























randomized during more than one year, mainly to encourage families who were initially placed in the control group to stay engaged with CHECC for assessments, by offering them a chance to participate in future years.<sup>10</sup> The yearly randomization schedule created four cohorts of children we refer to by their year of randomization.<sup>11</sup> Table 1 summarizes the randomization schedule for each year of the program.

Table 1: Randomization by Year

	Control	Parent Academies	9-Month Pre-K	Kindergarten Preparation
Cohort-1 (2010)	242	153	172	0
Cohort-2 (2011)	443	216	166	0
Cohort-3 (2012)	422	0	196	107
Cohort-4 (2013)	376	0	104	99
Unique child	1270	317	539	206

*Notes:* The number of children randomized into each treatment group in each year of the intervention is reported. The bottom row presents the number of unique children in each group, over the course of four years.

## 2.3 Assessments

Our key outcome measures are children’s performances in cognitive and non-cognitive assessments, which were used to evaluate the programs. These assessments consist of a *pre-assessment* administered to all incoming students prior to randomization, a *mid-assessment* between January and February, a *post-assessment*, which occurred in May, immediately after the school year ended, and a *summer assessment* at the end of the summer. Besides the assessments that took place during the program year, graduated children were also assessed annually in every April, starting the year after they finished the program. These assessments are referred to as *age-out assessments*. Appendix B presents the assessment schedule for all four cohorts.

Assessments included both cognitive and non-cognitive components and were administered by a team of trained assessors who were blind to the child’s treatment. The cognitive component used a series of nationally normed tests, measuring general intellectual ability and specific cognitive

two randomizations.

<sup>10</sup>As a result, some children who were in the control group in an earlier year were randomized into a treatment group in later randomizations. In a few cases, a child who was randomized into a treatment group in an earlier year was assigned to a different (or the same) treatment in later randomizations. Overall, 1,675 children were randomized only once, 509 were randomized twice, and one child was randomized in three years.

<sup>11</sup>Those children who were randomized in multiple years also appear in multiple cohorts.

abilities such as reading, writing, and mathematics. The non-cognitive component included a combination of subtests measuring executive functions such as working memory, inhibitory control, and attention shifting, as well as a questionnaire completed by assessors, which measured self-regulation in emotional, attentional, and behavioral domains.

## 3 Data and the Econometric Model

### 3.1 Data

#### 3.1.1 Construction of outcome variables

Our outcome measures are indices generated from standardized test scores on cognitive and non-cognitive assessments.<sup>12</sup> The cognitive assessment included the Peabody Picture Vocabulary Test (PPVT), which assesses verbal ability and receptive vocabulary (Dunn et al., 1965), and four subtests of the Woodcock Johnson III Test of Achievement (WJ): (i) WJ-Letter and Word Identification (WJL), which measures the ability to identify letters and words; (ii) WJ-Spelling (WJS), which measures the ability to correctly write orally presented words; (iii) WJ-Applied Problems (WJA), which measures the ability to analyze and solve math problems; and (iv) WJ-Quantitative Concepts (WJQ), which assesses the knowledge of mathematical concepts, symbols, and vocabulary (Woodcock, McGrew and Mather, 2001).

The non-cognitive component included the Blair and Willoughby Executive Function test (Willoughby, Wirth and Blair, 2012), which is composed of three subtests assessing attention (Spatial Conflict), working memory (Operation Span), and attention shifting (Same Game) and the Preschool Self-Regulation Assessment (PSRA), which is designed to assess self-regulation in emotional, attentional, and behavioral domains.<sup>13</sup>

A cognitive index was made up of averaged percentile scores on each cognitive subtest, and a non-cognitive index was made up of average percent-correct scores on each non-cognitive subtest. The two indexes were then standardized by the type of assessment (pre-assessment, mid-assessment, etc.), including the entire study population (treated and control) who took that assessment, to obtain a zero mean and standard deviation of one.

To explore the spatial spillovers on both treatment and control children, we construct three samples: a pooled sample, including observations from both treatment and control groups; a control sample,

---

<sup>12</sup>These indices were constructed by Fryer et al. (2015, 2018) for the original evaluations of the programs.

<sup>13</sup>Because Blair and Willoughby tests are designed for preschool, a new test was added for assessments that were administered to older children (age-out assessments). For children in kindergarten or older, the Same Game test of Blair and Willoughby was replaced with a variant of Wisconsin Card Sort game, which measures attention shifting for children of that age.

including data from control children; and a treatment sample, including observations from treated children. Our treatment sample pools observations from children who were randomized into any of the programs. We include observations from the baseline to the fourth age-out assessment. Our final control, treatment, and pooled samples include 2,442, 3,074, and 5,208 observations, respectively.<sup>14</sup> Appendix C presents the details regarding how we construct these three samples.

Table 2 provides summary statistics on the baseline demographic variables for our pooled sample. Note the majority (90%) of the children are either African American or Hispanic, and 53% live in families with an annual household income under \$35,000.

Table 2: Baseline Summary Statistics for the Pooled Sample

Variable	Share/Mean	Variable	Share/Mean
Gender		Mother's Education	
Male	.51	Less than high school	.08
Race		Some high school but no diploma	.12
Black	.40	High school diploma	.13
Hispanic	.50	Some college but no degree	.17
White	.09	College degree	.18
Other Race	.01	Other	.06
Missing Race	.01	Missing Mother's Education	.25
HH Income and Unemployment Benefits		Father's Education	
below 35K	.53	Less than high school	.09
36K-75K	.14	Some high school but no diploma	.1
75K+	.06	High school diploma	.13
Missing Income	.26	Some college but no degree	.12
Receives Unemployment Benefit	.09	College degree	.08
Missing Unemployment Benefit	.31	Other	.06
		Missing Father's Education	.44
Baseline Age (months)	45.32 (6.91)		

*Notes:* Summary statistics for baseline demographic variables are presented. For education levels, *Some high school but not diploma* includes parents with a GED or high school attendance without a diploma, *College degree* includes associate's, bachelor's and master's degrees, *Less than high school* includes an education level below 9th grade or no formal schooling, and *Other* includes vocational/technical or other unclassified programs. Standard deviations are reported in parentheses.

### 3.1.2 Addresses and neighbor counts

To estimate the spatial spillover effects from the intervention, we calculate the number of treated neighbors of a child at a given time and use it as a measure of spatial *exposure* to treatments. To do so, we start by calculating commuting distances between the home locations of all pairs of

<sup>14</sup>Note that the number of observations in the pooled sample is smaller than the sum of the number of observations in our control and treatment samples. The reason is that in a few cases, when a child was first randomized into the control group and was placed into a treatment group in later randomizations, the pooled sample only includes observations that took place after the child was randomized into treatments. See Appendix C for more information.

children who were randomized during the intervention.<sup>15</sup> Commuting distances are calculated by considering the street network structure and its restrictions (e.g., one-way roads, U-turns, etc.) and finding the closest driving distance between each pair. The average travel distance between a pair of children in our sample is 8.52 kilometers (std. dev.= 8.07), and 99.8% of the sample resides within 60 kilometers of each other. Figure 1 presents a histogram of travel distances between home locations of all children who were randomized during the intervention.

We define a pair as *neighbors* if the commuting distance between the two is less than “ $r$ ” kilometers, and we call “ $r$ ” the *neighborhood radius*. We conduct our analysis for various values of neighborhood radii. We then calculate the number of treated ( $N_{i,t|r}^{treated}$ ) and control ( $N_{i,t|r}^{control}$ ) neighbors of each child  $i$  at the time of her assessment  $t$ , and define the total number of CHECC neighbors of  $i$  as  $N_{i,t|r}^{total} = N_{i,t|r}^{treated} + N_{i,t|r}^{control}$ . Note that as more children are randomized into treatment and control groups over the four years of the intervention, the number of treated and control neighbors vary over time.<sup>16</sup> Table 3 reports the summary statistics for  $N_{i,t|r}^{treated}$  and  $N_{i,t|r}^{control}$ , and Figure 2 presents histograms of the exposure measure  $N_{i,t|r}^{treated}$ , for various values of neighborhood radii. Whereas for  $r = 1$  kilometers, the variation in  $N_{i,t|r}^{treated}$  is small, as the neighborhood radius increases to 3 kilometers and beyond, we gain considerable variations in the exposure measure.

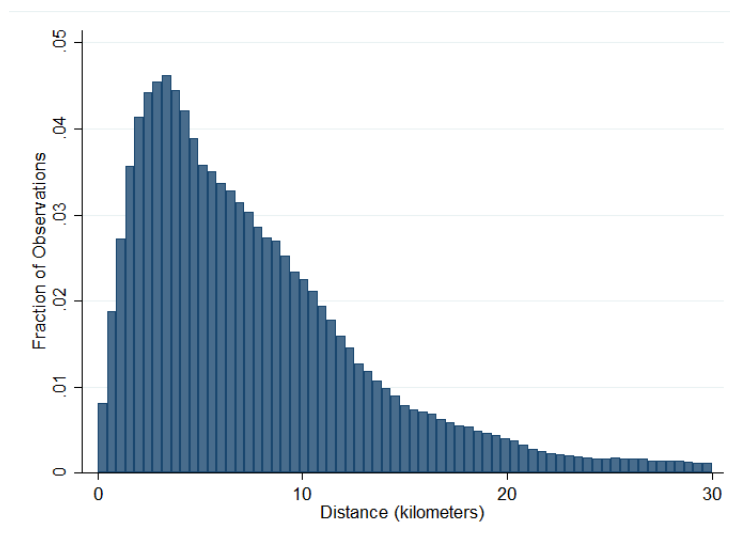


Figure 1: Histogram of distances between children in the study. The horizontal axis is cut at 30 kilometers.

<sup>15</sup>Distances were calculated using the ArcGIS OD Cost Matrix Analysis tool.

<sup>16</sup>Because more children were receiving the treatments over the four-year span of the intervention, and a neighbor who was previously in the control group in an earlier randomization might be assigned into a treatment group in later years,  $N_{i,t|r}^{control}$  can both increase or decrease over time. However,  $N_{i,t|r}^{treated}$  can only increase over time, because no child who was already treated could be assigned into the control group in later years.

Table 3: Neighbor Counts by Neighborhood Radius

	r = 1 km	r = 3 km	r = 5 km	r = 7 km
$N_r^{treated}$	27.89 (27.73)	178.13 (154.21)	325.63 (238.75)	422.81 (272.08)
$N_r^{control}$	29.49 (31.84)	183.47 (165.34)	333.73 (257.95)	437.79 (301.11)

*Notes:* This table presents the average number of treated and control neighbors of a child in our pooled sample, for various definitions of neighborhood radii. The numbers reflect all the observations in our pooled sample for which we observe both cognitive and non-cognitive scores. Standard deviations are reported in parentheses.

### 3.2 Econometric model

We exploit three unique features of our data to estimate the spillover effects. First, conditional on the total number of a child’s CHECC neighbors at a given point in time ( $N_{i,t|r}^{total}$ ), the number of neighbors who are randomized into treatments ( $N_{i,t|r}^{treated}$ ) is determined exogenously through the intervention. Second, the repeated assessment schedule generates a panel, which enables us to track performance over time. Finally, multiple randomizations and the delivery of programs over the four years of the intervention create *within-individual* variations in our exposure measure  $N_{i,t|r}^{treated}$ .

Although the experimentally induced variation in our exposure measure serves as an important feature, which we exploit for identification, our estimation strategy does not rely on it exclusively. Given our limited sample size and the fact that the intervention was not designed to measure spatial spillovers, our exposure measure could be correlated with individual- or neighborhood-level unobservable characteristics. Therefore, we exploit the panel nature of our data to provide clean estimates of the spillover effects. The above three properties allow us to estimate the spillover effects using *within-individual* variations in our exposure measure ( $N_{i,t|r}^{treated}$ ) through a fixed-effects specification. This technique uses the variations in spatial exposure over time and controls for any unobserved time-invariant individual-, family-, or neighborhood-level characteristics that might be correlated with  $N_{i,t|r}^{treated}$ .

We estimate spatial spillover effects from CHECC, using an individual fixed-effects specification of the form

$$Y_{i,t} = \beta_0 + \beta_1 N_{i,t|r}^{treated} + \beta_2 N_{i,t|r}^{total} + \gamma_i + \delta_t + \epsilon_{i,t}, \quad (1)$$

where  $Y_{i,t}$  is the standardized cognitive or non-cognitive test score of a child  $i$  on test  $t$ ,  $N_{i,t|r}^{treated}$  represents the number of treated neighbors of  $i$  at time  $t$  as previously defined, and  $N_{i,t|r}^{total}$  represents

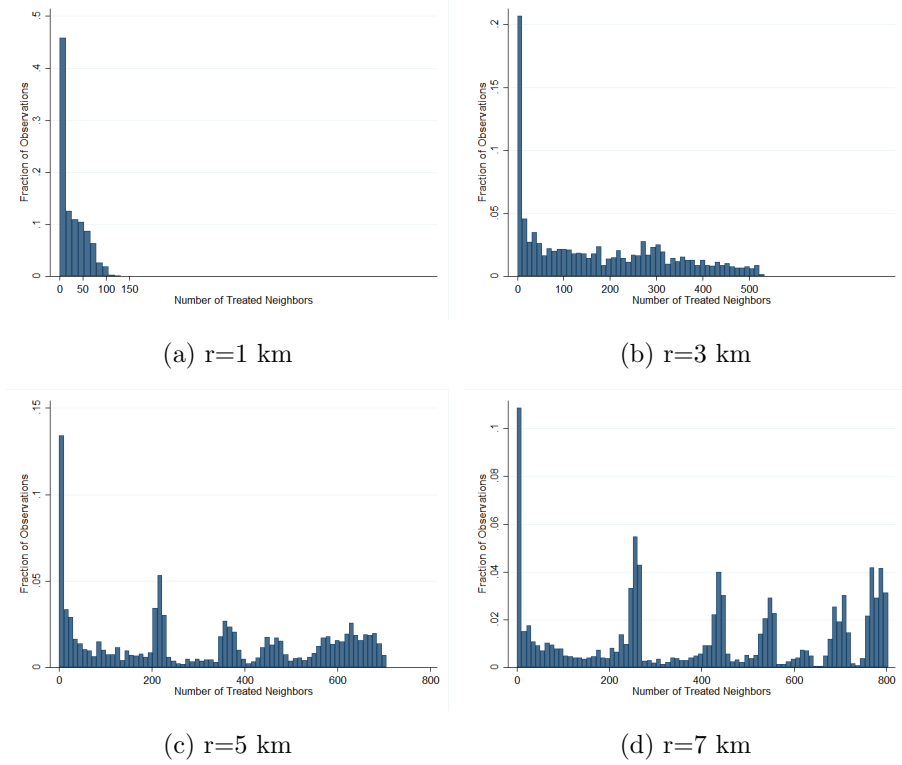


Figure 2: Histogram of  $N_{i,t|r}^{treated}$  for  $r = \{1, 3, 5, 7\}$  kilometers.

the total number of  $i$ 's neighbors who were randomized in the intervention by time  $t$ .<sup>17</sup>  $\gamma_i$  and  $\delta_t$  are individual and test (time) fixed effects. Under this specification,  $\beta_1$  represents the average effect of moving one of the control neighbors of a child  $i$  to a treatment group, holding the total number of her CHECC neighbors constant. This measure ( $\beta_1$ ) provides an intuitive estimate on the spillover effects from the intervention because it enables a policymaker to weigh the benefits against the costs associated with treating an additional child in the neighborhood. Section 5 presents an alternative model, which relaxes the assumption of time invariance for individual effects and exploits both within-individual and between-individual variation in spatial exposure to treated neighbors to estimate spillover effects. As we will further discuss in Section 5, our findings are robust to using this alternative specification.

<sup>17</sup>Miguel and Kremer (2004), Giné and Mansouri (2018) and Bobba and Gignoux (2019) use similar specifications to estimate spatial spillover effects. Like our specification, these studies use the number of treated individuals within a certain neighborhood radius as their measure of spatial exposure to treatments, and control for the total number of neighbors in their regression analyses. Unlike these three studies, which have relied exclusively on the experimentally induced variations in the distribution of treated neighbors across individuals, we are able to exploit the panel nature of our data and identify the spillover effects using within-individual variations in exposure to treatments and remove all unobserved time-invariant individual-level characteristics that might be correlated with the spatial exposure to treatments.



## 4 Results

### 4.1 Main findings

We estimate spillover effects for the neighborhood radii of 3, 5, and 7 kilometers. As Figure 2 suggests, when neighborhood is defined too narrowly, the variation in  $N_{i,t|r}^{treated}$  becomes too small, limiting our power to estimate the effects. Therefore, we start with a neighborhood radii of 3 kilometers and larger, which provides us with enough variation in  $N_{i,t|r}^{treated}$  to estimate the effects. Arguably, these choices of neighborhood radii are economically relevant. According to the National Household Travel Survey, the average commuting distance to school for a 6 to 12 year-old child is about 6 kilometers (3.6 miles).<sup>18</sup> The average travel time from home to work for a Chicago Heights resident is estimated to be 26.1 minutes (US Census Bureau statistics), which translates to about 21 kilometers for a speed of 30 miles per hour.<sup>19</sup> Because schools and workplaces provide natural interaction spaces for children and their parents, we can reasonably assume our choices of neighborhood radii are relevant distances within which social interactions can generate spillovers.

Table 4 presents estimated  $\beta_1$ 's from equation (1) for neighborhood radii of 3, 5, and 7 kilometers. Standard errors—clustered at the census-block-group level to allow for common error components within geographical units—are reported in parentheses below each point estimate. The left (right) panel presents the average spillover effect from treating an additional neighbor of a child on her standardized cognitive (non-cognitive) test score. Columns (1) and (4) report the pooled effects on both treatment and control children and reveal significant positive spillover effects on both cognitive and non-cognitive test scores. The effects on non-cognitive scores are more than double the effects on cognitive scores: an additional treated neighbor within 3 kilometers of a child's home increases her cognitive score by  $0.0033\sigma$  ( $p < 0.01$ ), whereas it increases her non-cognitive score by  $0.0069\sigma$  ( $p < 0.01$ ). Empirical differences in cognitive and non-cognitive spillovers are statistically significant.<sup>20</sup>

Columns (2) and (3) parse the effects on cognitive scores by treatment assignment. These estimates reveal that both treatment and control children benefit from living close to treated families. While the control group benefits slightly more than the treatment group from cognitive spillover effects, the difference is not significant at conventional levels.<sup>21</sup> Columns (5) and (6) report the spillover effects

---

<sup>18</sup><https://nhts.ornl.gov/briefs/Travel%20To%20School.pdf>

<sup>19</sup> This estimate is consistent with a report by the National Household Travel Survey that suggests the average commuting distance from home to work in the US is about 19 kilometers (11.8 miles). For more information, see: <https://www.bts.gov/sites/bts.dot.gov/files/docs/browse-statistical-products-and-data/national-transportation-statistics/220806/ntsntire2018q1.pdf> (page 73).

<sup>20</sup>The p-values from the Wald test of the null hypothesis  $H_0: \beta_1^{cog} = \beta_1^{ncog}$  against  $H_1: \beta_1^{cog} \neq \beta_1^{ncog}$  are 0.001, 0.03, and 0.06 for neighborhood radii of 3, 5, and 7 kilometers, respectively.

<sup>21</sup>The p-values from the Wald test of equal  $\beta_1^{cog}$ 's for the control and treatment group are 0.11, 0.16, and 0.13 for neighborhood radii of 3, 5, and 7 kilometers, respectively.

in non-cognitive scores by treatment assignment. These estimates illustrate that the treatment and control children both benefit from non-cognitive spillovers. The estimated spillover effects on non-cognitive scores on the control and treatment groups are very similar and are not significantly different across the two groups.<sup>22</sup> These findings are robust to the choice of neighborhood radius,  $r$ .<sup>23</sup>

In sum, we document significant positive spillover effects on both cognitive and non-cognitive test scores and find the effects are significantly larger for non-cognitive scores.<sup>24</sup>

Table 4: Mean Effect Sizes on Cognitive and Non-cognitive Scores, Fixed-Effects Estimates

	Cognitive Scores			Non-cognitive Scores		
	Pooled (1)	Control (2)	Treatment (3)	Pooled (4)	Control (5)	Treatment (6)
r = 3 km	0.0033*** (0.0010)	0.0038*** (0.001)	0.0016 (0.0010)	0.0069*** (0.0013)	0.0075*** (0.0015)	0.0064*** (0.0013)
r = 5 km	0.0021*** (0.0006)	0.0023** (0.0008)	0.0010* (0.0006)	0.0043*** (0.0008)	0.0037*** (0.0011)	0.0034*** (0.0008)
r = 7 km	0.0018*** (0.0005)	0.0021*** (0.0007)	0.0008* (0.0005)	0.0033*** (0.0007)	0.0025*** (0.0010)	0.0028*** (0.0007)
Obs.	5,208	2,442	3,074	5,208	2,442	3,074

*Notes:* Spillover effects from *each* additional treated neighbor ( $\hat{\beta}_1$ ) estimated from equation (1) are presented. Columns 1-3 (4-6) represent the average spillover effects from an additional treated neighbor on a child’s standardized cognitive (non-cognitive) score. Robust standard errors, clustered at the census-block-group level, are in parentheses; \*\*\* p<0.01, \*\* p<0.05, \* p<0.1

## 4.2 Spatial fade-out

A closer look at the estimated  $\beta_1$ ’s reported in Table 4 suggests an important spatial pattern: the spillover effects from an additional treated neighbor becomes smaller as we broaden the neighborhood radius from 3 to 7 kilometers. To further explore this pattern and shed light on the relationship between spillover effects and distance, we provide Figure 3, which shows the estimated  $\beta_1$ ’s for a broader range of  $r$ ’s.<sup>25</sup> Note that the effects on both cognitive and non-cognitive scores operate very locally. As we increase the neighborhood radius, the marginal spillover effects from an additional treated neighbor monotonically decrease. Because a larger neighborhood radius corre-

<sup>22</sup>The p-values from the Wald test of equal  $\beta_1^{cog}$  for treatment and control group for neighborhood radii of 3K, 5K, and 7K meters are 0.80, 0.84, and 0.78.

<sup>23</sup>Appendix D breaks down these effects by subtests and explores which components of the cognitive/non-cognitive index generate the effects.

<sup>24</sup>In Appendix E, we explore the potential role of sorting by estimating the effects using a subsample of children who attended the majority of assessments. Our evidence suggests that selection is not an important factor in generating our results.

<sup>25</sup>The point estimates are reported in Appendix F.

sponds to a longer average distance to neighbors, the negative relationship between  $\hat{\beta}_1$  and  $r$  implies that, as the distance between a child and her treated neighbor grows, the spillover effect on both cognitive and non-cognitive scores weakens. Specifically, the average spillover effect on a child's non-cognitive score, from a treated neighbor within a 3-kilometer radius is about twice as large as the effect from a treated neighbor who resides within a 7-kilometer radius ( $0.0069\sigma$  vs.  $0.0033\sigma$ ). Similarly, the average effect on the cognitive score from an additional treated neighbor who lives within 3 kilometers of a child is about twice as large as the effect from a treated neighbor who resides within a 7-kilometer radius ( $0.0033\sigma$  vs.  $0.0018\sigma$ ). In summary, we find that the spillover effects on both cognitive and non-cognitive scores are localized and decrease as the distance to a treated neighbor's home increases.

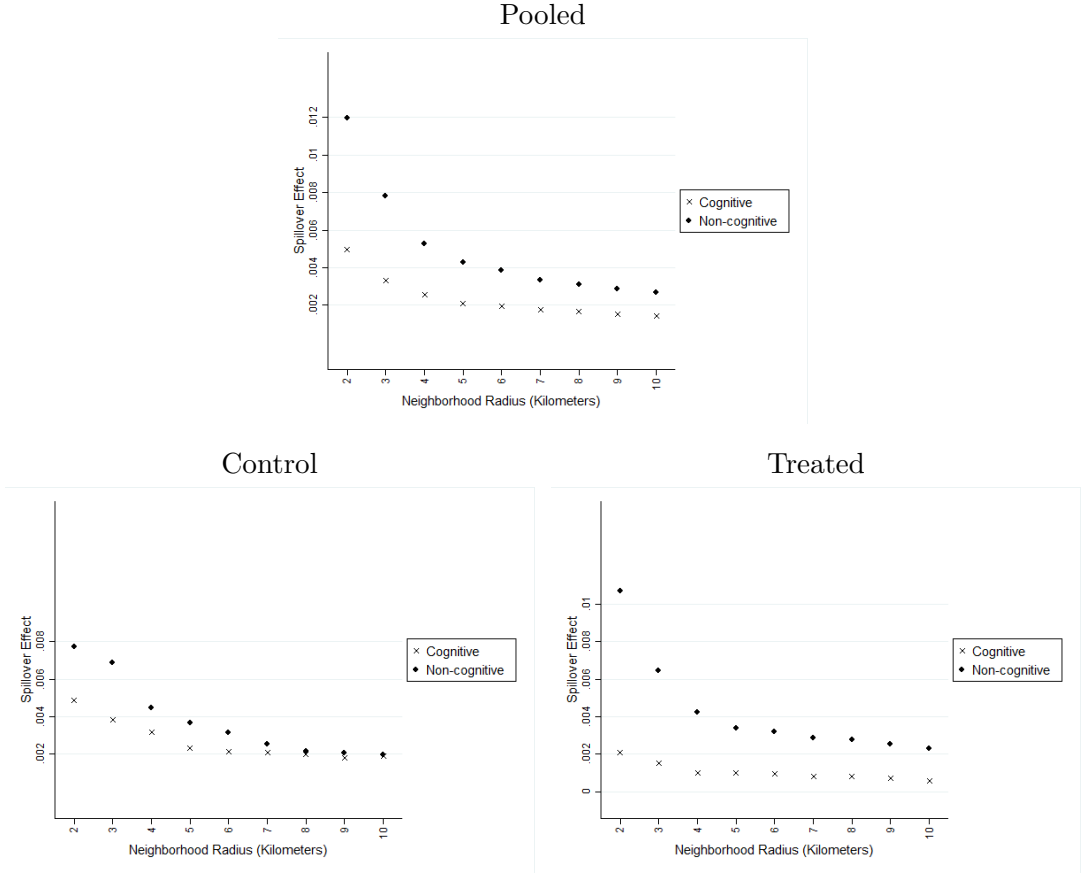


Figure 3: The spillover effect from having an additional treated neighbor on a child's standardized cognitive and non-cognitive scores, as functions of neighborhood radius.

### 4.3 Heterogeneous effects

Fryer, Levitt, and List (2015) evaluated the parent-education component of CHECC (Parent Academy) by comparing the outcomes of treatment and control children, under the assumption that treatments did not induce externalities to the control group. They found that the assignment to Parent Academies increases a child’s non-cognitive scores by  $0.203\sigma$ , but does not significantly impact cognitive scores. Moreover, the authors reported positive treatment effects on cognitive and non-cognitive scores for Hispanics, but did not find any significant treatment effects on African American children. Parent Academy was also reported to have slightly larger effects on girls than boys, although the gender differences were not significant. Motivated by the heterogeneity in treatment effects from the Parent Academy component of the intervention reported in Fryer, Levitt, and List (2015), we investigate whether children of different races (or gender) benefit differently from spillover effects. We do so by estimating equation (1), separately by race and gender.

Since African Americans and Hispanics make up over 90% of our sample, our analysis on heterogeneity along race focuses on these two groups. Panel (a) of Table 5 and Figure 4 present  $\hat{\beta}_1$ ’s separately for African American and Hispanic children. Comparing the effects across races, we find no significant differences in cognitive spillover effects between Hispanics and African Americans. In contrast to the effects on cognitive scores, spillovers on non-cognitive scores are significantly larger for African Americans than Hispanics.<sup>26</sup> On average, an additional treated neighbor increases the non-cognitive scores of an African American child by about two to three times as much as a Hispanic child. For instance, an additional treated neighbor within a 3-kilometer radius increases the non-cognitive score of a Hispanic child by  $0.0045\sigma$ , whereas it increases an African American child’s non-cognitive score by  $0.0100\sigma$ .

Panel (b) of Table 5 and Figure 4 present the estimated effects by gender. Overall, boys benefit more than girls from both cognitive and non-cognitive spillovers. However, these gender differences are not statistically significant at the conventional levels.<sup>27</sup> In section 6, we shed light on the mechanism through which spillover effects operate, and discuss a potential source of heterogeneity in spillover effects along race and gender lines.

Note that our estimates cannot be directly compared with the heterogeneity in treatment effects reported by Fryer, Levitt, and List (2015) due to two main differences between our samples. First, unlike Fryer, Levitt, and List (2015) who report heterogeneous effects from the Parent Academy, our analysis uses data from all CHECC programs and considers heterogeneity in spillover effects on

---

<sup>26</sup>The p-values from Wald tests of the null of equal  $\beta_1$  for Hispanics and African American children’s cognitive (non-cognitive) test scores (in the pooled sample) are 0.15 (0.07), 0.10 (0.04), and 0.17 (0.07) for neighborhood radii of 3, 5, and 7 kilometers, respectively.

<sup>27</sup>The p-values from Wald tests of the null of equal  $\beta_1$  for cognitive (non-cognitive) test scores for boys and girls (in the pooled sample) are 0.12 (0.47), 0.13 (0.50), and 0.10 (0.47) for neighborhood radii of 3, 5, and 7 kilometers, respectively.

Table 5: Mean Effect Sizes within Gender and Race Subgroups, Fixed-Effects Estimates

	(a) Race		(b) Gender	
	Cognitive Scores	Non-cognitive Scores	Cognitive Scores	Non-cognitive Scores
	(1)	(2)	(3)	(4)
	Black		Boys	
r = 3 km	0.0014 (0.0015)	0.0100*** (0.0024)	0.0048*** (0.0016)	0.0088*** (0.0019)
r = 5 km	0.0007 (0.0008)	0.0055*** (0.0015)	0.0029*** (0.0009)	0.0048*** (0.0012)
r = 7 km	0.0009 (0.0008)	0.0042*** (0.0012)	0.0024*** (0.0007)	0.0038*** (0.0010)
Obs.	2,087	2,087	2,583	2,583
	Hispanic		Girls	
r = 3 km	0.0042*** (0.0013)	0.0045*** (0.0014)	0.0017 (0.0011)	0.0068*** (0.0019)
r = 5 km	0.0027*** (0.0009)	0.0019** (0.0008)	0.0013* (0.0007)	0.0037*** (0.0011)
r = 7 km	0.0023*** (0.0007)	0.0016** (0.0008)	0.0011 (0.0006)	0.0028*** (0.0009)
Obs.	2,580	2,580	2,625	2,625

*Notes:* The spillover effects from each additional treated neighbor on cognitive and non-cognitive test scores, estimated from the fixed-effects model (equation (1)). Panel (a) presents the effects, separately for African American and Hispanic receiving children. Panel (b) reports the effects separately for boys and girls. Robust standard errors, clustered at the census-block-group level, are in parentheses; \*\*\*  $p < 0.01$ , \*\*  $p < 0.05$ , \*  $p < 0.1$

all children who were randomized during the intervention. Second, whereas Fryer, Levitt, and List (2015) base their estimates on observations from the post program assessments (which took place immediately after the end of program year), our estimates use the pre-, mid-, and post-program assessment as well as up to four additional follow-up assessments, which were administered after a program year ended.

## 5 Robustness

Our identification strategy, presented in Section 3 (individual fixed-effects model), was based on the assumption that individual effects are *time-invariant* omitted variables. In this section, we explore the robustness of our findings to a different estimation strategy, where we relax this assumption by directly controlling for the lagged dependent variables and removing individual fixed effects. Whereas the fixed-effects specification uses within-individual variations in spatial exposure to treatments, the lagged dependent variables (LDV) model exploits both within- and between-individual variations to estimate the spillover effects. Angrist and Pischke (2008) argue that fixed effects and LDV estimates have a bracketing property such that they provide upper and lower

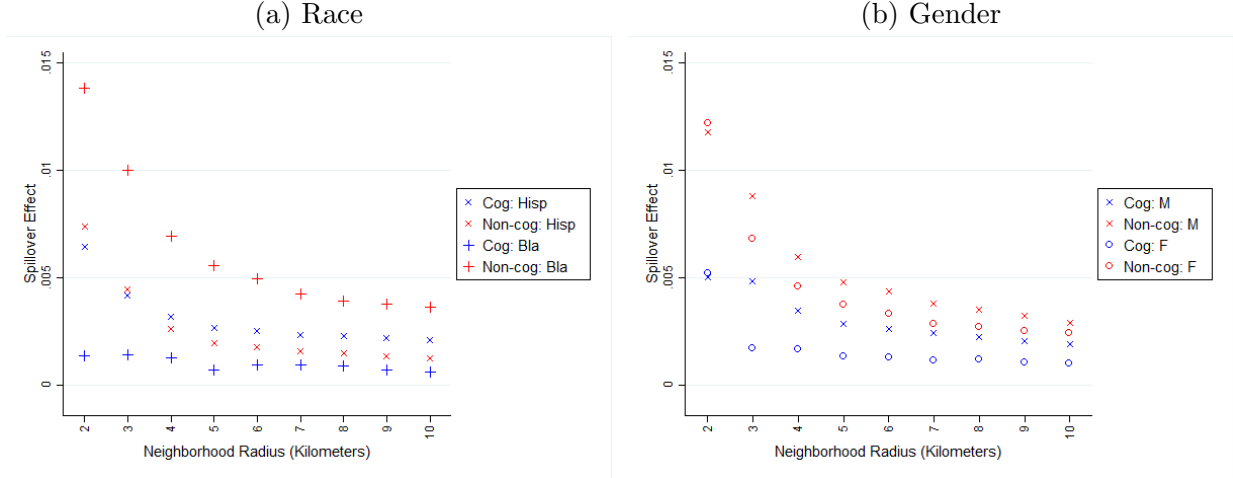


Figure 4: The spillover effect from an additional treated neighbor on a child’s standardized cognitive and non-cognitive scores, estimated from the fixed-effects model. Panel (a) presents the effects separately for African American and Hispanic children, and panel (b) presents the effects separately for males and females.

bounds for where the true effect lies. The authors suggest that an appropriate empirical practice is to estimate the effects under both specifications and check whether they provide broadly similar results. We formulate this alternative specification as

$$Y_{i,t} = \beta_0 + \beta_1 N_{i,t|r}^{treated} + \beta_2 N_{i,t|r}^{total} + \eta Y_{i,t-1} + X_i \alpha + \sigma_b + \delta_t + \mu_c + \epsilon_{i,t}, \quad (2)$$

where  $Y_{i,t}$ ,  $N_{i,t|r}^{treated}$ , and  $N_{i,t|r}^{total}$  are defined as previously. We control for the lagged cognitive and non-cognitive test scores through  $Y_{i,t-1}$ , and include census-block group ( $\sigma_b$ ) as well as time and cohort fixed effects ( $\delta_t$  and  $\mu_c$ ).  $X_i$  represents a vector of time-invariant characteristics including gender, race, and age at the time of the baseline assessment. Under this specification,  $\beta_1$  reflects the average spillover effect from an additional treated neighbor who lives within radius  $r$  on a child’s standardized cognitive or non-cognitive test score.

### 5.1 Main effects

Table 6 presents  $\beta_1$ ’s, estimated from equation (2), for three different neighborhood radii: 3, 5, and 7 kilometers. The standard errors, reported in parentheses, are clustered at the census-block-group level to allow for common error components within geographical units. Consistent with the results presented in section 4.1, we find significant spillover effects on both cognitive and non-cognitive test

scores, with larger effects on non-cognitive scores.<sup>28</sup> The comparison between the effects on treated and control children leads to a conclusion similar to the one we reported under the fixed-effects specification: We do not find any significant differences in spillover effects between children who were assigned to the treatment and control groups.<sup>29</sup> The estimates from the two models are also similar in magnitude: An additional treated neighbor within 3 kilometers of a child is estimated to increase that child’s cognitive score by  $0.0033\sigma$  under the fixed-effects specification and by  $0.0042\sigma$  under the LDV model. Similarly, an additional treated neighbor residing within 3 kilometers is estimated to increase the child’s non-cognitive score by  $0.0069\sigma$  and  $0.0070\sigma$  under the fixed-effects and LDV specifications, respectively.

Table 6: Mean Effect Sizes on Cognitive and Non-cognitive Scores, LDV Estimates

	Cognitive Scores			Non-cognitive Scores		
	Pooled (1)	Control (2)	Treatment (3)	Pooled (4)	Control (5)	Treatment (6)
r = 3 km	0.0042*** (0.0012)	0.0052** (0.0025)	0.0019 (0.0020)	0.0070*** (0.0015)	0.0059*** (0.0018)	0.0067** (0.0026)
r = 5 km	0.0033*** (0.0009)	0.0038** (0.0016)	0.0021* (0.0011)	0.0059*** (0.0014)	0.0037*** (0.0011)	0.0060*** (0.0023)
r = 7 km	0.0027** (0.0007)	0.0034*** (0.0013)	0.0015 (0.0010)	0.0054*** (0.0014)	0.0035*** (0.0013)	0.0053** (0.0022)
Obs.	3,403	1,495	2,093	3,403	1,495	2,093

*Notes:* Spillover effects from *each* additional treated neighbor ( $\hat{\beta}_1$ ) estimated from equation (2) are presented. Columns 1-3 (4-6) represent the effects from an additional treated neighbor on a child’s standardized cognitive (non-cognitive) score. Robust standard errors, clustered at the census-block-group level are in parentheses; \*\*\* p<0.01, \*\* p<0.05, \* p<0.1

## 5.2 Spatial fade-out

Figure 5 displays the estimated effects from an additional treated neighbor, as a function of neighborhood radius. The point estimates are reported in Appendix F. Similar to Figure 3, the estimated effects from the LDV specification also exhibit a downward-sloping relationship with the neighborhood radius. The spatial fade-out is more salient for the effects on non-cognitive scores. Confirming our finding from estimating the fixed-effects model reported in section 4.2, the LDV estimates show that the spillover effect from a treated neighbor decreases as the spatial distance to that neighbor’s home increases.

<sup>28</sup>The p-values from the Wald test of the null hypothesis of  $\beta_1^{cog} = \beta_1^{ncog}$  against the alternative of  $\beta_1^{cog} \neq \beta_1^{ncog}$  are 0.045, 0.035, and 0.035 for neighborhood radii of 3, 5 and 7 kilometers, respectively.

<sup>29</sup>The p-values from the Wald test of equal  $\beta_1^{cog}$ ’s for the control and treatment group are 0.34, 0.39, and 0.22 for neighborhood radii of 3K, 5K, and 7K meters, respectively. The corresponding p-values for  $\beta_1^{ncog}$ ’s are 0.82, 0.37, and 0.44.

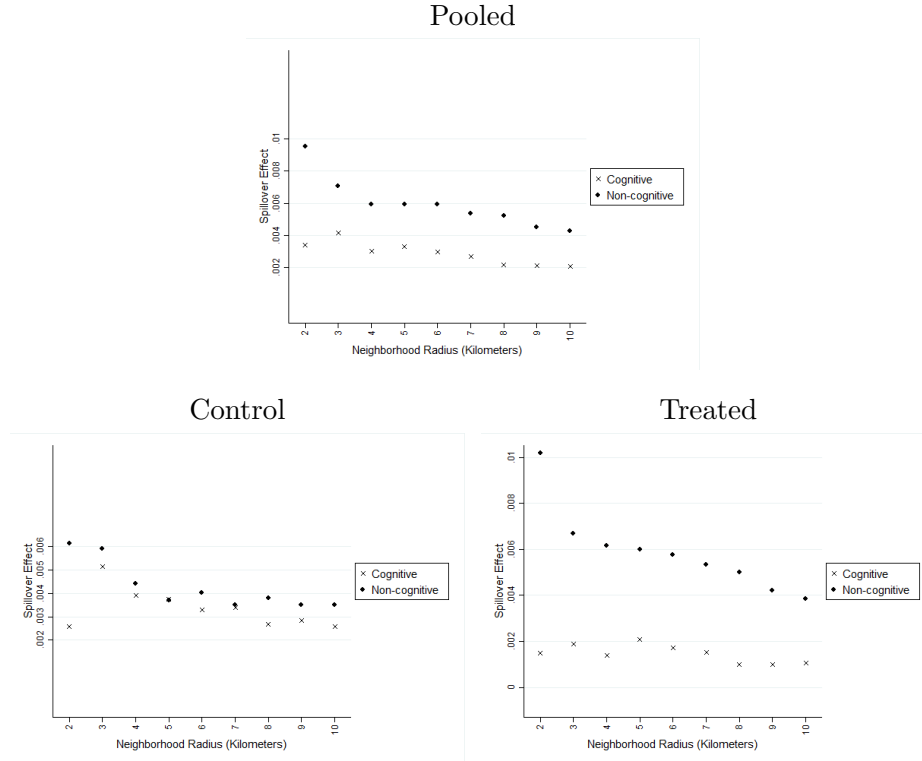


Figure 5: The spillover effects, estimated under the LDV model, from an additional treated neighbor on a child’s standardized cognitive and non-cognitive test scores, as functions of neighborhood radius.

### 5.3 Heterogeneous effects

Table 7 reports the spillover effects by race and gender estimated from the LDV specification (equation (2)). Focusing on race (panel (a)), we find no significant differences in spillover on cognitive scores between African Americans and Hispanics.<sup>30</sup> Similar to the fixed-effects estimates, the LDV estimates of non-cognitive spillover effects reveal a large and significant racial gap, with African Americans benefiting about three to four times as much as Hispanics from their treated neighbors.<sup>31</sup>

Panel (b) of Table 7 reports the effects from the LDV specification by gender, and reveals that in general, boys tend to benefit slightly more than girls from spillover effects. However, the gender

<sup>30</sup>The p-values from Wald tests of the null hypothesis of equal spillover effects on cognitive scores ( $\beta_1$ ) for Hispanics and African Americans in the pooled sample are 0.59, 0.52, and 0.50 for neighborhood radii of 3, 5, and 7 kilometers, respectively.

<sup>31</sup>The p-values from Wald tests of the null hypothesis of equal spillover effects on non-cognitive scores ( $\beta_1$ ) for Hispanics and African Americans in the pooled sample are 0.001, 0.005, and 0.020 for neighborhood radii of 3, 5, and 7 kilometers, respectively.



Table 7: Mean Effect Sizes within Gender and Race Subgroups, LDV Estimates

	(a) Race		(b) Gender	
	Cognitive Scores	Non-cognitive Scores	Cognitive Scores	Non-cognitive Scores
	(1)	(2)	(3)	(4)
	Black		Boys	
r = 3 km	0.0056*** (0.0019)	0.0154*** (0.0034)	0.0054*** (0.0026)	0.0063*** (0.0023)
r = 5 km	0.0037*** (0.0013)	0.0108*** (0.0025)	0.0037*** (0.0011)	0.0059*** (0.0021)
r = 7 km	0.0032*** (0.0012)	0.0087*** (0.0022)	0.0033*** (0.0009)	0.0060*** (0.0021)
Obs.	1,312	1,312	1,693	1,693
	Hispanic		Girls	
r = 3 km	0.0042** (0.0017)	0.0034** (0.0016)	0.0032** (0.0014)	0.0067*** (0.0017)
r = 5 km	0.0026** (0.0011)	0.0034** (0.0014)	0.0027*** (0.0010)	0.0053*** (0.0019)
r = 7 km	0.0022** (0.0009)	0.0031** (0.0016)	0.0017* (0.0009)	0.0044** (0.0018)
Obs.	1,760	1,760	1,710	1,710

*Notes:* Spillover effects from an additional treated neighbor on cognitive and non-cognitive test scores, estimated from LDV specification (equation (2)). Panel (a) presents the effects, separately for African American and Hispanic receiving children. Panel (b) reports the effects separately for boys and girls. Robust standard errors, clustered at the census-block-group level, are in parentheses; \*\*\* p<0.01, \*\* p<0.05, \* p<0.1

differences are not significant at conventional levels.<sup>32</sup>

## 6 Exploring the Mechanisms

### 6.1 Parent Academy versus Pre-K

Since the intervention offered education programs for both children and parents, one might expect the spillover effects to operate through the social network of children via direct interactions between them, or indirectly through their parents' social networks. To shed light on which channel generates stronger effects, we start by comparing spillovers from treated neighbors who were assigned to the parent-education programs (Parent Academy neighbors) with the effect from those who were assigned to the preschool programs (Pre-K neighbors). If spillovers mainly operate through parents' social network, then we might expect larger effects from Parent Academy neighbors than from Pre-K neighbors, because Parent Academy treatments involved parents more directly and more intensely

<sup>32</sup>The p-values from Wald tests of the null hypothesis of equal spillover effects on cognitive scores ( $\beta_1$ ) for boys and girls in the pooled sample are 0.29, 0.36, and 0.16 for neighborhood radii of 3, 5, and 7 kilometers, respectively. The corresponding p-values for spillover effects in non-cognitive scores are 0.88, 0.82, and 0.53.

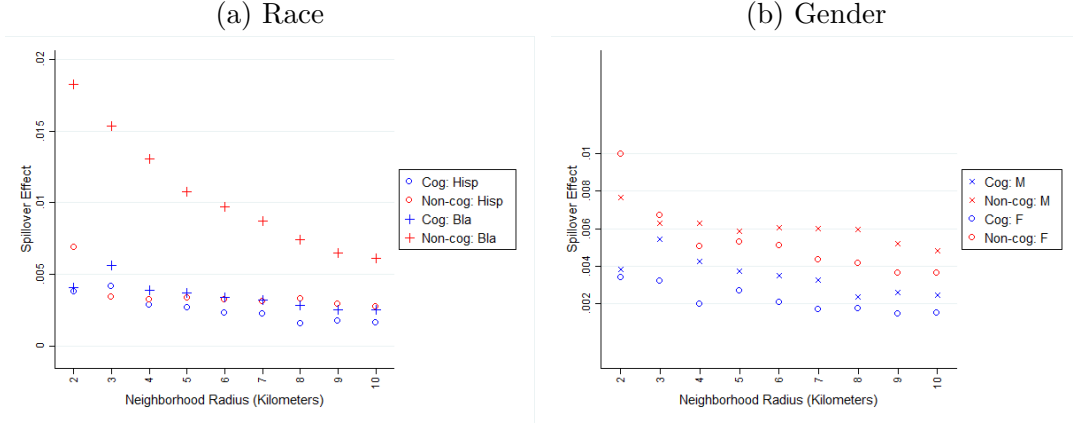


Figure 6: The spillover effect from an additional treated neighbor on a child’s standardized cognitive and non-cognitive scores, estimated from the LDV model. Panel (a) presents the effects separately for African American and Hispanics, and panel (b) presents the effects by gender.

than Pre-K treatments. Alternatively, larger spillover effects from Pre-K neighbors could imply the direct interactions between children play an important role in generating the effects.

To compare spillovers from Parent Academy and Pre-K neighbors, we estimate the fixed-effects and LDV specifications of the following forms:<sup>33</sup>

$$Y_{i,t} = \beta_0 + \beta_p N_{i,t,r}^{Parent} + \beta_c N_{i,t,r}^{PreK} + \lambda N_{i,t|r}^{total} + \gamma_i + \delta_t + \epsilon_{i,t} \quad (3)$$

$$Y_{i,t} = \beta_0 + \beta_p N_{i,t,r}^{Parent} + \beta_c N_{i,t,r}^{PreK} + \lambda N_{i,t|r}^{total} + \eta Y_{i,t-1} + X_i \alpha + \sigma_b + \mu_c + \delta_t + \epsilon_{i,t}. \quad (4)$$

$N_{i,t,r}^{Parent}$  and  $N_{i,t,r}^{PreK}$  represent the number of Parent Academy and Pre-K neighbors of a child  $i$  who reside within a distance  $r$  from  $i$  at the time of her assessment  $t$ , and  $N_{i,t|r}^{total}$ ,  $Y_{i,t}$ ,  $Y_{i,t-1}$ ,  $X_i$ ,  $\gamma_i$ ,  $\sigma_b$ ,  $\mu_c$  and  $\delta_t$  are defined as previously. To simplify the analysis and retain statistical power, we construct  $N_{i,t,r}^{PreK}$  and  $N_{i,t,r}^{Parent}$  by pooling neighbors who were assigned to any of the preschool programs as *Pre-K neighbors*, and pooling those who were assigned to any of the two parent-education programs as *Parent Academy neighbors*. Under the above specifications,  $\beta_p$  reflects the average spillover effect from an additional Parent Academy neighbor, holding  $N_{i,t,r}^{PreK}$  and  $N_{i,t|r}^{total}$  constant. In other words,  $\beta_p$  represents the average effect of substituting a *control* neighbor with a *Parent Academy* neighbor. Similarly,  $\beta_c$  represents the average spillover effect from an additional Pre-K neighbor on a child’s test scores.

Note that a child  $i$  may benefit from a Parent Academy neighbor  $k$  through two channels. The

<sup>33</sup>In a few cases in which a treated neighbor  $k$  was first assigned to a Parent Academy (Pre-K) treatment and assigned to Pre-K (Parent Academy) in later years,  $k$  is counted as a Parent Academy (Pre-K) neighbor for the observations prior to the second randomization, and as a Pre-K (Parent academy) neighbor for the observations following the second randomization.

first channel is the parents’ social networks:  $k$ ’s parents may influence the behavior and decisions of  $i$ ’s parents’, which may in turn shape  $i$ ’s development. Such effects can occur through information externalities (i.e.,  $k$ ’s parents share their acquired knowledge from Parent Academy with  $i$ ’s parents) or preference externalities between parents. The second channel is peer influence: if Parent Academy improves  $k$ ’s outcomes, then child  $i$  might benefit from direct interactions with child  $k$ . The benefits from a Pre-K neighbor, however, are likely to spill over mainly through direct interactions between children (peer influence) because parents are not the main target of the Pre-K treatments.<sup>34</sup> Thus, although  $\hat{\beta}_p$  might reflect spillovers through both the parents’ and the child’s social networks,  $\hat{\beta}_c$  is more likely to reflect an effect that is mainly driven by direct interactions between children.

Table 8 reports estimated  $\beta_p$  and  $\beta_c$  for neighborhood radii of 3, 5, and 7 kilometers from the fixed-effects and LDV specifications. Focusing on *non-cognitive* scores, the estimates from both models suggest larger spillover effects from Pre-K neighbors than Parent Academy neighbors ( $\hat{\beta}_p < \hat{\beta}_c$ ).<sup>35</sup> According to the fixed-effects estimates, an additional Pre-K neighbor within a 3-kilometer radius of a child increases her non-cognitive score by  $0.0099\sigma$ , whereas an additional Parent Academy neighbor only induces a  $0.0045\sigma$  increase in the non-cognitive test score. Similarly, the LDV estimates suggest an additional Pre-K neighbor within a 3-kilometer radius of a child increases her non-cognitive test score by  $0.0108\sigma$ , whereas an extra Parent Academy neighbor within the same radius induces only a  $0.0017\sigma$  increase in her non-cognitive test score. The larger spillovers from Pre-K neighbors than from Parent Academy neighbors suggests that direct social interactions between children (rather than between parents) plays an important role in generating the non-cognitive effects.

Unlike the effects on non-cognitive scores, we find no significant differences in spillover effects on cognitive scores from Parent Academy and Pre-K neighbors.<sup>36</sup>

## 6.2 Heterogeneity in neighborhood-level social interactions

Our estimates presented in Sections 4 and 5 suggested that non-cognitive spillover effects are significantly larger for African Americans than Hispanics. We also found spillover effects to be

---

<sup>34</sup>As previously described previously in Section 2, two out of the four Pre-K treatments (Preschool Plus and Kinderprep) had parental-education components that were not incentivised as heavily, and were much less intensive than the one offered to Parent Academy families. Appendix G examines the spillover from Pre-K neighbors who were randomized to preschool programs with and without the parental component and shows that our conclusions are not sensitive to pooling these two treatments together.

<sup>35</sup>The p-values for the fixed-effects estimates from Wald tests of the null hypothesis  $\beta_p = \beta_c$  against  $\beta_p \neq \beta_c$  for  $r=3$  km,  $r=5$  km and  $r=7$  km equal 0.004, 0.006, and 0.016, respectively. The corresponding p-values from the LDV estimates are 0.004, 0.010, and 0.03.

<sup>36</sup>For the fixed-effects estimates, the p-values from Wald tests of the null hypothesis  $\beta_p = \beta_c$  against  $\beta_p \neq \beta_c$  for  $r=3$  km,  $r=5$  km and  $r=7$  km are 0.82, 0.43, and 0.34, respectively. The corresponding p-values from the LDV estimates are 0.76, 0.14, and 0.14.

Table 8: Spillover Effects from Parent Academy and Pre-K Neighbors, Pooled Sample

	(a) Fixed Effects Estimates				(b) LDV estimates			
	Cognitive Scores		Non-cognitive Scores		Cognitive Scores		Non-cognitive Scores	
	$\beta_p$	$\beta_c$	$\beta_p$	$\beta_c$	$\beta_p$	$\beta_c$	$\beta_p$	$\beta_c$
	(1)	(2)	(3)	(4)	(1)	(2)	(3)	(4)
r = 3 km	0.0035*** (0.0012)	0.0033*** (0.0011)	0.0045*** (0.0008)	0.0099*** (0.0018)	0.0045*** (0.0016)	0.0040*** (0.0014)	0.0017 (0.0017)	0.0108*** (0.0021)
r = 5 km	0.0024*** (0.0008)	0.0019*** (0.0006)	0.0024*** (0.0006)	0.0055*** (0.0011)	0.0046*** (0.0013)	0.0030*** (0.0009)	0.0019 (0.0017)	0.0068*** (0.0015)
r = 7 km	0.0021*** (0.0005)	0.0016*** (0.0005)	0.0022*** (0.0005)	0.0041*** (0.0009)	0.0041*** (0.0013)	0.0025*** (0.0007)	0.0023 (0.0020)	0.0058*** (0.0013)
Obs.	5,208		5,208		3,403		3,403	

Notes: Columns 1 and 3 (2 and 4) report the average effect of an additional Parent Academy (Pre-K) neighbor who resides within distance  $r$  of a child, on her standardized cognitive and non-cognitive scores. Panel (a) presents the estimates from the fixed-effects specifications (equation 3), and panel (b) reports LDV estimates (4). Robust standard errors, clustered at the census-block-group level, are in parentheses; \*\*\*  $p < 0.01$ , \*\*  $p < 0.05$ , \*  $p < 0.1$

larger for boys than girls, although the gender difference was not significant at the conventional levels. Given our evidence suggesting direct interactions with peers at the neighborhood level might be an important mechanism in generating non-cognitive spillover effects, one might hypothesize that the racial and gender differences in non-cognitive spillover effects originate from racial and gender differences in social interactions within neighborhoods.

We explore this idea using data from the National Longitudinal Study of Adolescent Health survey (Add Health),<sup>37</sup> which includes measures of social interactions within neighborhoods. Add Health is a longitudinal study of a nationally representative sample of adolescents in grades 7 to 12 in the United States. Using the public-use data from Add Health, we explore racial and gender differences in variables that reflect children’s social interactions within neighborhoods. Table 9 presents our findings. Consistent with our hypothesis, we find African American children are significantly (at  $p < 0.001$ ) more likely than Hispanics, and boys are significantly (at  $p < 0.001$ ) more likely than girls, to (i) know most people in their neighborhood, (ii) stop on the street to talk to someone from the neighborhood, and (iii) use recreation facilities in the neighborhood. Although these data speak to a slightly older age group than our subjects, we believe that these findings provide suggestive evidence that the higher level of neighborhood-level social interactions for African Americans (and for boys) is a possible cause of the larger non-cognitive spillover effects on this subgroup. Yet, more research is necessary as we view this result as suggestive.

<sup>37</sup>The AddHealth is a project directed by Kathleen Mullan Harris and designed by J. Richard Udry, Peter S. Bearman, and Kathleen Mullan Harris at the University of North Carolina at Chapel Hill, and funded by grant P01-HD31921 from the Eunice Kennedy Shriver National Institute of Child Health and Human Development, with cooperative funding from 23 other federal agencies and foundations. Information on how to obtain the Add Health data files is available on the Add Health website (<http://www.cpc.unc.edu/addhealth>). No direct support was received from grant P01-HD31921 for this analysis.

Table 9: Heterogeneity in Neighborhood Level Social Interactions (Add Health Data)

	African American	Hispanic	Male	Female
(1) Know most people in the neighborhood	0.78	0.69	0.79	0.71
(p-value)	(0.00)		(0.00)	
(2) Stop on the street to talk to someone who lives in the neighborhood	0.84	0.78	0.86	0.79
(p-value)	(0.00)		(0.00)	
(3) Use recreation/sports center in the neighborhood	0.25	0.18	0.28	0.17
(p-value)	(0.00)		(0.00)	
Observations	1,121	537	787	871

*Notes:* The share of respondents who agreed with each statement. The data are restricted to African American and Hispanic respondents. Questions are from Wave II of the Add Health survey. Demographic information was obtained from Wave I of the survey. The precise wording of the survey questions are as follows: (1) You know most of the people in your neighborhood. (0 = false, 1 = true); (2) In the past month, you have stopped on the street to talk with someone who lives in your neighborhood. (0 = false, 1 = true); (3) Do you use a physical fitness or recreation center in your neighborhood? (0 = no, 1 = yes). P-values from a two-sample test of proportions under the null hypothesis of equal proportions against the alternative of unequal proportions between each pair of subgroups are reported in parentheses.

### 6.3 Spillovers and age

We might expect peer influence to play a more salient role in generating spillover effects for older than for younger children. This is because at younger ages children depend on their parents to put them in contact with peers; thus, their friendship network tends to be limited to children of their parents’ acquaintances (Hartup, 1984). As children mature into middle childhood and enter school, their interactions with peers increase dramatically and start growing independently from their caregivers’ social network (Higgins and Parsons, 1983). Previous research has documented that children’s social contact—both in terms of the number of peers as well as the time spent with peers—substantially increases between the ages of 6 and 12 (Cook and Cook, 2009). Following this line of reasoning, one might expect the peer-influence channel of the spillover effects to play a smaller role in earlier years when peer effects at the neighborhood level are more limited, and to become more pronounced as a child grows older. By exploring how the magnitude of cognitive and non-cognitive spillovers vary with age, we can gain deeper insight into the mechanisms generating the effects. We examine this idea by including an interaction term in equations 1 and 2:

$$Y_{i,t} = \beta_0 + \beta_1 N_{i,t|r}^{treated} + \beta_2 N_{i,t|r}^{treated} \times Age_{i,t} + \lambda N_{i,t|r}^{total} + \gamma_i + \delta_t + \epsilon_{i,t}. \quad (5)$$

$$Y_{i,t} = \beta_0 + \beta_1 N_{i,t|r}^{treated} + \beta_2 N_{i,t|r}^{treated} \times Age_{i,t} + \lambda N_{i,t|r}^{total} + \eta Y_{i,t-1} + X_i \alpha + \sigma_b + \mu_c + \delta_t + \epsilon_{i,t}. \quad (6)$$

where  $Age_{i,t}$  represents the age of child  $i$  (in months) at the time of assessment  $t$ , and other arguments are defined as previously. Under the above specifications,  $\beta_2$  reflects how spillover effects change as a child grows. The fixed-effects and LDV estimates of  $\beta_2$  are reported in Table 10. Note that under both specifications, estimated  $\beta_2$ ’s for non-cognitive outcomes are positive and significant, suggesting older children benefit more than younger children from non-cognitive

spillover effects. According to our fixed-effects (LDV) estimates, on average, the spillover effect on the non-cognitive test score of a 6-year-old child from treated neighbors within a 3-kilometer radius is  $0.13\sigma$  ( $0.14\sigma$ ) larger than the corresponding effect on a 5-year-old child. Although the positive relationship between non-cognitive spillovers and age cannot be taken as causal evidence for mechanisms and should be interpreted with caution, it is consistent with the hypothesis that direct peer influence is a likely channel in generating non-cognitive spillover effects. The estimates of  $\beta_2$  for cognitive spillovers are negative, which can be regarded as a decline in cognitive spillover effects with age. However, these point estimates are generally not significant at conventional levels.

Empirical results presented in Sections 6.1, 6.2 and 6.3 provide suggestive evidence that peer influence at the neighborhood level serves as an important mechanism in generating *non-cognitive* spillover effects.

Table 10: Spillover Effects and Age

	Fixed Effects		LDV	
	Cognitive	Non-cognitive	Cognitive	Non-cognitive
	(1)	(2)	(3)	(4)
r = 3 km	-2.64e-06 (4.68e-06)	6.10e-05*** (1.50e-05)	-5.99e-07 (5.92e-06)	6.73e-05*** (1.68e-05)
r = 5 km	-6.34e-06 (4.26e-06)	5.41e-05*** (1.22e-05)	-4.03e-06 (4.75e-06)	5.22e-05*** (1.37e-05)
r = 7 km	-8.35e-06** (3.95e-06)	4.00e-05*** (1.08e-05)	-3.34e-06 (4.51e-06)	3.91e-05*** (1.26e-05)
Obs.	5,208	5,208	3,403	3,403

*Notes:* Estimated  $\hat{\beta}_2$ 's from equations (5) and (6) are presented. The point estimates represent how spillover effects from an additional treated neighbor change with a child's age (in months). Robust standard errors, clustered at the census-block-group level, are reported in parentheses; \*\*\* p<0.01, \*\* p<0.05, \* p<0.1

## 6.4 Parental Investment

Spillover effects can also operate through influencing parental decisions, which affect children's development. Parents might learn from their neighbors about returns to investments and the most productive forms of investments in their children and adjust their choices accordingly. Our data include a self-reported measure of investment concerning parents' decision to enroll their child in preschool programs (other than CHECC). This variable was collected through a survey completed by parents, which was administered at the end of each program year (at the time of the children's post-assessment).<sup>38</sup>

<sup>38</sup>For the last cohort of families who were randomized in the program, this information was also collected from parents at the time of pre-assessment (in addition to the post-assessment).

We start by exploring whether this self-reported measure of parental investment has any predictive power regarding children’s cognitive and non-cognitive performance. That is, whether enrolling one’s child in a preschool program (other than CHECC) is associated with the child’s cognitive or non-cognitive development. We do so by estimating an LDV model of the following form:<sup>39</sup>

$$Y_{i,t} = \beta_0 + \kappa Z_{i,t} + \eta Y_{i,t-1} + X_i \alpha + \sigma_b + \mu_c + \delta_t + \epsilon_{i,t}, \quad (7)$$

where  $Z_{i,t}$  is a binary variable indicating whether parents of a child  $i$  reported enrolling  $i$  in a preschool program during the school year prior to  $t$ .<sup>40</sup> All other terms are defined as previously. Under the above specifications,  $\kappa$  reflects whether a parent’s decision to enroll her child in a preschool program is correlated with the child’s skill development ( $Y_{i,t}$ ).<sup>41</sup> Table 11 presents the estimated  $\kappa$  from equation (7). The estimates suggest a parent’s decision to enroll her child in other (non-CHECC) preschool programs is significantly correlated with cognitive development and increases the child’s cognitive test score by  $0.134\sigma$ , whereas the effect on non-cognitive test-scores is not significant at conventional levels. In the next step, we explore whether spillover effects occur on a parent’s decision to enroll her child in other programs.

Table 11: Parent’s Decision to Enroll a Child in Preschool Programs and Child’s Development

	Cognitive	Non-cognitive
Other Programs	0.134*** (0.048)	0.127 (0.086)
Observations	655	655
R-squared	0.80	0.58

*Notes:* Estimated  $\kappa$ ’s from equation (7) are presented. The point estimates reflect the effect of the parental decision to enroll children in preschool programs, and children’s cognitive and non-cognitive test scores. Although we have about 1,000 observations on investment decisions, we observe lagged test scores for only about 60% of these observations. Robust standard errors, clustered at the census-block-group level, are reported in parentheses; \*\*\*  $p < 0.01$ , \*\*  $p < 0.05$ , \*  $p < 0.1$

Our analysis of the spatial spillover effects on cognitive and non-cognitive test scores exploited the panel nature of our outcome variables, allowing us to estimate the causal spillover effects using individual fixed-effects or lagged dependent-variables specifications. Unfortunately, for a large majority (over 90%) of our sample, the data on parental decisions to enroll children in non-

<sup>39</sup>Since for the vast majority (over 90%) of our sample, we observe the investment measure only once, we cannot estimate their effects on test scores using within-individual variations.

<sup>40</sup>Controlling for  $N_{i,t|r}^{treated}$  and  $N_{i,t|r}^{total}$  or the child’s treatment assignment does not change our point estimates very much.

<sup>41</sup>Note that since  $Z_{i,t}$  is not assigned randomly, we cannot interpret  $\kappa$  as the causal effect of preschool enrollment on children’s development without making additional assumptions. The purpose of this exercise is to merely explore whether this measure of parental investment is associated with child’s development rather than to establish a causal relationship.

CHECC programs were collected only once (at the time of children’s post-assessment). Therefore, we cannot use the previous identification strategies to estimate the causal spillover effects on parents’ investment decision. Instead, we rely on the following OLS specification to explore this channel:

$$Z_{i,t} = \beta_0 + \beta_1 N_{i,t|r}^{treated} + \lambda N_{i,t|r}^{total} + X_i \alpha + \sigma_b + \mu_c + \delta_t + \epsilon_{i,t}, \quad (8)$$

where  $Z_{i,t}$  represents parents’ investment decision, and other variables are defined as previously. Under the above specification,  $\beta_1$  represents the relationship between having an additional treated neighbor residing within distance  $r$  and a parent’s decision to enroll her child in a non-CHECC preschool program. Table 12 presents estimated  $\beta_1$ ’s from equation 8. Interestingly, our estimates suggest positive and significant spillover effects on this measure of parents’ investment decision. Each additional treated neighbor residing within a 3-kilometer radius of a child’s home increases the likelihood of the child’s parents enrolling her in a preschool program by 0.55 percentage points. Given our previous finding that enrolling a child in a non-CHECC program significantly improves her cognitive performance, this result provides suggestive evidence that influencing the parental decision to enroll her child in a preschool program is an important channel through which cognitive spillover effects operate.

Table 12: Exposure to Treatments and the Parents’ Investment Decision

Dependent Variable	Other Programs
r = 3k	0.0055** (0.0023)
r = 5k	0.0066* (0.0040)
r = 7k	0.010** (0.0041)
Observations	974

*Notes:* Estimated  $\beta_1$ ’s from equation (8) are presented. Robust standard errors, clustered at the census-block-group level, are reported in parentheses; \*\*\* p<0.01, \*\* p<0.05, \* p<0.1

The above finding should be interpreted with caution for two reasons. First, our measure of parental investment decision is self-reported, and therefore is not an objective measure of the actual choices. Second, given that the structure of our survey data prevents us from using individual fixed-effects or LDV methods in estimation, interpreting  $\beta_1$  as the causal spillover effect on parents’ decision would require an additional assumption that (conditional on  $N_{i,t|r}^{total}$ ,  $X_i$ ,  $\sigma_b$ ,  $\mu_c$  and  $\delta_t$ ) our exposure measure— $N_{i,t|r}^{treated}$ —is uncorrelated with unobserved individual-level characteristics. Recognizing these two caveats, we believe our results provide *suggestive* evidence that *cognitive* spillover effects might operate—at least partly—through influencing parents’ decisions to enroll their child in a preschool program.



## 7 Total Impact

After measuring positive spillover effects from the programs delivered at CHECC, we now turn to estimating the total impact of the intervention, accounting for these indirect effects. Beyond estimating the total impact, we also (i) disentangle the direct and indirect (spillover) effects from the intervention, and (ii) estimate the size of bias that would arise if we were to ignore spillovers.

Before presenting our evaluation strategy, we should emphasize three key features of this exercise. First, whereas CHECC offered multiple education programs to both parents and children, the aim of this exercise is not to separately evaluate each program. Instead, we provide an overall evaluation of the intervention as a whole by pooling all treatments and accounting for spillovers. Second, given that we estimate spillovers using panel data over multiple years, our total effect is also based on observations over multiple years, starting at the time of randomization and terminating four years after the program ends for the cohort. Therefore, our analysis provides an average estimate of the total impact of CHECC over time, which includes the immediate as well as the longer-run effects.<sup>42</sup> Finally, to fix ideas and simplify the presentation of our results, we set the neighborhood radii to 3 kilometers. Appendix H presents our estimates of the total impact for a broader range of neighborhood radii and discusses the robustness of our findings to varying  $r$ .

The total impact of the intervention ( $Total$ ) on a child  $i$  who was randomized into one of the treatments (Parent Academies or Pre-K) can be expressed as the sum of the direct treatment effect (DE) and the spillover effects, which  $i$  receives from  $N$  other treated individuals in her vicinity ( $ST^N$ ):  $Total = Direct + ST^N$ . If an evaluator ignores the spillover effects on control children ( $SC^N$ ) and follows the standard approach, she naively reports the difference in the mean outcomes between the control and treated groups as the total impact. This standard approach would result in a biased estimate, which we call  $Total^{Standard} = Total - SC^N = Direct + ST^N - SC^N$ .

We evaluate the total impact of the intervention by estimating the following LDV model, using our pooled sample, which includes observations from both the treated and control children. We focus on the LDV specification for this estimation, because unlike the fixed-effects model, it allows us to exploit between-individual variation to estimate the direct time-invariant treatment effect:

$$Y_{i,t} = \beta_0 + \theta T_i + \beta_1 N_{i,t|r}^{treated} + \lambda(T_i \times N_{i,t|r}^{treated}) + \beta_2 N_{i,t|r}^{total} + \eta Y_{i,t-1} + \alpha X_i + \delta_t + \mu_c + \sigma_b + \epsilon_{i,t}. \quad (9)$$

$T_i$  is a treatment indicator, which equals 1 if  $i$  was assigned to a treatment group, and 0 otherwise, and  $Y_{i,t}$ ,  $Y_{i,t-1}$ ,  $N_{i,t|r}^{treated}$ ,  $N_{i,t|r}^{total}$ ,  $X_i$ ,  $\delta_t$ ,  $\mu_c$ , and  $\sigma_b$  are defined as previously. We include an interaction term ( $T_i \times N_{i,t|r}^{treated}$ ) to allow for different spillover effects on treatment and control

---

<sup>42</sup>For this reason, our estimates of the total impact cannot be directly compared to the ones reported in Fryer, Levit, and List (2015), which are based on test scores from the assessments administered immediately after the programs ended.

children. Under this specification,  $\theta$  represents the average direct effect of the intervention on a treatment child (*Direct*),  $\beta_1$  represents the average spillover effect from an additional treated neighbor on a control child ( $SC^1$ ), and  $\beta_1 + \lambda$  represents the average spillover effect from an additional treated neighbor on a treatment child ( $ST^1$ ). Assuming linearity, the average total spillover effect from all treated neighbors on a control child ( $SC^N$ ) can be expressed as  $\overline{N_r^{treated}} \times \hat{\beta}_1$ , where  $\overline{N_r^{treated}}$  represents the average number of treated neighbors who reside within distance  $r$  of a child.<sup>43</sup> Likewise, the average total spillover effect from all treated neighbors on a child who was randomized into a treatment ( $ST^N$ ) can be expressed as  $\overline{N_r^{treated}} \times (\hat{\beta}_1 + \hat{\lambda})$ . Therefore, the total impact of the intervention on a treatment child (*Total*) is the sum of the direct and the spillover effects:  $Total = \hat{\theta} + \overline{N_r^{treated}} \times (\hat{\beta}_1 + \hat{\lambda})$ .

Table 13 reports the estimated coefficients from equation (9) for  $r = 3$  kilometers. The first two columns present the estimates for the pooled sample, and the last four report estimates separately for African Americans and Hispanics. Focusing on the pooled sample, we find the average direct effects of being randomly assigned to a treatment group on a child’s standardized cognitive and non-cognitive scores are 0.11 and 0.05, respectively. The average total spillover effects on a *control child*’s standardized cognitive and non-cognitive scores ( $SC^N$ ) are estimated to be 0.75 and 1.25. The corresponding spillover effects on a *treatment child* are  $0.71\sigma$  and  $1.27\sigma$ . The total impact of being assigned to treatment (including both the direct and spillover effects) on a child’s standardized cognitive and non-cognitive test scores is estimated to be 0.82 and 1.32, respectively. Note that the total spillover effects on both cognitive and non-cognitive scores of treatment children are larger than the direct treatment effects, suggesting a large portion of the total impact is due to the network effects that emerge from interactions with other treated individuals. This finding implies that if one were to treat a single child in isolation, the average cognitive and non-cognitive treatment effects would be about  $(\frac{0.82}{0.11} \approx) 7$  and  $(\frac{1.31}{0.05} \approx) 26$  times smaller than the estimated impacts in the presence of spillovers from other treated children.

The comparison across the last two rows of Table 13 shows that if we were to ignore the spillover effects, we would severely underestimate the total impact of the intervention. For example, if we were to disregard the spillover effects, we would have wrongly concluded the intervention only induced a  $0.06\sigma$  and  $0.07\sigma$  increase in cognitive and non-cognitive test scores, respectively.<sup>44</sup> These

<sup>43</sup>Appendix I shows these findings do not change much if we relax the linearity assumption and allow for quadratic and cubic terms.

<sup>44</sup>Note these estimates are considerably smaller than the estimated effects of the Parent Academy arm of the intervention previously reported in Fryer, Levitt, and List (2015). Fryer, Levitt, and List (2015)—who ignore spillover effects—report that Parent Academies increased cognitive and non-cognitive test scores by  $0.119\sigma$  and  $0.203\sigma$ , by the end of the program year. Our  $Total^{Standard}$  estimates of the whole intervention (which ignore spillover effects to the control group) on cognitive and non-cognitive scores are 1.99 ( $=0.119/0.06$ ) and 2.9 ( $=0.203/0.07$ ) times smaller than the reported effects by Fryer, Levitt, and List (2015). Two important factors cause the difference in these two sets of estimates: First, Fryer, Levitt, and List (2015) focus only on one treatment arm of the intervention (Parent Academies), whereas we estimate the impact of CHECC as a whole, and our sample includes observations from all children who were randomized over the four years of the intervention. Second, Fryer, Levitt and List (2015) focus

Table 13: Total Program Impact

	All		African American		Hispanic	
	Cognitive (1)	Non-cognitive (2)	Cognitive (3)	Non-cognitive (4)	Cognitive (5)	Non-cognitive (6)
$\hat{\theta}$ ( <i>Direct</i> )	0.1070*** (0.0393)	0.0456 (0.0642)	0.0145 (0.0667)	-0.0558 (0.111)	0.276*** (0.0671)	0.135 (0.0978)
$\hat{\beta}$	0.0042*** (0.0013)	0.0070*** (0.0015)	0.0056*** (0.0019)	0.0154*** (0.0034)	0.0044** (0.0018)	0.0034** (0.0016)
$\hat{\lambda}$	-0.0002* (0.0001)	0.0001 (0.0002)	0.0001 (0.0003)	0.0005 (0.0003)	-0.0007*** (0.0002)	-0.0000 (0.0003)
$SC^N$	0.75*** (0.22)	1.25*** (0.27)	0.72*** (0.24)	1.99*** (0.44)	1.27*** (0.48)	0.81** (0.38)
$ST^N$	0.71*** (0.22)	1.27*** (0.27)	0.74*** (0.25)	2.05*** (0.45)	1.05** (0.49)	0.80** (0.36)
<i>Total</i>	0.82*** (0.23)	1.32*** (0.27)	0.75*** (0.25)	1.99*** (0.44)	1.38*** (0.47)	0.93*** (0.37)
$Total^{Standard}$	0.06*** (0.02)	0.07** (0.03)	0.03 (0.05)	0.01 (0.07)	0.11*** (0.03)	0.12*** (0.04)
Observations	3,403	3,403	1,312	1,312	1,760	1,760
R-squared	0.659	0.384	0.684	0.441	0.613	0.362

*Notes:* Estimated coefficients from equation (9) are presented. Robust standard errors, clustered at the census-block-group level, are in parentheses; \*\*\*  $p < 0.01$ , \*\*  $p < 0.05$ , \*  $p < 0.1$ . N includes all observations for which we have lagged cognitive and non-cognitive scores, and other regressors.  $N^{treated} = 178.13$ ;  $N_{Black}^{treated} = 128.83$ ;  $N_{Hispanic}^{treated} = 237.38$

estimates on cognitive and non-cognitive scores are considerably smaller than our estimated effects, which account for spillovers to the control group (*Total*).

We report our estimates of impacts on African Americans and Hispanics in columns (3)-(6) of Table 13.<sup>45</sup> The first observation is that the direct effects of being randomized into a treatment group (*Direct*) on both cognitive and non-cognitive test scores are larger for Hispanics than African Americans, although the difference is only significant for cognitive skills.<sup>46</sup> While the racial difference in cognitive spillovers are small and insignificant ( $p > 0.40$ ), non-cognitive spillovers are significantly larger for African Americans ( $p < 0.05$ ). Overall, the intervention increases the *cognitive* scores for African American and Hispanic children who were randomized into treatment by  $0.75\sigma$  and  $1.38\sigma$ , which are not significantly different from each other ( $p = 0.45$ ). By contrast, African American children who were offered the chance to participate in one of the programs gain more than their Hispanic counterparts in *non-cognitive* skills as a result of the intervention. The average total program impact (*Total*) on the non-cognitive test score of an African American treatment child is

on the short-term treatment effects and compare test scores from assessments that were administered immediately at the end of a program year. Our analysis, on the other hand, uses data from up to four years after a program ends, meaning we rely on both short- and longer-term outcomes to estimate the impact. In fact, the treatment effects wear off and the differences in test scores between the treatment and control groups become smaller over time, which suggests our estimates of  $Total^{Standard}$  should be smaller than the effects reported in Fryer, Levitt, and List (2015).

<sup>45</sup>In our sample, on average, an African American (Hispanic) child has 129 (237) treated neighbors within 3 kilometers from her home.

<sup>46</sup>The corresponding p-values for cognitive and non-cognitive scores are 0.006 and 0.17.

$1.99\sigma$ , which is significantly larger than  $0.93\sigma$ , the corresponding effect on a Hispanic treatment child ( $p = 0.07$ ). Importantly, disregarding spillover effects and evaluating CHECC by naively differencing the outcomes between control and treatment children results in a quite conservative representation of findings. Our estimates, presented in the last row, suggest that ignoring spillovers would have led us to conclude that whereas Hispanic children benefited as a result of the intervention, African Americans gained nothing. Note that this conclusion was in fact the one Fryer, Levitt, and List (2015) reached in their evaluation of the parent academy intervention.

## 8 Conclusions

The traditional approach to evaluate early education programs is to assign children to treatment and control groups randomly and report the difference in mean outcomes. This approach rests on many assumptions, including that the program does not indirectly alter the outcomes of the control group—that is, there are no spillover effects. More broadly, any empirical exercise that evaluates the benefits and costs of a program maintains this general structure.

Using a standard approach from the literature to estimate spillover effects, we explore their empirical relevance in a large-scale early childhood intervention. In doing so, we document spillovers that are economically significant and much larger than we anticipated: on average, the intervention increases cognitive and non-cognitive test scores of a control child by  $0.75\sigma$  and  $1.25\sigma$ , respectively.

Beyond the main spillover effects, we observe interesting heterogeneities. For example, we find that non-cognitive spillover effects are larger for African Americans than Hispanics. In addition, our evidence suggests that non-cognitive spillovers are more likely to operate through children’s rather than parents’ social networks. We also find suggestive evidence that cognitive spillover effects are generated through influencing the parents’ decision to enroll their child in an alternative form of treatment—an outside preschool program.

Our findings speak to several literatures. As aforementioned, we contribute to the growing number of studies that model human capital formation by estimating effects from programs and policy changes. We draw from, and advance, the literature on measuring the role of neighborhoods in shaping children’s short- and long-term outcomes to complete our empirical exercise. Given the importance of non-cognitive skills in children’s future labor market and educational outcomes (Heckman, Stixrud, and Urzua 2006; Borghans et al., 2008; Brunello and Schlotter, 2011), our findings provide practical insights into designing early interventions to better foster such skills. Specifically, our results suggest that interventions that promote social interactions both within participants and between participants and non-participants are likely to generate larger positive externalities on non-cognitive skills.

Our work also speaks to policymakers interested in the science of scaling programs (see, e.g., Al-Ubaydli et al., 2017b). As experimentalists, we have focused almost exclusively on how best to generate data to explore intervention effects and disentangle mechanisms. Yet, what has been lacking is a scientific understanding of how to make an optimal use of the research insights generated. In particular, how should we use the experimental insights for policy purposes? Our findings suggest that traditional measures of early education impacts, which ignore externalities, are likely to be too pessimistic when such programs are taken to scale. In this way, our findings suggest that ignoring the spillover effects can result in a severe underestimation of the program impact, leading to fewer programs being taken to scale than is optimal. Of course, this need not be a general result, as it is possible that in some cases those treated suppress outcomes of those in the control group. More work is necessary in order to detail the nature and extent of scale-up effects when moving from scientific insight to policy.

## References

- [1] Agostinelli, F. (2018), “Investing in children’s skills: An equilibrium analysis of social interactions and parental investments,” Unpublished manuscript, University of Pennsylvania.
- [2] Al-Ubaydli, O., List, J.A. and D.L. Suskind (2017a), “What can we learn from experiments? Understanding the threats to the scalability of experimental results,” *American Economic Review Papers & Proceedings* 117(5), 282–86.
- [3] Al-Ubaydli, O., List, J.A., LoRe, D. and D.L. Suskind (2017b), “Scaling for economists: Lessons from the non-adherence problem in the medical literature,” *Journal of Economic Perspectives* 31(4), 125–144.
- [4] Angelucci, M., and G. De Giorgi (2009), “Indirect effects of an aid program: How do cash transfers affect ineligibles’ consumption?” *American Economic Review* 99(1), 486–508.
- [5] Angrist, J.D. and J.S. Pischke (2008), *Mostly Harmless Econometrics: An Empiricist’s Companion*, Princeton: Princeton University Press.
- [6] Åslund, O., Östh, J. and Y. Zenou (2010), “How crucial is distance to jobs for ethnic minorities? Old question – Improved answer,” *Journal of Economic Geography* 10, 389–422.
- [7] Attanasio, O., Cattan, S., Fitzsimons, E., Meghir, C. and M. Rubio-Codina (2018), “Estimating the production function for human capital: Results from a randomized control trial in Colombia,” NBER Working Paper No. 20965.
- [8] Attanasio, O., Meghir, C. and E. Nix (2015), “Human capital development and parental investment in India,” NBER Working Paper No. 21740.
- [9] Avitabile, C. (2012), “Spillover effects in healthcare programs: Evidence on social norms and information sharing,” IDB Working Paper Series No. 380.
- [10] Barnett, W.S. (2011) “Effectiveness of early educational intervention,” *Science* 333, 975–978.
- [11] Bobba, M. and J. Gignoux (2019), “Neighborhood effects in integrated social policies,” *World Bank Economic Review* 33(1), 116–139.
- [12] Boning, W.C., Guyton, J., Hodge, R.H., Slemrod, J. and U. Troiano (2018), “Heard it through the grapevine: Direct and network effects of a tax enforcement field experiment,” NBER Working Paper No. 24305.
- [13] Borghans, L., Duckworth, A.L., Heckman, J.J. and B. ter Weel (2008), “The economics and psychology of personality traits,” *Journal of Human Resources* 43, 972–1059.

- [14] Brunello, G. and M. Schlotter (2011). “Non-cognitive skills and personality traits: Labour market relevance and their development in education and training systems,” IZA Discussion Papers No. 5743.
- [15] Chetty, R. and N. Hendren (2018a), “The impacts of neighborhoods on intergenerational mobility I: Childhood exposure effects,” *Quarterly Journal of Economics* 133(3), 1107–1162.
- [16] Chetty, R. and N. Hendren (2018b), “The impacts of neighborhoods on intergenerational mobility II: County-level estimates,” *Quarterly Journal of Economics* 133(3), 1163–1228.
- [17] Chetty, R., Hendren, N. and L.F. Katz (2016), “The effects of exposure to better neighborhoods on children: New evidence from the Moving to Opportunity experiment,” *American Economic Review* 106(4), 855–902.
- [18] Chyn, E. (2018), “Moved to opportunity: The long-run effects of public housing demolition on children,” *American Economic Review* 108(10), 3028–56.
- [19] Cook, J.L. and G.L. Cook (2009), *Child Development: Principles and Perspectives*, Boston: Pearson.
- [20] Crépon, B., Duflo, E., Gurgand, M., Rathelot, R. and P. Zamora (2013), “Do labor market policies have displacement effects? Evidence from a clustered randomized experiment,” *Quarterly Journal of Economics* 128(2), 531–580.
- [21] Cunha, F. and J.J. Heckman (2007), “The technology of skill formation,” *American Economic Review* 97(2), 31–47.
- [22] Cunha, F., Heckman, J.J. and S.M. Schennach (2010), “Estimating the technology of cognitive and noncognitive skill formation,” *Econometrica* 78, 883–931.
- [23] Damm, A.P. and C. Dustmann (2014), “Does growing up in a high crime neighborhood affect youth criminal behavior?” *American Economic Review* 104(6), 1806–32.
- [24] Deaton, A. and N. Cartwright (2018), “Understanding and misunderstanding randomized controlled trials,” *Social Science & Medicine* 210, 2–21.
- [25] Duflo, E. and E. Saez (2003), “The role of information and social interactions in retirement plan decisions: Evidence from a randomized experiment,” *Quarterly Journal of Economics* 118(3), 815–842.
- [26] Dunn, L.M., Dunn, L.M., Bulheller, S. and H. Häcker (1965), *Peabody Picture Vocabulary Test*, Circle Pines, MN: American Guidance Service.

- [27] Durlauf, S.N. (2004), “Neighborhood effects,” In: J.V. Henderson and J-F. Thisse (Eds.), *Handbook of Regional and Urban Economics*, Vol. 4, Amsterdam: North-Holland, pp. 2173–2242.
- [28] Edin, P.-A., Fredriksson, P. and O. Åslund (2003), “Ethnic enclaves and the economic success of immigrants. Evidence from a natural experiment,” *Quarterly Journal of Economics* 118, 329–357.
- [29] Entwisle, D.R., Alexander, K.L. and L.S. Olson (1994), “The gender gap in math: Its possible origins in neighborhood effects,” *American Sociological Review* 59(6), 822–838.
- [30] Epple, D. and R.E. Romano (2011), “Peer effects in education: A survey of the theory and evidence,” In: A. Bisin, J. Benhabib and M.O. Jackson (Eds.), *Handbook of Social Economics*, Vol. 1, Amsterdam: North-Holland, pp. 1053–1163.
- [31] Ferracci, M., Jolivet, G. and G.J. van den Berg (2014), “Evidence of treatment spillovers within markets,” *Review of Economics and Statistics* 96, 812–823
- [32] Fryer Jr, R.G., Levitt, S.D. and J.A. List (2015), “Parental incentives and early childhood achievement: A field experiment in Chicago heights,” NBER Working Paper No. 21477.
- [33] Fryer Jr, R.G., Levitt, S.D., List, J.A. and A. Samek (2018), “Towards an understanding of what works in preschool education, ” Unpublished manuscript, University of Chicago.
- [34] Gautier, P., Muller, P., van der Klaauw, B., Rosholm, M. and M. Svarer (2018), “Estimating equilibrium effects of job search assistance,” *Journal of Labor Economics* 36(4), 1073–1125.
- [35] Gibbs, C., Ludwig, J. and D. Miller (2013), “Does Head Start do any lasting good?” In: M.J. Bailey and S. Danziger (Eds.), *Legacies of the War on Poverty*, New York: Russell Sage Foundation Press, pp. 39–65.
- [36] Giné, X. and G. Mansuri (2018), “Together we will: Experimental evidence on female voting behavior in Pakistan,” *American Economic Journal: Applied Economics* 10(1), 207–235.
- [37] Graham, B.S. (2018), “Identifying and estimating neighborhood effects,” *Journal of Economic Literature* 56(2), 450–500.
- [38] Halpern-Felsher, B.L., Connell, J.P., Spencer, M.B., Aber, J.L., Duncan, G.J., Clifford, E., Crichlow, W.E., Usinger, P.A., Cole, S.P., Allen, L. and E. Seidman (1997), “Neighborhood and family factors predicting educational risk and attainment in African American and White children and adolescents,” *Neighborhood Poverty* 1, 146–173.



- [39] Hartup, W.W. (1984), “The peer context in middle childhood,” In: W.A. Collins (Ed.), *Development During Middle Childhood: The Years From Six to Twelve*, National Research Council, Washington, DC: The National Academies Press, pp. 240–282.
- <https://www.overleaf.com/2983422666wrtnsdwfdmvm>
- [40] Heckman, J.J., Stixrud, J. and S. Urzua (2006), “The effects of cognitive and noncognitive abilities on labor-market outcomes and social behavior,” *Journal of Labor Economics* 24, 411–482.
- [41] Higgins, E.T. and J.E. Parsons (1983), “Social cognition and the social life of the child: Stages as subcultures,” In: E.T. Higgins, D.N. Ruble and W.W. Hartup (Eds.), *Social Cognition and Social Development: A Socio-Cultural Perspective*, Cambridge: Cambridge University Press, pp. 15–62.
- [42] Ioannides, Y.M. (2011), “Neighborhood effects and housing,” In: J. Benhabib, A. Bisin, and M.O. Jackson (Eds.), *Handbook of Social Economics*, Vol. 1B, Amsterdam: Elsevier Science, 1281–1340.
- [43] Ioannides, Y.M. and G. Topa (2010), “Neighborhood effects: Accomplishments and looking beyond them,” *Journal of Regional Science* 50, 343–362.
- [44] Janssen, W. (2011), “Externalities in program evaluation: The impact of a women’s empowerment program on immunization,” *Journal of the European Economic Association* 9(6), 1082–1113.
- [45] Kalil, A. (2015), “Inequality begins at home: The role of parenting in the diverging destinies of rich and poor children,” In: P.R. Amato, A. Booth, S.M. McHale and J. Van Hook (Eds.), *National Symposium on Family Issues. Families in an Era of Increasing Inequality: Diverging Destinies*, Cham, Switzerland: Springer International Publishing, pp. 63–82.
- [46] Katz, L.F., Kling, J.R. and J.B. Liebman (2001), “Moving to opportunity in Boston: Early results of a randomized mobility experiment,” *Quarterly Journal of Economics* 116, 607–654.
- [47] Kautz, T., Heckman, J.J., Diris, R., Ter Weel, B. and L. Borghans (2014), “Fostering and measuring skills: Improving cognitive and non-cognitive skills to promote lifetime success,” NBER Working Paper No. 20749.
- [48] Kline, P. and C.R. Walters (2016), “Evaluating public programs with close substitutes: The case of Head Start,” *Quarterly Journal of Economics* 131(4), 1795–1848.
- [49] Kling, J.R., Ludwig, J. and L.F. Katz (2005), “Neighborhood effects on crime for female and male youth: Evidence from a randomized housing voucher experiment,” *Quarterly Journal of Economics* 120, 87–130.

- [50] Lalive, R., Landais, C., and J. Zweimüller (2015), “Market externalities of large unemployment insurance extension programs,” *American Economic Review* 105(12), 3564–96.
- [51] Leventhal, T. and J. Brooks-Gunn (2000), “The neighborhoods they live in: The effects of neighborhood residence on child and adolescent outcomes,” *Psychological Bulletin* 126(2), 309–337.
- [52] Miguel, E. and M. Kremer (2004), “Worms: Identifying impacts on education and health in the presence of treatment externalities,” *Econometrica* 72, 159–217.
- [53] Minh, A., Muhajarine, N., Janus, M., Brownell, M. and M. Guhn (2017), “A review of neighborhood effects and early child development: How, where, and for whom, do neighborhoods matter?” *Health and Place* 46, 155–174.
- [54] Muralidharan, K., Niehaus, P. and S. Sukhtankar (2017), “General equilibrium effects of (improving) public employment programs: Experimental evidence from India,” NBER Working Paper No. 23838.
- [55] Puma, M., Bell, S., Cook, R. and C. Heid (2010), “Head Start Impact Study: Final Report,” Washington, DC: U.S. Department of Health and Services, Administration for Children and Families,
- [56] Puma, M., Bell, S., Cook, R., Heid, C., Broene, P., Jenkins, F., Mashburn, A. and J. Downer (2012), “Third Grade Follow-up to the Head Start Impact Study Final Report,” OPRE Report # 2012-45, Washington, DC: Office of Planning, Research and Evaluation, Administration for Children and Families, U.S. Department of Health and Human Services.
- [57] Rincke, J. and C. Traxler (2011), “Enforcement spillovers,” *Review of Economics and Statistics* 93(4), 1224–1234.
- [58] Sacerdote, B. (2011), “Peer effects in education: How might they work, how big are they and how much do we know thus far?” In: E.A. Hanushek, S. Machin and L. Woessmann (Eds.), *Handbook of the Economics of Education*, Vol. 3, Amsterdam: Elsevier, pp. 249–277.
- [59] Sinclair, B., McConnell, M. and D.P. Green (2012), “Detecting spillover effects: Design and analysis of multilevel experiments,” *American Journal of Political Science* 56(4), 1055–1069.
- [60] Todd, P.E. and K.I. Wolpin (2007), “The production of cognitive achievement in children: Home, school, and racial test score gaps,” *Journal of Human Capital* 1(1), 91–136.
- [61] Topa, G. and Y. Zenou (2015), “Neighborhood and network effects,” In: G. Duranton, V. Henderson and W. Strange (Eds.), *Handbook of Regional and Urban Economics*, Vol. 5A, Amsterdam: Elsevier Publisher, pp. 561–624.

- [62] Waldfogel, J. and E. Washbrook (2011), “Early years policy,” *Child Development Research* 1–12.
- [63] Willoughby, M.T., Wirth, R. J. and C.B. Blair (2012), “Executive function in early childhood: Longitudinal measurement invariance and developmental change,” *Psychological Assessment* 24(2), 418–431.
- [64] Woodcock, R.W., McGrew, K. S. and N. Mather (2001), *Woodcock-Johnson Tests of Achievement*, Itasca, IL: Riverside Publishing.

Are Estimates of Early Education Programs Too Pessimistic? Evidence from a Large-Scale  
Field Experiment that Causally Measures Neighbor Effects

Appendix

By John A. List<sup>1</sup>, Fatemeh Momeni<sup>2</sup> and Yves Zenou<sup>3</sup>

Online Appendix

---

<sup>1</sup>Department of Economics, University of Chicago, Chicago, IL, USA. Email: [jlist@uchicago.edu](mailto:jlist@uchicago.edu).

<sup>2</sup>Department of Economics, University of Chicago, Chicago, IL, USA. Email: [fmomeni@uchicago.edu](mailto:fmomeni@uchicago.edu).

<sup>3</sup>Department of Economics, Monash University, Caulfield, VIC, Australia, and IFN. Email: [yves.zenou@monash.edu](mailto:yves.zenou@monash.edu).

## A Maps

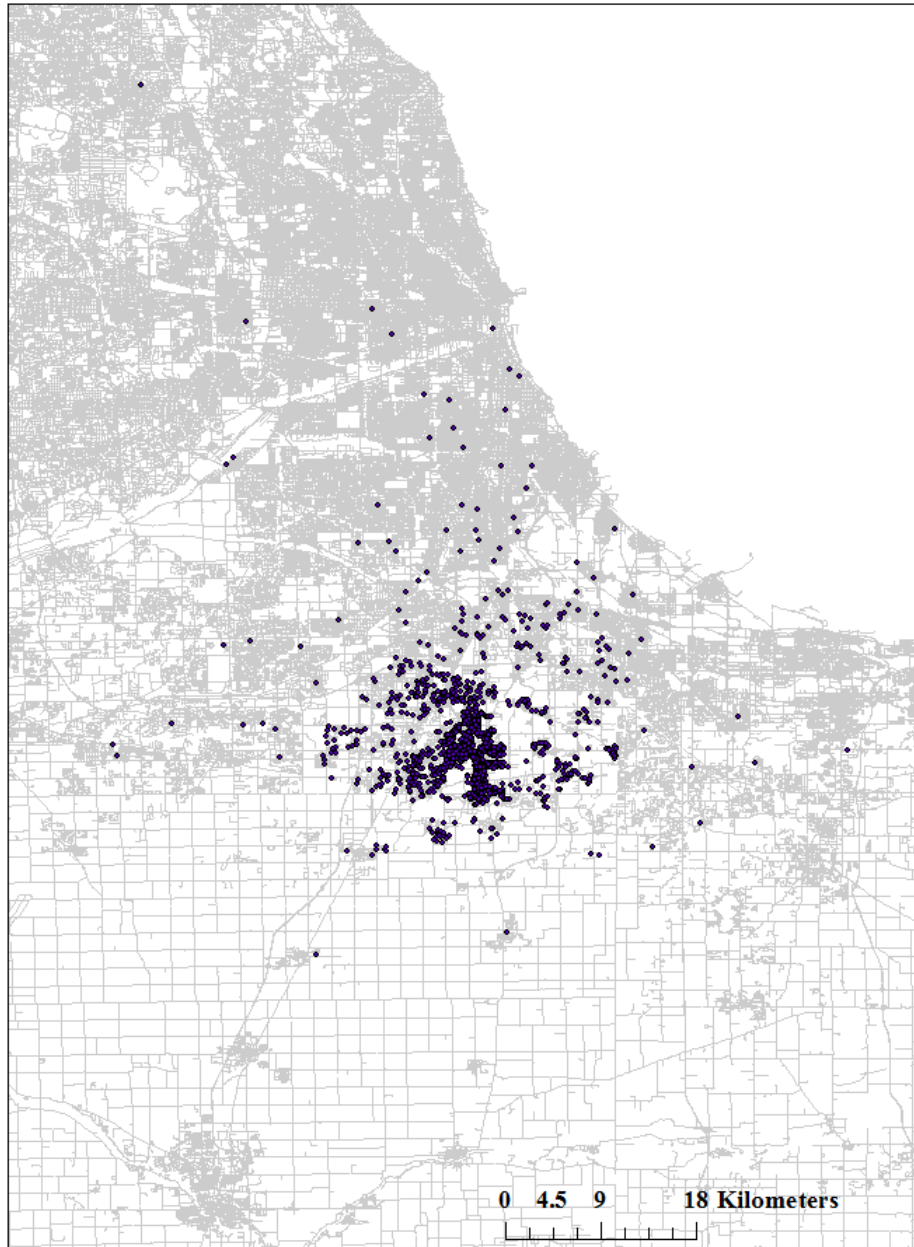


Figure A.1: Map of Home Locations

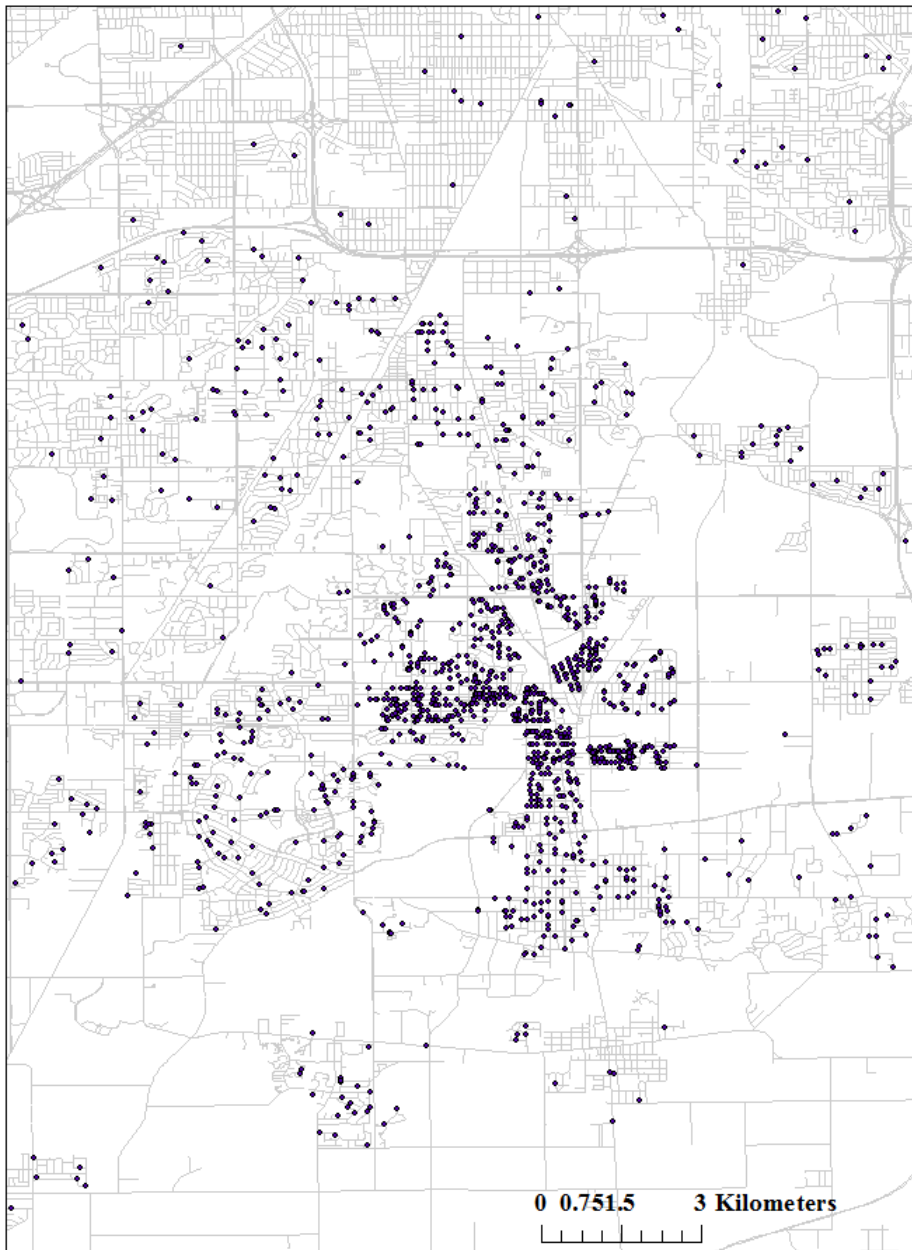


Figure A.2: Map of Home Locations, Zoomed in

## B Assessment Schedule

Table B.1: Assessment Calendar

	Winter (Jan-Feb)	Early Spring (Apr)	Late Spring (May)	Late Summer (Jul-Sep)
2010				<i>Pre</i> <sup>2010</sup>
2011	<i>Mid</i> <sup>2010</sup>		<i>Post</i> <sup>2010</sup> <i>Pre</i> <sup>2011</sup>	<i>SL</i> <sup>2010</sup>
2012	<i>Mid</i> <sup>2011</sup>	<i>AO1</i> <sup>2010</sup>	<i>Post</i> <sup>2011</sup> <i>Pre</i> <sup>2012</sup>	<i>SL</i> <sup>2011</sup>
2013	<i>Mid</i> <sup>2012</sup>	<i>AO1</i> <sup>2011</sup> <i>AO2</i> <sup>2010</sup>	<i>Post</i> <sup>2012</sup> <i>Pre</i> <sup>2013</sup>	<i>SL</i> <sup>2012</sup>
2014	<i>Mid</i> <sup>2013</sup>	<i>AO1</i> <sup>2012</sup> <i>AO2</i> <sup>2011</sup> <i>AO3</i> <sup>2010</sup>	<i>Post</i> <sup>2013</sup>	<i>SL</i> <sup>2013</sup>
2015		<i>AO1</i> <sup>2013</sup> <i>AO2</i> <sup>2012</sup> <i>AO3</i> <sup>2011</sup> <i>AO4</i> <sup>2010</sup>		
2016		<i>AO2</i> <sup>2013</sup> <i>AO3</i> <sup>2012</sup> <i>AO4</i> <sup>2011</sup> <i>AO5</i> <sup>2010</sup>		

*Notes:* Superscripts are cohort identifiers (randomization years).  
 Pre= pre assessment; Mid= mid assessment; Post= post assessment; SL= summer loss assessment; AOx= age-out assessment x years after the treatment ended

## C Details on Constructing the Samples

Here we present how we treat observations from children who were randomized in multiple years in constructing our panel data set for the control, treatment, and pooled samples.

We follow two rules in constructing the control sample: (i) For those control children who were randomized into treatments in later years, we only keep the observations that took place before their treatment started; (ii) for those who were randomized into the control group in more than one year, we only keep the observations corresponding to their first randomization.

In construction of our treatment sample, we follow two rules: (i) For those treatment children who were first randomized into the control and later into a treatment group, we only keep the observations after their treatment started; (ii) for those who were randomized twice and both times into a treatment group, we only keep the observations corresponding to the first randomization.

Finally, we use the following three rules in constructing our pooled sample: (i) For children who were randomized twice and both times into the control group, we only keep the observations that correspond to the first randomization; (ii) for children who were randomized twice and both times into a treatment group, we only keep the observations corresponding to their first randomization; and (iii) for those who were randomized twice, the first time into the control group and the second time into a treatment group, we only keep the observations corresponding to the second randomization.

Three factors can result in missing an observation for a child in our control sample: (i) The child was absent on the assessment day; (ii) the child was moved to a treatment group in a later randomization and thus her outcomes (for the times after she had entered the treatment groups) are not included in the sample; or (iii) the child belongs to later cohorts for which the assessment is taking place at a later date (April 2018 or after). Similarly, an observation from the treatment sample would be missing if (i) the child was absent on that assessment day; (ii) the child was previously in the control group and thus her outcomes (for the times before she entered the treatment group) are not included in the sample; or (iii) corresponding assessment is taking place at a later date (April 2018 or later).

## D Sub-tests

The cognitive index was constructed by taking the average of a child’s percentile scores on five subtests of the Peabody Picture Vocabulary Test (PPVT), WJ Letter-Word, WJ Spelling, WJ Applied Problems, and WJ Quantitative Concepts (the four subtests from the Woodcock Johnson III Test of Achievement). These scores were then standardized by assessment type (pre, mid, post, etc.), including the entire study population. The non-cognitive index was constructed by taking the average of a child’s percent-correct scores in the three subtests of the Blair and Willoughby (Spatial Conflict, Operation Span, and Same Game) and the Preschool Self-Regulation Assessment (PSRA) and standardizing with respect to the assessment type.<sup>4</sup>

To explore which components of the cognitive and non-cognitive measures are more important in generating the spillover effects, we estimate the following fixed-effects model:

$$Y_{i,t}^k = \beta_0 + \beta_1 N_{i,t|r}^{treated} + \beta_2 N_{i,t|r}^{total} + \gamma_i + \delta_t + \epsilon_{i,t}, \quad (\text{D.1})$$

where  $Y_{i,t}^k$  is the standardized score of a child  $i$  at time  $t$  on subtest  $k$ , and  $N_{i,t|r}^{treated}$  and  $N_{i,t|r}^{total}$  represent the number of treated neighbors and total number of neighbors, as previously defined.

---

<sup>4</sup>For children in kindergarten or older, the Same Game test of Blair and Willoughby was replaced with a variant of Wisconsin Card Sort game.



We include the time and individual fixed effects, and cluster standard errors at the census-block-group level. Under this specification,  $\beta_1$  represents the average spillover effect from an additional treated neighbor who resides within a radius  $r$  of a child.

Table D.1: Spillover Effects by Subtests

$r$ (meters)	Cognitive Sub-scores					Non-cognitive Sub-scores				
	PPVT	WJL	WJA	WJS	WJQ	OSP	SPAT	PSRA	SAME	CARD
3000	.0025* (.0014)	.0044*** (.001)	-.0057*** (.0011)	.0044*** (.0011)	.0018 (.0019)	.0093*** (.0026)	.0142*** (.0031)	.0002 (.0021)	-.0052 (.0128)	.0082*** (.0023)
5000	.0014 (.0009)	.0026*** (.0007)	-.003*** (.0009)	.0031*** (.0007)	.0009 (.001)	.0055*** (.0014)	.0089*** (.0019)	.0003 (.0013)	-.0105 (.009)	.0051*** (.0013)
7000	.0012* (.0007)	.002*** (.0006)	-.0026*** (.0008)	.0025*** (.0006)	.0007 (.0009)	.0041*** (.0011)	.0071*** (.0015)	.0001 (.001)	-.0077 (.0078)	.0045*** (.0011)

*Notes:* This table presents point estimates for the spillover effects from an additional treated neighbor on a child’s standardized scores on each subtest, estimated from equation (D.1). Robust standard errors, clustered at the census-block-group level, are in parentheses;

\*\*\*  $p < 0.01$ , \*\*  $p < 0.05$ , \*  $p < 0.1$

As point estimates for  $\beta_1$  presented in Table D.1 suggest, the spillovers on cognitive skills are mainly driven by the effects on receptive vocabulary (PPVT), spelling ability (WJS), and the ability to identify letters and words (WJL). The spillovers on non-cognitive skills are driven by the effects on attention (Spatial Conflict), working memory (Operation Span), and attention shifting in children who are kindergarten age or older.

## E Estimated Effects on a Restricted Sample

Sections 4 and 5 present the estimated spillover effects using all observations. One potential concern is the role of sorting and whether selection into taking assessments is the factor deriving our findings. We address this concern by estimating the main effects from equations 1 and 2 for a subset of our sample who attended at least five out of the eight possible assessments. Our data includes 1,792 observations from 313 children who attend a minimum of five assessments. Note these children represent under 20% of of the total number of children in our pooled sample. Table E.1 presents the point estimates. Our estimates are similar in magnitude to the ones from the whole sample. The estimates on non-cognitive spillover effects are especially close to the ones presented in Tables 4 and 6. The fixed-effects estimates of  $\beta_1$  on cognitive spillover effects from the whole sample for neighborhood radii of 3, 5, and 7 kilometers are  $0.0033\sigma$ ,  $0.0021\sigma$ , and  $0.0018\sigma$ , respectively, whereas the corresponding estimates from the restricted sample are  $0.0040\sigma$ ,  $0.0021\sigma$ , and  $0.0018\sigma$ . Likewise, the LDV estimates of  $\beta_1$  on cognitive spillover effects from the whole sample for neighborhood radii of 3, 5, and 7 kilometers are  $0.0042\sigma$ ,  $0.0033\sigma$ , and  $0.0027\sigma$ . The corresponding estimates for

the restricted subsample are  $0.0029\sigma$ ,  $0.0017\sigma$ , and  $0.0010\sigma$ . The fixed effects estimates on non-cognitive spillover effects from the whole sample for neighborhood radii of 3, 5 and 7 kilometers were  $0.0069\sigma$ ,  $0.0043\sigma$ , and  $0.0033\sigma$ , whereas the fixed-effects estimates from the restricted sample are  $0.0070\sigma$ ,  $0.0036\sigma$ , and  $0.0027\sigma$ . Similarly, the LDV estimates on non-cognitive spillover effects from the whole sample for neighborhood radii of 3, 5, and 7 kilometers are  $0.0070\sigma$ ,  $0.0059\sigma$ , and  $0.0054\sigma$ , whereas the corresponding fixed-effects estimates from the restricted sample are  $0.0064\sigma$ ,  $0.0050\sigma$ , and  $0.0045\sigma$ .

Table E.1: Estimates of Spillover Effects for the Restricted Sample

	Fixed Effects		LDV	
	Cognitive	Non-cognitive	Cognitive	Non-cognitive
r =3 km	0.0040** (0.0011)	0.0070*** (0.0018)	0.0029** (0.0012)	0.0064*** (0.0019)
r = 5 km	0.0021*** (0.0007)	0.0036*** (0.0013)	0.0017* (0.0009)	0.0050*** (0.0015)
r =7 km	0.0018*** (0.0006)	0.0027*** (0.0010)	0.0010 (0.0007)	0.0045*** (0.0013)
Obs.	1,792	1,792	1400	1400
Unique child	313	313	313	313

*Notes:* Estimated spillover effects from equations (1) and (2) for a subsample of observations from children who attended a minimum of five out of eight assessments. Robust standard errors, clustered at the census-block-group level, are in parentheses; \*\*\*  $p < 0.01$ , \*\*  $p < 0.05$ , \*  $p < 0.1$

## F Spatial Fade-out

Table F.1: Mean Effect Sizes on Cognitive and Non-cognitive Scores, Fixed-Effects Estimates

	Cognitive Scores			Non-cognitive Scores		
	Pooled (1)	Control (2)	Treatment (3)	Pooled (4)	Control (5)	Treatment (6)
r= 2 km	0.0050*** (0.0019)	0.0049** (0.0024)	0.0021 (0.0016)	0.0120*** (0.0025)	0.0077*** (0.0030)	0.0107*** (0.0023)
r= 3 km	0.0033*** (0.0010)	0.0038*** (0.0012)	0.0016 (0.0010)	0.0078*** (0.0013)	0.0069*** (0.0015)	0.0064*** (0.0013)
r= 4 km	0.0026*** (0.0007)	0.0032*** (0.0011)	0.0010* (0.0006)	0.0053*** (0.0009)	0.0045*** (0.0013)	0.0042*** (0.0010)
r= 5 km	0.0021*** (0.0006)	0.0023*** (0.0008)	0.0010* (0.0006)	0.0043*** (0.0008)	0.0037*** (0.0011)	0.0034*** (0.0008)
r= 6 km	0.0019*** (0.0006)	0.0022*** (0.0008)	0.0010* (0.0005)	0.0038*** (0.0007)	0.0031*** (0.0010)	0.0032*** (0.0008)
r= 7 km	0.0018*** (0.0005)	0.0021*** (0.0007)	0.0008* (0.0005)	0.0033*** (0.0007)	0.0025*** (0.0010)	0.0028*** (0.0007)
r= 8 km	0.0017*** (0.0005)	0.0020*** (0.0007)	0.0008* (0.0005)	0.0031*** (0.0006)	0.0021** (0.0009)	0.0028*** (0.0007)
r= 9 km	0.0015*** (0.0005)	0.0018*** (0.0007)	0.0007 (0.0005)	0.0029*** (0.00060)	0.0021** (0.0009)	0.0025*** (0.0007)
r= 10 km	0.0014*** (0.0005)	0.0019*** (0.0006)	0.0006 (0.0005)	0.0027*** (0.0006)	0.0020** (0.0009)	0.0023*** (0.0006)
	5,208	2,442	3,074	5,208	2,442	3,074

*Notes:* Columns 1-3 (4-6) represent the effect of an additional treated neighbor on a child's standardized cognitive (non-cognitive) score. Robust standard errors, clustered at the census-block-group level, are in parentheses; \*\*\* p<0.01, \*\* p<0.05, \* p<0.1

Table F.2: Mean Effect Sizes on Cognitive and Non-cognitive Scores, LDV Estimates

$r$ (meters)	Cognitive Scores			Non-cognitive Scores		
	Pooled (1)	Control (2)	Treatment (3)	Pooled (4)	Control (5)	Treatment (6)
$r = 2$ km	0.0034** (0.0017)	0.0026 (0.0039)	0.0015 (0.0028)	0.0095*** (0.0030)	0.0061** (0.0031)	0.0102** (0.0044)
$r = 3$ km	0.0042*** (0.0012)	0.0052** (0.0025)	0.0019 (0.0020)	0.0070*** (0.0015)	0.0059*** (0.0018)	0.0067** (0.0026)
$r = 4$ km	0.0030*** (0.0007)	0.0039** (0.0018)	0.0014 (0.0012)	0.0059*** (0.0013)	0.0037*** (0.0011)	0.0062*** (0.0023)
$r = 5$ km	0.0033*** (0.0009)	0.0038** (0.0016)	0.0021* (0.0011)	0.0059*** (0.0014)	0.0040*** (0.0013)	0.0060*** (0.0023)
$r = 6$ km	0.0030*** (0.0007)	0.0033** (0.0013)	0.0017 (0.0011)	0.0060*** (0.0016)	0.0035*** (0.0013)	0.0058** (0.0023)
$r = 7$ km	0.0027*** (0.0007)	0.0034*** (0.0013)	0.0015 (0.0010)	0.0054*** (0.0014)	0.0038*** (0.0012)	0.0053** (0.0022)
$r = 8$ km	0.0022*** (0.0006)	0.0027** (0.0011)	0.0010 (0.0010)	0.0052*** (0.0014)	0.0035*** (0.0012)	0.0050** (0.0020)
$r = 9$ km	0.0021*** (0.0006)	0.0028** (0.0011)	0.0010 (0.0008)	0.0045*** (0.0013)	0.0035*** (0.0011)	0.0042** (0.0019)
$r = 10$ km	0.0021*** (0.0006)	0.0026** (0.0010)	0.0011 (0.0008)	0.0043*** (0.0012)	0.0031*** (0.0011)	0.0039** (0.0018)
Obs.	3,403	1,495	2,093	3,403	1,495	2,093

Notes: Columns 1-3 (4-6) represent the effect from an additional treated neighbor on a child's standardized cognitive (non-cognitive) score. Robust standard errors, clustered at the census-block-group, are level in parentheses; \*\*\*  $p < 0.01$ , \*\*  $p < 0.05$ , \*  $p < 0.1$

## G Spillovers from Parent Academy, Preschool, and Cog-X Treatments

In section 6, we compared the spillover effects from the Parent Academy treatments, which exclusively offered education program for parents, to the four Pre-K treatments, which offered pre-school programs to children. Two of the four Pre-K treatment groups (Preschool-Plus and Kinderprep), also included parental components, which, compared to Parent Academies, were shorter and not as heavily incentivized. We refer to these two treatments as Cog-X treatments. In this section, instead of estimating the overall spillover effects from Pre-K treatments, we separately estimate the effects from Cog-X to the ones from the preschool treatments, which exclusively targeted children, using the following specification:

$$Y_{i,t} = \beta_0 + \beta_{parent} N_{i,t|r}^{Parent} + \beta_{parent\_child} N_{i,t|r}^{Cogx} + \beta_{child} N_{i,t|r}^{Preschool} + \lambda N_{i,t|r}^{total} + \eta Y_{i,t-1} + X_i \alpha + \sigma_b + \mu_c + \delta_t + \epsilon_{i,t}, \quad (G.1)$$

where  $N_{i,t,r}^{Parent}$ ,  $N_{i,t,r}^{Cogx}$ , and  $N_{i,t,r}^{Preschool}$  represent the number of neighbors residing within distance  $r$  of a child  $i$  who were assigned to Parent Academy, Cog-X, and the two preschool treatments that

exclusively targeted children. All other arguments are defined as in section 6. Under the above specifications,  $\beta_{parent}$ ,  $\beta_{parent\_child}$ , and  $\beta_{child}$  represent the spillover effects from an additional treated neighbor who was assigned to Parent Academies, Cog-X, or the two preschool treatments with no parental components. Table G.1 presents the estimates of  $\hat{\beta}_{parent}$ ,  $\hat{\beta}_{parent\_child}$  and  $\hat{\beta}_{child}$ .

Table G.1: Mean Effect Sizes on Cognitive and Non-cognitive Scores

	Cognitive Scores			Non-cognitive Scores		
	$\beta_{parent}$ (1)	$\beta_{parent\_child}$ (2)	$\beta_{child}$ (3)	$\beta_{parent}$ (4)	$\beta_{parent\_child}$ (5)	$\beta_{child}$ (6)
r = 3 km	0.0045** (0.0022)	0.0040*** (0.0013)	0.0040 (0.0026)	-0.0010 (0.0035)	0.0105*** (0.0023)	0.0132*** (0.0029)
r = 5 km	0.0074*** (0.0024)	0.0034*** (0.0009)	0.0005 (0.0024)	0.0007 (0.0045)	0.0067*** (0.0015)	0.0079* (0.0044)
r = 7 km	0.0074*** (0.0026)	0.0029*** (0.0007)	-0.0006 (0.0025)	0.0006 (0.0040)	0.0056*** (0.0013)	0.0074 (0.0045)
Obs.	3,403	3,403	3,403	3,403	3,403	3,403

*Notes:* Columns 1-3 (4-6) represent the effect of an additional treated neighbor of each type, on a child's standardized cognitive (non-cognitive) score. Robust standard errors, clustered at the census-block-group level, are in parentheses; \*\*\* p<0.01, \*\* p<0.05, \* p<0.1

Our estimates suggest the programs that included parental-education components are likely to generate larger cognitive spillovers than those that exclusively targeted children.<sup>5</sup> Focusing on non-cognitive spillovers, our estimates confirm our previous findings that programs that directly targeted children (Cog-X and preschool treatments) generate significantly larger non-cognitive spillovers than the ones that exclusively targeted parents ( $p < 0.10$ ).

## H Total Impact Evaluation and Neighborhood Radius

In section 7, we estimated the impact of the intervention under the neighborhood radius of 3 kilometers. Table H.1 presents the corresponding effects for two other neighborhood radii: r=5 and r=7 kilometers. Our estimates of the direct program effects on treatment children ( $\hat{\theta}$ ) are not significantly different across various neighborhood radii.<sup>6</sup>

As we broaden the definition of the neighborhood, the estimated total spillover effect on both the control ( $SC^N$ ) and treatment ( $ST^N$ ) children increases. This finding is intuitive, because broadening the neighborhood would allow for neighbors who live farther away to also impact a

<sup>5</sup>The differences in spillover effects are insignificant for  $r = 3$  km, but as we broaden neighborhood radii to 5 and 7 kilometers, the difference in spillovers on cognitive skills from Cog-X and Parent Academy to the ones from the preschool treatments become significant ( $p < 0.10$ ).

<sup>6</sup>P-values from the Wald tests of  $\hat{\theta}_{r1}^{Cog} = \hat{\theta}_{r2}^{Cog}$  against  $\hat{\theta}_{r1}^{Cog} \neq \hat{\theta}_{r2}^{Cog}$  for r1=3K and r2=5K; r1=3K and r2=7K; and r1=5K and r2=7K are 0.28, 0.12, and 0.08. The corresponding p-values for non-cognitive scores ( $\hat{\theta}^{Ncog}$ ) are 0.75, 0.85, and 1.00.

Table H.1: Total Program Impact under r=3, 5, and 7 kilometers, LDV Estimates

r	5 km		5 km		7 km	
	178.13		325.63		422.81	
	Cognitive	Non-cognitive	Cognitive	Non-cognitive	Cognitive	Non-cognitive
$\hat{\theta}$ ( <i>Direct</i> )	0.108*** (0.0393)	0.0456 (0.0642)	0.126*** (0.0458)	0.0540 (0.0731)	0.150*** (0.0528)	0.0541 (0.0837)
$\hat{\beta}$	0.0042*** (0.0017)	0.0070*** (0.0015)	0.0034*** (0.0009)	0.0058*** (0.0014)	0.0028*** (0.0007)	0.0053*** (0.0014)
$\hat{\lambda}$	-0.0002* (0.0001)	0.0001 (0.0002)	-0.0002* (0.0001)	0.0001 (0.0002)	-0.0002* (0.0001)	0.0000 (0.0002)
$SC^N$	0.75*** (0.22)	1.25*** (0.27)	1.09*** (0.28)	1.90*** (0.46)	1.17*** (0.31)	2.25*** (0.61)
$ST^N$	0.71*** (0.22)	1.27*** (0.27)	1.03*** (0.27)	1.91*** (0.46)	1.09*** (0.30)	2.27*** (0.61)
<i>Total</i>	0.82*** (0.23)	1.32*** (0.27)	1.16*** (0.28)	1.97*** (0.45)	1.24*** (0.31)	2.32*** (0.60)
<i>Total<sup>Standard</sup></i>	0.06*** (0.02)	0.07** (0.03)	0.06*** (0.02)	0.07** (0.03)	0.07*** (0.02)	0.07** (0.03)
Observations	3,403	3,403	3,403	3,403	3,403	3,403
R-squared	0.659	0.384	0.660	0.387	0.660	0.387

Notes: Estimated coefficients from equation (9) are presented. N includes all the observations for which we have the lagged cognitive and non-cognitive scores, and other regressors.  $\overline{N_{3km}^{treated}} = 178.13$ ;  $\overline{N_{5km}^{treated}} = 325.63$ ;  $\overline{N_{7km}^{treated}} = 422.81$ ; Robust standard errors, clustered at the census-block-group level, are in parentheses; \*\*\* p<0.01, \*\* p<0.05, \* p<0.1

child’s outcomes. The increases in the total spillover effects result in larger estimates of the total impacts (*Total*) as we increase the neighborhood radius. The average estimated total impact of the intervention (*Total*) on a treatment child’s cognitive scores is  $0.82\sigma$  for  $r = 3$  km and increases to  $1.16\sigma$  and  $1.24\sigma$  for  $r = 5$  km and  $r = 7$  km. Likewise, the average estimated total impact of the intervention (*Total*) on the non-cognitive score of a child increases from  $1.32\sigma$  to  $1.97\sigma$  and  $2.32\sigma$  as we increase the radius from 3 to 5 and 7 kilometers. Finally, our estimates for program impacts if we were to ignore spillovers to control children (*Total<sup>Standard</sup>*) are very similar and not significantly different across various radii.<sup>7</sup>

## I Exploring Non-linearities in Measuring the Total Spillover Effects

We calculated our estimation of the total spillover effects under the assumption of linearity. In this section, we explore whether and how allowing for nonlinearities affects our estimates. We explore

<sup>7</sup>P-values from the Wald tests of  $\hat{Total}_{r1}^{Standard-Cog} = \hat{Total}_{r2}^{Standard-Cog}$  against  $\hat{Total}_{r1}^{Standard-Cog} \neq \hat{Total}_{r2}^{Standard-Cog}$  for r1=3 km and r2=5 km; r1=3 km and r2=7 km; and r1=5 km and r2=7 km are 0.71, 0.35, and 0.18. The corresponding p-values for non-cognitive scores are 0.99, 0.93, and 0.85.

non-linearities by considering polynomial functional forms of up to degree 3.

$$\begin{aligned}
Y_{i,t} = & \alpha_0 + \theta T_i + \alpha_1 N_{i,t|r}^{treated} + \alpha_2 (N_{i,t|r}^{treated})^2 + \dots + \\
& \lambda_1 T_i \times N_{i,t|r}^{treated} + \lambda_2 T_i \times (N_{i,t|r}^{treated})^2 + \dots + \beta_2 N_{i,t|r}^{total} + \eta Y_{i,t-1} + X_i \alpha + \sigma_b + \delta_t + \mu_c + \epsilon_{i,t}
\end{aligned} \tag{I.1}$$

While under the linear specification, the marginal spillover effect from the  $j$ -th treated neighbor is given by  $\alpha_1$  for a control child and by  $\alpha_1 + \lambda_1$  for a treated child, the corresponding effects under polynomials of degrees 2 and 3 are given by  $\alpha_1 + 2\alpha_2 j$  and  $\alpha_1 + 2\alpha_2 j + 3\alpha_3 j^2$  for a control child, and  $\alpha_1 + \lambda_1 + 2(\alpha_2 + \lambda_2)j$  and  $\alpha_1 + 2(\alpha_2 + \lambda_2)j + 3(\alpha_3 + \lambda_3)j^2$  for a treated child. Therefore, the average spillover effects on a control child from all neighbors, using polynomials of degrees 1, 2, and 3, can be calculated as follows:<sup>8</sup>

$$\begin{aligned}
\overline{SC}_1^N &= \alpha_1 \overline{N^{tr}} \\
\overline{SC}_2^N &= \alpha_1 \overline{N^{tr}} + 2\alpha_2 \sum_{j=1}^{\overline{N^{tr}}} j = \alpha_1 \overline{N^{tr}} + \alpha_2 \overline{N^{tr}} (\overline{N^{tr}} + 1) \\
\overline{SC}_3^N &= \alpha_1 \overline{N^{tr}} + 2\alpha_2 \sum_{j=1}^{\overline{N^{tr}}} j + 3\alpha_3 \sum_{j=1}^{\overline{N^{tr}}} j^2 = \alpha_1 \overline{N^{tr}} + \alpha_2 \overline{N^{tr}} (\overline{N^{tr}} + 1) + 0.5\alpha_3 (\overline{N^{tr}} + 1)(2\overline{N^{tr}} + 1).
\end{aligned}$$

Table I.1 presents the estimated coefficients from equation I.1 for neighborhood radius of  $r = 3$  km. Note the coefficients of the quadratic and cubic terms are all insignificant, suggesting our linear specification is an appropriate representation. Our estimates of the average cognitive spillover effects from all treated neighbors become slightly smaller as we add quadratic and cubic terms, but the changes are small. The estimated non-cognitive spillover effects become larger as we move away from the linear specification. However, these increases are small. Overall, we find no strong evidence suggesting the spillover effect from an additional treated neighbor has a non-linear relationship with the number of treated neighbors.

---

<sup>8</sup>Replacing  $\alpha_i$  with  $\alpha_i + \lambda_i$  ( $\forall i \in \{1,2,3\}$ ) would give us the corresponding average spillover effects on a treatment child.

Table I.1: Estimates of Spillover Effects under Non-linear Specifications

	Cognitive			Non-cognitive		
	(1)	(2)	(3)	(4)	(5)	(6)
$T_i$	0.11*** (0.04)	0.08 (0.06)	0.05 (0.07)	0.05 (0.06)	0.12 (0.08)	0.08 (0.11)
$N_{i,t r}^{treated}$	0.0042*** (0.0013)	0.0031 (0.0019)	0.0023 (0.0019)	0.0070*** (0.0015)	0.0080*** (0.0021)	0.0096*** (0.0028)
$(N_{i,t r}^{treated})^2$		1.58e-06 (1.52e-06)	6.10e-06 (7.42e-06)		-1.42e-06 (1.39e-06)	-1.08e-05 (9.33e-06)
$(N_{i,t r}^{treated})^3$			-5.44e-09 (9.01e-09)			1.04e-08 (1.07e-08)
$T_i \times N_{i,t r}^{treated}$	-0.0002* (0.0001)	0.0001 (0.0006)	0.0007 (0.0014)	0.0001 (0.0002)	-0.0008 (0.0007)	0.0004 (0.0021)
$T_i \times (N_{i,t r}^{treated})^2$		-7.08e-07 (1.12e-06)	-3.34e-06 (6.72e-06)		1.89e-06 (1.33e-06)	-4.41e-06 (1.04e-05)
$T_i \times (N_{i,t r}^{treated})^3$			3.36e-09 (8.53e-09)			8.57e-09 (1.34e-08)
$SC^N$	0.75*** (0.22)	0.60* (0.31)	0.56** (0.29)	1.24*** (0.27)	1.37*** (0.35)	1.41*** (0.37)
$ST^N$	0.71*** (0.22)	0.55* (0.32)	0.60** (0.29)	1.27*** (0.27)	1.34*** (0.38)	1.39*** (0.38)
Total	0.82*** (0.23)	0.63* (0.34)	0.65** (0.28)	1.32*** (0.27)	1.45*** (0.38)	1.47*** (0.37)
Constant	0.469*** (0.113)	0.478*** (0.114)	0.491*** (0.123)	-2.431*** (0.180)	-2.500*** (0.186)	-2.449*** (0.188)
Observations	3,403	3,403	3,403	3,403	3,403	3,403
R-squared	0.659	0.659	0.660	0.384	0.384	0.385

Notes: Estimated coefficients from equation (1.1) for neighborhood radius of  $r = 3$  km. Columns 1 and 4 correspond to the linear specification; 2 and 5 correspond to polynomials of degree 2; columns 3 and 6 correspond to polynomials of degree 3. Robust standard errors, clustered at the census-block-group level, are in parentheses; \*\*\* p<0.01, \*\* p<0.05, \* p<0.1