIG+BIG (pRELSIZE) $\rho$ A AVGATOP BIG
[100] SMALL+SMALL (PRELSIZE) PS AVGATOP SMALL
[101] IMBIG+IMBIG ( $\rho$ RELSIZE) $\rho$ S AVGATOP IMBIG
[102] IMSMALL +IMSMALL (PRELSIZE) PS AVGATOP IMSMALL

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                                    174
[103] BAD+BAD (\rhoRELSIZE)\rhoO
[104] RWC+RWC RWC+(PRELSIZE)PS AVG\triangleTOP RWC
[105] ENTRY\triangleEPSILON+ENTRY\triangleEPSILON RWC-(\rhoRWC)PRIF
[106] S+S S
[107] A
[108] MARKET+MARKET (\rhoRELSIZE)\rhoMM
[109] ORIGMARKET+ORIGMARKET (\rhoRELSIZE)\rhoMM
[110] LEFT+LEFT RELSIZE=RELSIZE
[111] }->(2\not=\squareN\mp@subsup{N}{}{\prime}FIRMCHARC')/OU
[112] FIRMCHARC+FIRMCHARC ABOVE THIS\triangleYEAR MM NUM (12 NUM\rho((100xM) L (O.
0001\timesYA QQ) QP DS (0.0001\timesK1 QTOP) IEC (100\timesINVEFF) (100\timesRES) (100\timesA22)))[;
1]
[113] OUT:
GOVERNMENT\triangleACCOUNTINGAPC
[0] GOVERNMENT\triangleACCOUNTINGAPC;MAXCHPOSG
[1] a QWTAX QITAX QVATAX QCTAX ARE ALREADY AVAILABLE FROM THROUGHOUT THE
QUARTER
[2] QINTG+(DEPG\timesRIDEPG+4)-(BWG\timesRIBWG+4)
[3] QINTGFOR+(DEPGFOR×RIDEPGFOR\div4)-(BWGFOR×RIBWGFOR\div4)
[4] QWSG+LG\timesQWG+4
[5] QSUBS+QSUBSFOR+QSUBSDOM+QSUBS\triangleCASH
[6] QSPG+QWSG+(+/QPURCHG )+QTRANS+QSUBS
[7] QSURPLUSG+(QTTAX+QWTAX+QITAX+(+/QVATAX)+QCTAX)+QINTG+QINTGFOR-QSPG+
QINVG
[8] ->DOIF 2=\squareNC'QDGNPCUR' \diamond QMPRINT+O「(-QSURPLUSG\timesQSURPLUSG>O)+RESERVEM
ONEY*QDGNPCUR
[9] ->DOIF 2*\squareNC'@DGNPCUR' \diamond QMPRINT+O「(-QSURPLUSG×QSURPLUSG>O)+RESERVEM
ONEY\timesS AVG2 DS
[10] POSGFOR +POSGFOR +QCHPOSGFOR +O
[11] QCHPOSG+QSURPLUSG+QMPRINT-QCHPOSGFOR
[12] }->(QCHPOSG\leqO)/JM
```

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[14] TDEV
[15] JMP:
[16] MAXCHPOSG+- 1\times1 [POSG+GBRWRATX(SUM2 BW)+FASS+LIQBFOR+LIQB+BWG-O「WH+.
```

$\times \mathrm{NH}$
[17] DEV:
[18] QCHPOSG+(MAXCHPOSG×QCHPOSG)+MAXCHPOSG+QCHPOSG
[19] POSG+POSG+QCHPOSG+QSURPLUSG-QCHPOSGFOR-QMPRINT+(-0.01×RESERVEMONEY
) ${ }^{\text {QQCHPOSG+QCHPOSGFOR-QSURPLUSG }}$
[20] RESERVEMONEY++QMPRINT
[21] $A$
[22] CUMWTAX+CUMWTAX+QWTAX
[23] CUMITAX + CUMITAX+QITAX
[24] CUMVATAX-CUMVATAX++/QVATAX
[25] CUMCTAX+CUMCTAX+QCTAX
[26] CUMWSG+CUMWSG+QWSG
[27] CUMLG+(LG+CUMLG×NRS-1)+NRS
[28] CUMPURCHG+CUMPURCHG+QPURCHG
[29] CUMTRANS + CUMTRANS+QTRANS
[30] CUMSUBS + CUMSUBS + QSUBS
[31] CUMMPRINT+CUMMPRINT+QMPRINT
[32] CUMINTG+CUMINTG+QINTGFOR+QINTG
[33] CUMINVG+CUMINVG+QINVG
[34] $\rightarrow($ NRS $<4) /$ OUT
[35] WTAX+CUMWTAX
[36] ITAX+CUMITAX
[37] VATAX+CumVATAX
[38] CTAX+CUMCTAX
[39] MPRINT+CUMMPRINT
[40] INTG+CUMINTG
[41] INVG+CUMINVG
[42] WG+WG×1+DWG+-1+CUMWSG+CUMLG×WG
[43] WSG+WSG×1+DWSG $\leftarrow^{-}$1+CUMWSG*WSG

| [44] | PURCHG+CUMPURCHG |
| :--- | :--- |
| [45] | TRANS+CUMTRANS |
| [46] | SUBS+CUMSUBS |
| [47] | SPG+WSG+(+/PURCHG + +TRANS + SUBS |
| [48] | SURPLUSG+WTAX+ITAX+VATAX+CTAX+INTG-SPG+INVG |
| $[49]$ | OUT: |

MARKETACONFRONTAPC
[0] MARKET $\triangle C O N F R O N T \triangle P C ; J$
[1] $ค$
[2] IMP[MKT]+OLDIMP

>QPFOR) $\times(+4 \times T M I M P) \times($ QPFOR-(QPDOM×1-TXVA2)[MKT]) $+($ QPFORL $(Q P D O M \times 1-T X V A 2)[M K T]$
,
[4] OLDIMP 4 IMP[MKT]
[5] PT+(QPRELPDOM×1-IMP[MKT])+IMP[MKT]×QPFOR[MKT]*1-TXVA2
[6] A PT+PT (QPDOM[IN]×1+QDPIN) 1
[7] PT+PT ((1+QCXRATE×XRPEFF)×QPDOM[IN]×1+QDPIN) 1
[8] A QPURCHG+O「(( (1+DPURCHG)×(LG×QWG+4)++/QPURCHG)-LG×QWG+4)×GKOFF×PT[2
$10]+$ /GKOFFXPT[210]
[9] QPURCHG+OГ(( (1+OГDPURCHG×(QTTAX+QSURPLUSG) $\div Q T T A X) \times(L G \times Q W G+4)++/ Q P U R$
CHG)-LG×QWG+4)×GKOFF×PT[210]++/GKOFF×PT[210]
[10] J+1
[11] L:
[12] COMPUTEASPENDING
[13] COMPUTEABUYING
[14] $\rightarrow($ MARKET $\Delta I T E R<J+J+1) / 0$
[15] ADJUSTAPRICESAPC
[16] $\rightarrow L$

MARKETAENTRANCE $\triangle P C$
[0] MARKET $\triangle E N T R A N C E \triangle P C ; \triangle \Delta ; M A X D P 2$
[1] MAXDP24(1-IMP[MKT])×MAXDP×MARKETAITER
[2] QOPTSUDOM $+(1-X) \times$ QOPTSU
[3] $\Delta \Delta \Psi^{-1+Q O P T S U D O M ~ A V G 1 ~ Q E X P P+Q P ~}$
[4] $\Delta \Delta \leftarrow \Delta \Delta \times M A X D P 2+\operatorname{MAXDP} 2+\mid \Delta \Delta$
[5] QPRELPDOM $+($ QPDOM× $1+$ QCHTXVA2 $)[M K T] \times 1+\Delta \Delta$

MDIFYAEXP
[0] MDIFY $\triangle E X P ; W ; \Delta$
[1] EXPDS $\times+1+X \times 4 \times$ QCXRATE×XRPEFF
[2] $ค$
[3] We(L AVG1 W)[MARKET]
[4] $\Delta+((((U T R E F \times Q F R 1 L)-Q Q)+U T R E F \times Q F R 1 L)<(E X P D S-E X P D P)+1+E X P D P) \times(1+W) \times$
$((+/ L+W)+(+/ L+W)+$ SKREPA $\times L U++/ W+\rho W) \times O \Gamma(W \times(1+G A M M A))-W$
[5] ค
[6] EXPDW 4 (2×EXPDP) [ $\triangle+E X P D W \times 1-A M A N[; 1] \div L$
[7] EXPDP+(MAXEXPDP-(MAXEXPDP+MINEXPDP)×EXPDP<O) XEXPDP+(MAXEXPDP-(MAXEX PDP + MINEXPDP ) XEXPDP $<0$ ) +EXPDP
[8] EXPDW+(MAXEXPDW-(MAXEXPDW+MINEXPDW)×EXPDW<0)×EXPDW\% (MAXEXPDW-(MAXEX PDW+MINEXPDW)×EXPDW<O)+EXPDW
[9] EXPDS $+($ MAXEXPDS - (MAXEXPDS + MINEXPDS $) \times E X P D S<0) \times E X P D S \div($ MAXEXPDS $-($ MAXEX
PDS+MINEXPDS) $\times$ EXPDS $<0$ ) +EXPDS

NATIONAL $\triangle A C C O U N T I N G \triangle P C$
[0] NATIONAL $\triangle A C C O U N T I N G \triangle P C ; Q C H T S T O C U R F ; Q C H T S T O C U R M ; O L D$
[1] TSTOCURF 1 -TSTOCURF+QCHTSTOCURF $+($ SUM1 K3 $\triangle$ FINISH)-TSTOCURF
[2] TSTOCURM 4 TSTOCURM+QCHTSTOCURM $+(P T[M K T] \times(1-T X V A 2) \times S U M 1 S T O)-T S T O C U R M$
[3] $\quad\left(2=\square N C^{\prime}\right.$ QGNPCUR')/'OLD+QGNPCUR'
[4] QGNPCUR+((SUM1 QSNET)+QCHTSTOCURF) QVADIN ((+/QVATAX)+(+/QCHTSTOCUR
m)-(+/QCHTSTOCURF)+QVATAXAIMP) (-QSUBS-QSUBS $\triangle C A S H)$ QWSG
[5] QGNPCUR+QGNPCUR (+/QPURCHG) (+/QSP[MKT IN;]+.×NH) ((SUM2 QINVLAG)-Q
TCHINV) QINVIN QINVBLD Qinvg (+/QCHTSTOCURM)
[6] QGNPCUR+QGNPCUR QEXPORT (-QIMPORT+QVATAXAIMP)

[8] (2-DNC'OLD')/'QDGNPCUR+-1+@GNPCUR+OLD'
[9] CUMGNPCUR+CUMGNPCUR+QGNPCUR
[10] A
[11] QGNPFIX+(PAREE×((SUM1 QQ)-QWASTE) QQIN)-(PAREF+.×QBUY[MKT IN;MKT I
N])
[12] QGNPFIX+QGNPFIX LG×WGAREF+4
[13] QGNPFIX+QGNPFIX ((PAREF+1-TXVA2)+. XQPURCHG $\div$ PT[MKT IN]) ((PAREF+1-T
XVA2)+. $\times($ QSP[MKT IN; $]+. \times N H)+P T[M K T$ IN])

$(1-$ TXVA 2$) \div(1-$ TXVA 1$)$

A1)
[16] QGNPFIX\&QGNPFIX PAREF+. $\times$ OMEGABLD×QINVBLD $\div$ PT[MKT IN]×(1-TXVA2) $\div(1-T$
XVA1)
[17] QGNPFIX 4 QGNPFIX P $\triangle$ REF +. $\times$ OMEGAG×QINVG+PT[MKT IN]×(1-TXVA2) $\div(1-T X V A 1$
)
[18] A QGNPFIX+QGNPFIX PAREF+. $\times$ OMEGA× ( (SUM2 QINVLAG)-QTCHINV) + +/OMEGA×PT
[MKT IN]×1-TXVA2
[19] A QGNPFIX+QGNPFIX +/QINVINREAL
[20] A QGNPFIX+QGNPFIX +/QINVBLDREAL
[21] ค QGNPFIX+QGNPFIX +/QINVGREAL
[22] A QGNPFIX+QGNPFIX (PAREF[MKT]+.×QCHTSTO) (P $\triangle$ REFAFOR + . $\times$ (SUM1 QSUFOR)
(XIN×QQiN)) (-PAREFAEOR + . $\times+$ /QTBUYFOR[MKT IN; ])
[23] QGNPFIX+QGNPFIX (PAREF[MKT]+.×QCHTSTO) (PAREF+. $\times(S U M 1$ QSUFOR) (XIN
*QQIN) ( (-PAREF+. $x+$ /QTBUYFOR[MKT IN; ])
[24] ALWAYS'(+/(1+PMKT IN) 4 QGNPFIX) $=\left(+/(\right.$ PMKT IN $)+$ QGNPFIX) ${ }^{\prime}$
[25] CUMGNPFIX+CUMGNPFIX+QGNPFIX
[26] ค

| [27] | CUMEXPORT+CUMEXPORT+QEXPORT |
| :--- | :--- |
| [28] | CUMIMPORT+CUMIMPORT+QIMPORT |
| [29] | A |
| [30] | AFOR THE LAST QUARTER |
| [31] | A |
| [32] | $\rightarrow(N R S<4) / O U T$ |
| [33] | GNPFIX+CUMGNPFIX |
| [34] | GNPCUR+CUMGNPCUR |
| [35] | EXPORT+CUMEXPORT |
| [36] | IMPORT+CUMIMPORT |
| [37] | OUT: |

OBSOLETEAK
[O] OBSOLETE $\Delta K ; B ; Y ; J ; D ; \Delta$
[1] $J+2 \rho Y++B+Q E X P W+4 \times W T I X \times(1-R E S) \times T E C \times Q E X P P N E T$
[2] ALWAYS ${ }^{\prime} B>0$.
[3] $N R: \rightarrow N R+0=\rho J+(D>0.0011 \times Y[J]+Y[J]-D+((B[J] \times Y[J])+(*-Y[J])-1)+B[J]-*-Y[J$
J)/J
[4] A $\triangle+(1+O B S R A T E) \times Q F R 1 \quad Y \times Q T O P+T E C$
[5] $\triangle+Q F R 1$ OBSRATE $\times Y \times Q T O P \Psi T E C$
[6] $\Delta+($ QTOPMAXL $\Delta) \div Q T O P M A X$
[7] QTOPMAX+QTOPMAX× $\triangle$
[8] K1x+ $\Delta$

QUARTERLYAEXPAPC
[0] QUARTERLY $\triangle E X P \triangle P C ; Q E X P D W ; Q C H T X V A 2 I N ; \Delta \Delta$
[1] $A$
[2] QEXPDP+EXPDP+4
[3] QEXPDW+EXPDW+4
[4] QEXPDS 4 EXPDS 4

```
[5] ->(NRS=1)/L }18
[6] QEXPDP+QEXPDP+FIP\timesQDP-QEXPDP
[7] QEXPDW+QEXPDW+FIW\timesQDW-QEXPDW
[8] QEXPDS+QEXPDS+FIS×QDS-QEXPDS
[9] L:
[10] QEXPP+QP\times1+QEXPDP
[11] QEXPW+QW\times1+QEXPDW
[12] QEXPS+QS*1+QEXPDS
[13] A
[14] \Delta\Delta+(IMP[MKT]\timesQPFOR[MKT])+(1-IMP[MKT])\timesQPDOM[MKT] \1-TXVA2
[15] }\Delta\Delta+\Delta\Delta QPDOM[IN]\times1-TXVA2
[16] QEXPPIM+\Delta\Delta\times1+(QQ AVG1 QEXPDP) QDPIN-QCHTXVA2IN+(\rhoMKT)+(\rhoMKT IN)\rhoQC
HTXVA2
QUITS
[0] QUITS;\Delta
[1] A+O.01\timesQUITCOEFF\timesOT-1+(+/L\timesW)*(+/L)\timesW\times1+GAMMA\timesRU*NORMRU
[2] LU+LU++/\Delta\timesL++//AMAN
[3] Lx+1-\Delta
[4] AMAN+AMAN }\\mathrm{ ( (3 p|)p1-A
[5] RU+RU+QCHRU+(LU*LU+LG+SUM2 L)-RU
STARTAENTRYAPC
[O] START\triangleENTRY\trianglePC MM\triangleENTRY;ENTRY\triangleMKTNR;RELSIZE;I;MM;NUM;LIST;NEWACAP;K
1;K2;EXPDP;MSTO;STO;DIZI
[1] NEW\triangleCAP+LIST TOPO
[2] NEW\triangleFIRMS+5 4\rho1 2 3 4 16\rhoO
[3] RELSIZE+ENTRY\triangleSPECS[1]
[4] I+1
[5] ST:->END*2(\rhoMM\triangleENTRY)<I +I +1
```

[6] ENTRY $\triangle M K T N R+M M+1 \rho M M A E N T R Y[I]$
[7] $\rightarrow$ (4>+/MARKET=Min)/ST
[8] NUM+STARTAENT2 ENTRYAEPSILON
[9] $\rightarrow$ (NUM-O)/ST
[10] LIST +NUMPMM
[11] EXPDP $+1+(S$ AVGATOP EXPDP $)+4$
[12] K1+RELSIZExEXPDP×K1 AVGATOP K1
[13] K2+RELSIZEXEXPDP×K2 AVGATOP K2
[14] MSTO+RELSIZE×IO+. $\times 1+$ /MINIMSTO) AVGATOP +/MINIMSTO
[15] STO+EXPDP×MSTO+. $\times 10$ 1pPT[MKT IN]×1-TXVA2
[16] NEWACAP +NUMPK $1+$ K2 $2+$ STO
[17] NEWAFIRMS[3 4 5; I-1]+(COMEGA×K1+ + /OMEGA×PT[MKT IN]×(1-TXVA2)×EXPDP
) (CMSTO) K1+K2+STO
[18] $\rightarrow$ ST
[19] END:
[20] $\rightarrow(($ NEWFUND×WH+. $\times$ NH $) \geq+/$ NEWACAP $) / J M P$
[21] $\rightarrow(0=$ pLIST $) /$ JMP
[22] DIZI+(PLIST)?PLIST
[23] LIST+(1*DIZI)/LIST
[24] NEWACAP+(1才DIZI)/NEWACAP
[25] $\rightarrow E N D$
[26] JMP:
[27] NEWAFIRMS[2;LIST]++LISTGMMAENTRY
[28] NEWAFIRMS+( O $=$ NEWAFIRMS[2;])/NEWAFIRMS
[29] $£(0=-1 \uparrow \rho N E W \Delta F I R M S) / ' N E W \Delta F I R M S+51 \rho 10(c 10 \rho 0)(c 10 p O) 0^{\prime}$

TARGASEARCH $\triangle P C$
[O] TARG $\triangle$ SEARCH $\triangle P C$;KEEPS;NEXT;I;OK;II;Q2;Q3;Q7;LAYOFF;QEXPPNET;WHERE;L5
[1] $\boldsymbol{A}$
[2] A SIMULTANEOUS SEARCH FOR ALL FIRMS:
[3] A NEXT - INDICATES NEXT STEP TO BE TRIED FOR EACH FIRM
[4] a I - indices of the firms to be handled in a step
[5] a ok - tells which firms in 'i' that are successful in a step
[6] A II - SHORT FOR 'OK/I'
[7] ค
[8] QEXPPNET+QEXPP-SHARE×(QEXPPIM+.×IO)[MARKET]
[9] QPLANL+(pL) $\rho^{-1}$
[10] ALWAYS'QEXPPNET>0 '
[11] $\rightarrow$ DOIF(v/QEXPPNETSO) $\diamond$ NULLIFYALINE+"****** NULLIFIED (NEG PR) (YEA
R=' tTHISAYEAR $\oslash$ NULLIFY(QEXPPNET $\leq 0) ~ \oslash$ QEXPPNET+(QEXPPNET>0)/QEXPPNET
[12] Q3+QFR1 L
[13] Q7+Q3LQPLANQ
[14] Q2+Q3LQEXPSU+MAXSTO-STO
[15]
[16]
[19] WHERE $\leftarrow(\rho L) \rho 9$
[25] II+(OK+Q2[I]SAT L[I])/I+(NEXT=2)/ipQPLANQ
[26] QPLANQ[II]+(QPLANL[II]+L[II])×QEXPW[II]+4×(1-QTARGM[II])×QEXPPNET[
II]
[27] WHERE[II]+2
[28] NEXT[I]+(3 4 10 10)[1+(Q2[I]-Q3[I])+2×OK]
[29] ค
[30] II+(OK+Q2[I]SAT I RFQ2 Q2)/I+(NEXT=3)/ipQPLANQ
[31] Where[II]+3
[32] QPLANL[II]+(1-QTARGM[II])×(QPLANQ[II]+Q2[II])×QEXPPNET[II]+QEXPW[I
1]+4
[33] NEXT[I]+(4 10)[1+OK]
[35] II $+(O K+Q P L A N Q[I] S A T I R F Q 2$ QPLANQ $) / I+(N E X T=4) / 2 \rho Q P L A N Q$
[36] SOLVE II
[37] (I RFQ2 QPLANQ)SOLVEAMONEY(I RFQ2 Q2)
[38] QPLANQ[II]+II QFR2 QPLANL
[39] WHERE[II] 4
[40] NEXT[I]+(7 10)[1+OK]
[41] $A$
[42] II+(OK+QPLANQ[I]SAT L5[I]+I RFQ2 QPLANQ)/I+(NEXT=5)/ipL5+(pL)pLU+S
UM2 L
[43] WHERE[II] $\$ 5$
[44] QPLANL[II]+II RFQ2 QPLANQ
[45] NEXT[I]+( 6 10)[1+OK]
[46] $A$
[47] II+(OK+Q3[I]SAT L[I])/I+(NEXT=6)/2pQPLANQ
[48] SOLVE II
[49] L[I]SOLVEAMONEY L5[I]
[50] QPLANQ[II]+II QFR2 QPLANL
[51] WHERE[II] $\uparrow 6$
[52] NEXT[I]+(7 10)[1+OK]
[53] ค
[54] II $4(O K+Q 7[I] S A T I R F Q 2 Q 7 \times(1-R E S)+(1-R E S D O W N \times R E S)) / I+(N E X T=7) / \imath \rho Q P$
LANQ
[55] WHERE[II] +7
[56] QPLANL[II]+(1-QTARGM[II])×(QPLANQ[II]+Q7[II])×QEXPPNET[II]+QEXPW[I
I] +4
[57] RES[II]+1-QPLANQ[II]×(1-RES[II])+II QFR2 QPLANL
[58] RES[(~OK)/I]+RESDOWN×RES[(~OK)/I]
[59] ALWAYS'(RES $\geq 0) \wedge(R E S \leq R E S M A X)$.
[60] NEXT[I]+(8 10)[1+OK]
[61] $A$
[62] $I I+(O K+(I \times O) S A T(I \times O)) / I+(N E X T=8) / \imath \rho Q P L A N Q$
[63] SOLVE II

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                                    184
[64] O SOLVEAMONEY(I RFQ2 Q7)
[65] QPLANQ[II]+II QFR2 QPLANL
[66] WHERE[II] ] 8
[67] NEXT[I]+(9 10)[1+OK]
[68] A
[69] II +(OK +SAT\DeltaLOW I)/I +(NEXT=9)/\imathpQPLANQ
[70] QPLANQ[II]+QQ[II]
[71] QPLANL[II]+II RFQ2 QPLANQ
[72] WHERE[II]+9
[73] NEXT[I]+(13 10)[1+OK]
[74] KEEPS +(QPLANL<(QTOP*TEC)\times@EXPPNET\timesTEC\timesWTIX×(1-RES)*QEXPW*4)AWHERE
\epsilon4 6 8
[75] ->DOIF O<+/KEEPS \diamond(KEEPS/MHIST)\times+LOWER\triangleMHIST
[76] A
[77] }->\mathrm{ DOIF(O<PI*(NEXT=13)/2PQPLANQ) \ NULLIFYATARG(2PQPLANQ)EI
[78] A WARNING: 'NEXT' 'Q2' 'Q3' 'Q7' ARE NOT SHRINKED.
[79] A
[80] AMAN+(0 1+AMMAN) L
[81] LAYOFF+O[L-QPLANL
[82] AMAN+OГAMAN-O\Gamma(+\AMAN)MINUS7 LAYOFF
[83] ค
[84] ALWAYS'QPLANQ\geq0 '
[85] ALWAYS' 0<SUM1(\rhoMARKET)\rho1 '
[86] ALWAYS'QPLANL\geq0 '
[87] I+l\rhoQPLANQ
[88] ALWAYS'QPLANQ SAT QPLANL'
```

TARGASEARCH $\triangle$ SHOW
[0] TARGASEARCH $\triangle$ SHOW;KEEPS;NEXT;I;OK;II;Q2;Q3;Q7;LAYOFF;QEXPPNET;WHERE;
L5
[1] $A$
[2] A SIMULTANEOUS SEARCH FOR ALL FIRMS:

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[3] A NEXT - INDICATES NEXT STEP TO BE TRIED FOR EACH FIRM
[4] A I - INDICES OF THE FIRMS TO BE HANDLED IN A STEP
[5] A OK - TELLS WHICH FIRMS IN 'I' THAT ARE SUCCESSFUL IN A STEP
[6] A II - SHORT FOR 'OK/I'
[7] A THIS FUNCTION ALSO SHOWS THE TARGET SEARCH OF THE FIRM '\DeltaF'.
[8] ค
[9] ->DOIF O=\squareNC'\triangleF' \ पARBOUT 7 \diamond 3 1 1\rho(40\rho'*')(' ENTER THE FIRM COD
E ') }\Delta\DeltaF+
[10] QEXPPNET+QEXPP-SHAREX(QEXPPIM+.xIO)[MARKET]
[11] QPLANL+(\rhoL)\rho-1
[12] ALWAYS'QEXPPNET>O '
[13] ->DOIF(v/QEXPPNET\leqO) \ NULLIFYALINE+'****** NULLIFIED (NEG PR) (YEA
R=' TTHISAYEAR \diamond NULLIFY(QEXPPNET\leqO) \ QEXPPNET*(QEXPPNET>O)/QEXPPNET
[14] Q3+QFR1 L
[15] Q7+Q3LQPLANQ
[16] Q2+Q3LQEXPSU+MAXSTO-STO
[17]
[18] ค
[19] NEXT+(1 5 6)[1+(QPLANQ\geqQTOP\timesWTIX\times1-RES)+(QPLANQ>Q3)]
[20] A
[21] WHERE+(\rhoL)\rho9
[22] PPVAL+O 4\rhoO
23] PPADATA 1
[24] II+(OK+QPLANQ[I]SAT L[I])/I+(NEXT=1)/i\rhoQPLANQ
[25] WHERE[II]+1
[26] QPLANL[II]+L[II]
[27] NEXT[I]+(2 10)[1+OK]
[28] PPADATA 1
[29] A
[30] II+(OK+Q2[I]SAT L[I])/I*(NEXT=2)/lpQPLANQ
[31] QPLANQ[II]+(QPLANL[II]&L[II])\timesQEXPW[II]+4\times(1-QTARGM[II])*QEXPPNET[
I I ]
[32] WHERE[II] &2
```

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[56] II+(OK+Q3[I]SAT L[I])/I+(NEXT=6)/々PQPLANQ
[59] QPLANQ[II]+II QFR2 QPLANL

```
    NEXT[I]+(3 4 10 10)[1+(Q2[I]-Q3[I])+2\timesOK]
    PP\triangleDATA 2
        A
        II+(OK+Q2[I]SAT I RFQ2 Q2)/I+(NEXT=3)/\imathPQPLANQ
        WHERE[II] + 3
        QPLANL[II]+(1-QTARGM[II])\times(QPLANQ[II]+Q2[II])\timesQEXPPNNET[II]+QEXPW[I
        NEXT[I]+(4 10)[1+OK]
        PP\triangleDATA 3
        A
        II*(OK+QPLANQ[I]SAT I RFQ2 QPLANQ)/I+(NEXT=4)/\imath\rhoQPLANQ
        SOLVE II
        (I RFQ2 QPLANQ)SOLVEAMONEY(I RFQ2 Q2)
        QPLANQ[II]+II QFR2 QPLANL
        WHERE[II]+4
        NEXT[I]+(7 10 14)[1+OK]
        PPDDATA 4
        A
        II*(OK+QPLANQ[I]SAT L5[I]+I RFQ2 QPLANQ)/I+(NEXT=5)/\imath\rhoL5+(\rhoL)\rhoLU+S
        WHERE[II] +5
        QPLANL[II]+II RFQ2 QPLANQ
        NEXT[I]+(6 10)[1+OK]
        PP\triangleDATA 5
        A
        II+(OK+Q3[I]SAT L[I])/I+(NEXT=6)/\imath\rhoQPLANQ
        SOLVE II
        L[I]SOLVEAMONEY L5[I]
        QPLANQ[II]+II QFR2 QPLANL
        WHERE[II]+6
        PPADATA 6
        A
```

    II \(+(O K+Q 7[I] S A T I\) RFQ2 \(Q 7 \times(1-R E S)+(1-R E S D O W N \times R E S)) / I+(N E X T=7) / \imath \rho Q P\)
    WHERE[II] \(\$ 7\)
        QPLANL[II]+(1-QTARGM[II])×(QPLANQ[II]+Q7[II])×QEXPPNET[II]*QEXPW[I
        \(\operatorname{RES}[(\sim O K) / I]+\operatorname{RESDOWN} \times \operatorname{RES}[(\sim O K) / I]\)
        ALWAYS'(RES \(\left.\mathrm{O}^{\prime}\right)\) ^(RES \(\left.\leq R E S M A X\right)\) '
        SOLVE II
        O SOLVEAMONEY(I RFQ2 Q7)
    QPLANQ[II]*II QFR2 QPLANL
    NEXT[I]+(9 10 14)[1+OK]
        PPADATA 8
        A
        \(I I+(O K+S A T \Delta L O W I) / I+(N E X T=9) / \imath \rho Q P L A N Q\)
    [82] $Q P L A N Q[I I]+Q Q[I I]$
[83] QPLANL[II]+II RFQ2 QPLANQ
[84] WHERE[II] +9
[85] NEXT[I]+(13 10)[1+OK]
[86] PPDDATA 9
[87] PPADATA 10
[88] SHOWATARGETASEARCH
[89] KEEPS+(QPLANL<(QTOP+TEC)×@QEXPPNET×TEC×WTIX×(1-RES)+QEXPW+4)^WHERE
$\epsilon 468$
[90] $\rightarrow$ DOIF $0<+/ K E E P S ~ \diamond(K E E P S / M H I S T) \times+$ LOWER $\triangle M H I S T$
[91] $\rightarrow$ DOIF $(0<\rho I+(N E X T=13) / \imath \rho Q P L A N Q) \diamond$ NULLIFY $\triangle T A R G(\imath \rho Q P L A N Q) \in I$
[92] A WARNING: 'NEXT' 'Q2' 'Q3' 'Q7' ARE NOT SHRINKED.
[93] $A$

AMAN+O「AMAN-O「(+\AMAN)MINUS7 LAYOFF
[97]
[98] ALWAYS'QPLANQ $\geq 0$ '
[99] ALWAYS' O<SUM1(pMARKET)p1
[100] ALWAYS'QPLANL $\geq 0$
[101] I + lpQPLANQ
[102] ALWAYS'QPLANQ SAT QPLANL'
G. MERGE WITH FUNCTION

## MERGEAWITH

[0] $\triangle A$ MERGE $\Delta W I T H \quad \Delta B ; \Delta E F F ; \Delta N ; \Delta G ; \Delta K ; \Delta \Delta M ; \Delta F ; \Delta C O N ; \Delta T ; P 1 ; P 2 ; \square T R A P$
[1] $ค$
[2] $A$ This function merges two firms.
[3] A Written by E.Taymaz Jan. 1989.
[4] ค
[5] ПTRAP+6 'E' ' $\rightarrow \square \mathrm{LC}+$ 1' $^{\prime}$
[6] ค
[7] A $\triangle F$ IS THE NEW FIRM. $\triangle C O N$ IS THE TECHNOLOGY CONVERGENCE FACTOR.
[8] A $\triangle E F F$ IS THE MAXImUM CONVERGE TO THE INNOVATIVE FIRM.
[9] A $\triangle T$ IS THE TIME PERIOD FOR CONVERGENCE (IN QUARTERS).
[10] ค
[11] $\quad \Delta F \quad \triangle C O N \quad \Delta E F F \quad \Delta T+\Delta B$
[12] $\quad((L \Delta F) \neq(L \Delta A)) / \cdot M E S S+{ }^{\prime}$ 'FIRMS IN THE MERGEAWITH FUNCTION ARE NOT IN
THE SAME INDUSTRY'' $\diamond \rightarrow E R R^{\prime}$
[13] ค
[14] A P1 AND P2 ARE FIRMS' PLACE IN VARIABLES.
[15] ค
[16] $\quad \mathrm{P} 2+(+$ ORIGMARKET $=\lfloor\Delta A) \geq 100 \times(\Delta A-L \Delta A)$
[17] $P 1+(+\backslash$ ORIGMARKET $=\lfloor\Delta F) \geq 100 \times(\Delta F-L \Delta F)$
[18] $\rightarrow(P 1=P 2) / 0$
[19] $\rightarrow((\operatorname{LEFT}[P 1]=0) \operatorname{VLEFT}[P 2]=0) / 0$
(20] P1+(+/LEFT[IP1])
[21] P2世 + +/LEFT[IP2])
[22] ค
[23] A
[24] ค
[25] AMAN[P2;]++AMAN[P1;]
[26] BAD[P2] $4 / B A D[P 1] B A D[P 2]$
[27] BIG4K1 WEIGHT BIG
[28] DNW+NW WEIGHT DNW
[29] $\Delta \Delta M+((M[P 2] \times Q S N E T[P 2])+(M[P 1] \times \operatorname{QSNET}[P 1]))+(Q S N E T[P 1]+Q S N E T[P 2])$
[30] CUMM[P2]+((CUMSNET[P1]+CUMSNET[P2]-CUMWS[P1]+CUMWS[P2]) $+(\operatorname{CUMSNET}[P$
1]+CUMSNET[P2]))
[31] CHM[P2]+CUMM[P2]- $\Delta \Delta M$
[32] CUMINV[P1]++CUMINV[P1]
[33] CUMSNET[P2]++CUMSNET[P1]
[34] QIMQ[P2;]++QIMQ[P1;]
[35] $\Delta K+(\rho K 1) \rho O$
[36] $\Delta K[P 2]+K 1[P 2]+K 2[P 2]+K 3[P 2]$
[37] $\Delta K[P 1]+K 1[P 1]+K 2[P 1]+K 3[P 1]$
[38] DELAYAINV[P2;]++DELAYAINV[P1;]
[39] DVA +VA WEIGHT DVA
[40] DS+S WEIGHT DS
[41] DW+VA WEIGHT DW
[42] DP +S WEIGHT DP
[43] DQ4DVA-DP
[44] CUMQ[P2]++CUMQ[P1]
[45] CUMS[P2]++CUMS[P1]
[46] CUML[P2]++CUML[P1]
[47] CUMWS[P2]++CUMWS[P1]
[48] CUMSU[P2]++CUMSU[P1]
[49] CUMVA[P2]++CUMVA[P1]
[50] $P[P 2]+C U M S[P 2]+C U M S U[P 2]$
[51] W[P2]+CUMWS[P2]+CUML[P2]
[52] EXPDP $+S$ WEIGHT EXPDP
[53] EXPDS $+S$ WEIGHT EXPDS
[54] EXPDW+S WEIGHT EXPDW
[55] HISTDP + S WEIGHT HISTDP
[56] HISTDPDEV + S WEIGHT HISTDPDEV
[57] HISTDPDEV2 + S WEIGHT HISTDPDEV2
[58] HISTDW+S WEIGHT HISTDW
[59] HISTDWDEV + S WEIGHT HISTDWDEV
[60] HISTDWDEV2 $\leftarrow$ S WEIGHT HISTDWDEV2
[61] HISTDS + S WEIGHT HISTDS
[62] HISTDSDEV $\leftarrow$ S WEIGHT HISTDSDEV
[63] HISTDSDEV2 \& WEIGHT HISTDSDEV2
[64] IMBIG + S WEIGHT IMBIG
[65] IMSMALL $\leftarrow$ S WEIGHT IMSMALL
[66] INVEFF $\&$ QTOP WEIGHT INVEFF
[67] QDVA\&QVA WEIGHT QDVA
[68] QDW+(L×QW)WEIGHT QDW
[69] QEXPP\&QS WEIGHT QEXPP
[70] QEXPS 4 QS WEIGHT QEXPS
[71] QEXPSU\&QSU WEIGHT QEXPSU
[72] QEXPW\&QW WEIGHT QEXPW
[73] $Q D P \leftarrow Q S$ WEIGHT QDP
[74] QDQ 4 QQ WEIGHT QDQ
[75] QDS↔QS WEIGHT QDS
[76] $\mathrm{QP} \leftarrow \mathrm{QS}$ WEIGHT QP
[77] $\mathrm{QS}[\mathrm{P} 2]+\leftarrow \mathrm{QS}[\mathrm{P} 1]$
[78] $Q Q[P 2]++Q Q[P 1]$
[79] K1B00K[P2]+4K1B00K[P1]
[80] $Q W+L$ WEIGHT QW
[81] 1 DL $\leftarrow$ WEIGHT DL
[82] $L[P 2]+4 L[P 1]$
[83] $M[P 2] \leftarrow \Delta \Delta M$
[84] QDSUFOR 4 QSUFOR WEIGHT QDSUFOR
[85] QSUFOR[P2]+4QSUFOR[P1]
[86] QIMQ[P2; ]+ + QIMS[P1; ]
[87] QINV[P2]+4QINV[P1]
[88] QINVLAG[P2]+4QINVLAG[P1]
[89] QOPTSU[P2]+4QOPTSU[P1]
[90] QPLANL[P2]+ + QPLANL[P1]
[91] QPLANQ[P2]+ 1 [QPLANQ[P1]

|  | QSDOM[P2]+4SDOM[P1] 193 |
| :---: | :---: |
| [92] | QSDOM[P2]++QSDOM[P1] |
| [93] | QSFOR[P2]++QSFOR[P1] |
| [94] | QSNET[P2]++QSNET[P1] |
| [95] | QSU[P2]++QSU[P1] |
| [96] | QSUDOM[P2]++QSUDOM[P1] |
| [97] | QTARGM +K 1 WEIGHT QTARGM |
| [98] | QVA[P2]++QVA[P1] |
| [99] |  |
| [ 100] | RES+QTOP WEIGHT RES |
| [ 101] | SHARE+S WEIGHt SHARE |
| [ 102] | SMALL+S WEIGHT SMALL |
| [103] | SNET[P2]++SNET[P1] |
| [ 104] | $V A[P 2]++V A[P 1]$ |
| [ 105] | X + S WEIGHT X |
| [ 106] | RW+S WEIGHT RW |
| [107] | RSUBS $\triangle C A S H+S$ WEIGHT RSUBS $\triangle C A S H$ |
| [ 108 ] | RSUBS $\triangle E X T R A+S$ WEIGHT RSUBS $\triangle E X T R A$ |
| [ 109] | CUMINTPAYF[P2]++CUMINTPAYF[P1] |
| [ 110] | CUMDEPR[P2]++CUMDEPR[P1] |
| [ 1111 ] | CUMTAXF[P2]++CUMTAXF[P1] |
| [ 112] | CUMDIV[P2]++CUMDIV[P1] |
| [113] | CUMSUBSF[P2]++CUMSUBSF[P1] |
| [ 114 ] | CUMCHBWF[P2]++CUMCHBWF[P1] |
| [ 115] | CUMCHK2F[P2]++CUMCHK2F[P1] |
| [ 116] | Q[P2]++Q[P1] |
| [ 117] | S[P2]++S[P1] |
| [118] | $\triangle E F F+\triangle E F F \times[/ T E C[P 2] ~ T E C[P 1] ~$ |
| [ 119 ] | TEC+QTOP WEIGHt TEC |
| [ 120] | $\rightarrow(\triangle E F F \leq T E C[P 2]) / J M P$ |
| [121] | $\Delta G+T E C[P 2]+(\Delta E F F-T E C[P 2]) \times((\imath \Delta T)+\Delta T) \star 1+\Delta C O N$ |
| [ 122 ] | $\Delta G+T E C[P 2] \Delta G \diamond \Delta G+\Delta G[1+l \Delta T]+\Delta G[l \Delta T]$ |
| [ 123] |  |
| [ 124] | \& $\Delta N^{\prime}+\Delta G^{\prime}$ |

```
[125] 'PRODFRONT'MODADD'TEC+(Q\omegaUPDATE\triangleTECH\triangleOF 'TAF
[ 126] JMP:
[127] QTOP[P2]++QTOP[P1]
[128] QTOPMAX[P2]++QTOPMAX[P1]
[129] MHIST+K1 WEIGHT MHIST
[130] K1[P2]+4K1[P1]
[131] K2[P2]++K2[P1]
[132] IMSTO[P2;]++IMSTO[P1;]
[133] STO[P2]++STO[P1]
[134] BW[P2]++BW[P1]
[135] QM[P2]+1-(L[P2]\timesQW[P2])+4\timesQSNET[P2]
[136] OUT+(PMARKET)\rhoO
[137] OUT[P1]+1
[138] NULLIFY\DeltaLINE*'****** MERGED WITH ' (TAA) ' (YEAR=' (TTHISAYEAR)
    - Quarter=1'
[139] NULLIFY OUT
[140] }->
[141] ERR:
[142] STOP\triangleHERE MESS
```


## H. MOSES CALIB FUNCTIONS

ADDRESULT<br>ADDRESULTB<br>CHECK MM<br>CHECK PARS<br>CLEAR BLANK<br>COMPUTE L<br>COMPUTE S<br>DISTANCE<br>DOIF<br>EVA<br>GET METHOD<br>KEEP NAMES<br>MAKEVECTOR<br>MPAR<br>PREPARE RESULTS<br>READ DATA<br>SAVE DATA<br>START I<br>START L<br>START R<br>START S<br>START Z<br>VIA<br>INTERACT

ADDRESULT
[O] ADDRESULT RRR
[1] RESULTS + RESULTS [1](1 2+NPARS+NVARS) pRRR (itaPARS[1;]) DISTANCE

ADDRESULTB
[0] ADDRESULTB R
[1] RESULTS+RESULTS [1](1 2+NPARS+NVARS) $\rho$ (£ (\& $\triangle$ PARS[1;]) (c'EXCEED MAX
DEV') (NVARS)pc'...'

CHECK $\triangle$ MM
[0] R+CHECK $\Delta M M ; \Delta V$
[1] $\Delta V+i \pi \triangle P A R S[1 ; \Delta P]$
[2] $\rightarrow \operatorname{DOIF}(\Delta \operatorname{PARS}[2 ; \Delta P] \geq \Delta V) \wedge \Delta \operatorname{PARS}[3 ; \Delta P] \leq \Delta V \diamond R+1 \diamond \rightarrow 0$
[3] $\mathrm{R}+0$
[4] $\triangle$ PARS $[6 ; \Delta P] \times{ }^{-1}$
[5] MPAR $\triangle P$

CHECK $\triangle$ PARS
[0] R+CHECK $\triangle$ PARS
[1] $\rightarrow$ DOIF $6 \neq 1 \uparrow \rho \triangle P A R S ~ \diamond \rightarrow$ ERR
[2] $\rightarrow$ DOIF $0=\wedge /(\Delta \operatorname{PARS}[2 ;] \geq \triangle P A R S[4 ;]) \Delta \operatorname{PARS}[3 ;] \leq \Delta P A R S[4 ;]\rangle \rightarrow E R R$
[3] $R+0 \diamond \rightarrow 0$

[5] $R+1$

```
CLEAR\triangleBLANK
[0] }\triangle\triangle\DeltaNEW+CLEAR\triangleBLANK \triangle\triangle\triangleOLD;\triangleI;\triangleRAN
[1] A
[2] A This function deletes all blanks from a vector of names.
[3] A Written by E.Taymaz Dec. }198
[4] A
[5] }\triangle\mathrm{ RANK+p|ASOLD
[6] }\triangle\triangle\DeltaNEW+\triangleRANKP''
[7] \DeltaI + O
[8] BEG:\DeltaI +\DeltaI+1
[9] }->(\triangleI>\triangleRANK)/EN
[10] \Delta\Delta\DeltaNEW[\DeltaI]+C((~((د\Delta\Delta\DeltaOLD[\DeltaI])=' '))/(د\Delta\Delta\DeltaOLD[\DeltaI]))
[11] ->BEG
[12] END:
```

COMPUTEAL
[O] Z+COMPUTEAL;AA;BB;NT;II;DEV;ADEV;RDEV
[1] $N T+{ }^{+-1+\rho T E S T V A L U E S ~}$
[2] II +0
[3] $A A *($ NYEAR NT) $p O$
[4] BAS:II+II+1
[5] AA[;II]+(כRESULTSALL[II])[;I]
[6] $\rightarrow(I I<N T) / B A S$
[7] $A A+A A[I J ;] \Delta B B+B A S E C A S E[l J ; I]$
[8] BB+ゆ(NT J) CBB
[9] $D E V+B B-A A$
[10] $\operatorname{ADEV}+(+/ \mid \operatorname{DEV}[; 1]-10 \times \operatorname{DEV}[2])+/ \mid \operatorname{DEV}[4]-10 \times \operatorname{DEV}[$; 3]
[11] $\operatorname{RDEV}+(+/ 0.5 \times(\mid \operatorname{DEV}[; 1])+10 \times \operatorname{DEV}[2])+/ 0.5 \times(\mid \operatorname{DEV}[; 4])+10 \times \operatorname{DEV}[3]$
[12] $Z+0.001 \times \Gamma^{-}-0.5+1000 \times A D E V * R D E V$
computeas
[0] $Z+C O M P U T E \Delta S ; A A ; B B ; N T ; I I ; D E V ; A D E V ; R D E V$
[1] $\mathrm{NT}^{+-1+\rho T E S T V A L U E S ~}$
[2] $I I+0$
[3] $A A+($ NYEAR NT) $\rho O$
[4] BAS:II+II+1
[5] AA[;II] 4 (כRESULTSALL[II])[; I]
[6] $\rightarrow(I I<N T) / B A S$
[7] $A A+A A[2 J ;] B B+B A S E C A S E[l J ; I]$
[8] $B B+\phi(N T J) \rho B B$
[9] $D E V+B B-A A$
[10] $\operatorname{ADEV}+(+/ \mid+/ \operatorname{DEV}[; 14])+/ \mid+/ \operatorname{DEV}[$; 3$]$
[11] $\operatorname{RDEV}+\left(+/ 0.5^{x}+/ \mid \operatorname{DEV}[; 14]\right)+/ 0.5^{x}+/ \mid \operatorname{DEV}[; 23]$
[12] $Z+0.001 \times \Gamma-0.5+1000 \times A D E V+R D E V$
distance
[O] R+DISTANCE;OLD;NEW;ST;MD; [DIV;WGS
[1] $\quad$ DIV-1
[2] WGS $+\triangle \operatorname{VARS}[2 ;]++/ \Delta \operatorname{VARS}[2 ;]$
[3] OLD+OLDTAB $\triangle N E W+N E W T A B$
[4] $\rightarrow\left(\right.$ SVAR $\left.^{=} \mathbf{N}^{\prime}\right) / J M P$
[5] $\rightarrow(1=$ NYEAR $) / J M P$
[6] MD $+(1 \div$ NYEAR $) \times($ NYEAR NVARS $) p+f$ OLDTAB
[7] $S T+($ NYEAR NVARS $) \rho(+f($ OLDTAB-MD $) * 2) \star 0.5$
[8] OLD $4(O L D T A B-M D)+S T$
[9] NEW+(NEWTAB-MD) ${ }^{2} S T$
[10] JMP :


[13] $R+\perp T+/ W G S \times+f(O L D-N E W) * 2 \Delta R+R \sum \bar{t}+f(O L D-N E W) * 2$

```
DOIF
[0] R+DOIF TEST
[1] AReturn next line number if TEST false
[2] R+(~TEST)/1+1+24\squareLC
EVA
[0] RR+EVA
[1] ADDRESULT AE
[2] RR+1
[3] }->(\DeltaE\not=1)/J
[4] OLDDIST+DISTANCE[1]
[5] MPAR \triangleP
[6] ->SON
[7] J1:
[8] ->(O>DISTANCE[1]-OLDDIST)/J2
[9] }\trianglePARS[6;\DeltaP]\times4-1 \ MPAR \triangleP
[10] }->\mathrm{ DOIF 2*AIT }\bullet->JJ
[11] MPAR \triangleP
[12] }->\mathrm{ DOIF CHECKAMMM }\diamond->\mathrm{ SON
[13] JJ2:
[14] }\DeltaP++1\RR+
[15] }->\mathrm{ DOIF }\triangleP\leqNPARS \diamondRR+1 \diamond\triangleIT+1 \diamond MPAR \triangleP
[16] }->\mathrm{ SON
[17] J2:
[18] }->\mathrm{ DOIF CONVERGENCE Z|DISTANCE[1]-OLDDIST }\diamond\triangleP+41 \diamond\DeltaIT+0 \diamond >JJ3
[19] }->\mathrm{ DOIF CONVERGENCE<|DISTANCE[1]-OLDDIST }\diamond\mathrm{ MPAR AP }\downarrow->\mathrm{ DOIF~CHECK AMM
\DeltaP++1 \\DeltaIT+0
[20] JJ3:
[21] OLDDIST+DISTANCE[1]
```

```
[22]
[23]
SON:
[24]
***************************************************************************
GETAMETHOD
[0] GETAMETHOD;CVAR;IVAR;NTVAR;NYEAR;MINSTEPF;NFAILE;NSUCE;STEPRF;STEPI
E;SDEV; SMEI; SMIN; SVAR;CONVERGENCE;MITER; \(\Delta\)
[1] A \(\rightarrow\) CHECK \(\triangle\) PARS/O
```



```
[3] DARBOUT 7
[4] ' PROCEDURE '
[5] (Global random search / Local random search / Iterative searc
h'
```




```
[8] \(\rightarrow\left(\underline{\text { SMEI* }}{ }^{\prime} Z^{\prime}\right) / J M P Z\)
[9] \(\quad \square^{+}\)NAME OF THE CONTROL VARIABLE : \(\Delta\) CVAR \(+\square \Delta\) •
[10] \(C V A R+40+C V A R\)
```



```
[12] IVAR+MAKEVECTOR \(40+\) IVAR \(\triangle\) NTVAR+مIVAR
```



```
[14] \(\rightarrow\) DOIF \(41 \geq\) PSTEPRE \(\bigcirc\) STEPRF 40
[15] \(\rightarrow\) DOIF \(41<\) SSTEPRE \(\vartheta\) STEPRF \(+41+\) STEPRF
```



```
[17] NYEAR+立40 + NYEAR
[18] \(\rightarrow\) JMP
[19] JMPZ:
[20] \(\quad\) MINIMIZE Squared / Absolute / '
```





```
                                    201
    SVAR+(SVAR 'N')[41] \ (O=+/SYAR='YN')/'SYAR+''N'''
    ->(SMEI='LI')/JMPL JMPI
    D+' MAXIMUM DEVIATION IN A YEAR (1): ' O SDEY+|}0, '
    ODOIF 40\geqPSDEY }\checkmark\mathrm{ SDEY + }
    -DOIF 40<PSDEV }\vartheta\mathrm{ SDEY + $ 40+SDEV
    |+' NUMBER OF EXPERIMENTS (25) : ' \ MITER+| | ' '
    ->DOIF 40\geqPMIIER \diamond MIIER+ 25
    ->DOIF 40<PMITER }\diamond\mathrm{ MITER + 40\MIIER
    ->JMP
    JMPL:
    0+' MAXIMUM DEVIATION IN A YEAR (1) : ' \ SDEV+D \ ' '
    ODOIF 40\PSDEV \diamond SDEV * }
    -DOIF 40<PSDEV }\diamond\mathrm{ SDEY + $ 40+SDEV
    S3:
    I+1 MAX NUMBER OF STEP REDUCTIONS (1): ' \ MINSIEPE+| }\diamond\mathrm{ ':
        ->DOIF 40\geqPMINSTEPE \diamond MINSTEPF+ }
        ->DOIF 40<PMINSTEPE }\bigcirc\mathrm{ MINSTEPE + }40\downarrow\mathrm{ MINSIEPE
        ->DOIF MINSIEPE<1 \ DARBOUT 7 \diamond '*** MINIMUM STEP SIZE FACTOR SHOUL
D BE HIGHER THAN ONE! ***' }\diamond->\mathrm{ S3
[42] |+' "FAILURES BEFORE \triangle STEP (20) : ' \ NFALLE&| | ' '
[43] }->\mathrm{ DOIF 40\PNFAILE }\triangle\mathrm{ NFAILF* }2
[44] }->\mathrm{ DOIF 40<PNFAILE }\triangle\mathrm{ NFAILE }+$40+\mathrm{ NFAILF
[45] D+' # SUCCESSES BEFORĖ \triangle STEP (20) : ' }\\mathrm{ NSUCE&| | ' '
[46] }->\mathrm{ DOIF 40 PNSUCE O NSUCE + 20
[47] }->\mathrm{ DOIF 40<PNSUCF }\triangle\mathrm{ NSUCF + & 40 +NSUCF
[48] S1:
[49] [+1 STEP SIZE REDUCTION FACTOR (.5) : ' \ STEPRF+『 \diamond ' '
[50] }->\mathrm{ DOIF 40ミPSTEPRF }\diamond\mathrm{ STEPRE * 0.5
[51] ->DOIF 40<PSTEPRE }\diamond\mathrm{ STEPRF + 40+SIEPRF
[52] ->DOIF STEPRE> }1\diamond\mathrm{ DARBOUT 7 \ '*** STEP SIZE REDUCTION FACTOR SHOUL
D BE LESS THAN ONE! ***' }\rangle->\textrm{S}
[53] S2:
[54] \+1 STEP SIZE INCREASE FACTOR (1) : ' O SIEPIE&| | ' '
```

```
                                    202
```

```
[55] ->DOIF 40\geqPSTEPIF }\bigcirc\mathrm{ SIEPIF* }
```

[55] ->DOIF 40\geqPSTEPIF }\bigcirc\mathrm{ SIEPIF* }
[56] ->DOIF 40<PSIEPIF }\bigcirc\mathrm{ STEPIF + \$40+STEPIE
[56] ->DOIF 40<PSIEPIF }\bigcirc\mathrm{ STEPIF + \$40+STEPIE
[57] ->DOIF STEPIE<1 \diamond DARBOUT 7 \diamond '*** STEP SIZE INCREASE FACTOR SHOULD
[57] ->DOIF STEPIE<1 \diamond DARBOUT 7 \diamond '*** STEP SIZE INCREASE FACTOR SHOULD
BE HIGHER THAN ONE! ***' }|->\mathrm{ S2
[58] JMPI:
[59] [+' CONVERGENCE Value (0.01) : ' O CONVERGENCE-0}| | '
[60] ->DOIF 40\geqpCONVERGENCE \diamond CONVERGENCE+ 0.01
[61] ->DOIF 40<PCONVERGENCE }\triangle\mathrm{ CONVERGENCE +O「\&40+CONVERGENCE
[62] JMP:
[63] [\+ Change these values (No/Yes) : '
[64] ->('Y'=(\Delta 'N')[41])/TEK

```


```

KEEPANAMES
[0] KEEP\triangleNAMES \triangleNAMES; \triangleEXNAMES
[1] A
[2] A This function deletes all functions and variables in the current
[3] A workspace other than those given in \triangleNAMES as a vector of names.
[4] A Written by E.Taymaz Dec. }198
[5] A
[6] \triangleEXNAMES+CLEAR\triangleBLANK+\squareNL 2 3
[7] \triangleNAMES+CLEAR\triangleBLANK \triangleNAMES
[8] \triangleEXNAMES +\uparrow(~(\triangleEXNAMES\&\DeltaNAMES))/\triangleEXNAMES
[9] DEX \triangleEXNAMES
MAKEVECTOR
[O] DUMMY\&MAKEVECTOR NAMES;POS
[1] DUMMY+OP''
[2]
L:->(O=\rhoNAMES)/O

```
```

[3] POS+( NAMES)\' '
[4] ->(1-POS)/LL
[5] DUMMY +C(POS-1)+NAMES
[6] LL:NAMES+POS+NAMES
[7] ->L

```
MPAR
[0] MPAR R
[1] \(\quad(t \Delta \operatorname{PARS}[1 ; R]) \quad 1++1 \quad \Delta \operatorname{PARS}[5 ; R] \times \times \operatorname{PARS}[6 ; R]\)
[2] \(\quad \triangle \operatorname{PARS}[4 ; R]++\Delta \operatorname{PARS}[5 ; R] \times x \Delta P A R S[6 ; R]\)

PREPAREARESULTS
[0] PREPAREARESULTS;I;RES
[1] RESULTS \(+0 \rho^{\prime \prime}\)
[2] RESULTS+C' CONTROL VARIABLE : ' TCYAR
[3] I +0
[4] BEG:I+I+1
[5] RESULTS \(+C\) '
[6] RESULTS +C' VARIABLE TESTED : ' TIVAR[I]
[7] RESULTS +C' '
[8] RESULTS \(\mathrm{CO}^{\prime}\) Symmetry statistics'
[9] RESULTS +c'
[10] RES+( \(2+\) NYEAR \() 1+N T V A R) \rho^{\prime \prime}\)
[11] RES[1;]+(c'Year') (c(5 1才100×TESTVALUES[5]) '\%') C(5 1才100×TESTVAL UES[4]) '\%'
[12] RES[2;]+(C' ') (c(5 18100×TESTVALUES[2]) '\%') c(5 1ד100×TESTVALUES
[3]) '\%'
[13] \(\mathrm{J}+\mathrm{O}\)
[14] BEGS: \(J+1+J\)
[15] RES[2+J;] \(+J\) COMPUTEAS
\begin{tabular}{|c|c|}
\hline & 204 \\
\hline [16] & \(\rightarrow(J<\) NYEAR \() / B E G S\) \\
\hline [17] & RESULTS +CRES \\
\hline [18] & RESULTS +C' ' \\
\hline [ 19 ] & RESULTS + ' Linearity statistics' \\
\hline [ 20] & RESULTS +C' ' \\
\hline [21] &  \\
\hline [ 22] & RES[1;]+(c'Year') (c(5 1ד100×TESTVALUES[2]) '\%') c(5 1\%100xTESTVAL \\
\hline UES[5]) & '\%' \\
\hline [ 23] & RES[2;]+(c' ') (c(5 1ד100×TESTVALUES[3]) '\%') c(5 1ד100xTESTVALUES \\
\hline \multicolumn{2}{|l|}{[4]) '\%'} \\
\hline [24] & \(J+0\) \\
\hline [25] & BEGL: \(\mathrm{J}+1+\mathrm{J}\) \\
\hline [ 26 ] & RES[2+J;] +J COMPUTEAL \\
\hline [ 27 ] & \(\rightarrow(J<\) NYEAR \() / B E G L\) \\
\hline [28] & RESULTS +CRES \\
\hline [29] & \(\rightarrow(\mathrm{I}<\) NTVAR \() / \mathrm{BEG}\) \\
\hline [30] & RESULTS+( (pRESULTS) 1)pRESULTS \\
\hline
\end{tabular}

READ \(\triangle D A T A\)
[0] READADATA R;RANK; \(\triangle I I ; \Delta \Delta \Delta\)
[1] \(\quad\) RANK \(\leftarrow \rho R\)
[2] \(\Delta I I+1\)
[3] START:
[4] \(\Delta \Delta \Delta+\) [fread \(1 \Delta I I\)
[5] \(\ell(\Phi R[\Delta I I]) \quad '+\Delta \Delta \Delta^{\prime}\)
[6] \(\rightarrow(R A N K \geq \Delta I I+\Delta I I+1) / S T A R T\)

SAVEDDATA
[0] SAVEADATA R;RANK; \(\triangle I I\)
[1] \(\rightarrow\) DOIF \(1=1+\square\) FNums \(\rangle\) 'delete.cal'Dferase 1
\begin{tabular}{|c|c|}
\hline [2] & 'delete.cal' \({ }^{\text {dfareate } 1}\) \\
\hline [3] & RANK \(<\rho\) R \\
\hline [4] & \(\Delta \mathrm{II}+1\) \\
\hline [5] & START: \\
\hline [6] &  \\
\hline [7] & \(\rightarrow(\mathrm{RANK} \geq \triangle I I+\Delta I I+1) / \mathrm{STAR}\) \\
\hline
\end{tabular}

STARTAI
[O] STARTAI; \(\triangle\) PARS; \(\triangle\) VARS; \(\triangle\) KEEP;OLDVAR \(; N P A R S ; N Y E A R ; N V A R S ; \Delta I ; \Delta E ; \Delta P ; \Delta I T ; N P A\)
RS; NYEAR; NVARS; OLDTAB; NEWTAB;KEEPVAR
[1] KEEPVAR + CLEAR \(\triangle B L A N K ~+\square N L 2\)
[2] SAVEDDATA KEEPVAR
[3] \(\triangle V A R S+i \supset M E N U[10 ; 1] \diamond \triangle P A R S+\& \supset\) MENU[ \(16 ; 1]\)
[4] NPARS \({ }^{-}-1 \uparrow \rho \triangle P A R S\)
[5] NYEAR \({ }^{-}-2+1 \uparrow \rho \triangle\) VARS
[6] NVARS \({ }^{-}\)1 \(1+\rho\) VVARS
[7] OLDTAB+2 O+ \(\triangle\) VARS
[8] \(\Delta P+1\)
[9] \(\Delta I T+0\)
[10] \(\Delta E+0\)
[11] \(\boldsymbol{A}\)
[12] RESULTS+(1 (2+NPARS+NVARS))p(C'EXP NO') \(\triangle P A R S[1 ;]\left(C^{\prime} D I S T A N C E '\right)\)
[13] STARTAENT 1
[14] \(\triangle K E E P+(\downarrow \square N L 2)(\downarrow \square N L 3)(c ' O L D D I S T ') c^{\prime} \triangle K E E P{ }^{\prime}\)
[15] STR:
[16] \(\Delta E++1 \diamond \Delta I T++1\)
[17] \(\rightarrow\) DOIF \(1 \neq \triangle E \ominus\) READ \(\triangle D A T A\) KEEPVAR \(\bigcirc\) KEEP \(\triangle N A M E S ~ \triangle K E E P\)
[18] NEWTAB+O×OLDTAB
[19] (\$ \(\triangle\) PaRS [1; ]) \(\quad+\Delta \operatorname{PaRS}[4 ;]^{\prime}\)
[20] \(\quad\) RL+16807

meter : ' \(\Delta\) PARS[1; \(\Delta P]\)
```

\DeltaI+0
[23] START:
[24] }->(NYEAR<\DeltaI+\DeltaI+1)/EN
[25] THIS\triangleYEAR++1
[26] YEAR
[27] LASTAYEAR++1
[28] NEWTAB[\DeltaI;]+仿AVARS[1;]
[29] ->START
[30] END:
[31] 'Iteration: ' (t\DeltaIT) ' Distance: ' TDISTANCE[1]
[32] ->EVA/STR
[33] ENSON:
[34] 'DELETE.CAL'DFERASE 1

```

STARTAL
[0] STARTAL; NSTEPR;NSUC; NFAIL;NSTEPR;MIND; \(\triangle \triangle \triangle\); \(\triangle\) VARS ; \(\triangle P A R S ; \triangle K E E P ; N N U M ; \Delta P\) ARS;OLDVAR;NPARS;NYEAR;NVARS; \(\triangle I ; \Delta I T ; N P A R S ; N Y E A R ; N V A R S ; O L D T A B ; N E W T A B ; K E E P V A R\)
[1] KEEPVAR + CLEAR \(\triangle B L A N K+\square N L 2\)
[2] SAVEADATA KEEPVAR
[3] \(\triangle\) VARS \(+\& \supset \operatorname{MENU}[10 ; 1] \diamond \triangle P A R S+\& \supset M E N U[16 ; 1]\)
[4] \(\&(\Phi \operatorname{APARS}[1 ;]) \quad+\Delta \operatorname{PaRS}[4 ;]^{\prime}\)
[5] NPARS \({ }^{-}-1 \uparrow \rho \triangle\) PARS
[6] NYEAR \(+-2+1 \uparrow \rho \triangle\) VARS
[7] NVARS \({ }^{-}\)- \(1 \uparrow \rho \Delta V A R S\)
[8] OLDTAB+2 \(0+\triangle V A R S ~ B E S T T A B+O L D T A B\)
[9] MIND+1E100
[10] \(\Delta I T+0\)
[11] \(N S U C+N F A I L+N S T E P R+0\)
[12] \(ค\)
[13] RESULTS+(1 (2+NPARS+NVARS)) \(\left(C^{\prime} E X P\right.\) NO') \(\triangle P A R S[1 ;]\) (c'DISTANCE') \(\Delta V\)
ARS[1; ]
```

[14] \trianglePARS+(1 NPARS)PO
[15] STARTAENT 1
[16] \triangleKEEP + (\downarrow\squareNL 2) (\downarrow\squareNL 3) (c'OLDDIST') c'\DeltaKEEP'
[17] }\Delta\Delta\Delta+NPARSp
[18] STR:
[19] }->(\DeltaIT=0)/ILK
[20] }->\mathrm{ DOIF NFAIL\NFAILE }\diamond\Delta\Delta\Delta+\DeltaPARS[5;] \diamond((\Delta\Delta\Delta\not=1)/\Delta\Delta\Delta)+(\Delta\Delta\Delta\not=1)/STEPREX
\Delta\Delta\Delta \diamond \PARS[5;]+\Delta\Delta\Delta \diamond NFAIL+O \diamond NSTEPR++1
[21] }->\mathrm{ DOIF NSUCZNSUCE }<br>Delta\Delta\Delta+\DeltaPARS[5;] | ((\Delta\Delta\Delta*1)/\Delta\Delta\Delta)+(\Delta\Delta\Delta\not=1)/SIEPIF\times\Delta\Delta
\Delta }\triangle\mathrm{ \PARS[5;]+|AD \ NSUC+O \ NSTEPR-+1
[22] }->(\mathrm{ NSTEPR>MINSTEPE)/ENDD
[23] READ\triangleDATA KEEPVAR O KEEP\triangleNAMES \triangleKEEP
[24] }\Delta\Delta\Delta+10(0.001x-1001+?NPARSP2001)\times0
[25] \Delta\Delta\Delta*+(+/\Delta\Delta\Delta*2)*0.5 \diamond((\DeltaPARS[5;]=1)/\Delta\Delta\Delta)+(\DeltaPARS[5;]=1)/-2+?NPARS\rho3
[26] }\Delta\Delta\Delta*\Delta\Delta\Deltax\DeltaPARS[5;
[27] (%\DeltaPARS[1;]) '+\DeltaPARS[2;]L\DeltaPARS[3;][\DeltaPARS[4;]+\Delta\Delta\Delta'
[28] ILKI:
[29] }\triangle\mathrm{ APARS+}\trianglePARS [1](1 NPARS)P\trianglePARS[4;]
[30] }\DeltaIT++
[31] NEWTAB+0\timesOLDTAB
[32] \RL+16807
[33] }\DeltaI*
[34] EXPERIMENT ' (क\DeltaIT)
[35] START:
[36] }->(NYEAR<\DeltaI+\DeltaI+1)/EN
[37] THIS\triangleYEAR++1
[38] (%\TS[4]) ':' (-24'0' <br>TS[5]) ' Year : ' ¢THISAYEAR
[39] YEAR
[40] LASTAYEAR++1
[41] NEWTAB[\DeltaI;]+纺䪨ARS[1;]
[42] ->DOIF SDEV\leqכ「/|NEWTAB[\DeltaI;]-OLDTAB[\DeltaI;] \diamond ADDRESULTB \DeltaIT }|->\mathrm{ STR
[43] ->START
[44] END:

```
\begin{tabular}{|c|c|}
\hline & 208 \\
\hline [45] & \(\rightarrow\) DOIF \(\triangle I T=1 \diamond\) MIND + DISTANCE[1] \(\downarrow\) BESTTAB + NEWTAB \(\diamond \rightarrow\) CNT \\
\hline [46] & \(\rightarrow\) DOIF DISTANCE[1]>MIND \(+1+\) CONVERGENCE \(\bigcirc\) NSUC \(+0 \vee\) NFAIL ++1\(\rangle \rightarrow C N T\) \\
\hline [47] & MIND + DISTANCE[1] \(\downarrow\) BESTTAB+NEWTAB \\
\hline [48] & NSUC++1 \(\triangle\) NFAIL+O \\
\hline [49] & \(\Delta \operatorname{PaRS}[4 ;]+\Delta \mathrm{PARS}[2 ;] L \Delta \mathrm{PARS}[3 ;] \Gamma \Delta \mathrm{PARS}[4 ;]+\Delta \Delta \Delta\) \\
\hline [50] & CNT : \\
\hline [51] &  \\
\hline [52] & ' Min distance: ' TMIND \\
\hline [53] & ADDRESULT \(\triangle I T\) \\
\hline [54] & -STR \\
\hline [55] & ENDD: \\
\hline [56] &  \\
\hline [57] & 'delete.cal \({ }^{\text {dferase } 1}\) \\
\hline
\end{tabular}

STARTAR

\(\Delta I ; \Delta I T ; N P A R S ; N Y E A R ; N V A R S ; O L D T A B ; N E W T A B ; K E E P V A R\)
[1] KEEPVAR - CLEAR \(\triangle B L A N K \downarrow \square N L 2\)
[2] SAVEDDATA KEEPVAR

[4] (\$ \(\triangle\) PARS[1; ]) \(\quad+\triangle \operatorname{PARS}[4 ;]^{\prime}\)
[5] NNUM*-1+L( \(\triangle\) PARS[2; ]- \(\triangle\) PARS[3; ] \() \div \triangle P A R S[5 ;]\)
[6] NPARS \(\Psi^{-} 1 \uparrow \rho \triangle P A R S\)
[7] NYEAR \({ }^{-}-2+1 \uparrow \rho \triangle\) VARS
[8] NVARS \({ }^{--} 1 \uparrow \rho \Delta\) VARS
[9] OLDTAB+2 \(0+\triangle V A R S\)
[10] BESTTAB + OLDTAB
[11] MIND+1E100
[12] \(\Delta I T \leftarrow O\)
[13] A
[14] RESULTS \(4(1(2+N P A R S+N V A R S)) \rho\left(C^{\prime} E X P\right.\) NO') \(\triangle P A R S[1 ;]\left(C^{\prime} D I S T A N C E '\right) \Delta V\)
ARS [1; ]
```

PARS+(1 NPARS)po
[16] STARTAENT1
[17] \triangleKEEP+($\squareNL 2) ($\squareNL 3) (C'OLDDIST') c'\triangleKEEP'
[ 18] STR:
[19] - DOIF \triangleIT*O \diamond READ\triangleDATA KEEPVAR }\triangle\mathrm{ KEEP\NAMES AKEEP
[20] RTPR:\trianglePARS[4;]+\DeltaPARS[3;]+\DeltaPARS[5;]x-1+?NNUM

```

```

[22] \&(%\DeltaPARS[1;]) '+\trianglePARS[4;]'
[23] }\triangle\mathrm{ PARS+}\trianglePARS [1](1 NPARS)p\trianglePARS[4;
[24] \DeltaIT++1
[25] NEWTAB+O×OLDTAB
[26] \RL+16807
[27]
[28] EXPERIMENT ' (\$\DeltaIT)
[29] START:
[30] }->(NYEAR<\DeltaI*\DeltaI+1)/EN
[31] THISAYEAR++1
[32] (%|TS[4]) ':' (-24'0' कDTS[5]) ' Year : 'THISAYEAR
[33] YEAR
[34] LASTAYEAR++1
[35] NEWTAB[\DeltaI;]+相\VARS[1;]
[36] }->\mathrm{ DOIF SDEV ST「/|NEWTAB[AI;]-OLDTAB[AI;] }\diamond\mathrm{ ADDRESULTB AIT
[37] }->\mathrm{ START
[38] END:
[39] }->\mathrm{ DOIF DISTANCE[1]<MIND \MIND+DISTANCE[1] В BESTTAB+NEWTAB
[40] (%DTS[4]) ':' (-2^'O' कПTS[5]) ' Distance : ' कDISTANCE[ 1]
[41] ' Min distance : ' कMIND
[42] ADDRESULT \triangleIT
[43] }->(\DeltaIT<MITER)/ST
[44] 'DELETE.CAL'DFERASE 1

```
[O] STARTAS; \(\triangle\) VARS; \(\triangle\) PARS; \(\triangle\) KEEP;OLDVAR;NPARS;NYEAR;NVARS; \(\triangle I ; \Delta I T ; N P A R S ; N Y E\) AR; NVARS; OLDTAB; NEWTAB; KEEPVAR
[1] KEEPVAR+CLEAR \(\triangle B L A N K ~+~ \square N L 2\)

\section*{[2] SAVEDDATA KEEPVAR}

[4] NPARS \({ }^{--}\)1ヶp APARS
[5] NYEAR \({ }^{-}-2+1 \uparrow \rho \triangle\) VARS
[6] NVARS \({ }^{+-}\)1ヶp \(\triangle\) VARS
[7] OLDTAB+2 \(0 \downarrow \triangle V A R S\)
[8] \(\Delta I T+0\)
[9] \(A\)
[10] RESULTS+(1 (2+NPARS+NVARS))p(C'EXP NO') \(\triangle P A R S[1 ;]\left(C^{\prime} D I S T A N C E '\right) ~ \Delta V\)
ARS[1; ]
[11] STARTAENT 1
[12] \(\triangle K E E P+\left(\downarrow[\mathrm{NL} 2)(\downarrow[] N L 3)\left(c^{\prime} O L D D I S T\right)^{\prime}\right) c^{\prime} \triangle K E E P{ }^{\prime}\)
[13] STR:
[14] \(\rightarrow\) DOIF \(\triangle I T \neq 0 \bigcirc\) READ \(\triangle D A T A\) KEEPVAR \(\bigcirc\) KEEP \(\triangle N A M E S ~ \triangle K E E P\)
[15] \(\quad\) (क्यPARS[1;]) '+ \(\triangle\) PARS[4;]'
[16] \(\Delta I T++1\)
[17] NEWTAB+O×OLDTAB
[18] \(\Delta I+0\)
[19] EXPERIMENT ' (דAIT)
[20] START:
[21] \(\rightarrow(N Y E A R<\Delta I+\Delta I+1) / E N D\)
[22] THIS \(\triangle\) YEAR ++1

[24] YEAR
[25] LASTAYEAR++1

[27] \(\rightarrow\) DOIF SDEV \(\leq\ulcorner/ / \mid \operatorname{NEWTAB[\Delta I;]-OLDTAB[\Delta I;]~} \diamond\) ADDRESULTB \(\Delta I T \diamond \rightarrow S T R\)
[28] \(\rightarrow\) START
[29] END:
```

            211
    [30] (%\TS[4]) ':' (-24'0' T\TS[5]) ' D1stance : ' TDISTANCE[1]
[31] ADDRESULT \triangleIT
[32] }->(\triangleIT<MITER)/STR
[33] 'DELETE.CAL'DfERASE 1
****************************************************************************
STARTAZ
[0] START\DeltaZ;RESULTSALL;BASECASE;TESTVALUES;\triangleKEEP;OLDVAR;\DeltaI;\triangleIT;NPARS;KE
EPVAR
[1] KEEPVAR +CLEAR\triangleBLANK \ पNL 2
[2] SAVE\triangleDATA KEEPVAR
[3] TESTVALUES+0 -0.01 -0.001 0.001 0.01×STEPRF
[4] }\DeltaIT+
[5] A
[6] BASECASE+RESULTS*(NYEAR NTVAR)\rhoO
[7] RESULTSALL+O\rhoO
\8】 STARTAENT1
[9] \triangleKEEP+(\&\squareNL 2) (\&\squareNL 3) (c'OLDDIST') c'\triangleKEEP'
[10] STR:
[11] }->\mathrm{ DOIF }\triangleIT\not=O \diamond READ\triangleDATA KEEPVAR \diamond KEEP\triangleNAMES \triangleKEE
[12] \DeltaIT++1
[13] \&CVAR 'x+1+' TTESTVALUES[\DeltaIT]
[ 14] \RL+16807
[15] \DeltaI +O
[16] ' EXPERIMENT ' (TAIT)
[17] START:
[18] }->(NYEAR<\DeltaI +\DeltaI+1)/EN
[19] THIS\triangleYEAR++1
[20] (%पTS[4]) ':' (-24'0' बDTS[5]) ' Year : 'tTHISAYEAR
[21] YEAR
[22] LASTAYEAR++1
[23] }->\mathrm{ DOIF }\triangleIT=1 \diamond BASECASE[\DeltaI;]*\&TIVA

```


END:
    PREPAREARESULTS
[30] 'DELETE.CAL'DfERASE 1

VIA
[O] VIA \(\Delta \Delta N ; \Delta \Delta R ; \Delta \Delta I ; \square I O ; \square T R A P ; \Delta \Delta D\)
[1] AInvoke via external function editor on named fnor fns
[2] \(\square I O+1 \diamond \square T R A P+(239)^{\prime} \mathrm{C}^{\prime} \rightarrow \Delta \Delta L 4^{\prime}\)
[3] \(\Delta \Delta D \leftarrow ' \nabla '\)
[4] \(\rightarrow(1 \neq \equiv \Delta \Delta N+\Delta \Delta N) \rho \Delta \Delta L 1\)
[5] \(\Delta \Delta N \leftarrow c \Delta \Delta N\)
[6] \(\Delta \Delta L 1: \Delta \Delta R-\square N R " \Delta \Delta N\)
[7] \(\Delta \Delta L 2: \Delta \Delta R+1 \downarrow \supset /(c \subset \Delta \Delta D) \cdots \Delta \Delta R\)
\([8] \rightarrow\left(0 \neq \square N C^{\prime} \vee 1 a^{\prime}\right) \rho \Delta \Delta L 3\)
[9] 'via'DSH'via'
[10] \(\Delta \Delta L 3: \Delta \Delta R+V 1\) a \(\Delta \Delta R\)
[11] \(\Delta \Delta R^{-}-1 \phi \Delta \Delta R(\Delta \Delta D \neq 1 \rho(\rho \Delta \Delta R) \supset \Delta \Delta R) / \subset \Delta \Delta D\)
[12] \(\Delta \Delta R+1 \not{ }^{\prime}((\uparrow 1 \rho \cdots \Delta \Delta R)=\Delta \Delta D) \subset \Delta \Delta R\)
[13] \(\Delta \Delta I+\Delta \Delta I / \imath \rho \Delta \Delta I+1 \quad 1 \neq \uparrow 1 \rho^{\prime} O \rho^{\prime \cdot} \square F X \cdot \Delta \Delta R\)
[14] \(\rightarrow(0=\rho \Delta \Delta I) \rho 0\)
[15] 'Unable to fix function' ( (1<p\|sI)/'s')' ' (历 \(\Delta \Delta I)\) ' Type Q to qui
\(t^{\prime}\)
\([16] \rightarrow\left({ }^{\prime} Q^{\prime}=1 \uparrow \square\right) \rho 0\)
[17] \(\Delta \Delta R+\Delta \Delta R[\Delta \Delta I]\)
\([18] \rightarrow \Delta \Delta L 2\)
[19] \(\Delta \Delta\) L4: Quit'

\section*{INTERACI}

\section*{[0] INTERACI;RESULIS;EXITKEYS;INITWORKSPACE}
[1] \(A\)
[2] A This function prepares the calibration or policy simulations.
[3] A Written by E.Taymaz Dec. 1990
[4] ค
[5] EXITKEYS+'F1' 'F2' 'F9'
[6] \(\quad \square S M+\) MENU

[8] \(\rightarrow(\) RESULTS[1]=7)/STR
[9] \(\rightarrow\) (RESULTS[1]-8)/XNX
[10] \(\rightarrow\) (RESULTS[4]シC'F9')/0
[11] \(\rightarrow\) DEV
[12] STR:
[13] \(21 \rho^{\prime}\) '
[14] 'MODEL VERSION : ' \(\square\) SM[21;1]
[15] 'INITIAL YEAR : ' J \(\square\) SM[9;1]
[16] ©ENTRY STARTS IN : © TDSM[11;1]
[17] 'AVERAGE ENTRIES : ' TDSM[12;1]
[18] 'MSTART NUMBER : ' \(\quad\) [ SMm [13;1]
[19] INITWORKSPACE+'R' (бपSM[9;1]) '.' ד[SM[17;1]
[20] MENU-ПSM
[21] ค
[22] \(311 \rho^{\prime}\) '(c'***** LOADING MOSES *****')
[23] \(]^{\prime}{ }^{\prime}\) mOSES.PC'
[24] \(311 \rho^{\prime}\) '(C'***** LOADING DATABASE *****')
[25] DCY INITWORKSPACE
[26] \(311 \rho^{\prime}\) (c'***** UPDATING THE MODEL *****')
[27] \&'VERSION' \(10 \times \square\) SM[21;1]
[28] \(311 \rho^{\prime}\) '(C'***** MODIFYING THE MODEL *****')
[29] VARIANTS \({ }^{\prime \prime}\)
[30] (0<MENU[12;1])/'VARIANTS+VARIANTS ' + Firm entry: ' TMENU[12;1]
' \({ }^{\prime}\) firm(s)''
```

[31] UPDATEMOSES MENU[ 13;1]
[32] AMAXENT+MENU[12;1]
[33] A
[34] ค
[35] 3 1 10' '(c'****** LOADING VARIABLE MATRIX *****')
[36] ((' '\not=\MENU[ 10;1])/כMENU[ 10;1])\squareCY'DATA'
[37] 3 1 1\rho' '(c'***** LOADING PARAMETER MATRIX *****')
[38] ((' '\not=\triangleMENU[ 16;1])/כMENU[ 16;1])\squareCY'DATA'
[39] [WSID+(~(כMENU[ 19;1])=' ')/כMENU[ 19;1]
[40] ->DOIF 1=^/' '=[WSID \ [WSID+'DELETE.ME'
[41] GET\triangleMETHOD
[42] पARBOUT 7
[43] ' ' \ 2 700'*'
[44] }->
[45] XNX:
[46] [\SM+O 13\rhoO
[47] 25\rho' '
[48] DofF

```
I. MOSES GRAPH FUNCTIONS
```

APL
AXES
BARCHART
CGINIT
CGISTART
CHART
DOIF
EPI
FRAME
GCD
GHELP
GRAPH
GRAPHS
GXMENU
HIST
HYPO
LEGEND
LNORM
MAXSTRLEN
MESSAGE
NICE
PAT
PAUSE
PDEFINE
PFUN2
PIE
PIECHART
PLOT
PLOTINIT
SALTERC
SETSCALE
SHOWFUN
SHOWREAL
STRLEN
TITLE
VIA
WAIT
WINC
WINPP

```
```

APL
[0] APL
[1] A Reloads APL character font into EGA / VGA
[2] \& This only needs to be done when running under xenix 2.2
[3] A पSH gives DOMAIN ERROR when the exit code of the expression to be
[4] A executed is non-zero. Both uname and aplfont2 return non-zero code
s
[5] A but the 'exit O' avolds this problem
[6] A
[7] ->O\rho^'2.2'\#3^つ\squareSH'uname -r; exit O'
[8] [SH'\$DYALOG/fonts/aplfont2; exit O'

```
AXES
[0] AXES XLABPOS;SINK
[1] A Sub function of HIST and GRAPH
[2] A Draws axes ticks labels titles grid lines
[3] A All dimensions are in physical coordinates
[4] A Uses following semi-globals ...
[5] A W (window - x1 y1 x2 y2)
[6] \(A\) TL (tick length)
[7] A GRID (grid lines)
[8] A \(\triangle C X\) (character width) \(\triangle C Y\) (character height)
[9] \(\quad\) XLAB (X-AXis labels) YLAB (y-Axis labels)
[10] A XTITLE (X-Axis title) \(\operatorname{YTITLE}(Y\)-AXis title)
[11] A XTICS (No. ticks on X-AXis) YTICS (No. ticks on Y-AXis)
[12] A XCOL (X-AXis colour) YCOL (Y-AXis colour)
[13] \(A\)
[14] A XLABPOS (position of X-axis labels )...


        VGTEXT X Y Xtitle
yo \(\mathrm{Y}_{1}\)
[76] \(X \leftarrow 2 \downarrow X O-(3 \times Y T I C S) \rho T L \times O \quad 0 \quad 1\)

[78] 1 YCOL VPLINE \(X[1.5] Y\)
[79] \(X+X O-(2 \times T L) \diamond Y+Y O+Y G A P X-1+2 Y T I C S\)
[80] FONT YCOL O 21 VGTEXT X Y YLAB
[81] \(X+W[1]+\Delta C Y \Delta Y+0.5 \times Y O+Y 1\)
[82] FONT YCOL 90010 VGTEXT X Y YTITLE
[83
[84] VSTROT
VSTROT 0 A Reset text direction to l-right

BARCHART
[0] BARCHART;PLOI;BCOL;BOXED;TEXT;XLAB;DEVICE;DEVINFQ;DINT;FORMS;CCOL;C TITLE;YCOL;YTITLE;XEXP;XCOL;XTITLE;YEXP;DCOL;DSTYLE;HGR;VGR;STACKED;GRID;XV AL;YVAL;WIN;X;KEY;MASK;WIN;FONT;SIZE;MSG
[1] \(\mathrm{PLOI}+{ }^{\prime} \mathrm{R}^{\prime}\)
[2] \(\mathrm{CCOL}+Y \mathrm{COL}+X \mathrm{COL} 45 \bigcirc \mathrm{CTITLE}+X T I T L E+Y T I T L E+X E X P+Y E X P+{ }^{\prime}\).
[3] \(\mathrm{HGR}+\mathrm{VGR}+\mathrm{STACKED}+\mathrm{O} \diamond \mathrm{DCOL}+6 \rho 1 \diamond \mathrm{DSTYLE}+\mathrm{O} 25\)
[4] PSTART
[5] PENTER 1
[6] X \(\quad\) PKKEY 01510
[7] MSG+'Press ' ( 2 X\()^{\prime}\) ' to draw barchart ' (2כx) ' for help '
[8] MSG \(4(3 \supset x)\) ' to print barchart ' (4כx) ' to quit.'
[9] PDEFINE \(\triangle\) PLOTSCREENB
[10] STACKED HGR VGR CTITLE XTITLE YTITLE XEXP YEXP CCOL XCOL YCOL DCOL
dStyle pput'stacked' 'hgr' 'VGR' 'Ctitle' 'Xtitle' 'ytitle' 'Xexp' 'yexp'
'CCOL' 'XCOL' 'YCOL' 'DCOL' 'DSTYLE'
[11] Reset:MSG PPUT'MSG'

[13] Help:GHELP \(2 \Delta \rightarrow\) Again
[14] Doit:
[15] \(\rightarrow\) DOIF 5=KEY \(\diamond\) 'PLOTTER OR PRINTER (P/R)?' \(\diamond\) PLOI+■
[16] YEXP 4 PGET'YEXP'
[17] \(\rightarrow\) Again×2~v/MASK \(+\left(V / Y E X P \neq \prime^{\prime}\right)\) ) \(\sim v / Y E X P \in ' \leftrightarrow '\)
[18] CTITLE XTITLE YTITLE XEXP+1 PGET'CTITLE' 'XTITLE' 'YTITLE' 'XEXP'
[19] STACKED HGR VGR CCOL XCOL YCOL DCOL DSTYLE+PGETN'STACKED' 'HGR' 'V
GR' 'CCOL' 'XCOL' 'YCOL' 'DCOL' 'DSTYLE'
[20] YEXP DCOL DSTYLEfN+CMASK
[21] STACKED HGR VGR CCOL XCOL YCOLPN+COA Ensure these are scalars
[22] HGR+2тHGR \(\diamond\) VGR+2TVGR \(\diamond\) STACKED+2тSTACKED
[23] \(\rightarrow\) (^/DSTYLE \(\in O\) 29)/Ok 1
[24] MESSAGE'Valid bar styles are in the range 0-9'
[25] \(\rightarrow\) Again
[26] Ok1: पEX'.X' 'XVAL'
[27] \(\rightarrow\) L1×2^/' \(\quad=X E X P\)
[28] \(X+X V A L+E X E X P\)
〔29〕 L1
[30] YVAL-Ф4! \({ }^{\circ}+\) YEXP
[31] \(\mathrm{YVAL}+(2 \uparrow(\rho Y V A L)\) 1) PYVAL
[32] \(\quad\left(2 \neq \square N C^{\prime} x V A L '\right) / ' x V A L+(1+\rho Y V A L) \rho{ }^{\prime \prime} \cdot \prime\)
[33] \(\rightarrow\left(\right.\) O^ \(\left.^{\prime} /(1 \uparrow \rho Y V A L)=\rho \cdots \cdots+Y E X P\right) / L 2\)
[34] MESSAGE'Variables must be in same size'
[35] \(\rightarrow\) Again
[36] L2:
[37] \(X L A B+\frac{\sigma}{6} \times X V A L\)
[38] \(\rightarrow((\rho X L A B)=1 \uparrow \rho Y V A L) / \underline{L} 2\)
[39] MESSAGE'Number of labels should be equal to the number of clusters
,
[40] \(\rightarrow\) Again

[42] L2:
[43] TEXT \(+\downarrow\) YEXP \(\diamond\) TEXT \(+54{ }^{\circ}\) 'TEXT
```

[44] GRID+2 2\rhoVGR HGR(VGR\timesXCOL)(HGR\timesYCOL)
[45] WIN+WINC KEY PLOI'C' \ DINT+(-14\rhoYVAL)\rho2
[46] FORMS+O 1 2 4 5 20 22 11 13 14
[47] DSTYLE*FORMS[1+DSTYLE]
[48] BCOL+O
[49] FONT SIZE BOXED+1 349 0
[50] CGISTART
[51] CGINIT KEY PLOI
[52] ->DOIF O-DEVINFQ[46] \diamond VSBCOL BCOL
[53] ->DOIF O=KEY \diamond VCLRWK
[54] ->DOIF O=DEVINFO[46] \diamond FONT SIZE BOXED+1 586 O \diamond ->LL1
[55] FONT SIZE BOXED+1 349 O
[56] LL1
[57] HIST WIN STACKED BOXED YVAL DINT DCOL DSTYLE GRID XLAB XCOL YCOL X
TITLE YTITLE FONT SIZE
[58] WIN+WINC KEY PLOT'L'
[59] }->\mathrm{ DOIF O=DEVINFQ[46] \ FONT SIZE BOXED+1 586 O }\diamond->LL
[60] FONT SIZE BOXED+1 349 0
[61] LL2:
[62] LEGEND WIN FONT SIZE DINT DCOL DSTYLE TEXT XCOL BOXED BCOL
[63] WIN+WINC KEY PLOI'T'
[64] ->DOIF O=DEVINFQ[46] \diamond FONT SIZE BOXED+2 911 1 \diamond ->LL3
[65] FONT SIZE BOXED+2 750 1
[66] LL3:
[67] TITLE WIN CTITLE CCOL FONT SIZE BOXED
[68] FRAME 5 KEY PLOI
[69] }->\mathrm{ DOIF O=KEY }\triangle\mathrm{ PAUSE
[70] RESET \diamond PREDRAW
[71] ->Reset
[72] Exit:PRESET

```

CGINIT
[O] CGINIT PRS;K;R
[1] \(K \quad P+P R S\)
[2] \(\rightarrow\) DOIF K=O DEVICE DEVINFO+VOPNWK'DISPLAY' \(\rangle \rightarrow 0\)
[3] \(\rightarrow\) DOIF'P'=14P \(\triangle\) DEVICE DEVINFO \(+V O P N W K\) 'PLOTTER' \(\diamond \rightarrow 0\)
[4] DEVICE DEVINFO -VOPNWK'RINTER'

CGISTART
[0] CGISTART
\([1] \quad \rightarrow\left(3=\square N C^{\prime}\right.\) VARC' \() / 0\)
[2] \({ }^{\prime} \mathrm{cgi}{ }^{\prime} \square S H^{\prime} \mathrm{cgi}^{\prime}\)

CHART
[O] CHART;MCOL;PLOI;CTYPE;BCOL;BOXED;TEXT;DEVICE;DEVINFQ;GRID;HGR;VGR;C TITLE;XTITLE; YTITLE; XEXP;YEXP;CCOL; XCOL;YCOL;DCOL; DSTYLE;XVAL;YVAL;WIN;X;KE Y;MASK;WIN;PLYM;FONT;SIZE;MSG
[1] \(\mathrm{PLOI}^{+} \mathrm{R}^{\prime}\)

[3] XEXP+YEXP+1 ' \(\triangle H G R+V G R+C T Y P E+O \triangle P L Y M+6 \rho O\)
[4] PSTART
[5] PENTER 1
[6] X X PKEY 01510
[7] MSG+'Press ' (כX) ' to draw graph ' (2כx) ' for help '
[8] MSG \(+(3 \supset x)\) ' to print graph ' \((4 \supset x)\) ' to quit.'
[9] FONT SIZE+1 586
[10] PDEFINE \(\triangle\) PLOTSCREEN
[11] PLYM CTYPE HGR VGR CTITLE XTITLE YTITLE XEXP YEXP CCOL XCOL YCOL D
COL DSTYLE PPUT'PLYM' 'CTYPE' 'HGR' 'VGR' 'CTITLE' 'XTITLE' 'YTITLE' 'XEXP'
'YEXP' 'CCOL' 'XCOL' 'YCOL' 'DCOL' 'DSTYLE'
[12] Reset:MSG PPUT'MSG'
[13] Again: \(\rightarrow\left(\begin{array}{lll}0 & 1 & 5 \quad 10=K E Y ~\end{array}\right.\) PREAD)/Doit Help Doit Exit \(\triangle\) PPUT \(2 \diamond \rightarrow\) Again

Help:GHELP \(1 \diamond \rightarrow\) Again
Do1t:
[16]
'HGR' 'VGR' 'CCOL' 'XCOL' 'YCOL' 'DCOL' 'DSTYLE'
[21] PLYM YEXP DCOL DSTYLEf \(+C\) 阴ASK
[22] CTYPE HGR VGR CCOL XCOL YCOLPNo +CQR Ensure these are scalars
[23] \(\mathrm{HGR}+2 \mathrm{THGR} \triangle \mathrm{VGR}+2 \mathrm{TVGR}\)
[24] GRID+2 2 2 VGG HGR(VGR×XCOL)(HGR×YCOL)
[25] \(\rightarrow(\wedge / D S T Y L E \in O ~ 27) / O k 1\)
[26] MESSAGE'Valid line styles are in the range \(1-7\) '
[27] \(\rightarrow\) Agafr
[28] Ok1: \(\rightarrow(\wedge /\) PLYM \(\in O\) 17)/OK2
[29] MESSAGE'Valid marker styles are in the range 1-7'
[30] \(\rightarrow\) Again
[31] OK2:
[32] MCOL \(+D C O L \vee((P L Y M=0) / M C O L)+0 \vee((D S T Y L E=0) / D C O L)+0\)
[33] \(\square E x{ }^{\prime \prime} \mathbf{x ' ~}^{\prime} \mathrm{XVAL}\) '
[34] \(\rightarrow\) L1×ı^/' '=XEXP
[35] \(X+X V A L+\& X E X P\)
[36] L1:YVAL+Ф4 \({ }^{*}{ }^{*}+\) YEXP
[37] YVAL+(24(pYVAL) 1) PYVAL
[38] \(\boldsymbol{2}\left(2 \neq \square N C^{\prime} X V A L '\right) / ' X V A L+21 \uparrow \rho Y V A L '\)

[40] MESSAGE'Variables must be in same size'
[41] \(\rightarrow\) Again
[42] L2
[43] \(\rightarrow(0=\wedge /(\downarrow Y V A L)[1] \equiv \cdots+Y V A L) / L 8\)
[44] MESSAGE'Variable(s) have same values' \(\rangle \rightarrow\) Again
[45] L8
```

e' }|->\mathrm{ Again
[47] ->DOIF I\#\#YVAL }\bigcirc\mathrm{ mESSAGE'Dimension of Y variables are not equal to
one' }|->\mathrm{ Again
[48] CTITLE XTITLE YTITLE\&dbr` `'CTITLE XTITLE YTITLE
[49] TEXT\&\&YEXP \diamond TEXT*54*TEXT
[50] WIN+WINC KEY PLOI'C'
[51] CGISTART
[52] CGINIT KEY PLOI
[53] BCOL+O \ FONT SIZE BOXED+1 586 O
[54] ->DOIF O=DEVINFO[46] \diamond FONT SIZE BOXED+1 586 O \diamond +LL2
[55] FONT SIZE BOXED\&1 349 O
[56] LL2:
[57] GRAPH MCOL WIN CCOL XVAL YVAL DSTYLE DCOL PLYM GRID XCOL YCOL XTIT
LE yTitle font size
[58] WIN+WINC KEY PLOI'L'
[59] -DOIF OFCTYPE \diamond LEGEND_L MCOL WIN FONT SIZE DSTYLE DCOL PLYM TEXT
XCOL BOXED BCOL

```


DOIF
[0] R+DOIF TEST
[1] AReturn next line number if TEST false
    \(R+(\sim T E S T) / 1+1+24[L C\)
EPI
[0] R \(\triangle\) FIXED EPI R \(\triangle R O L L ; T H E T A ; G ; X ; Y\)
[1] A Draws an Epicycioid which is a curve described by a point
[2] \(A\) on the circumference of a circle as the circle rolls
[3] A without slipping on the outside of a fixed circle.
[4] A R \(\triangle\) FIXED is the radius of the fixed circle
[5] A R \(\triangle R O L L\) is the radius of the rolling circle
        ค
[7] THETA*2×040* \(140 \times R \Delta R O L L+R \Delta F I X E D G C D ~ R \triangle R O L L\)
[8] \(G+(R \triangle F I X E D+R \triangle R O L L) \div R \triangle R O L L\)
[9] \(X+((R \Delta F I X E D+R \Delta R O L L) \times 2 O T H E T A)-R \Delta R O L L \times 2 O G \times T H E T A\)
[10] \(Y+((R \Delta F I X E D+R \Delta R O L L) \times 10 T H E T A)-R \Delta R O L L \times 10 G \times T H E T A\)
[11] \(X Y \times+(\) /DEVINFQ[52 53] \() \div 500\) A Scale to \(N\)
DC
[12] \(X\) Y + + O. \(5 \times\) DEVINFO[52 53] A Centralise
[13] VPLINE X [1.5]Y

FRAME
[O] FRAME PARS;W;PAR;K;P
[1] A Draw frame around window
[2] PAR K \(P+\) PARS
[3] \(W+0\) O-1+DEVINFQ[52 53]
[4] \(\rightarrow(0=\underline{K}) / J M\)
[5] \(\rightarrow\) DOIF'R'=14P \(\diamond W[1]+0.1 \times W[3]\rangle W[2]+0.2 \times W[4]\)
[6] W[3 4]+0.95×W[3 4]
[7] JM:(-2^ PAR)VPLINE(W[ \(\left.\left.\begin{array}{lllll}1 & 1 & 3 & 3 & 1\end{array}\right]\right)\left(W\left[\begin{array}{lllll}2 & 4 & 4 & 2 & 2\end{array}\right]\right)\)
\begin{tabular}{ll}
{\([0]\)} & \(R+A\) GCD \(R\) \\
{\([1]\)} & \(\rightarrow 0 \neq \triangle A R+(A \mid R) A\)
\end{tabular}

\section*{GHELP}


GRAPH
[O] GRAPH PARS;YVALL;MCOL;W;XMIN;XMAX;XINC;XTICS;XLAB;YMIN;YMAX;YINC;YT
 VAL;DCOL;DSTYLE;XCOL;YCOL;XTITLE;YTITLE;FONT;TL;PLYM;GRID;XINC;YINC;SIZE;GS QDSP
[1] MCOL WIN BOXED XVAL YVAL DSTYLE DCOL PLYM GRID XCOL YCOL XTITLE YTI TLE FONT SIZE + PARS
[2] \(\rightarrow\) DOIF~36PDEVINFO \(\triangle\) DCOL XCOL YCOL BOXED \(\neq+0\) A If mono set cols to \(b\) lack
[3] VSTFNT FONT \(\triangle \Delta C X ~ \triangle C Y+\Gamma \nmid 2\) 2pVSTHGT SIZE
[4] \(W+(0.01 \times\) WIN \() \times 22 p^{-1+D E V I N F Q[52 ~ 53] ~}\)
[5] \(\rightarrow\) DOIF O \(F\) BOXED \(\vee 1\) BOXED VPLINE RECTANGLE 22 pW
[6] \(W++1 \quad 1-1-1 \times 4 \rho 0.5 \times \Delta C X \quad \Delta C Y\)
[7] TL \(+\Gamma \Delta C X \div 2\) \& Tick length
[8] \(\mathrm{XINC}+\left(-/ W\left[\begin{array}{ll}3 & 1\end{array}\right]\right) \div 10 \times \Delta C X\)
[9] XMIN XMAX XINC XTICS XLAB+XINC SETSCALE XVAL

[11] Ymin ymax yinc ytics ylab fyinc setscale yval
[12] AXES O
[13] XSCALE \(+(X 1-X 0) \div X M A X-X M I N\)
[14] YSCALE \(+(Y 1-Y 0) \div Y M A X-Y M I N\)
[15] \(X+X O+X S C A L E X X V A L-X M I N\)
[16] YVAL↔YO+((pYVAL)pYSCALE)×YVAL-(pYVAL)pYMIN
[17] \(\rightarrow(\wedge / O=D S T Y L E) / J M P\).
[18] DCOL \(\leftarrow(D S T Y L E \neq O) / D C O L\)
[19] YVALL \(4(D S T Y L E \neq 0) /\) YVAL
[20] DSTYLE \(+(D S T Y L E \neq 0) / D S T Y L E\)
[21] (DSTYLE \(\cdots D C O L) V P L I N E \quad Y \leftarrow(c \subset X) ~ \circ C \cdot+[1] Y V A L L\)
[22] JMP: \(\rightarrow(\wedge / O=P L Y M) / E X I T\)
[23] \(\mathrm{MCOL} \leftarrow(P L Y M \neq O) / M C O L\)
[24] \(\operatorname{YVAL} \leftarrow(P L Y M \neq 0) / Y V A L\)
[25] \(P L Y M \leftarrow(P L Y M \neq 0) / P L Y M\)
[26] \(R \quad X V A L \leftarrow(\sim V / Y V A L=Y O) \not \subset X V A L\)
[27] A YVAL \(\leftarrow(\sim V / Y V A L=Y O) f Y V A L\)
[28] (PLYM "•MCOL)VPMARK \(Y \leftarrow(c \subset X) ~ \circ C^{\prime}+[1] Y V A L\)

GRAPHS
[O] GRAPHS PARS; \(\triangle\) NWEY; \(\triangle N W E X ; \triangle S Y N Y ; \triangle S Y N X ; Y V A L L ; M C O L ; W ; X M I N ; X M A X ; X I N C ; X T I\) CS ; XLAB ; YMIN ; YMAX ; YINC ; YTICS ; YLAB ; X ; Y ; XO ; YO; XGAP ; YGAP; X 1 ; Y 1 ; I ; XSCALE ; YSCALE ; \(\triangle C X ; \triangle C Y ; W I N ; B O X E D ; X V A L ; Y V A L ; D C O L ; D S T Y L E ; X C O L ; Y C O L ; X T I T L E ; Y T I T L E ; F O N T ; T L ; P L\) YM; GRID; XINC; YINC;SIZE; GSQDSP
[1] MCOL WIN BOXED XVAL YVAL DSTYLE DCOL PLYM GRID XCOL YCOL XTITLE YTI TLE FONT SIZE\&PARS
[2] \(\rightarrow\) DOIF~36כDEVINFO \(\diamond\) DCOL XCOL YCOL BOXED \(\neq+0\) A If mono set cols to b
[3] VSTFNT FONT \(\diamond \triangle C X \quad \triangle C Y \leftarrow \Gamma \not \subset 2\) 2pVSTHGT SIZE
[4] \(W+(0.01 \times\) WIN \() \times 22 p^{-1+D E V I N F Q[52 ~ 53] ~}\)
[5] \(\rightarrow\) DOIF OFBOXED \(\diamond 1\) BOXED VPLINE RECTANGLE 2 2pW
[6] \(W++11-1-1 \times 4 \rho 0.5 \times \Delta C X \quad \Delta C Y\)
[7] TL \(+\Gamma \Delta C X+2\) A Tick length
[8] \(\operatorname{XINC}+\left(-/ W\left[\begin{array}{ll}3 & 1\end{array}\right]\right) \div 10 \times \Delta C X\)
[9] XMIN XMAX XINC XTICS XLAB + XINC SETSCALE XVAL
[10] YINC+(-/W[4 2 2]) \(45 \times \Delta C Y\)
[11] YMIN YmaX Yinc Ytics YLab +Yinc SETSCALE YVAL
[12] AXES O
[13] XSCALE \(+(X 1-X 0) \div\) XMAX-XMIN
[14] YSCALE+(Y1-YO) \(\div\) YMAX-YMIN
[15] \(X+X O+X S C A L E X X V A L-X M I N\)
[16] YVAL \(40+((\rho Y V A L) \rho Y S C A L E) \times Y V A L-(\rho Y V A L) \rho Y M I N\)
[17] \(\rightarrow\) DOIF \(2=\square N C^{\prime} \triangle S Y N^{\prime} \diamond \triangle S Y N Y+(-14 Y V A L) Y O+((\rho \Delta S Y N) \rho Y S C A L E) \times \Delta S Y N-(\rho \Delta S Y\)
N)PYMIN \(\triangle \triangle S Y N X+(14 X) X \diamond 111\) VFAREA \(\triangle\) SYNX \(\triangle\) SYYNY
[18] \(\rightarrow\) DOIF \(2=\square N C^{\prime} \triangle N W E E^{\prime} \diamond \triangle N W E Y+(-14 Y V A L) Y O+((\rho \Delta N W E) \rho Y S C A L E) \times \Delta N W E-(\rho \Delta N W\)
E)PYMIN \(\diamond \triangle \operatorname{NWEX}+(14 X) X \vee 215\) VFAREA \(\triangle\) NWEX \(\triangle\) NWEY
[19] \(\rightarrow(\wedge / 0=\) DSTYLE \() / J M P\)
[20] DCOL \(+(D S T Y L E \neq 0) / D C O L\)
[21] YVALL+(DSTYLE \(\neq 0) /\) YVAL
[22] \(D S T Y L E+(D S T Y L E \neq O) / D S T Y L E\)
[23] (DSTYLE \(\cdots\) DCOL )VPLINE \(Y+(c \subset X) ~ \circ c \cdots+[1]\) YVALL
[24] JMP: \(\rightarrow\) (^/O=PLYM)/EXIT
[25] MCOL \(\leftarrow(\) PLYM \(\neq 0) / \mathrm{MCOL}\)
[26] \(\quad Y V A L+(P L Y M \neq O) / Y V A L\)
[27] PLYM \(+(\) PLYM \(\neq 0) /\) PLYM
[28] A \(X V A L+(\sim V / Y V A L=Y O) \not \subset X V A L\)
[29] A YVAL \(+(\sim V / Y V A L=Y O) f Y V A L\)
[30] (PLYM "MCOL)VPMARK Y \(4(c \subset X) ~ \circ \subset \cdot \downarrow[1] Y V A L\)
[31] EXIT:
gXMENU
[O] CHOICE+GXMENU PARS;LOC;TEXT;FONT;TSIZE;TCOL;LCOL; \(\triangle C X ; \triangle C Y ; X ; Y ; R E C T ; C\) URSOR;POS;L;TX;XO;YO;CT;TY;EFLAG;NCELLS;BOX
[1] \(ค\)
[3] A Argument is a nested vector as follows:
[4] A 1. LOC : ( \(x\) y) coordinates for bottom-left corner of menu box
[5] A 2. TEXT : Vector of text vectors (the choices)
A 3. FONT : Text font
A 4. TSIZE : Text font size

A 5. BCOL : Background colour for menu boxes
A 6. TCOL : Text colour
[10] A 7. LCOL : Line colour for borders around menu boxes
[11] A 8. EFLAG : Flag to indicate if/if not menu is to be erased on e
[12] A 9. CHOICE : Initial (default) choice
[14] LOC TEXT FONT TSIZE BCOL TCOL LCOL EFLAG CHOICE\&PARS
[15] VGTATT FONT TCOL O
[16] \(\quad \triangle C X \quad \Delta C Y+\Gamma+2 \quad 2 \rho V S T H G T\) TSIZE
[17] NCELLS \(+\Phi \rho T E X T+(24(\rho T E X T) 1) \rho T E X T\) A Default to vertical menu
[18] \(L \leftarrow \triangle C X \times 1+\supset\lceil/ \rho * T E X T \leftarrow \phi\) TEXT
[19] RECT \(\leftarrow(L L O C)\) [0.5]「LOC+NCELLS \(\times L \triangle C Y \times 2\)
[20] \(\quad X \leftarrow L O C[1]+L \times O \quad 2\) INCELLS
[21] \(Y \leftarrow L O C[2]+2 \times \Delta C Y \times 0 \quad 22\) NNCELLS
[22] \(T X+L O C[1]+0.5 \times L-\triangle C X \times D / \rho * T E X T\)
[23] \(\mathrm{T} X++(x / \mathrm{NCELLS}) \rho \phi L \times 0-1+2\) NNCELLS
[24] \(T Y \leftarrow(د N C E L L S) /-1+Y+0.5 \times \Delta C Y\)
[25] TY+4EXI[4]
[26] VSDBIT BACK A Use same bitmap but above visible
part
[27] VCPBIT SCREEN RECT(EXI[2 4]+RECT[1;])
[28] VSDBIT FORE A Use same bitmap but above visible
part
[29] 1 BCOL VFAREA RECTANGLE RECT+2 2pEXI[2 4]
[30] VSBCOL BCOL
[31] VGTEXT TX TY TEXT

VSBCOL 0
VGLATT 11 a LCOL
\(\operatorname{VPLINE}((C c X) \cdots(Y+E X I[4]))(\operatorname{cc}(E X I[4]+Y[1(\rho Y)])) \sim \cdot X\)
VSDBIT SCREEN
VCPBIT FORE(RECT+2 2pEXI[2 4])(RECT[1;]) \& COpy menu to screen POS + (CHOICEDФTX) (CHOICEこФTY-EXI[4]) \& POSition cursor in chosen b
[38] LOOP:POS + OVRQLOC DEVICE POS O O
[39] \(\rightarrow(v /(\) POSSRECT[1;])VPOS \(\geq R E C T[2 ;]) / L O O P\)

/rpy
[41] 1 TCOL VBAR \(B O X+X[X O+0\) 1] [1.5]Y[( \(\rho Y)-Y O+10]\)
[42] O LCOL VBAR BOX
[43] VSBCOL TCOL
[44] CT+1+( PTEXT )-CHOICE
[45] (دVQTATT)BCOL VGTEXT TX[CT] (TY-EXI[4])[CT] TEXT[CT]
[46] VSBCOL 0
[47] \(\rightarrow E F L A G / L 2\)
[48] CHOICE+CHOICE (BACK RECT) \(\diamond \rightarrow\) EXit
[49] L2:VCPBIT BACK(RECT+2 2PEXI[2 4])(RECT[1;]) A Erase menu if needed [50] Exit:

HIST

HIST PARS;W;XMIN;XMAX;XINC;XTICS;XLAB;YMIN;YMAX;YINC;YTICS;YLAB;X;Y ;XO;YO;X1;Y1;YGAP;I;XSCALE;YSCALE; \(\triangle C X ; \triangle C Y ; X G A P ; N ; B A R ; W I N ; X L A B ; X T I T L E ; Y T I T L E\) ;DATA;XCOL;YCOL;BOXED;FONT;TL;STACKED;BBAR;XY;DSTYLE;GRID;SIZE;YORIGIN;DCOL ; DINT
[1] \(ค\)
[2] WIN STACKED BOXED DATA DINT DCOL DSTYLE GRID XLAB XCOL YCOL XTITLE YTITLE FONT SIZE+PARS
[3] \(\rightarrow\) DOIF \(1=\) DEVINFO[46] \(\diamond\) DSTYLE \(+1+6 \mid\) DSTYLE A plotters only have 6 patt
```

erns
[4] ->DOIF~36כDEVINFO \diamond DCOL XCOL YCOL BOXED\not=+O A If mono set cols to b
lack
[5] VSTFNT FONT }\diamond\DeltaCX \triangleCY + [f2 2\rhoVSTHGT SIZ
[6] W+(0.01\times WIN)\times 2 2p-1+DEVINFQ[52 53]
[7] ->DOIF O\#BOXED }\1\mathrm{ BOXED VPLINE RECTANGLE 2 2pW
[8] W++1 1-1 -1\times4pO.5\times\DeltaCX \triangleCY
[9] TL+[\DeltaCX+2 A Tick length
[10] N+1^\rhoDATA
[11] ->DOIF''\equivXLAB \diamond XLAB+%'`IN [12] XMIN XMAX XINC XTICS+O N 1 1+N [13] YMIN YMAX YINC YTICS YLAB+((-/W[4 2])+5*\triangleCY)SETSCALE DATA+\IF STAC KED [14] AXES 1 \15】 YSCALE+(YI-YO)&YMAX-YMIN [16] DATA+((\rhoDATA)pYSCALE)\timesDATA-(\rhoDATA)PYMIN [17] Y+YORIGIN ``(2P`DATA+YO) ``c2PYORIGIN
[18] }->\mathrm{ DOIF STACKED }\diamond Y+Y++<br> O - 1+DATA
[19] BBAR+BAR+XGAP\div2
[20] -DOIF~STACKED \diamond BAR+BAR+`-1^\rhoDATA [21] X X XO+(0.5 XXGAP-BBAR) +XGAPX-1+IN [22] }->\mathrm{ DOIF~STACKED }\diamond\textrm{X}+\mp@subsup{\textrm{X}}{}{\bullet}.+\mathrm{ BAR }0% 2-1+-14\rhoDATA [23] }x+\downarrow+\mp@subsup{x}{}{0}.+0 0 1 1 0xBAR [24] ->DOIF STACKED }\DeltaX+(-1\uparrow\rhoY)/((\rhoX) 1)\rhoX [25] XY*د /+[1]X [1.5]`Y
[26] (N/+Ф4DINT DCOL DSTYLE)VFAREA XY
[27] (N/O `DCOL)VFAREA XY A Draw outlines

```
HYPO
[O] RAFIXED HYPO RAROLL;THETA;H;X;Y
[1] A Draws a Hypocycloid which is a curve described by a point
[2] A on the circumference of a circle as the circle rolls
[3] A without silpping on the inside of a fixed circle
[4] \(A\) R \(\triangle F I X E D\) is the radius of the fixed circie
[5] A RAROLL is the radius of the rolling circie
[6] A
[7] THETA \(+2 \times 040+2240 \times R \Delta R O L L+R \Delta F I X E D\) GCD RAROLL
[8] \(\mathrm{H}+(\mathrm{R} \triangle F I X E D-R \triangle R O L L) \div R \triangle R O L L\)
[9] \(X+((R \Delta F I X E D-R \Delta R O L L) \times 2 O T H E T A)+R \Delta R O L L \times 2 O H \times T H E T A\)
[10] \(Y \leftarrow((R \Delta F I X E D-R \Delta R O L L) \times 10 T H E T A)-R \triangle R O L L \times 1 O H \times T H E T A\)
[11] \(X Y x+([/ D E V I N F Q[5253])+500 \quad\) A Scale to \(N\)

DC
[12] \(X Y+40.5 \times D E V I N F O[5253] \quad\) a Centralise
[13] VPLINE \(X[1.5] Y\)

LEGEND
[0] LEGEND PARS;N;L;H;COLS;ROWS;SIZE;START;X;DCOL;DINT;DSTYLE;BOX;TPOS; LT; \(\triangle C X ; \triangle C Y ; F O N T\); BOXED; RECT; LBOX; TCOL;SIZE;XO; YO; XTEXT; YTEXT;XBOX; YBOX
[1] \(\rho\) Displays a legend into given rectangle RECT
〔2] RECT FONT SIZE DINT DCOL DSTYLE TEXT TCOL BOXED BCOL \&PARS
[3] \(\rightarrow\) DOIF \(1=\) DEVINFQ[46] \(\triangle\) DSTYLE \(+1+6 \mid\) DSTYLE \(A\) plotters only have 6 patt
erns
[4] \(\rightarrow\) DOIF~36כDEVINFQ \(\triangle\) TCOL BOXED \(\neq+0\) A If mono set cols to black

5]
RECTم**2 2
[6] RECTx \(+0.01 \times 22 \rho^{-1+\text { DEVINFQ[52 53] }}\)
[7] VSTFNT FONT \(\triangle \Delta C X \Delta C Y+\Gamma \nmid 2\) 2pVSTHGT SIZE
[8] LBOX 4 4LLT 4 PTEXT \(A L B O X=\) length of legend box \(L T=\) length of text
[9] \(L \leftarrow(\triangle C X \times 3+L B O X)+\) MAXSTRLEN TEXTA Length of each legend
[10] \(\mathrm{N}+\rho T E X T\) A Number of legends
[11] \(\mathrm{H}+2.5 \times \triangle C Y A H e 1 g h t\) of each legend
[12] ROWS \(\leftarrow\) NLL((-心/RECT[;2])- \(\triangle C Y) \div H\)
[13] 'Legend too high' \(\square\) SIGNAL(ROWS 0 )/201
[14] \(\operatorname{COLS}+L(N+\operatorname{ROWS}) L((-8 / R E C T[; 1])-2 \times \Delta C X)+L\)
    'Legend too wide' \(\square S I G N A L(C O L S \leq 0) / 202\)
    COLS + TN+ROWS \(\triangle\) ROWS + TN+COLS
    SIZE+( ( \(2 \times \Delta C X) \Delta C Y)+(\) COLS ROWS \() \times L H\)
    'Legend too large' C SIGNAL(v/SIZE>-*fRECT)/203
    START+RECT[1;]+0.5×(-NfRECT)-SIZE
    XO + START [1] \(+\Delta C X+L x-1+2\) COLS
    XO+(ROWS×pXO) \(\rho X 0\)
    YO+COLS/START[2]+( \(\Delta C Y \times 0.5)+H \times \Phi^{-1+1 R O W S}\)
    \(X B O X+\downarrow(X O+\triangle C X)^{0} .+0 \quad 011\) OXLBOXX \(\triangle C X\)
    \(Y B O X+\downarrow(Y O+\Delta C Y \times 0.5)^{\circ} .+01100 \times 1.5 \times \Delta C Y\)
    BOX + NpXBOX [1.5]"YBOX
    \(X T E X T+N \rho X O+\Delta C X \times 2+L B O X\)
    YTEXT+NPYO+ \(\Delta C Y \times 0.75\)
    RECT+START [0.5]START+SIZE
        \(\rightarrow\) DOIF O=DEVINFQ[46] \(\diamond\) VBMODE 1
        FONT TCOL VGTEXT XTEXT Ytext text
        \(\rightarrow\) DOIF O-DEVINFQ[46] \(\vee\) VBMODE 0
        \(\rightarrow(0=\) BOXED \() / E x i t\)
        Exit:
    \(\Rightarrow\) DOIF O=DEVINFO[46] \(\vee 1\) BCOL VBAR RECT A Blank out backg
LEGEND_L
[0] LEGEND_L PARS;MCOL;N;L;H;COLS;ROWS;SIZE;START;X;DCOL;DSTYLE;LINE;TP OS; LT; \(\triangle C X ; \triangle C Y ; F O N T\);BOXED;RECT;LBOX;TCOL;PLYM;SIZE;XO;YO;XTEXT;YTEXT;XLINE;Y LINE;BCOL
[1] A Displays a line legend into given rectangle RECT
[2] MCOL RECT FONT SIZE DSTYLE DCOL PLYM TEXT TCOL BOXED BCOL\&PARS
[4] TEXT+ 4 TEXT
[5] RECTPシ* 2
[6] RECT×+0.01×2 2p-1+DEVINFQ[52 53]
[7] VSTFNT FONT \(\diamond \Delta C X \triangle C Y+\Gamma \nmid 2\) 2pVSTHGT SIZE
[8] LBOX 4 LLLT+pכTEXT \& LBOX = length of legend box LT = length of text
[9] \(L+(\triangle C X \times 3+L B O X)+M A X S T R L E N T E X T A\) Length of each legend
[10] \(N+\rho T E X T\) a Number of legends
[11] \(H+2 \times \triangle C Y A H e i g h t ~ o f ~ e a c h ~ l e g e n d ~\)
[12] ROWS + NLL((-2/RECT[;2])- \(\Delta C Y)+H\)
[13] 'Legend too large' \(\square S I G N A L(R O W S \leq 0) / 201\)
[14] COLS \(+L(N \div\) ROWS \() L((-\infty / R E C T[; 1])-2 \times \Delta C X)+L\)
[15] 'Legend too large' \(\square S I G N A L(C O L S \leq 0) / 201\)
[16] COLS \(+\Gamma \mathrm{N}+\mathrm{ROWS} \diamond\) ROWS \(+\Gamma \mathrm{N}+\mathrm{COLS}\)
[17] SIZE+((2× \(\triangle C X) \Delta C Y)+(C O L S\) ROWS \() \times L H\)
[18] 'Legend too large' \(\square\) SIGNAL(v/SIZE>-* \(f\) RECT )/201
[19] START+RECT[1; ]+0.5×(-*fRECT)-SIZE
[20] XO + START[1]+ \(\triangle C X+L \times-1+2\) COLS
[21] XO+(ROWS× \(2 \times O\) ) \(\rho X 0\)
[22] \(Y O+C O L S / S T A R T[2]+(\Delta C Y \times 0.5)+\mathrm{H}^{-1} \times \phi^{-1+1 R O W S}\)
[23] \(X L I N E+N \rho+X O^{\circ} .+\Delta C X x+\backslash 1\) LBOX
[24] \(\mathrm{YLINE}+\mathrm{NPYO}+\Delta C Y\)
[25] \(\mathrm{XTEXT}+\mathrm{N} \rho X O+\Delta C X \times 2+L B O X\)
[26] \(Y T E X T+N \rho Y O+\Delta C Y \times 0.75\)
[27] RECT+START [0.5]START+SIZE
[28] \(\rightarrow\) DOIF O=DEVINFQ[46] \(\vee 1\) BCOL VBAR RECT A Blank out backg
round
[29] (DSTYLE •DCOL)VPLINE XLINE [1.5]"YLINE

[31] \(\rightarrow\) DOIF O=DEVINFQ[46] \(\diamond\) VBMODE 1
[32] FONT TCOL VGTEXT XTEXT YTEXT TEXT
[33] \(\rightarrow\) DOIF O=DEVINFD[46] \(\diamond\) VBMODE 0
[34] \(\rightarrow(0=\) BOXED \() / E X I t\)
[35] 1 boxed vpline rectangle rect
[36] Exit:

LNORM
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[O] RECT+LNORM RECT;MIN;MAX;XS;YS;DIFFX;DIFFY
[1] A Adjust Legend Rectangle to be integer
[2] A and have first row minimum second row maximum.
[3] A Scale the rectangle dimensions to be multiples of pixel dimensions
[4] RECT+2 2\rhoRECT
[5] RECT+(LRECT[1;]) [0.5]「RECT[2;]
[6] MIN+LfRECT
[7] MAX + [ f RECT
[8] XS YS \&DEVINFO[52 53]*DEVINFO[[12
[9] MAX +LXS YS XTMAXtXS YS
[10] MIN+LXS YS*TMIN+XS YS
[11] RECT+MIN [0.5]mAX

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MAXSTRLEN

\section*{[0] R+MAXSTRLEN LABELS}
[1] A Calculates maximum length of LABELS when written in current font
[2] \(\rightarrow\) DOIF O=DEVINFQ[46] \(\diamond \rightarrow\) VQTDES[4]/Prop A proportionally spaced fon
t ?
[3] \(R+([/ V Q T A T T[79]) \times[/ \supset / \rho \cdots\) LABELS \(\rangle \rightarrow E x i t\)
[4] Prop: R+ \(/\) /STRLEN*LABELS
[5] Exit:

\section*{message}
[0]
MESSAGE MSG

MSG PPUT'MSG'
[2] PPUT"( \(0=\rho M S G\) ) \(\downarrow 2\) A Ring bell (unless message empty) and flush

NICE
[0] V+NICE X;A;M1;NAL;I
[1] \(I+\left(\left(A+10 * N A L+(-1 \times A<1)+\left(\times M_{1}\right) \times L \mid M 1+10 * A+(X[2]-X[1])+X[3]\right)<1.4142143\right.\).
\(1622787.071068) 11\)
[2] \(\quad V[1]+(x V[1]) \times L \left\lvert\, V[1]+x[1]+V[3]+\left(\begin{array}{lll}1 & 2 & 5 \\ 10\end{array}\right)[I] \times 10 * N A L \quad O \rho V+3 \rho O\right.\)
[3] \(V[1]+V[1]-0>x[1]+V[3]\)
[4] \(V[1]+V[3] \times V[1]+(V[1]+1-X[1]+V[3])<0.00002\)
[5] \(V[2]+(\times V[2]) \times[1+V[2]+x[2]+V[3]\)
[6] \(V[2]+V[2]--1>X[2]+V[3]\)
[7] \(V[2]+V[3] \times V[2]-(\mid(x[2]+V[3])+1-V[2])<0.00002\)

PAT
[0] FIXED PAT ROLLING
[1] VSLCOLつCOLS
[2] FIXED HYPO ROLLING
[3] VSLCOL 2כCOLS
[4] COLS \(+2 \Phi\) COLS
[5] FIXED EPI ROLLING

PAUSE
[0] PAUSE; \(X\)
[1] \(x+\) VRQSTR 2

PDEFINE
［O］\｛R\}-PDEFINE \(P\)

s
［2］PDEFN 1כP
［3］（2つP）PPUTI1ヶつمッP
［4］R4PDEFN 3כP

PFUN2
［0］PARS 4 PFUN2；RE；QTOP；IEC；RES；LA1；LL1；Q1；Q2；Q3
［1］ \(\operatorname{RE}+\operatorname{REF}[I-1]\)
［2］\(Q T O P+1000000 \times T A B[I ; 1]+R E \quad \operatorname{IEC}+T A B[I ; 2] \diamond R E S+T A B[I ; 9]\)
［3］LL \(1+0 \quad \underline{S} \times 1\) LLMAX \(+S\)
［4］LA1＋\(\underline{S} \times L T A B[I ; 3] * \underline{S}\)
［5］\(Q 1+W T I X \times Q T O P \times 1-\star-L L 1 \times I E C+Q T O P\)
［6］\(Q 2+\underline{Q} 1 \times(1-R E S+100)\)
［7］\(Q 3+Q T O P \times(1-0.01 \times B E S+T A B[I ; 8])\)
［8］LL1 LA \(1+L C O N \times L L 1 L A 1\)
［9］Q1 Q2 Q3＋QCON×Q1 Q2 Q3
［10］PARS＋Q1 Q2 Q3 LL LA1

PIE
［0］R＋PIE X；WIN；DATA；COLOUR；PAT；OFFSET；LABELS；BOXED；\(\triangle C X ; \triangle C Y ; W ; R A D I U S ; X O\)
；YO；GDT＿THETA；THETA；S；C；X1；Y1；TX；TY；FONT；STYLE；SIZE
［1］WIN DATA STYLE COLOUR PAT OFFSET LABELS FONT SIZE BOXED \(+X\)
［2］\(\rightarrow\) DOIF \(1=\) DEVINFO［46］\(\triangle\) PAT \(+1+6 \mid\) PAT A plotters only have 6 patterns
［3］\(\rightarrow\) DOIF～36DDEVINFQ \(\triangle\) COLOUR BOXED \(\neq+0\) A If mono set cols to black
［4］VSTFNT FONT \(\diamond \Delta C X \triangle C Y+\Gamma \nmid 2\) 2 2 VSTHGT SIZE
［5］\(W+(0.01 \times\) WIN \() \times 22 \rho^{-1} 1+\) DEVINFO［52 53］
［6］\(\rightarrow\) DOIF \(0 \neq B O X E D \bigcirc 1\) BOXED VPLINE RECTANGLE 22 pW
［7］\(W++1\) 1－1－1×4ค0．5× \(\Delta C X \quad \triangle C Y\)
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[8] RADIUS+0.5\timesL/W[3 4]-W[1 2]
[9] XO YO+O.5xW[lll
[10] GDT_THETA +L +\0 3600\times0.01\timesDATA A Angles in GDT coordinates (1/10th
deg)
[11] THETA++\O 0.01\timesDATA\timesO2 A Angles in radians
[12] S+10(-1+THETA )+0.5\times(1+THETA)-(-1+THETA )
[13] C + 2O(-1+THETA )+0.5\times(1+THETA )-(-1+THETA )
[14] X + XO+OFFSET MRADIUS *0.05*C
[15] Y1+YO+OFFSET\timesRADIUS*0.05\timesS
[16] TX LLABELS/X1+(0.5\timesRADIUS }\timesC) -3\times\DeltaCX \times C < O
[17] TY LABELS/Y 1+(0.5\timesRADIUS }\timesS)-1\times\DeltaCY\timesS<
[18] DATA+LABELS/+'X1 I2 <% >'口FMT DATA
[19] STYLE COLOUR PAT VPIESL X1 Y1 RADIUS(-1+GDT_THETA)
[20] O COLOUR PAT VPIESL X1 Y1 RADIUS(-1\downarrowGDT_THETA)
[21] COLOUR+LABELS/COLOUR
[22] FONT COLOUR VGTEXT TX TY DATA

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PIECHART
[0] PIECHART;PLOI;BOXED; \(\triangle\) RANK;BCOL;DINT;OFFSETS;WINL;WINP;DEVICE;DEVINF Q; \(\triangle I N C ; \triangle I ;\) PDATA ; XLABB; XLAB;FORMS;TEXT;CCOL;CTITLE;XEXP;XCOL;YEXP;DCOL;DSTYL E;LABELS;XVAL;YVAL;X;KEY;MASK;FONT;SIZE;MSG
[1] \(\mathrm{PLOI}+{ }^{\prime} \mathrm{R}^{\prime}\)
[2] \(\mathrm{CCOL}+\mathrm{XCOL}+5 \diamond\) OFFSETS \(+6 \rho 0 \diamond\) DCOL \(+L A B E L S+6 \rho 1 \diamond\) DSTYLE +015
[3] CTITLE+YEXP+XEXP+1 '
[4] PSTART
[5] PENTER 1
[6] \(X+P K E Y O 1510\)
[7] MSG+'press ' ( x ) ' to draw plechart ' (2כX) ' for help '
[8] MSG \(+(3 \supset x)\) ' to print piechart ' (4כx) ' to quit.'
[9] PDEFINE \(\triangle\) PLOTSCREENP
[10] OFFSETS LABELS CTITLE XEXP YEXP CCOL XCOL DCOL DSTYLE PPUT'OFFSETS
' 'Labels' 'Ctitte' 'XEXP' 'yEXP' 'CCOL' 'XCOL' 'DCOL' 'DSTYLE'
[11] Reset:MSG PPUT'MSG'
[12] Again \(\rightarrow\left(\begin{array}{ll}0 & 1 \\ 5 & 10=K E Y ~\end{array}\right.\) PREAD \() / D o i t\) Help Doit Exit \(\Delta\) PPUT \(2 \Delta \rightarrow\) Again
[13] Help:GHELP \(3 \diamond \rightarrow\) Again
[14] Doit:
[15] \(\rightarrow\) DOIF 5-KEY \(\rangle\) 'PLOTTER OF PRINTER (P/R)?' \(\diamond\) PLOR-
[16] YEXP 4 PGET'YEXP'

[18] CTITLE XEXP+1 PGET'CTITLE' 'XEXP'
[19] OFFSETS LABELS CCOL XCOL DCOL DSTYLE+PGETN'OFFSETS' 'LABELS' 'CCOL
' 'XCOL' 'DCOL' 'DSTYLE'
[20] OFFSETS LABELS YEXP DCOL DSTYLEf※゙+CMASK
[21] CCOL XCOL \(\rho \dot{\sim}+C \theta A\) Ensure these are scalars
[22] OFFSETS + 2 TOFFSETS \(\diamond\) LABELS + 2 TLABELS
[23] \(\rightarrow\) (^/DSTYLE \(\in\) 29)/Ok 1
[24] MESSAGE \({ }^{\circ}\) Valid bar styles are in the range 0-9'
[25] \(\rightarrow\) Again
[26] Ok1: पEX''X' 'XVAL'
[27] \(\rightarrow\) L1×2^/' '=xEXP
[28] \(X+X V A L+E X E X P\)
[29] L1:
[30] YVAL+Ф+! \(\cdots+Y E X P\)
[31] \(\operatorname{YVAL}+(-2 \uparrow 1\) PYVAL)PYVAL

[33] \(\rightarrow((\rho X V A L)=1 \uparrow \rho Y\) YAL \() / L 2\)
[34] MESSAGE'Number of labels should be equal to the number of pie char
ts \({ }^{\prime}\)
[35] \(\rightarrow\) Again
[36] L2:
[37] \(\rightarrow(2 \leq-1 \uparrow \rho Y V A L) / L L^{2}\)
[38] MESSAGE'There must be at least two variables' \(\Delta \rightarrow\) Again
[39] LL2:
[40] A CTITLE+dbr。 \({ }^{\circ}\) CTITLE
[41] TEXT \(+\downarrow\) YEXP \(\diamond\) TEXT \(+5 \uparrow^{\prime \prime}\) TEXT
[42] WINP+WINPP KEY PLOI'C' \(\bigcirc\) DINT+(-1ヶpYVAL)p2
[43] WINL+WINPP KEY PLOI'B'
[44] XLAB+क"XVAL
[45] FORMS+O 2510202218241129
[46] DSTYLE+FORMS[1+DSTYLE]
BCOL+O
[48] \(\triangle R A N K+1 \uparrow \rho Y V A L \bullet(\triangle R A N K \geq 3) / \cdot \Delta R A N K+3 '\)
[49] \(\triangle I N C+(W I N P[3]-W I N P[1])+\triangle R A N K\)
[50] WINP[3]-WINL[3]+AINC+WINP[1]
[51
[52
[57] \(\rightarrow\) DOIF O=DEVINFO[46] \(\triangle\) FONT SIZE BOXED 4586 ○ \(\bigcirc \rightarrow\) LL 1
[58] FONT SIZE BOXED+4 3490
[59] LL1:
[60] PDATA \(+100 \times\) YVaL[ \([\mathrm{II} ;] \boldsymbol{+}+\) /YvaL[ \(\Delta \mathrm{II} ;]\)
[61] PIE WINP PDATA dint dCOL dStyle offsets labels font size boxed
[62] FONT SIZE BOXED+2 500 O
[63] XLABB+DXLAB[AI]
[64] Title winl xLabb xCOL font Size boxed
[65] WINL[1]+WINP[1]+WINP[3] \(\diamond\) WINP[3]++AINC \(\diamond\) WINL[3]++AINC
[66] \(\rightarrow(\Delta I<\Delta R a N K) /\) ples
[67] WINL+WINPP KEY PLOI'L'
[68] \(\rightarrow\) DOIF O=DEVINFQ[46] \(\triangle\) FONT SIZE BOXED \(+15860 \diamond \rightarrow\) LL4
[69] FONT SIZE BOXED+1 3490
[70] LL4:
[71] LEGEND WINL FONT SIZE DINT DCOL DSTYLE TEXT XCOL bOXED bCOL
[72] WINL+WINPP KEY PLOT'T'
[73] \(\rightarrow\) DOIF O=DEVINFO[46] \(\diamond\) FONT SIZE BOXED \(+29111 \diamond \rightarrow\) LL3
[74] FONT SIZE BOXED+2 7501
[75] LL3:
[76] TITLE WINL CTITLE CCOL FONT SIZE BOXED
[77] FRAME 5 KEY PLOI
[78] \(\rightarrow\) DOIF \(0=K E Y \diamond\) PAUSE
[79] RESET \(\diamond\) PREDRAW
[80] \(\rightarrow\) Reset
[81] Exit:PRESET

PLOT
[O] PLOT; \(\triangle N A M ; \triangle M E N U ; E X I T K E Y S ; R E S U L T S\)
[1] \(ค\)
[2] A This function prepares a menu for drawing a graph of one (optiona
1)
[3]
[8] RESULTS+EXITKEYS 3 पSR 2+215
[9] \(\rightarrow\left(\right.\) RESULTS[4] \(\left.\mathrm{EC}^{\prime} \mathrm{Fg}{ }^{\prime}\right) / 0\)
[10] \(\rightarrow(\) RESULTS[1]=15 16 17)/DRW SAV EXT
[11] \(\rightarrow D E\)
[12] DRW:
\([13] \rightarrow(\sim((\wedge /, \cdot=\supset \square S M[5 ; 1]) v(2=\square N C \supset \square S M[5 ; 1]))) / D D\)
\([14] \rightarrow(\sim((\wedge / 1 \cdot=\supset \square \operatorname{Sm}[8 ; 1]) \vee(2=\square N C \supset \square \operatorname{Sm}[8 ; 1]))) / D\)
[15] \(\rightarrow(\sim((\wedge / \cdot 1=\rightarrow \square \operatorname{SM[11;1])v(2=\square NC\supset \square SM[11;1])))/DD~}\)
\([16] \rightarrow(\sim((\wedge / 1 \cdot=\supset \square S M[12 ; 1]) v(2=\square N C \rightarrow \square S M[12 ; 1]))) / D D\)
[17] \(\rightarrow(\sim((\wedge / ' ~ 1=O \square S M[13 ; 1]) v(2=\square N C D \square S M[13 ; 1]))) / D\)
[18] \(\rightarrow(\sim((\wedge / 1 \quad \rightarrow=\square \operatorname{SM}[14 ; 1]) \vee(2=\square N C \supset \square S M[14 ; 1]))) / D D\)
[19] \(\rightarrow\) DEVV
[20] DD:
```

[21] पSM[18;1]+c5 36p'
VARIABLE NAM
E IS NOT VALID. PLEASE RE-ENTER THE VARIABLE NAMES. PRESS ANY KEY T
O CONTINUE.
[22] ->ERR
[23] DEVV:->(~(^/' '=つ[]SM[8;1]))/DEV
[24] \SM[18;1]+c4 36\rho(36\rho' ') ' PLEASE ENTER THE FIRST Y-VARIABLE. PR
ESS ANY KEY tO CONTINUE.' 36p' '
[25] ->ERR
[26] DEV:\triangleMENU4SSM
[27] }\triangleNAM+PLOT\triangleDRAW
[28] DSM*\triangleMENU
[29] }->\mathrm{ DE
[30] SAV:
[31] (2F\squareNC'\triangleNAM')/'\squareSM[18;1]+C4 30 \rho(30\rho'' '')'' GRAPH SHOULD BE DRA
WN FIRST. PRESS ANY KEY TO CONTINUE.'' 30P'' '' }0->ERR'
[32] \&(^/' '=>\squareSM[3;1])/'पSM[18;1]+c4 30 \rho(30\rho'' '')'' PLEASE ENTER A
GRAPH NAME. PRESS ANY KEY TO CONTINUE.'' 30\rho'' '' 䛕ERR'
[33] \&(O\squareSM[3;1]) '\&\triangleNAM'
[34] ->DE
[35] ERR:
[36] EXITKEYS+''
[37] DARBOUT 7
[38] RESULTS+EXITKEYS 18 DSR 18
[39] DSM[18;]+MENUG[18;]
[40] ->DE
[41] EXT:\squareSM+O 13pO
[42] }->

```
PLOTADRAW
[0] \(\Delta G R+P L O T \Delta D R A W ; \Delta E X ; \Delta R ; \Delta I ; \Delta M S ; \Delta X ; \Delta Y 1 ; \Delta Y 2 ; \Delta Y 3 ; \Delta Y 4 ; \Delta Y 5 ; \Delta X X ; \Delta X M ; \Delta Y X ; \Delta Y M\)
[1] \(A\)
[2] \(A\) This function is used in the 'PLOT' function.
［14］\(\ell(([\operatorname{VFI} \triangle \triangle \operatorname{MENU}[6 ; 1])[1] \equiv \subset\) 1）／＇\(\Delta X X+د(\square V F I ~ \supset \triangle M E N U[6 ; 1])[2] '\)

［16］e（（［VFIつロMENU［9；1］）［1］ミC 1）／＇AYX \(\rightarrow(\square V F I \supset \Delta M E N U[9 ; 1])[2]^{\prime}\)

［18］
［19］\(\Delta R+L /(\rho \Delta X)(\rho \Delta Y 1)(\rho \Delta Y 2)(\rho \Delta Y 3)(\rho \Delta Y 4)(\rho \Delta Y 5)\)
［20］\(\Delta X+\Delta R \rho \Delta X \Delta \Delta Y 1+\Delta R \rho \Delta Y 1\rangle \Delta Y 2+\Delta R \rho \Delta Y 2\)
［21］\(\Delta Y 3+\Delta R \rho \Delta Y 3 \Delta \Delta Y 4+\Delta R \rho \Delta Y 4 \Delta \Delta Y 5+\Delta R \rho \Delta Y 5\)
［23］\(((\Delta x>\Delta x x) / \Delta x)+\Delta x x\)
［24］\(((\Delta X<\Delta X M) / \Delta X)+\Delta X M\)
［25］\(((\Delta Y 1>\Delta Y X) / \Delta Y 1)+\Delta Y X\)
［26］\(((\Delta Y 2>\Delta Y X) / \Delta Y 2)+\Delta Y X\)
［27］\(((\Delta Y 3>\Delta Y X) / \Delta Y 3)+\Delta Y X\)
［28］\(((\Delta Y 4>\Delta Y X) / \Delta Y 4)+\Delta Y X\)
［29］\(((\Delta Y 5>\Delta Y X) / \Delta Y 5)+\Delta Y X\)
［30］\(((\Delta Y 1<\Delta Y M) / \Delta Y 1)+\Delta Y M\)
［31］\(((\Delta Y 2<\Delta Y M) / \Delta Y 2)+\Delta Y M\)
［32］\(((\Delta Y 3<\Delta Y M) / \Delta Y 3)+\Delta Y M\)
［33］\(((\Delta Y 4<\Delta Y M) / \Delta Y 4)+\Delta Y M\)
［34］\(((\Delta Y 5<\Delta Y M) / \Delta Y 5)+\Delta Y M\)

[37] \(\Delta \operatorname{GR}[2 ; 1]+1\) ' \(\diamond \Delta \operatorname{GR}[2 ; 80]+1\) ' \(\diamond \Delta \operatorname{GR}[23 ; 1]+1 ' \diamond \Delta \operatorname{GR}[23 ; 80]+1\) '
[38] \(\Delta \operatorname{GR}\left[1 ; 1+80 \rho\left(28 \rho^{\prime}\right.\right.\) ') \(\operatorname{s\triangle MENU}[4 ; 1]\)

\(\Delta Y M\)
[40] \(\Delta X+1+\) L0. \(5+79 \times(\Delta X-\Delta X M)+\Delta X X-\Delta X M\)
[41] \(\Delta Y 1+22-L 0.5+20 \times(\Delta Y 1-\Delta Y M)+\Delta Y X-\Delta Y M\)
[42] \(\Delta Y 2+22-L 0.5+20 \times(\Delta Y 2-\Delta Y M)+\Delta Y X-\Delta Y M\)
[43] \(\Delta Y 3+22-L 0.5+20 \times(\Delta Y 3-\Delta Y M)+\Delta Y X-\Delta Y M\)
[44] \(\Delta Y 4+22-L 0.5+20 \times(\Delta Y 4-\Delta Y M)+\Delta Y X-\Delta Y M\)
[45] \(\Delta Y 5+22-L 0.5+20 \times(\Delta Y 5-\Delta Y M)+\Delta Y X-\Delta Y M\)
[46]
[47]
[48] \(\triangle E X *{ }^{\circ}\)
[49] \(\triangle\) MENU[6 \(7910 ; 1]+C 12 \rho^{\prime} \quad\) '
[50] \(\Delta I+0\)
[51] \(\mathrm{BEG}: \Delta \mathrm{I} \leftarrow \Delta \mathrm{I}+1\)

- ' \(\nabla^{\prime}\)
[53] \(\rightarrow(\Delta I<\Delta R) / B E G\)
[54] \(\quad \square S M+213 \rho(\Delta G R) 11000001-11100(\Delta M S) 255000000-1110\)
0
[55] \(\triangle E X+\Delta E X 2\) DSR 2
[56] \(\Delta G R+\left[F M T \quad \Delta G R[1] 180 \rho \Delta M S 80 \rho^{\prime} \cdot\right.\)
PLOTINIT
[0] PLOTINIT
[1] DEVICE DEVINFO-VOPNWK'PLOTTER'

PRESET
[0] PRESET
[1] ARelease all panels
[2] \(\rightarrow(0 \neq 1 \uparrow\) PDEFN-14PDEFN 0 ) PDLC

PSTART
[0] PSTART
[1] AStart \(u p\) prefect external function library if not there yet
[2] \(\rightarrow\left(0 \neq \square N C^{\prime}\right.\) PDEFN') PSDBR
[3] 'prefect \({ }^{\prime} \square\) SH'prefect \({ }^{\prime}\)
[4] AStart up the dbr function from xutils too
[5] SDBR: \(\rightarrow\left(0 \neq \square N C^{\prime} d b r^{\prime}\right) \rho o\)
[6] 'xutils' DSH'xutils' \({ }^{9} \mathrm{dbr}^{\prime}\)

RECTANGLE
[0] R*RECTANGLE \(X\)
[1] \(R+X\left[\begin{array}{lllll}1 & 1 & 2 & 2 & 1 ;\end{array}\right]\)
[2] \(R[2 ; 2]+x[2 ; 2]\)
[3] \(R[4 ; 2]+x[1 ; 2]\)

RESET
[0] RESET
[1] A Closes CGI workstation and reloads APL font
[2] VCLSWK
[3] APL

SALTERC
[0] SALTERC; \(\triangle R R\); \(\triangle S Y N ; \triangle N W E ; M C O L ; P L O L ; C T Y P E ; B C O L ; B O X E D ; T E X T ; D E V I C E ; D E V I N E\)
 AL;YVAL;WIN;X;KEY;MASK;WIN;PLYM;FONT;SIZE;MSG
[1] \(P L O I{ }^{+} R^{\prime}\)

[3] \(X E X P+Y E X P+1\) ' \(\triangle H G R+V G R+C T Y P E+0 \oslash P L Y M+6 P O\)
[4] PSTART
[5] PENTER 1
[6] X\&PKEY O 1510
[7] MSG+'Press ' (כX) ' to draw graph ' (2כX)' for help '
[8] MSG \(+(3 \supset x)\) ' to print graph ' (4כX) ' to quit.'
[9] FONT SIZE +1586
[10] PDEFINE \(\triangle\) PLOTSCREEN
[11] PLYM CTYPE HGR VGR CTITLE XTITLE YTITLE XEXP YEXP CCOL XCOL YCOL D
COL DSTYLE PPUT'PLYM' 'CTYPE' 'HGR' 'VGR' 'CTITLE' 'XTITLE' 'YTITLE' 'XEXP'
'YEXP' 'CCOL' 'XCOL' 'YCOL' 'DCOL' 'DSTYLE'
[12] Reset:MSG PPUT \({ }^{\text {'MSG' }}\)
[13] Again \(: \rightarrow(015\) 10=KEY \(\rightarrow P R E A D) / D O 1 t\) Help Doit Exit \(\Delta\) PPUT \(2 \Delta \rightarrow\) Again
[14] Help:GHELP \(1 \diamond \rightarrow\) Again
[15] Doit:
[16] \(\rightarrow\) DOIF 5=KEY \(\rangle\) 'PLOTTER OR PRINTER \((P / R) ?^{\prime} \diamond\) PLOT+ \(+{ }^{+}\)
[17] YEXP4PGET'YEXP'
[18] \(\rightarrow\) Again \(\times \imath \sim v /\) MASK \(+(v / Y E X P \neq ' \quad\) ') \(\wedge \sim v / Y E X P \in ' \leftrightarrow '\)
[19] CTITLE XTITLE YTITLE XEXP+1 PGET'CTITLE' 'XTITLE' 'YTITLE' 'XEXP'
[20] PLYM CTYPE HGR VGR CCOL XCOL YCOL DCOL DSTYLE+PGETN'PLYM' 'CTYPE'
'HGR' 'VGR' 'CCOL' 'XCOL' 'YCOL' 'DCOL' 'DSTYLE'
[21] PLYM YEXP DCOL DSTYLEf*+CMASK
[22] CTYPE HGR VGR CCOL XCOL YCOLP\& \(4 C \theta_{\text {A }}\) Ensure these are scalars
[23] \(\mathrm{HGR}+2 \mathrm{THGR} \diamond \mathrm{VGR}+2 \mathrm{TVGR}\)
[24] GRID+2 2pVGR HGR(VGR×XCOL)(HGR×YCOL)
[25] \(\rightarrow(\wedge / D S T Y L E \in O \quad 27) / O k 1\)
[26] MESSAGE'Valid 1 ine styles are in the range 1-7'
[27] \(\rightarrow\) Again
[28] Ok1: \(\rightarrow(\wedge /\) PLYM \(\in O\) 27)/OK2
[29] MESSAGE'Valid marker styles are in the range 1-7'
[30] \(\rightarrow\) Again
[31] OK2
[32] MCOL \(+D C O L \diamond((P L Y M=0) / M C O L)+O \diamond((D S T Y L E=O) / D C O L)+0\)
[33] Dex"'x' 'xval'
[34] \(\rightarrow\) L1×2^/' \(=\)-XEXP
[35] X X XVAL + EXEXP
[36] L1:YVAL-ф4\& \({ }^{+}+\)YEXP
[37] YVAL+(24( \(\rho Y\) YVAL) 1) PYVAL
[38] \(\ell(2 \neq \square N C ' X V A L ') / ' X V A L+21 \uparrow \rho Y V A L '\)
[39] \(\rightarrow\left(\right.\) OA/ \(^{2} /(\rho X V A L)=\rho \cdots{ }^{-\cdots+Y E X P) / L 2 ~}\)
[40] MESSAGE'Variables must be in same size'
[41] \(\rightarrow\) Again
[42] L2:
[43] \(\rightarrow(0=\) - \(/(+Y V A L)[1] \overline{=}+\) YVAL \() / L 8\)
[44] MESSAGE'Variable(s) have same values' \(\rangle \rightarrow\) Again
[45] L.8:
[46] YVAL+YVAL[;1]
[47] \(\rightarrow\) DOIF 2=ПNC'SHOW1' \(\Delta \triangle S Y N+S H O W 1 / Y V A L\)
[48] \(\rightarrow\) DOIF 2=ПNC'SHOW2' \(\Delta \triangle N W E+S H O W 2 / Y V A L\)
[49] \(X V A L+X V A L[\forall Y V A L] ○ Y V A L+Y V A L[\forall Y V A L]\)
[50] \(X V A L+100 \times(+X X V A L)++\times V A L\)
[51] \(\triangle R R+(\rho Y V A L) \rho 2 \Delta Y V A L+\triangle R R \backslash Y V A L \geqslant X V A L+\triangle R R \backslash X V A L\)
[52] YVAL +0 YVAL 0 O \(\triangle\) XVAL +0 O XVAL 0
[53] \(\rightarrow\) DOIF 2=DNC'SHOW1' \(\rangle \triangle R R+Y V A L \in \Delta S Y N\rangle \triangle S Y N+Y V A L \times O\rangle(\Delta R R / \Delta S Y N) \leftarrow \triangle R R /\)
YVAL

YVAL
[55] CTITLE XTITLE YTITLE\&dbr॰ ••CTITLE XTITLE YTITLE
[56] TEXT \(+\downarrow\) YEXP \(\diamond\) TEXT \(+54^{\prime}\) TEXT
[57] WIN+WINC KEY PLOT'C'
[58] CGISTART
```

[59] CGINIT KEY PLOI
[60] BCOL+O \triangle FONT SIZE BOXED+1 586 O
[61] }->\mathrm{ DOIF O=DEVINFQ[46] \ FONT SIZE BOXED+1 586 O 人 tLL2
[62] FONT SIZE BOXED+1 349 O
[63] LL2:
[64] GRAPHS MCOL WIN CCOL XVAL YVAL DSTYLE DCOL PLYM GRID XCOL YCOL XTI
TLE YTITLE FONT SIZE
[65] WIN+WINC KEY PLOI'L'
[66] }->\mathrm{ DOIF OFCTYPE }\diamond LEGEND_L MCOL WIN FONT SIZE DSTYLE DCOL PLYM TEX
XCOL BOXED BCOL

```
```

[67] WIN+WINC KEY PLOT'T'

```
[67] WIN+WINC KEY PLOT'T'
[68] }->\mathrm{ DOIF O-DEVINFQ[46] Ө FONT SIZE BOXED+2 911 1 | tLL9
[68] }->\mathrm{ DOIF O-DEVINFQ[46] Ө FONT SIZE BOXED+2 911 1 | tLL9
[69] FONT SIZE BOXED+2 698 1
[69] FONT SIZE BOXED+2 698 1
[70] LL9:
[70] LL9:
[71] TITLE WIN CTITLE CCOL FONT SIZE BOXED
[71] TITLE WIN CTITLE CCOL FONT SIZE BOXED
[72] ->DOIF O=KEY }\triangle\mathrm{ PAUSE
[72] ->DOIF O=KEY }\triangle\mathrm{ PAUSE
[73] RESET \triangle PREDRAW
[73] RESET \triangle PREDRAW
[74] ->Reset
[74] ->Reset
[75] Exit:PRESET
```

[75] Exit:PRESET

```
SETSCALE
[O] R+INCREMENT SETSCALE VALUES;LABEL;MIN;MAX
[1] A Calculates MIN MAX INCREMENT and LABEL to annotate an axis
[2] A Suggested INCREMENT and data VALUES are suppiled
[3] MIN MAX INCREMENT+NICE(L/VALUES) (「/VALUES+ VALUES) INCREMENT
[4] LABEL+あ‥MIN+O INCREMENT×2(MAX-MIN)+INCREMENT
[5] R+MIN MAX INCREMENT (1+L(MAX-MIN)+INCREMENT)LABEL

\section*{SHOWFUN}
［0］SHOWFUN \(\Delta F ; I ; T I T\) ；DTRAP；REE；\(\Delta M\) ；\(\Delta T\) ； \(\mathrm{S} ; \mathrm{TAB}\) ；QT1；QT2；QP2；QP2；QA1；QA2；LL1；

LL 2;LA 1 ; LA 2 ; LCO; QCON; LMAX; QMAX;RANK; \(W\)
[1]
[2] A This function prepares an animated chart of the production functio
\(n\) of
[3] \(A\) a firm whose data table is created before.
[4] A Written by E.Taymaz March 1990.
[5] ค
[6] \(R E E+I M P L P \triangle R E F\)
[7] \(\quad \rightarrow\left(\begin{array}{lllll}0 & 1 & 2 & 3 & 4 \in \Phi \Delta F\end{array}\right) /\) IND SEC SEC SEC SEC
[8] TIT\&'Production Function of Firm ' \(\Delta F\)
[9] \(\Delta M+L \& \Delta F\rangle\left(\left(\Delta F={ }^{\prime} .^{\prime}\right) / \Delta F\right) *^{\prime} X^{\prime}\)
[10] \(T A B \leftarrow^{\prime} Y E A R L Y \triangle F I R M \Delta A^{\prime} \quad \Delta F\)
[11] \(T A B+1 T A B\)
[12] \(\operatorname{REF}+(-1+1 \uparrow \rho T A B) \rho R E E[\Delta M]\)
[13] \(\quad \Rightarrow\) JMP
[14] IND:TAB 4 YEARLY \(\triangle I N D U S T R Y \triangle T O T A L ~\)
[15] \(\Delta M+1\)
[16] TIT+'Production Function of the Manufacturing Industry'
[17] \(\Delta T \& 1+2(-1+1 \uparrow \rho T A B)\)
[18] REF + ( (YEARLY \(\triangle\) MARKET 1[ \(\Delta T\); 1] \(\times\) REE[1] \()+(\) YEARLY \(\triangle M A R K E T 2[\Delta T ; 1] \times R E F[2])+(\)
YEARLY \(\Delta\) MARKET3[ \(\Delta T\); 1] \(\times \operatorname{REE}[3])+(Y E A R L Y \Delta M A R K E T 4[\Delta T ; 1] \times R E E[4]))+T A B[\Delta T ; 1]\)
\([19] \rightarrow J M P\)
[20] SEC:TAB+'YEARLYAMARKET' \(\Delta F \diamond \Delta M+i \Delta F\)
[21] TIT\&(1 \(234=\Delta M) /\) 'Raw Materials' 'Intermediate Goods' 'Investment
Goods' 'Consumer Goods'
[22] TIT+(ठTIT) "Production Function'
[23] \(T A B+1 T A B \diamond \operatorname{REF}+(-1+1 \uparrow \rho T A B) \rho B E E[\Delta M]\)
[24] JMP:
[25] CGISTART
[26] DEVICE DEVINFQ+VOPNWK'DISPLAY'
[27] DTRAP +0 ' \({ }^{\prime}\) ' 'RESET'
[28] \(I I \leftarrow T I T\)
[29] TITLE(O 90100 100)(TIT)1 27501
［30］TITLE（0 80 10 87）（＇Output＇）1 25000
［31］TITLE（90 0 100 7）（＇Labour＇）1 25000
［32］\(W+00^{-1+D E V I N F Q[5253] ~}\)
［33］ \(\operatorname{VPLINE}\left(W\left[\begin{array}{lllll}1 & 1 & 3 & 3 & 1\end{array}\right]\right)\left(W\left[\begin{array}{lllll}2 & 4 & 4 & 2 & 2\end{array}\right)\right.\)
［34］RANK \(\leftarrow-1+1+\rho T A B\)
［35］LMAX + ［1．25×「／TAB［1＋1RANK；3］
［36］ \(\mathrm{S}+\) LO． \(5+\) LMAX +100
［37］ \(\mathrm{QMAX}-T A B[1+2 R A N K ; 1]+R E E\)
［38］QMAX \(+\Gamma 1.1 \times 1000000 \times\lceil/\) QMAX
［39］LCON＋W［3］＋LMAX
［40］\(Q C O N+W[4]+Q M A X\)
［41］\(\quad\)＊
［42］\(\rightarrow\) DOIF RANK \(\leq 0 \ominus\) RESET \(\rangle \rightarrow 0\)
［43］\(I+I+1\)
［44］TITLE（80 90 100 100）（\％1981＋I）1 25000
［45］QT1 QP1 QA 1 LL1 LA 14PFUN2
［46］（3 1）VPLINE LL1 QT1
［47］（1 1）VPLINE LL1 QP1
［48］（ \(6 \quad 1\) ）VPMARK LA 1 QA 1
［49］TITLE（2 7510 80）（＇Output：＇）1 25000
［50］TITLE（2 70 10 75）（＇Labour：＇）1 25000
［51］ \(\operatorname{TITLE}(10752080)(6[T A B[I ; 1] \times 0.001 \times T A B[I ; 8]+T A B[I ; 9]) 125000\)
［52］TITLE（10 70 20 75）（万「TAB［I；3］）1 25000
［53］PAUSE
［54］\(\rightarrow\) DOIF I \(>\) RANK \(\diamond\) RESET \(\diamond \rightarrow 0\)
［55］\(\quad B A S: I \leftarrow I+1\)
［56］TITLE（80 90 100 100）（ \(\mathbf{~ 1 9 8 1 + I ) 1} 25000\)
［57］TITLE（2 7510 80）（＇Output：＇）1 25000
［58］TITLE（2 70 10 75）（＇Labour：＇）1 25000
［59］TITLE（10 7520 80）（＇（ \(\quad\)（TTAB［I；1］×0．001×TAB［I；8］＋TAB［I；9］）＇＇） 1

25000
［60］TITLE（10 70 20 75）（＇（ 1 （TTAB［I；3］）＇＇） 125000
［61］QT2 QP2 QA2 LL2 LA2 4 PFUN2
```

[62] (3 2)VPLINE LL1 QT1
[63] (1 2)VPLINE LL1 QP1
[64] (6 2)VPMARK LA1 QA1
[65] (3 1)VPLINE LL2 QT2
[66] (1 1)VPLINE LL2 QP2
[67] (6 1)VPMARK LA2 QA2
[68] PAUSE
[69] }->\mathrm{ DOIF I>RANK }\diamond\mathrm{ TITLE(25 75 75 85)('Final Year')1 2 500 1 \ PAUSE
RESET \diamond >0
[70] (3 0)VPLINE LL1 QT1
[71] (1 0)VPLINE LL1 QP1
[72] A (6 O)VPMARK LA1 QA1
[73] QT 1+QT2 \diamond QP 1+QP2 \diamond QA 1+QA2 \diamond LL1+LL2 \diamond LA1+LA2
[74] ->BAS

```

SHOWREAL
[0] SHOWREAL \(\Delta F ; I ; T I T ;[T R A P ; R E E ; \Delta M ; \Delta T ; \underline{S} ; T A B ; Q T 1 ; Q T 2 ; Q P 2 ; Q P 2 ; Q A 1 ; Q A 2 ; L L 1\)
;LL2;LA1;LA2;LCO; QCON;LMAX; QMAX;RANK; W
[1] \(ค\)
[2] A This function prepares an animated chart of the production functio
\(n\) of
[3] A a real firm whose data table is created before
[4] A Written by E.Taymaz Apr 111990.
[5] \(A\)
[6] BEE -IMPLP \(\triangle\) REE
[7] TIT+'Production Function of Firm ' \(\Delta F\)
[8] \(\quad \Delta M+L \perp \Delta F \diamond\left(\left(\Delta F=\prime^{\prime} .^{\prime}\right) / \Delta F\right)+^{\prime} X^{\prime}\)
[9] TAB+'YEARLYARFIRMA' \(\Delta F\)
[10] TAB+立TAB
[11] \(\operatorname{REF}+(-1+1 \uparrow \rho T A B) \rho \operatorname{REF}[\Delta M]\)
[12] CGISTART
[13] DEVICE DEVINFO+VOPNWK'DISPLAY'
[14] Dtrap+o 'e' 'reset'

IIItTit
title(0 90 100 100)(tit)1 27501
TITLE(O 80 10 87)('Output')1 25000
TITLE(90 0 100 7)('Labour')1 25000
\(W \leftarrow 0 \quad 0-1+\) DEVINFQ[:52 53]
VPLINE (W[1 \(\left.\left.1 \begin{array}{lllll}1 & 3 & 3 & 1\end{array}\right]\right)\left(W\left[\begin{array}{lllll}2 & 4 & 4 & 2 & 2\end{array}\right]\right)\)
RANK \(\leftarrow^{-} 1+1 \uparrow \rho T A B\)
LMAX + 「 \(1.25 \times \Gamma /\) TAB [ \(1+2\) RANK ; 3]
\(S+\) LO. \(5+\) LMAX +100
\(Q M A X+T A B[1+l R A N K ; 1] \div R E F\)
QMAX \(+1.1 \times 1000000 \times \Gamma /\) QMAX
LCON \(-W[3] \div L M A X\)
QCON-W[4]\&QMAX
\(\mathrm{I}+1\)
\(\rightarrow\) DOIF RANK \(\leq 0 \diamond\) RESET \(\diamond \rightarrow 0\)
\(I+I+1\)
\(\operatorname{TITLE}(80 \quad 90 \quad 100 \quad 100)(\pi T A B[I ; 17]) 125000\)
QT1 QP1 QA1 LL1 LA14PFUN2
(3 1)VPLINE LL 1 QT 1
(1 1)VPLINE LL1 QP 1
( 6 1) VPMARK LA 1 QA 1
TITLE(2 751080 )('Output: ') 125000
TITLE(2 70 10 75)('Labour: ') 125000
TITLE (10 752080\()(\Phi\lceil T A B[I ; 1] \times 0.001 \times T A B[I ; 8]+T A B[I ; 9]) 125000\)

PAUSE
\(\rightarrow\) DOIF I \(>\) RANK \(\diamond\) RESET \(\rangle \rightarrow 0\)
BAS: \(I+I+1\)
TITLE(80 90 100 100)( 8 (TAB[I;17])1 25000
TITLE(2 751080 )('Output: ')1 25000
TITLE(2 70 10 75)('Labour: ') 125000
[46] TITLE(10 7520 80)(' (TTTAB[I; 1]×0.001×TAB[I; 8]+TAB[I;9]) ' ') 1

\section*{25000}
```

TITLE(10 70 20 75)('(\$「TAB[I;3])' ')\ 2 500 0
[48] QT2 QP2 QA2 LL2 LA2+PFUN2
[49] (3 2)VPLINE LL1 QT1
[50] (1 2)VPLINE LL1 QP1
[51] (6 2)VPMARK LA1 QA1
[52] (3 1)VPLINE LL2 QT2
[53] (1 1)VPLINE LL2 QP2
[54] (6 1)VPMARK LA2 QA2
[55] PAUSE
[56] ->DOIF I>RANK \ TITLE(25 75 75 85)('Final Year')1 2 500 1 \ PAUSE \diamond
RESET \diamond ->0
[57] (3 O)VPLINE LL1 QT1
[58] (1 0)VPLINE LLI QP1
[59] A (6 O)VPMARK LA1 QA1
[60] QT1+QT2 \ QP1+QP2 \diamond QA 1+QA2 \diamond LL1+LL2 \diamond LA1+LA2
[51] }->\mathrm{ BAS

```

STRLEN
[0] R + STRLEN LABEL
[1] A Calculates length of string using current
[2] A (proportionally spaced) font
[3] R+2JVQTEXT 1000010000 LABEL
[4] \(R+R[3 ; 1]-R[1 ; 1]\)
title
[O] TITLE Z;TEXT;COLOUR;FONT;X;Y;W;BOXED;SIZE;SINK
[1] W TEXT COLOUR FDNT SIZE BOXED \(+Z\)
[2] \(\rightarrow\) DOIF~36כDEVINFQ \(\diamond\) COLOUR BOXED \(\neq+0\) A If mono set cols to black

\section*{[3] \(\quad W^{N+}+22\)}
[4] \(W \times+0.01 \times 22 p^{-1} 1+\) DEVINFQ[52 53]
[5] \(\quad X Y+W[1 ;]+0.5 x-f W[21 ;]\)
[6] A 1 O VBAR 2 2 PW E Ensure blank background
[7] VSTFNT FONT \(\triangle\) SINK+VSTHGT SIZE
[8] FONT COLOUR 011 VGTEXT X Y TEXT
[9] \(\rightarrow(0=\) BOXED \() / E \times 1 t\)
[10] 1 BOXED VPLINE RECTANGLE 2 2pW
[11] Exit:SINK+VSTALN O O

VIA
[0] VIA \(\Delta \Delta N ; \Delta \Delta R ; \Delta \Delta I ; \square I O ; \square T R A P ; \Delta \Delta D\)
[1] AInvoke via external function editor on named fnor fns
[2] \(\quad\left[\mathrm{I} 0+1 \diamond \square \mathrm{TRAP}+(239)^{\prime} \mathrm{C}^{\prime} \quad \rightarrow \Delta \Delta L 4^{\prime}\right.\)
[3] \(\Delta \Delta D+\quad \nabla^{\prime}\)
\([4] \rightarrow(1 \neq \equiv \Delta \Delta N+\Delta \Delta N) \rho \Delta \Delta L 1\)
[5] \(\Delta \Delta N+c \Delta \Delta N\)
[6] \(\Delta \Delta L 1: \Delta \Delta R+\square N R \cdot \Delta \Delta N\)
[7] \(\Delta \Delta L 2: \Delta \Delta R+1 \nrightarrow=/(c c \Delta \Delta D) \cdots \Delta \Delta R\)
\([8] \rightarrow\left(0 \neq \square N C^{\prime} v 1 a^{\prime}\right) \rho \Delta \Delta L 3\)
[9] 'via'Пsh'via'
[10] \(\Delta \Delta L 3: \Delta \Delta R+v i a \quad \Delta \Delta R\)
[11] \(\Delta \Delta R+^{-} 1 \phi \Delta \Delta R(\Delta \Delta D \neq 1 \rho(\rho \Delta \Delta R) \supset \Delta \Delta R) / c \Delta \Delta D\)
[12] \(\Delta \Delta R+1+\cdots((\uparrow 1 \rho \cdots \Delta \Delta R)=\Delta \Delta D) \subset \Delta \Delta R\)
[13] \(\Delta \Delta I+\Delta \Delta I / 2 \rho \Delta \Delta I+1 \quad 1 \neq \uparrow 1 \rho \cdots 0 \rho \cdot \bullet \square f X \cdot \Delta \Delta R\)
[14] \(\rightarrow(0=\rho \Delta \Delta I) \rho O\)
[15] 'Unable to fix function' ((1<p\| II)/'s') ' ( \(\quad\) ( \(\Delta \Delta I)\) ' Type \(Q\) to qui
\(t^{\prime}\)
[16] \(\rightarrow(' Q '=14 \square) \rho O\)
[17] \(\Delta \Delta R+\Delta \Delta R[\Delta \Delta I]\)
[18] \(\rightarrow \Delta \Delta L 2\)
[19] \(\Delta \Delta L 4\) : Quit'

WAIT
[0] \(\{E R R\} W A I T\) MSG;X; \(\triangle C X ; \triangle C Y ; L ; N ; M ; R E C T ; S I N K ; S A V E ; S C R E E N ; S I Z E\)
[1] A Displays a message and optional error
[2] A Waits for user to press a key
[3] VSTFNT \(1 \diamond \triangle C X \triangle C Y+\Gamma \nmid 2\) 2pVSTHGT 400
[4] \(\rightarrow\left(2=\square N C^{\prime} E R R^{\prime}\right) / L 1\)
[5] ERR+'•
[6] L1:L+1+(pMSG) ГpERR

[8] \(M+1000+\Delta C Y \times 24[1+0<\rho E R R] \quad\) A be overwritten...
[9] RECT+1000 1000 Nm
[10] SCREEN SIZE+VQDBIT
[11] SAVE+VCCBIT SIZE A Create off-screen bitmap
[12] VSDBIT SAVE A select it
[13] VCPBIT SCREEN RECT(RECT[1 2]) \(\quad\) and copy to it
[14] VSDBIT SCREEN
[15] 10 VBAR RECT \(\diamond 05\) VBAR RECT
[16] \(1(13) \operatorname{VGTEXT}(1000+\Delta C X+2)(1000+\Delta C Y \times 2 \quad 0.5)(E R R\) MSG)
[17] SINK+VRQSTR 1
[18] VCPBIT SAVE RECT(RECT[12]) A Restore display

WINC
[0]
W-WINC PRS;KEY;PR;TY
KEY PR TY\&PRS
\(\rightarrow(K E Y \neq O) / J M P\)
\(\rightarrow\) DOIF TY= ' C' \(\Delta W+0 \quad 10 \quad 100 \quad 90 \quad \Delta \rightarrow 0\)
\(\rightarrow\) DOIF TY='L' \(\quad W+0 \quad 0 \quad 10010 \quad \Delta \rightarrow 0\)
\(\rightarrow\) DOIF TY='T' \(\diamond W+0 \quad 90 \quad 100 \quad 100 \diamond \rightarrow 0\) \(J M P: \rightarrow\left({ }^{\prime} R^{\prime}=14 P R\right) / J R R\)


\section*{WI NPP}
\begin{tabular}{|c|c|}
\hline ［0］ & W＋WINPP PRS；KEY；PR；TY \\
\hline ［1］ & KEY PR TY + PRS \\
\hline ［ 2］ & \(\rightarrow(\) KEY \(⿻ ⿳ 一 一 𠃌 丨\) O）／JMP \\
\hline ［3］ & \(\rightarrow\) DOIF TY＝＇C＇\(\bigcirc\) W＊O \(1010080 \diamond \rightarrow 0\) \\
\hline ［ 4 ］ & \(\rightarrow\) DOIF TY＝＇L＇ \(\left.\mathrm{S}^{\prime} \mathrm{W}+\mathrm{O} 010010\right\rangle \rightarrow 0\) \\
\hline ［5］ & \(\rightarrow\) DOIF TY＝＇T＇\(\downarrow\) W＋0 \(90100100 \diamond \rightarrow 0\) \\
\hline ［6］ & \(\rightarrow\) DOIF TY＝＇B＇\(\downarrow\) W＋0 \(7510090 \diamond \rightarrow 0\) \\
\hline ［7］ & JMP ：\(\rightarrow\)（ \({ }^{\prime}{ }^{\prime}=14 P R\) ）／JRR \\
\hline ［8］ & \(\rightarrow\) DOIF TY＝＇C＇\(৩ W+0109575 \diamond \rightarrow 0\) \\
\hline ［9］ & \(\rightarrow\) DOIF TY＝＇L＇\(\bigcirc\) W＋O 09510\(\rangle \rightarrow 0\) \\
\hline ［ 10］ &  \\
\hline ［11］ & \(\rightarrow\) DOIF TY＝＇B＇\(\triangle\) W＋0 \(709585 \diamond \rightarrow 0\) \\
\hline ［12］ & JRR： \\
\hline ［13］ & \(\rightarrow\) DOIF TY＝＇C＇\(\diamond W+10309575 \diamond \rightarrow 0\) \\
\hline ［14］ & \(\rightarrow\) DOIF TY＝＇L＇\(\downarrow\) W＋10 \(209530 \diamond \rightarrow 0\) \\
\hline ［15］ & \(\rightarrow\) DOIF TY＝＇T＇\(\bigcirc\) W＋10 \(859595 \bigcirc \rightarrow 0\) \\
\hline ［16］ &  \\
\hline
\end{tabular}

\section*{J. MOSES HELP FUNCTIONS}

BACK TREE
CLEAR BLANK
CORR
DOIF
F ID
F PL
FIND INT
FNGREP
FOR TREE
IN FUNCTIONS
IN VARIABLES
KEEP NAMES
LIST
MORE
NAME USED
PFUN
PRINT ALL F
PRT
PRTOFF
PRTON
PRTON 5202
PRTON EPSON
PRTON HPLJ
PRTON PROPRINTER
PRTON STD
PRTON TOSHIBA
REG
SALTER
SET MONITOR
VIA XUSTART
Y RFIRM
```

bACKATREE
[0] \triangleTREE+BACK\triangleTREE \triangleFNAME
[1] A
[2] A This function finds out all functions that call \triangleFNAME.
[3] R Written by E.Taymaz Dec. }198
[4] A
[5] A
[6] \triangleTREE\&NAME\triangleUSED \triangleFNAME
[7] BAS:\triangleFNAME+NAMESUSED \triangleFNAME

```

```

[9] }->(0=\rho\triangleFNAME)/EN
[10] ->BAS
[11] END:
CLEAR\triangleBLANK
[0] }\triangle\triangle\triangleNEW+CLEAR\triangleBLANK \triangle\triangle\triangleOLD;\triangleI;\triangleRANK
[1] ค
[2] A This function deletes all blanks from a vector of names.
[3] A Written by E.Taymaz Dec. }198
[4] A
[5] }\triangle\mathrm{ RANK +OADAOLD
[6] }\triangle\triangle\DeltaNEW+\triangleRANK\rho',
[7] }\DeltaI+
[8] BEG:\DeltaI +\DeltaI+1
[9] }->(\triangleI>\triangleRANK)/EN
[10] \Delta\Delta\DeltaNEW[\DeltaI]+C((~((د\Delta\Delta\Delta\DeltaOLD[\DeltaI])=' '))/(د\Delta\Delta\DeltaOLD[\DeltaI]))
[11] ->BEG
[12] END:

```

CORR
[0] C+X CORR Y
[1] \(x+x-(+/ x)+p x\)
[2] \(Y+Y-(+/ Y)+\rho Y\)
[3] C+2 \(2 p^{\prime}\) Corr coef:' ' 't-value :' '
[4] \(C[1 ; 2]+(+/ X \times Y)+((+/ X \times X) \times(+/ Y \times Y)) * 0.5\)
[5] \(C[2 ; 2]+((-2+p X) \times(C[1 ; 2] * 2)+1-C[1 ; 2] * 2) * 0.5\)

DOIF
[0] R+DOIF TEST
[1] RReturn next line number if TEST false
[2] \(R+(\sim T E S T) / 1+1+2 \uparrow\) LLC

FAID
[0] \(\Delta I D+F \Delta I D \Delta N ; I N \Delta L E F T ; \Delta M ; \Delta F\)
[1] IN \(\Delta L E F T+(+\) LLEFT=1) \(1 \Delta N\)
[2] \(\Delta M+O R I G M A R K E T[I N \Delta L E F T]\)
[3] \(\Delta F+(+\) ORIGMARKET \(=\Delta M)[\) IN \(\Delta L E F T]\)
[4] \(\Delta I D+(\pi \Delta M) \cdot .-2 \uparrow^{\prime} O^{\prime} \Phi \Delta F\)
\(F \triangle P L\)
[0] \(\Delta P L \leftarrow F \Delta P L \Delta N ; \Delta M ; \Delta I ; I N \Delta L E F T\)
[1] \(\Delta M+L \Delta N\)
[2] \(\Delta I+100 \times(\Delta N-L \Delta N)\)
[3] IN \(\operatorname{INEFT}+(+\backslash\) ORIGMARKET \(=\Delta M) \geq \Delta I\)

```

*****''\diamond * O'
[5] APL++/LEFT[IIN\DeltaLEFT]
FINDAINT
[0] FINDAINT;AA;I
[1] AA+\squareNL 3
[2] I +O
[3] BEG:I+I+1
[4] }->(I>1\&\rhoAA)/EN
[5] BB+(~(AA[I;]=' '))/AA[I;]
[6] }->((CBB)\epsilon\DeltaLIS)/BE
[7] AB+BACK\triangleTREE BB
[8] ((C'INTERACI')\inAB)/'\triangleLIS+\triangleLIS CBB'
[9] ->BEG
[10] END:

```


FNGREP
[O] \{F\}FNGREP V;I;M;C;N;X;Z
[1] A Report matches of regular expression \(V\) in fns \(F\)
[2] XUSTART

[4] \(S: N+14 \rho F+(-2 \uparrow 11 \rho F) \rho F\)
[5] \(1+0\)
[6] \(\mathrm{L}: \rightarrow \mathrm{O}^{2} \mathrm{~N}<\mathrm{I}+\mathrm{I}+1\)
[7] \(Z+\rho C+\square C R F[I ;] \Delta \rightarrow L \uparrow * 1=\rho Z \Delta \rightarrow L \uparrow * O=\rho M+U 1+(Z T S S(C) V)[1 ;]\)
[8] \(X+\left(X \neq{ }^{\prime}\right.\) ')/X \(X+F\left[I ;\right.\) ' \({ }^{\prime}\)

[10] \(\rightarrow\) L
```

FOR\triangleTREE
[0] $\triangle T R E E+F O R \triangle T R E E \quad \triangle F N A M E ; \triangle L I S T ; \triangle \Delta I$

```
```

[1]
[2] A This function finds out all functions called by \triangleFNAME.
[3] \& Written by E.Taymaz Dec. }198
[4] R
[5] R
[6] \triangleTREE+CDFNAME
[7] \triangleLIST+INAFUNCTIONS \triangleFNAME
[8] \Delta\DeltaI+0
[9] BEG:\Delta\DeltaI +\Delta\DeltaI +1
[10] }->(\Delta\DeltaI>\rho\DeltaLIST)/END
[11] \&(~(\DeltaLIST[\Delta\DeltaI]\in\DeltaTREE))/'\DeltaTREE*\DeltaTREE ALIST[\Delta\DeltaI]
UNCTIONS د\triangleLIST[\Delta\DeltaI])'
[12] ->BEG
[13] END:

```

INAFUNCTIONS
```

[0] }\triangle\triangle\triangleFUNS+IN\triangleFUNCTIONS FNAME
[1] A
[2] A This function finds out the names of functions used in a function
[3] A Written by E.Taymaz Dec.1989
[4] A
[5] }\triangle\Delta\DeltaFUNS +(4(\squareNC`*(\squareREFS FNAME))=3)[;1]/[1](\downarrow\squareREFS FNAME
[6] }\triangle\Delta\DeltaFUNS+CLEAR\DeltaBLANK \triangle\Delta\DeltaFUNS

```
INAVARIABLES
[0] \(\triangle \Delta \Delta V A R S+I N \Delta V A R I A B L E S ~ V N A M E\)
[1]
[2] & This function finds out the names of variables used
[3] A in a function.
[4] A Written by E.Taymaz Dec. 1989
[5] A
[6] }\Delta\Delta\DeltaVARS +(4(\squareNC\cdots+(\squareREFS VNAME))=2)[;1]/[1](+\squareREFS VNAME
[7]
    \triangle\triangle\DeltaVARS+CLEARABLANK \triangle\Delta\DeltaVARS
KEEP\triangleNAMES
[0] KEEP\triangleNAMES \triangleNAMES;\triangleEXNAMES
[1] A
[2] A This function deletes all functions and variables in the current
[3] A workspace other than those given in \triangleNAMES as a vector of names.
[4] A Written by E.Taymaz Dec. }198
[5] A
[6] \triangleEXNAMES+CLEAR\triangleBLANK\DNL 2 3
[7] \triangleNAMES+CLEAR\triangleBLANK \triangleNAMES
[8] \triangleEXNAMES &4(~(\triangleEXNAMES&\DeltaNAMES))/\triangleEXNAMES
[9] \squareEX \triangleEXNAMES
LIST
[0] LIST N;I;R
[1] I +O
[2] R+3+- 14\rhoN
[3] 'VARIABLE NAME' ((R-13)\rho' ') 'RANK'
[4] BEG:I +I +1
[5] }->\mathrm{ DOIF 2*■NC N[I;] }\diamond(\sigmaN[I;]) ' IS NOT DEFINED.'
[6] ->DOIF 2-[]NC N[I;] \diamond(tN[I;]) ((R-\rhoकN[I;])P' ')':' 'T-24'S ' P&N[I;
]
[7]
    ->DOIF O=22TI \diamond 'PRESS ENTER KEY TO CONTINUE' \diamond \
```

$[8] \rightarrow(I<1 \uparrow \rho N) / B E G$

MORE

| [0] |  | A Paginate output of matrix. |
| :---: | :---: | :---: |
| [1] | \& $\left.0=\square N C^{\prime} P L^{\prime}\right) /^{\prime} \mathrm{PL}+23^{\prime}$ | A Default lines-per-page. |
| [2] |  | A Convert to char matrix assign |
| rsit. |  |  |
| [3] |  | A And chop up into पPW width chun |
| ks. |  |  |
| [4] | LP: $\rightarrow 0 \rho^{\circ} 0=R+3 p V$ | A While rows remain to do |
| [5] | PLL + R | A This page is up to PL rows. |
| [6] | $\square+P L \quad C \uparrow V$ | A Display them. |
| [7] | R+1 पARBIN'More' $4 \mathrm{p} \triangle \square \mathrm{TC}$ | A Prompt and read user response |
| [8] | पARBOUT' ' $4 \rho=\square T \mathrm{C}$ | A Erase the prompt. |
| [9] | V+N+PL 0 | A Adjust the data. |
| [10] | $\rightarrow\left(0 P^{*} R \in 81113\right) \mathrm{LP}$ | A End loop. |

NAMEAUSED
[0] $\Delta L I S T+\{F\} N A M E \Delta U S E D \quad \Delta V ; \Delta I ; V ; I ; M ; C ; N ; X ; Z$
[1] $ค$
[2] $A$ This function finds out those functions that call the string " $\Delta V$ "
[3] $A$ in a set of functions "F".(If "F" is not defined all functions
[4] $A$ in the current workspace are searched. " $\Delta V$ " can be a name vector.
)
[5] A Written by E.Taymaz Jan. 1990
[6] $A$
[7] $\mathrm{ALIST}+{ }^{\prime \prime}$
[8] XUSTART
[9] $\rightarrow$ S4ㅇㅇ $\quad \square \mathrm{NC} C^{\prime} \mathrm{F}^{\prime} \diamond \mathrm{F}-\square \mathrm{NL} 3$
[10] S: $\Delta I+0$

```
[11] &(1=(E\DeltaV))/'\DeltaV+1\rho\subset\DeltaV'
[12] SIR:\DeltaI+\DeltaI+1
[13] }->(\DeltaI>P\DeltaV)/EN
[14] V&O\DeltaV[\DeltaI]
[15] N+1&\rhoF+(-241 1 \rhoF)\rhoF
[16] I +0
[17] L:->SIR4~N<I +I +1
```



```
[19] &((~(CF[I;])\in\DeltaLIST))/'\DeltaLIST+\DeltaLIST CF[I;]'
[20] ->L
[21]
    END:\triangleLIST+CLEARABLANK \triangleLIST
```

PFUN
[0] PARS + $\triangle$ PRS PFUN $\triangle F ; R E F ; \Delta M ; \Delta T ; \Delta S ; S ; T A B ; Q T O P ; I E C ; R E S ; L ; L L ; Q 1 ; Q 2 ; Q 3$
[1] $\Delta T \quad \Delta S+\Delta P R S$
[2] $\mathrm{BEE}+\mathrm{I} M P L P \triangle B E E \bigcirc \Delta T+\Delta T+1$
[3] $\rightarrow\left(\begin{array}{lllll}0 & 1 & 2 & 3 & 4 \in \Phi \Delta F\end{array}\right) / I N D$ SEC SEC SEC SEC
[4] $\Delta M+L \Delta A F\left(\left(\Delta F=\prime^{\prime} \cdot\right) / \Delta F\right)+{ }^{\prime} X^{\prime}$
[5] TAB ${ }^{\circ}$ YEARLY $\triangle F I R M \Delta^{\prime} \Delta F \diamond \underline{S}+25 \diamond \rightarrow J M P$
[6] IND:TAB+'YEARLYAINDUSTRYATOTAL' $\vee S+1000 \vee \Delta M+1$

$+(\operatorname{YEARLY} \Delta \operatorname{MARKET} 3[\Delta T ; 1] \times \operatorname{REF}[3])+(Y \operatorname{EARLY\Delta MARKET4}[\Delta T ; 1] \times R E E[4])) \div(\& T A B)[\Delta T ; 1]$
$\Delta \rightarrow$ JMP
[8] SEC:TAB+'YEARLY $\triangle M A R K E T ' \Delta F \diamond \underline{S}+1000 \diamond \Delta M+\underline{\Phi} \Delta F$
[9] JMP:
[10] $T A B+\$ T A B$
[11] $\rightarrow$ DOIF $\triangle T>1 \uparrow \rho T A B ~ \diamond$ STOP $\triangle H E R E ' E R R O R$ IN TIME PERIOD' $\rangle \rightarrow 0$
[12] $Q T O P+1000000 \times T A B[\Delta T ; 1]+\Delta S \times R E F[\Delta M] \diamond \operatorname{IEC}+T A B[\Delta T ; 2] \diamond R E S+T A B[\Delta T ; 9]$
[13] $L L+\underline{S} \times 0 \quad 11000$
[14] $L+\underline{S} \times[\operatorname{TAB}[\Delta T ; 3]+\underline{S}$

[16] L
$\mathrm{Q} 2+\mathrm{Q} 1 \times(1-\mathrm{RES}+100)$
Q3+( $\rho L_{\text {L }}$ ) $\rho 0$
[20]
Q3[LL2L]+QTOP $\times(1-($ RES $+T A B[\Delta T ; 8])+100)$
PARS $+0.0001 \times$ Q1 Q2 Q3 Lـ
PRINTAALLAF
[0] \{ 0 LIST\}PRINT $\Delta A L L \Delta F \quad \Delta P P ; \square P W ; \Delta I ; \Delta J ; A A ; \Delta F$
[1] $ค$
[2] A This function prints all functions whose names are defined in $\Delta L I S$
T.
[3] A If $\Delta$ LIST is not defined all functions in the active workspace wil
1
[4] A be printed. Written by E.Taymaz Feb. 1990.
[5] ค
[6] $A$
[7] $7 P W+\triangle P P$
$[8] \rightarrow S \uparrow \times 0 \neq \square N C^{\prime} \Delta L I S T{ }^{\prime} \diamond \Delta L I S T+\square N L 3$
[9] $S: \Delta L I S T+(-2 \uparrow 11 \rho \Delta L I S T) \rho \Delta L I S T$
[10] DCY'PRT'
[11] $\Delta I+0$
[12] PRTONAHPLJ
[13] arbout 12

[15] PRT'WORKSPACE ' UWSID

[17] BEG: $\Delta I+\Delta I+1$
[18] $\Delta J+0$
[19] $\Delta F+\square C R \quad \Delta L I S T[\Delta I ;]$
[20] $\rightarrow(0-1 \uparrow \rho \Delta F) / B E G$
[21] $\Delta$ LIST[AI;] ' is being printed.'

```
[22] PRT 88P'*'
[23] PRT' '
[24] PRT [FMT \DeltaLIST[\DeltaI;]
[25] PRT' '
[26] PRT' '
[27] BE:\DeltaJ+\DeltaJ+1
[28] AA+\DeltaF[\DeltaJ;]
[29] AA+0((~A)' ' -\ThetaAA)/\ThetaAA)
[30] PRT'[' ($\DeltaJ-1) '] 'AA
[31] }->(\DeltaJ<1&\rho\DeltaF)/B
[32] PRT' '
[33] PRT' '
[34] }->(\DeltaI<1\uparrow\rho\DeltaLIST)/BE
[35] PRT 880'*'
[36] PRTOFF
```

PRT
[0] PRT DATA
[1] A Format DATA and pass to prt
[2] prt Dfmt data

PRTOFF
[0] PRTOFF
[1] A Terminate printer output
[2] Dex"'prt' 'arbout'

## ***************************************************************************

PRTON
[0] PRTON ARGS;CMD;TRANSLATION;FONT;DESTINATION
[1] A General setup function called by specific printer setup functions

| [2] |  | A Exit if already starte |
| :---: | :---: | :---: |
| d |  |  |
| [3] | TRANSLATION FONT DESTINATION+ARGS | A Split ARGS |
| [4] | CMD + ' ${ }^{\prime}$ | A Construct shell comman |
| $d$ |  |  |
| [5] | $\rightarrow(0=\rho$ TRANSLATION $) / L 1$ | A Translation sequired? |
| [6] | CMD ${ }^{\prime}$ APLT 1 =' TRANSLATION '; export APLT1;' | A Select translation tab |
| 1 e |  |  |
| [7] | L1:CMD + ${ }^{\text {trap }}$." 123 ; \{ ' | A Start command list |
| [8] | $\rightarrow(0=\rho$ FONT $) /$ L2 | A Font required? |
| [9] | CMD +' cat \$DYALOG/fonts/' FONT ';' | A Select font file |
| [10] | L2:CMD +' exec \$DYALOG/xfilib/prt;' | A Invoke prt AP |
| [11] | CMD + ${ }^{\prime}$ ' | A End command list |
| [12] | CMD +1 ; | A Redirect output ... |
| [13] | CMD + ${ }^{\text {exec }} 1 \mathrm{pr}$. | A ... to the print spoo |
| ler |  |  |
| [14] | $\rightarrow(0=\rho$ DESTINATION)/L3 | A Destination printer? |
| [15] | CMD + - d' destination | A Select printer |
| [16] | L3:'/bin/sh'■SH'sh' '-c'CmD | A Run command via the sh |
| ell |  |  |
| ******************************************************************************* |  |  |
| PRTONA5202 |  |  |
| [0] | PRTONA5202 |  |
| [1] | A Setup function for IBM Quietwriter III with | th APL font |
| [2] | TRANSLATION+'1bm5202' |  |
| [3] | FONT+', |  |
| [4] | DESTINATION+', |  |
| [5] | PRTON TRANSLATION FONT DESTINATION |  |

```
[O] PRTON\triangleEPSON;TRANSLATION;FONT;DESTINATION
[1] R Setup function for Epson FX printers
[2] TRANSLATION+'epsONFX'
[3] FONT+'epsonFX'
[4] DESTINATION+''
[5] PRTON TRANSLATION FONT DESTINATION
```

PRTONAHPLJ
[0] PRTONAHPLJ;TRANSLATION;FONT;DESTINATION
[1] A Setup function for Laserjet plus
[2] TRANSLATION+'HPLJPIUs'
[3] FONT+ HPLJplus'
[4] DESTINATION*:
[5] PRTON TRANSLATION FONT DESTINATION
***************************************************************************

PRTONAPROPRINTER
[O] PRTONAPROPRINTER;TRANSLATION;FONT;DESTINATION
[1] A Setup function for IBM Proprinter
[2] TRANSLATION+'proprinter'
[3] FONT+'proprinter'
[4] DESTINATION+' '
[5] PRTON TRANSLATION FONT DESTINATION

PRTONASTD
[0] PRTONASTD;TRANSLATION;FONT;DESTINATION
[1] A Setup function for standard printer
[2] TRANSLATION+'asc11_ap1'
[3] $\mathrm{FONT}+1$ !
DESTINATION+'
PRTON TRANSLATION FONT DESTINATION

PRTONATOSHIBA
[0] PRTONATOSHIBA;TRANSLATION;FONT;DESTINATION
[1] A Setup function for Toshiba 351P with APL font cartridge
[2] TRANSLATION+'tosh1ba351p'
[3] FONT+''
[4] DESTINATION+'
[5] PRTON TRANSLATION FONT DESTINATION
***************************************************************************
REG
[O] $Y$ REG $X ; \Delta D V ; \Delta E V ; \Delta C ; \Delta B ; \Delta S ; \Delta T$
[1] $\Delta D V+Y$
〔2] $\rightarrow$ DOIF $1=\equiv X \diamond X+C x$
[3] $\Delta E V+\left(C^{\prime}\right.$ Constant $\left.{ }^{\prime}\right) X$
[4] $Y+\infty\rangle X+\infty \times X$
[5] $x-\phi \uparrow x$
[6] $X+(2 \uparrow(\rho X) 1) \rho X$
[7] $X+((1 \uparrow \rho X 1) \rho 1)$ [2]X
[8] $\Delta C \in((\phi x)+. x x)$
[9] $\Delta B+\Delta C+. x(\phi X)+. x Y$
[10] $\Delta S+(\phi Y-X+. x \Delta B)+. x(Y-X+. x \Delta B) \neq((\rho Y)--1 \uparrow \rho X)$
[11] $\Delta T+\Delta B \div(\Delta S \times \Delta C[2 \mid * 2-1 \uparrow \rho X]) \star 0.5$
[12] 400'*'
[13] ' Regression results'
[14] ' Dependent variable : 'taDV

$)-(\rho Y) \times(+/ Y+\rho Y) \star 2$
[16] $\quad$ '

```
[17] Q(3 1+\rho\DeltaEV)p(C'Variable') \DeltaEV (c'Coefficient') \DeltaB (c't-statistic')
    \DeltaT
[18] ''
[19] 40\rho'*'
```

SALTER

```
[0] }\DeltaC+\Delta\DeltaA SALTER \Delta\Delta
[1] A
[2] A This function prepares variables to draw salter curves.
[3] A }\Delta\DeltaA\mathrm{ and }\Delta\DeltaB Will be on the Y
[4] R and X-axes respectively.
[5] A Written by E.Taymaz March 1990
[6] ค
[7] &((\rho\Delta\DeltaA)#(\rho\Delta\DeltaB))/'''RANKS OF VARIABLES SHOULD BE EQUAL'' }\downarrow\mathrm{ DARBOUT
7 
[8] }\DeltaC+3\mp@subsup{p}{}{\prime\prime
[9] 
[10] }\Delta\DeltaB++\\Delta\DeltaB\diamond\Delta\DeltaB+100\times\Delta\DeltaB+\Gamma/\Delta\Delta
[11] }\DeltaR+(\rho\Delta\DeltaA)\rho2\diamond\Delta\DeltaA+\DeltaR\\Delta\DeltaA \diamond\Delta\DeltaB+\DeltaR\\Delta\Delta
[12] }\quad\Delta\DeltaA+\Delta\DeltaA O \\Delta\DeltaB+O \Delta\Delta
[13] }\DeltaC+(\Delta\DeltaA)(\Delta\DeltaB)((P\Delta\DeltaA)\rhoO
```

SETAMONITOR
[0] SETAMONITOR; $\triangle I ; A A$
[1] $A A+\square N L 3$
[2] $\Delta I+O$
[3] $B E G: \Delta I+\Delta I+1$
[4] $\rightarrow(\triangle I>14 \rho A A) / E N D$
[5] O DMONITOR AA[AI;]
[6] $\rightarrow$ BEG

## VIA

[0] VIA $\Delta \Delta N ; \Delta \Delta R ; \Delta \Delta I ; \square I O ; \square T R A P ; \Delta \Delta D$
[1] AInvoke via external function editor on named $f n$ or $f$ ns
[2] $\square I O+1 \diamond \square T R A P+(239)^{\prime} C^{\prime} \quad \rightarrow \Delta \Delta L 4^{\prime}$
[3] $\Delta \Delta D+\cdot \nabla!$
$[4] \quad \rightarrow(1 \neq \equiv \Delta \Delta N+\Delta \Delta N) \rho \Delta \Delta L 1$
[5] $\Delta \Delta N \leftarrow c \Delta \Delta N$
[6] $\Delta \Delta L 1: \Delta \Delta R+\square N R * \Delta \Delta N$
[7] $\Delta \Delta L 2: \Delta \Delta R+1 \downarrow \supset /(c \subset \Delta \Delta D) \cdots \Delta \Delta R$
[8] $\rightarrow\left(0 \neq \square N C^{\prime} v 1 a^{\prime}\right) \rho \Delta \Delta L 3$
[9] 'via'口SH'Via'
[10] $\Delta \Delta L 3: \Delta \Delta R+v i$ a $\Delta \Delta R$
[11] $\Delta \Delta R \leftarrow^{-} 1 \phi \Delta \Delta R(\Delta \Delta D \neq 1 \rho(\rho \Delta \Delta R) \supset \Delta \Delta R) / \subset \Delta \Delta D$
[12] $\Delta \Delta R+1+\cdots((\uparrow 1 \rho \cdots \Delta \Delta R)=\Delta \Delta D) \subset \Delta \Delta R$
[13] $\Delta \Delta I+\Delta \Delta I / 2 \rho \Delta \Delta I+1 \quad{ }^{\circ} \neq \uparrow 1 \rho \cdot 0 \rho \cdot \square F X \cdot \Delta \Delta R$
[14] $\rightarrow(0=\rho \Delta \Delta I) \rho O$
[15] 'Unable to fix function' ((1<pasI)/'s')' ' ( $\delta \Delta \Delta I)$ ' Type Q to qui $t^{\prime}$
[16] $\rightarrow\left({ }^{\prime} Q^{\prime}=1 \uparrow ⿴^{\prime}\right) \rho 0$
[17] $\Delta \Delta R+\Delta \Delta R[\Delta \Delta I]$
$[18] \quad \rightarrow \Delta \Delta L 2$
[19] $\Delta \Delta$ L4: ${ }^{\prime}$ Quit'

XUSTART
[0] XUSTART
[1] AStart up the "xutils" auxilary processor if not already going
[2] $\rightarrow\left(0 \neq \square \mathrm{NC}^{\prime} \mathrm{ss}^{\prime}\right) \rho 0$
[3] 'xutils' ${ }^{\circ} S^{\prime}$ xutils'

Y $\triangle$ RFIRM
[O] SCALE Y $\triangle$ RFIRM $\Delta F ; M I S S ; \triangle P ; I ; M ; \Delta T ; R A N K ; L ; T I M E ; A 21 ; A 22 ; A 23 ; S U M ; S T O ; D S ;$ $D P ; D W ; I N Y ; D Q ; R ; S ; Q S ; Q P ; \triangle K 3 F ; Q Q ; Q ; V A ; Q T O P ; I E C ; P R O D ; M$; $M S$
[1] $A$
[2] $A$ This function prepares a data table for a real firm. This table is comparable to those created by the $Y \Delta R \Delta F I R M$ function during the simulation
[3] A Written by E.Taymaz April 1990.
[4] $A$
[5] $M<L \perp \Delta F$
[6] $\Delta P \leftarrow(+\backslash M A R K E T=M) \geq 2 \downarrow \Delta F$
[7] $\rightarrow$ DOIF $\triangle P \geq 155 \diamond$ पARBOUT $7 \diamond \Delta F$ IS NOT A REALFIRM' $\oslash \rightarrow 0$
[8] $\rightarrow$ DOIF O- $\square N^{\prime} L I S T C ' ~ \triangle \square C Y{ }^{\circ} M I C R O . D B A S E{ }^{\prime}$
[9] $\rightarrow$ DOIF $0=L I S T C[\triangle P] ~ \triangle$ DARBOUT $7 \diamond$ 'NO DATA ARE AVAILABLE FOR THE FIRM - $\triangle F \quad \phi \rightarrow 0$
[10] $I-\phi(L T S T C[\Delta P]=T A B L E[; 1]) f T A B L E$
[11] $\left(\left(\Delta F=1 .{ }^{\prime}\right) / \Delta F\right)+{ }^{\circ} X^{9}$
[12] $\triangle T+117 \rho^{\prime} Q T O P{ }^{\prime} \quad$ TEC' 'L' 'PROD' 'DQ' 'A21' 'A22' 'SUM' 'A23' $M \times S^{\prime}$

[13] MISS $\leftarrow V f I\left[\begin{array}{lllllllllllllllll}5 & 8 & 9 & 10 & 11 & 12 & 13 & 20 & 26 & 29 & 30 & 31 & 32 & 44 & 45 & 46 & 47 ;\end{array}\right]-99999$
[14] $\rightarrow\left(O^{=}+/\right.$MISS $) /$JMP
[15] DARBOUT 70 'MISSING VALUES FOR THE FOLLOWING YEAR(S): © TMISS/I[2
; $\mathbf{2 - 1}^{-1 \uparrow \rho I]}$
[16] M14MISS20
[17] $\rightarrow$ DOIF M1>PMISS $\triangle$ DARBOUT $7 \Delta$ 'MISSING VALUES FOR ALL YEARS' $\rangle \rightarrow 0$
[18] MISS[2M1]*O
[19] M24MISSI
[20] $I \leftarrow I[;-1+M 1+2(M 2-M 1)]$
[21] JMP:
[22] RANK $+1+2(-1+-1 \uparrow \rho I)$
[23] $L \leftarrow I[5 ; R A N K]$
［24］TIME $+I[2$ ；RANK］
［25］A21＋O「50LI［32；RANK］－I［29；RANK］
［26］A22＋2．5「50LI［31；RANK］－I［32；RANK］
［27］SUM $+A 21+A 22$
［28］A23＋（pRANK） 10
［29］STO＋100×I［46；RANK］＋I［47；RANK］
［30］$\quad \mathrm{DS}+100 \times(I[7$ ；RANK］$+I[7$ ；RANK－1］）－1
［31］$D P+D S-I[29 ; R A N K]$
［32］ $\operatorname{DW+100\times (I[5;RANK-1]\times I[13;RANK]+I[13;RANK-1]\times I[5;RANK])-1}$
［33］INV＋I［26；RANK］
［34］$D Q+D S-D P$
［35］ $\mathrm{P}+100-+/(0 \geq$ TIME－1982）／DP
［36］$P+P++\backslash P$
［37］S＋I［7；RANK］
［38］A
［39］$A Q S+0.25 \times(0.625 \times S)+0.375 \times D S$
［40］ $\mathrm{QS}+\mathrm{S}+4$
［41］$ค ~ Q P+(0.625 \times P)+0.375 \times D P$
［42］ $\mathrm{QP}+\mathrm{P}+\underline{\mathrm{P}} \div 4$
［43］$\quad \Delta K 3 F+S \times 0.01 \times I[46 ; R A N K]-I[47$ ；RANK］
$[44] \quad Q Q+(\underline{Q S}+\Delta K 3 F+4) \div Q P$
［45］$\underline{Q}+(\underline{S}+\Delta K 3 F)+P$
［46］$\quad V A+S+\Delta K 3 F+((+f I[101112 ; R A N K]) \times 0.01 \times I[44 ; R A N K]-I[45 ; R A N K])-+f I[10$
11 12；RANK］
［47］$Q T O P+I M P L P \triangle R E E[M] \times(Q Q \times 100+A 21+A 22) \div 100-A 23$
［48］IEC ${ }^{-}-1 \times(122 \div 100+A 21+A 22) \times 1000000 \times$ QTOP $\div$ L $\times I M P L P \triangle R E F[M]$
［49］$\quad \mathrm{PROD}+100000 \times \mathrm{Q} \times \mathrm{I}$ MPLPAREF［M］＋L
［50］$M+100 \times 1-I[13 ;$ RANK $]+Y A$
［51］$\underline{M S}+\underline{M} \times \underline{S}$
［52］$\Delta T+\Delta T[1] \phi(17$ PRANK）$\rho(S C A L E \times Q T O P)$ IEC $上$ PROD DQ A21 A22 SUM A23（S
CALEXMS）STO DS DP DW M（SCALEXINV）TIME
［53］＇YEARLYARFIRMA＇$\Delta F{ }^{\prime}+\Delta T$＇


[^0]:    *) Complete model code written in APL is published in MOSES Code (Albrecht et al. 1989: 247-354). Those functions written for the PC version are printed in Appendices.

[^1]:    *) To copy a text (ASCII) file from a XENIX directory to a DOS directory on the hard disk, use the following XENIX command.

[^2]:    ＊）MS：MOSES variable，i．e．，the same variable name is used in the model．For a detailed description of these variables，see MOSES Code（Albrecht et al，1989：196－220）．

[^3]:    ${ }^{*}$ ) If you are in XENIX, change your directory to /moses and invoke the APL interpreter by the following commands.
    \# cd /moses return
    \# apl MOSES.FUNEXP RETURN

[^4]:    *) There is also a number of minor differences between the PC and mainframe versions, especially in the transcription functions. For these differences, see Appendix E.

[^5]:    *) For the code, see Appendix F. Unless otherwise specified, all line numbers refer to the function VERSION20.

[^6]:    *) The first part of the handbook, "How to Run the MOSES Model", is replaced by this manual for the PC version of the model

[^7]:    *) As mentioned by Kuh, Neese and Hollinger (1985: 18, fn 2), "[i]f a particular model has low parameter sensitivity for endogenous variables of interest, then the Lucas critique (1976) -that parameters change in response to stochastic behavior of variables of concern to individual agents- will have less potential practical importance. Conversely, if significant policy parameters induce large responses, the potential importance of Lucas's observations will be all the greater. Even more to the point, parameters thought to be endogenous should be treated that way from the outset."

[^8]:    *) These methods were first proposed by Anderson (1953). For some recent studies, see Solis and Wets (1981), Boender et al. (1982), and references therein.

[^9]:    *) For the conditions on $\mathrm{d}($.$) , see de Haan (1981) and Boenden et al. (1982).$
    **) There are some techniques to estimate the value of global minimum. See, for example, Smith (1987).

[^10]:    *) Control variables and parameter matrixes have a generic form that is used for all options of the MOSES.CALIB program. However these matrices may contain redundant information for a specific option. For example, data in the sixth row of the parameter matrix that specify initial search directions are used only by the ITERATIVE SEARCH process.

[^11]:    *) Parameter values for the $\mathrm{i}^{\text {ith }}$ experiment are selected as follows.
    $\mathbf{P}^{i}=\mathbf{P}^{\text {min }}+\mathbf{n}^{*} \mathbf{P}^{\text {acp }}$, where $\mathbf{n}$ is a vector of integers randomly drawn form a uniform distribution over $\left\{0, \operatorname{int}\left(\left(\mathrm{P}^{\max }-\mathrm{P}^{\min }\right) / \mathrm{P}^{\text {recp }}\right)\right\} . \mathrm{P}^{\max }, \mathrm{P}^{\min }$ and $\mathrm{P}^{\text {atep }}$ correpond to the second, third and fourth rows of the parameter matrix, respectively.

